

[illegible]

Schäufel

6725B

FIGUREN

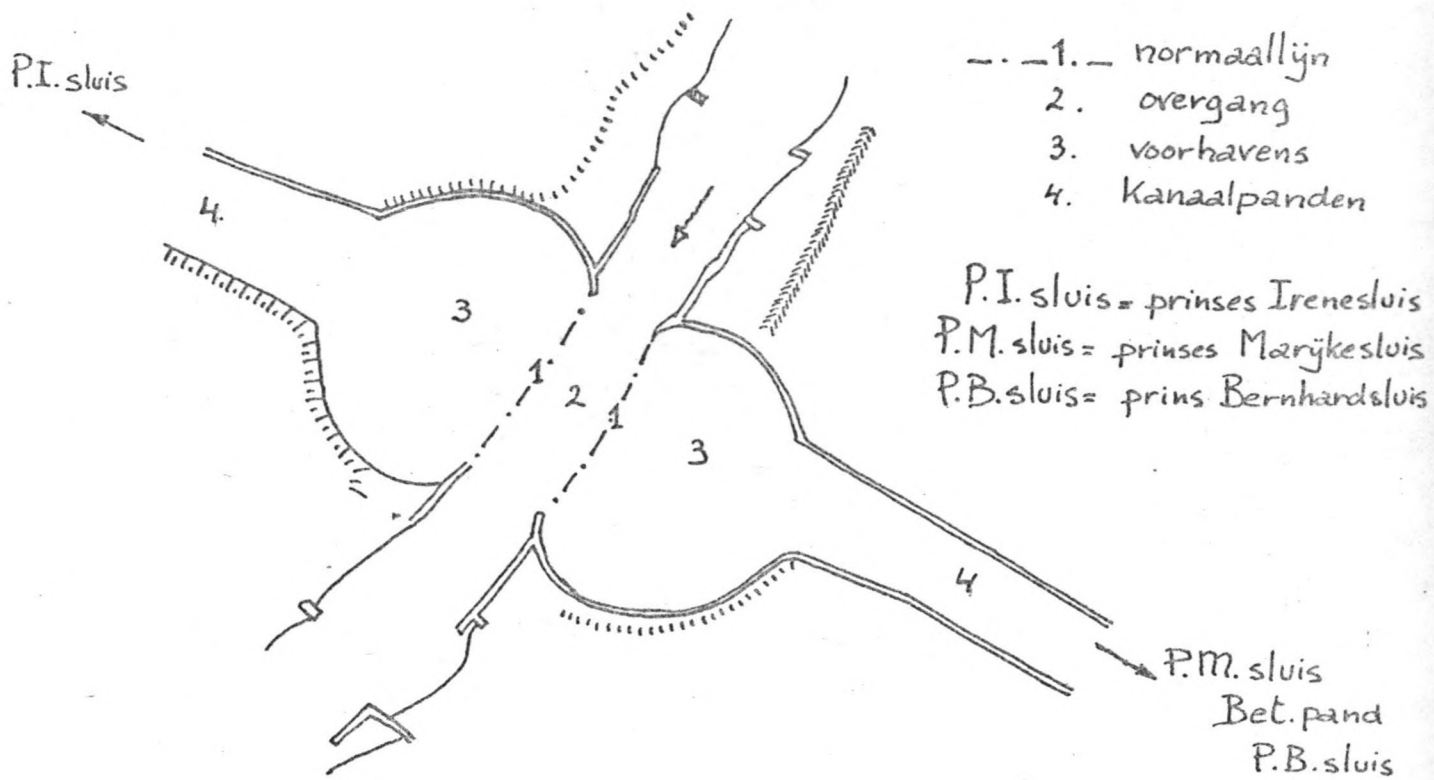


fig. 1a de „eieren van Thijssen“

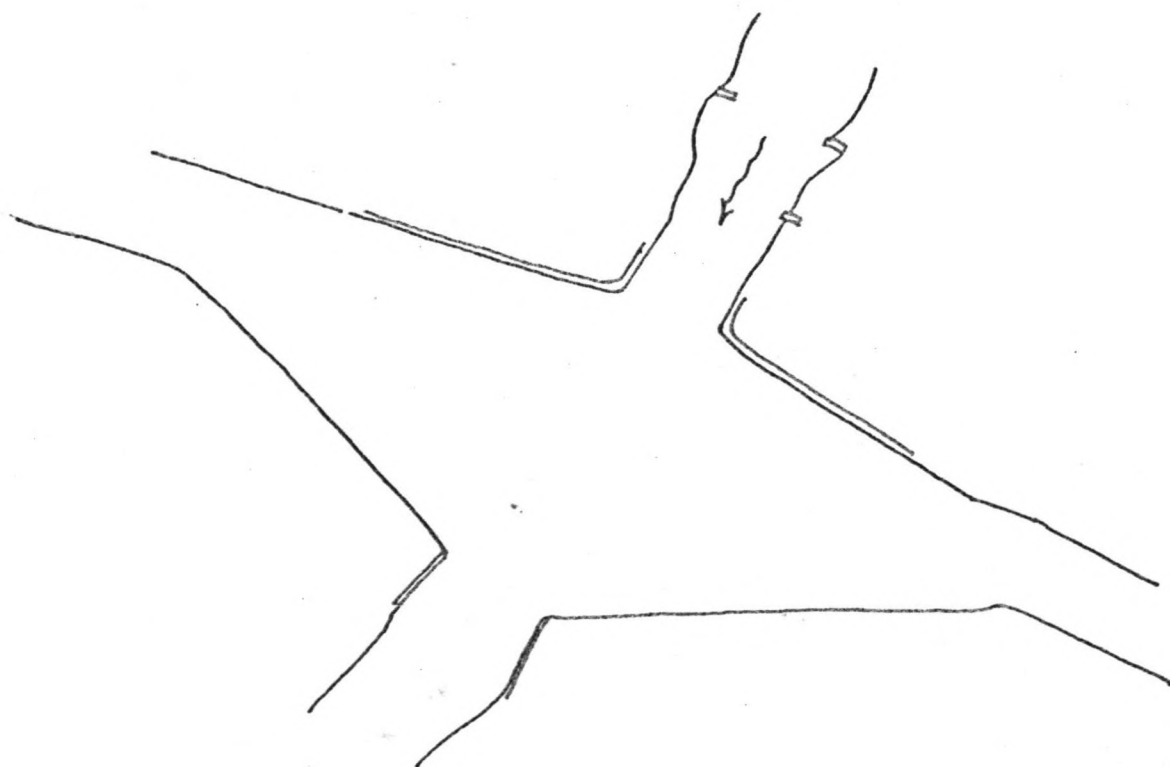


fig. 1 b Vorm. die door de
Staatscommissie voorgesteld werd.

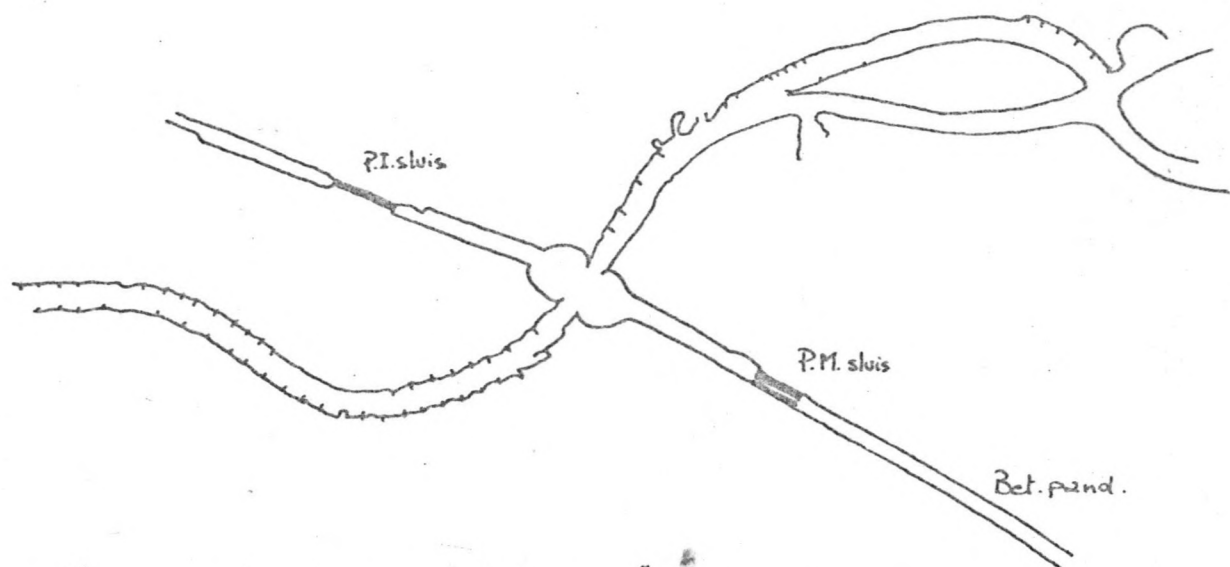


fig. 2 Huidige toestand schaal 1:50.000



fig. 3 Overstekend en afslaend scheepvaartverkeer.

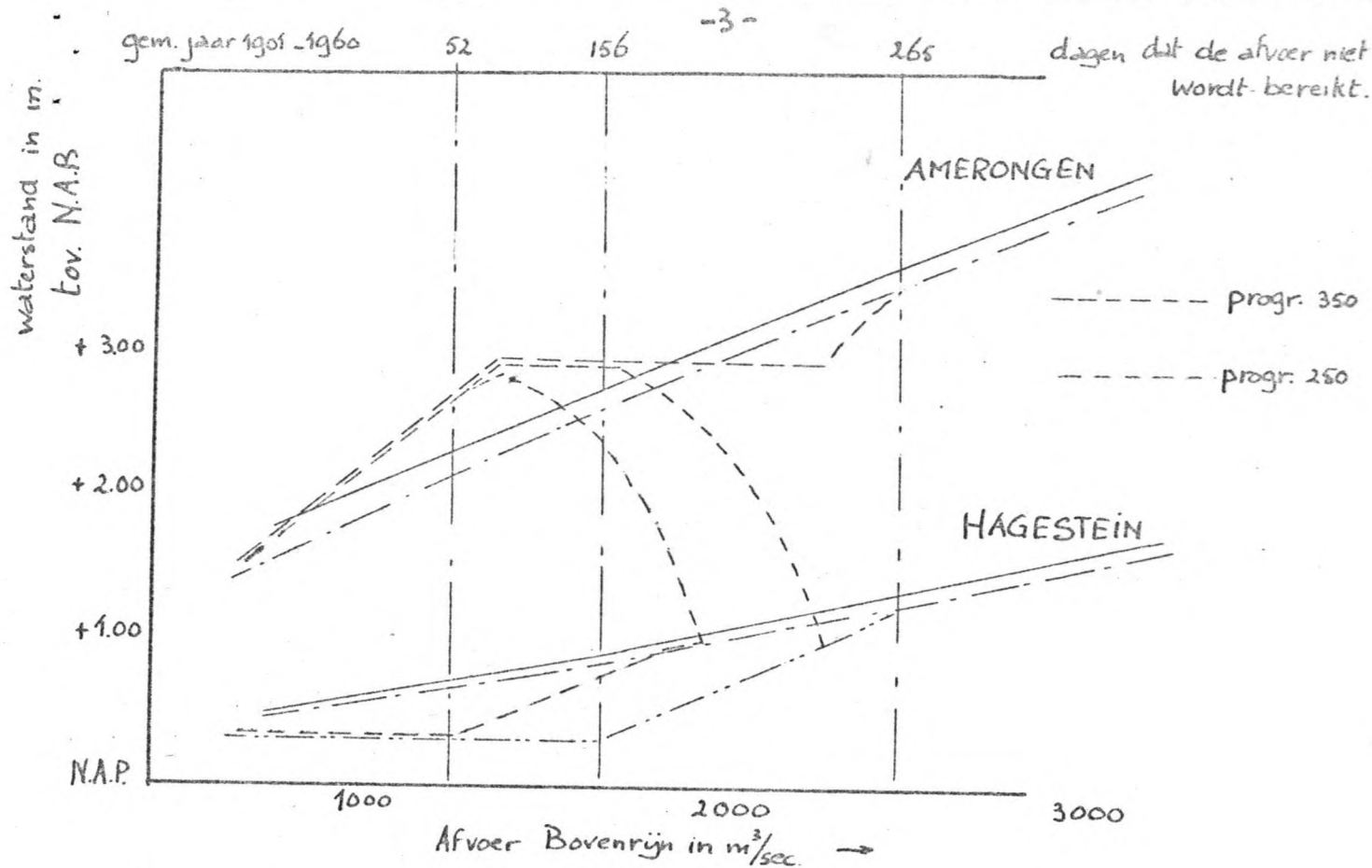
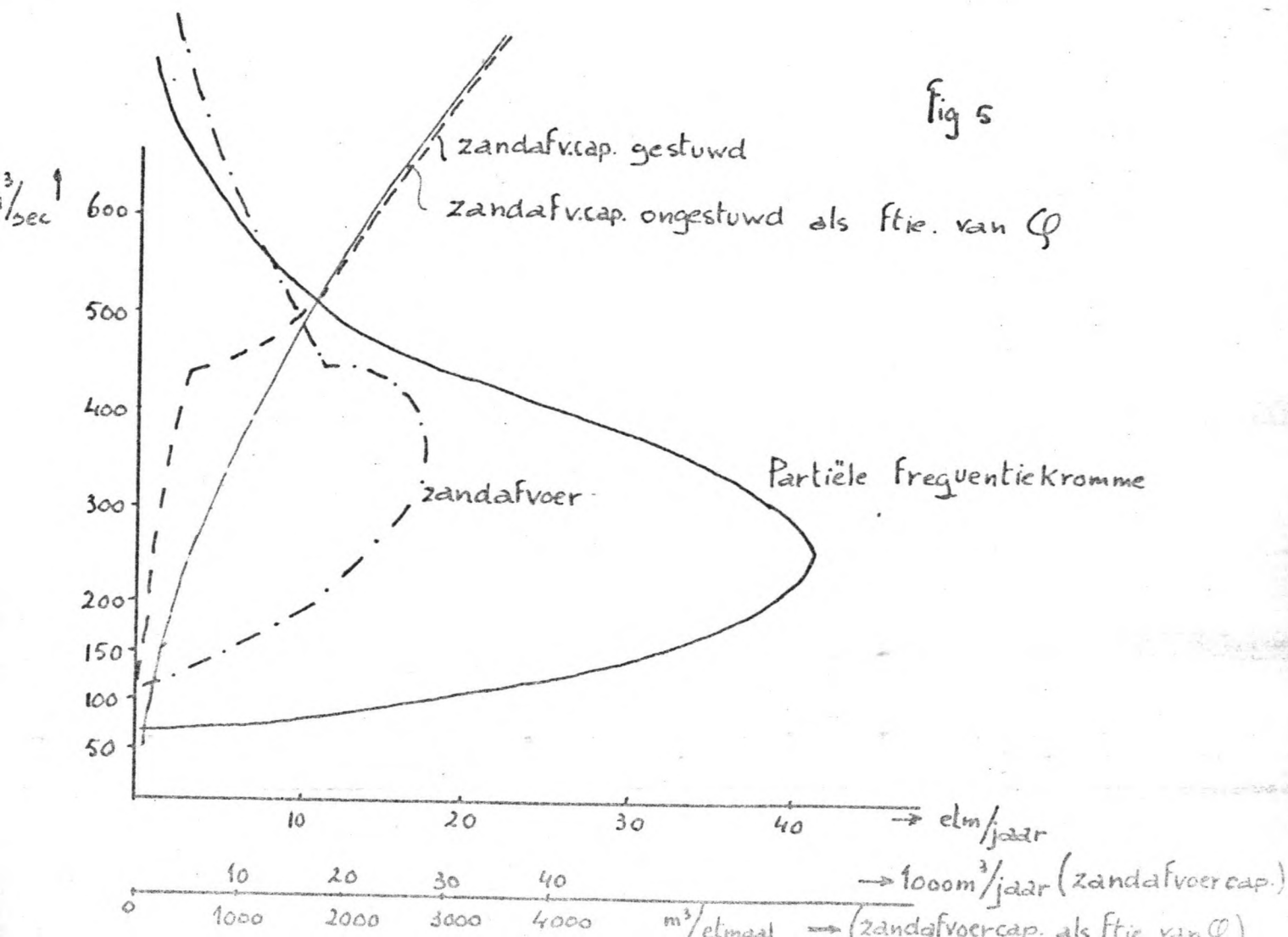


fig. 4 Afvoerprogramma Benedenrivieren.



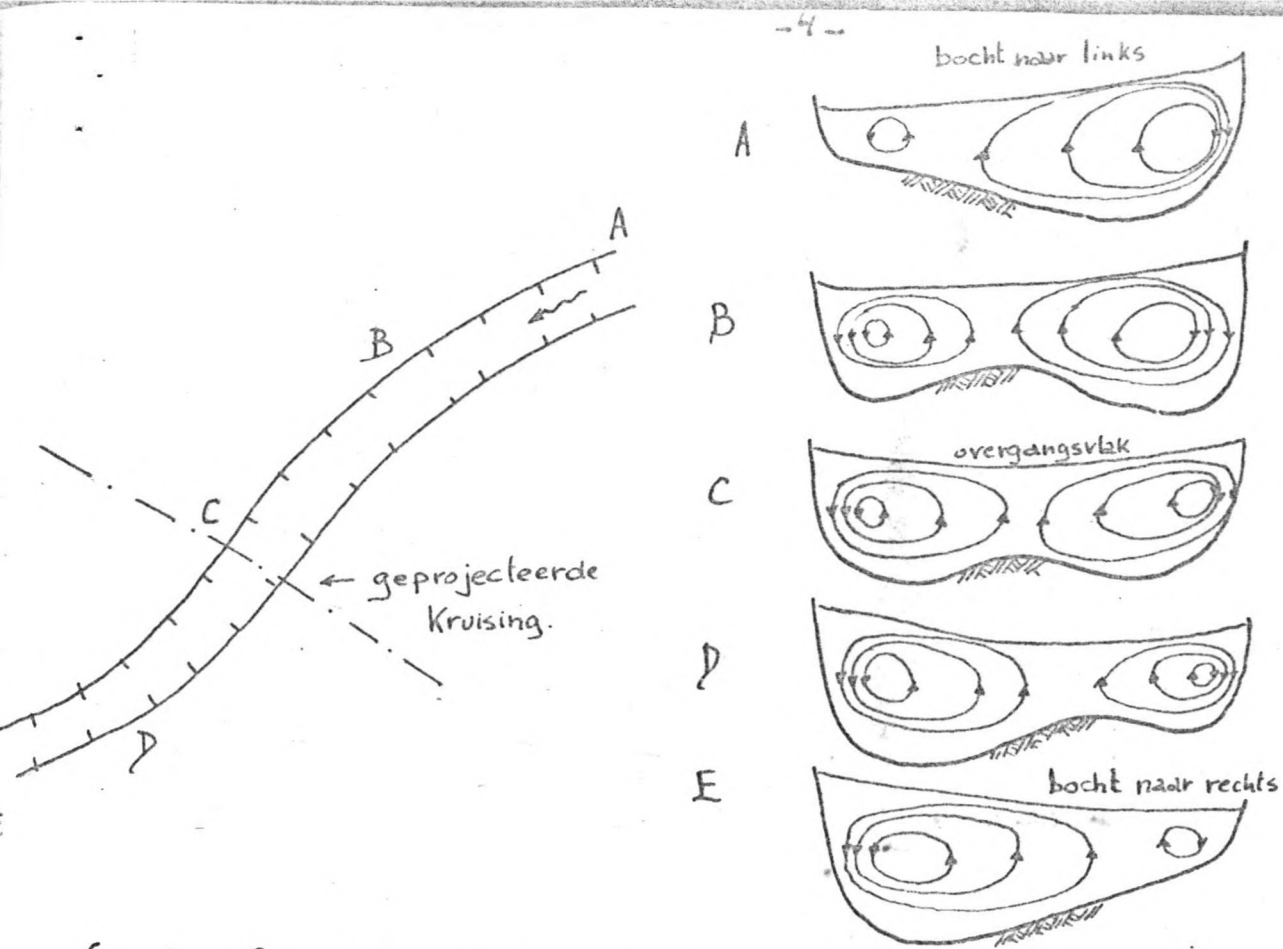


fig. 6 Secundaire stroming in de rivier

fig. 7 Secundaire stroming naar en rivier (Sterk overtrokken weergegeven)

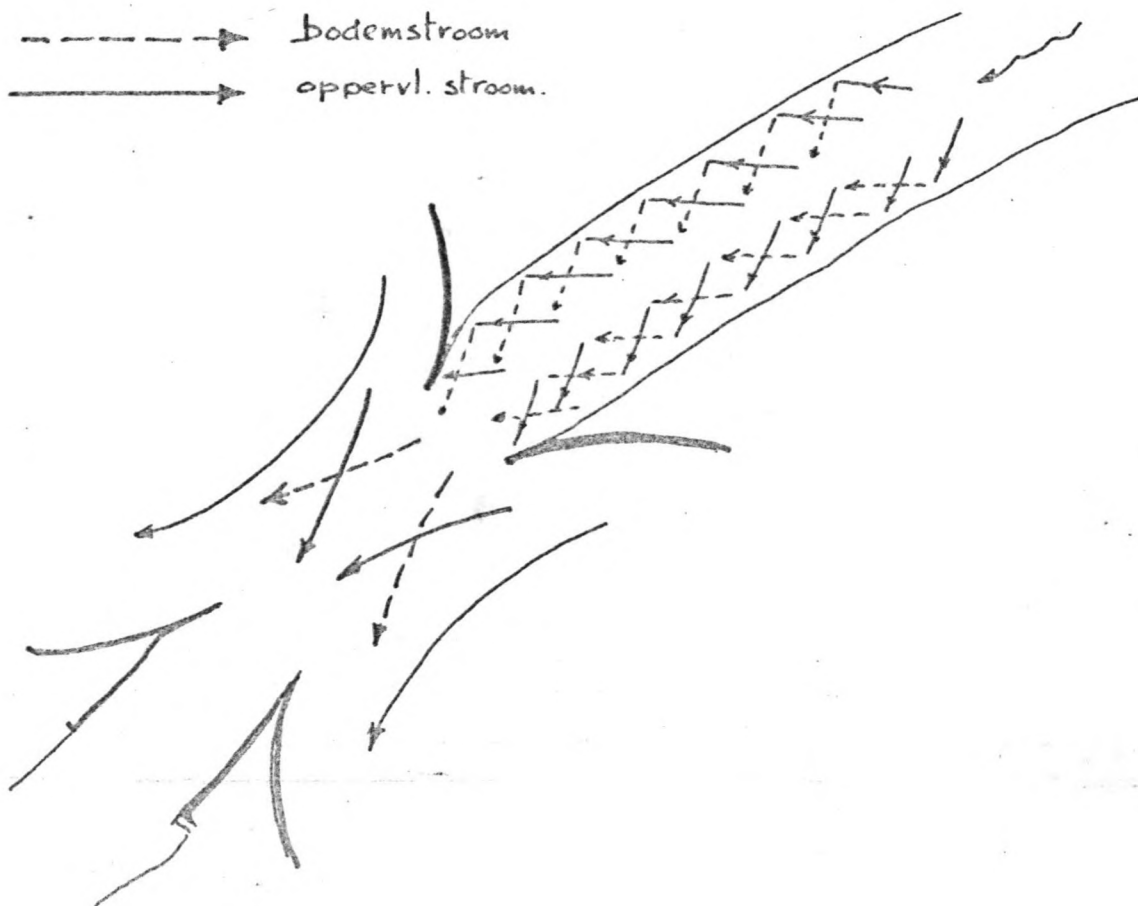


Fig. 8

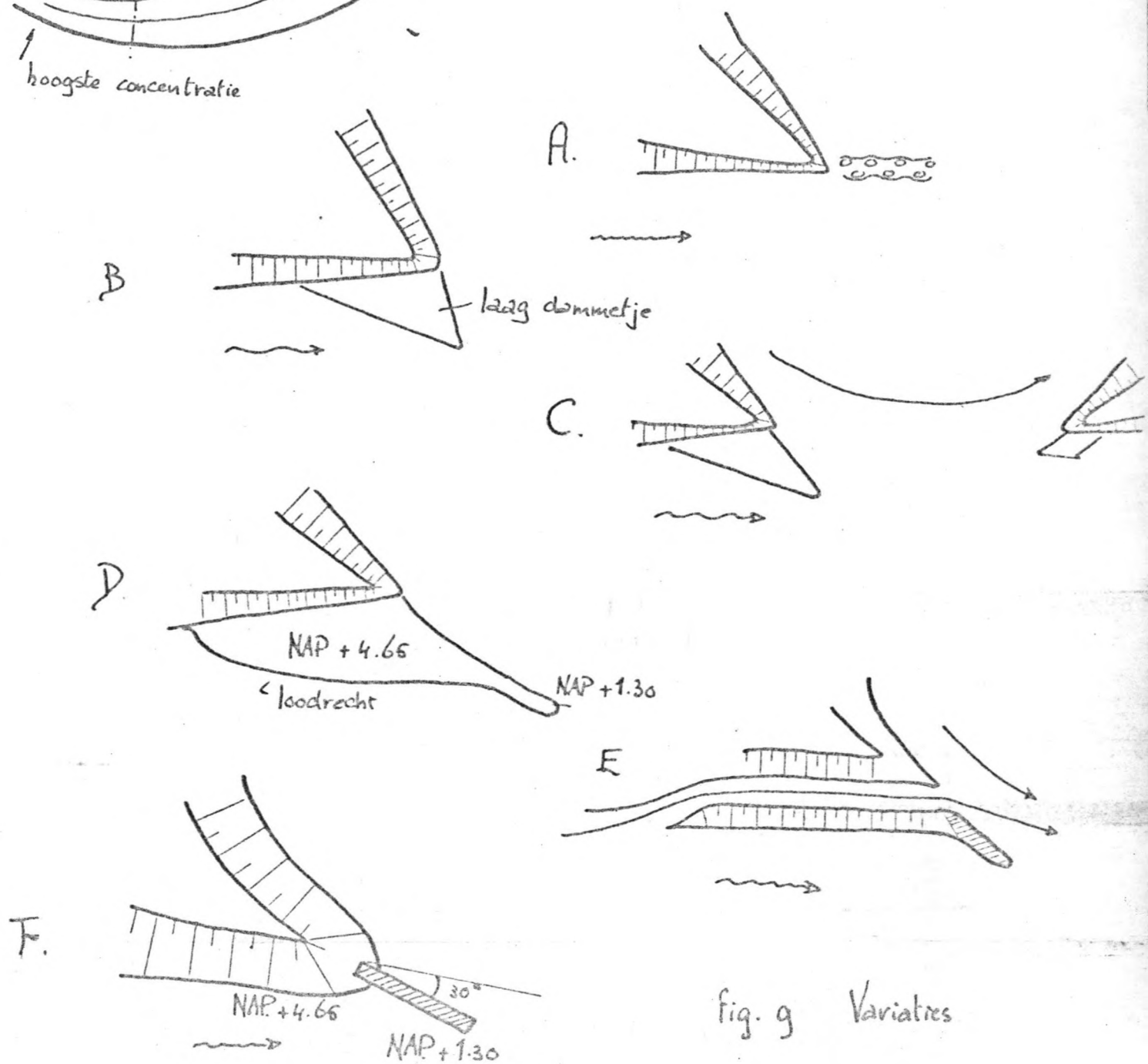
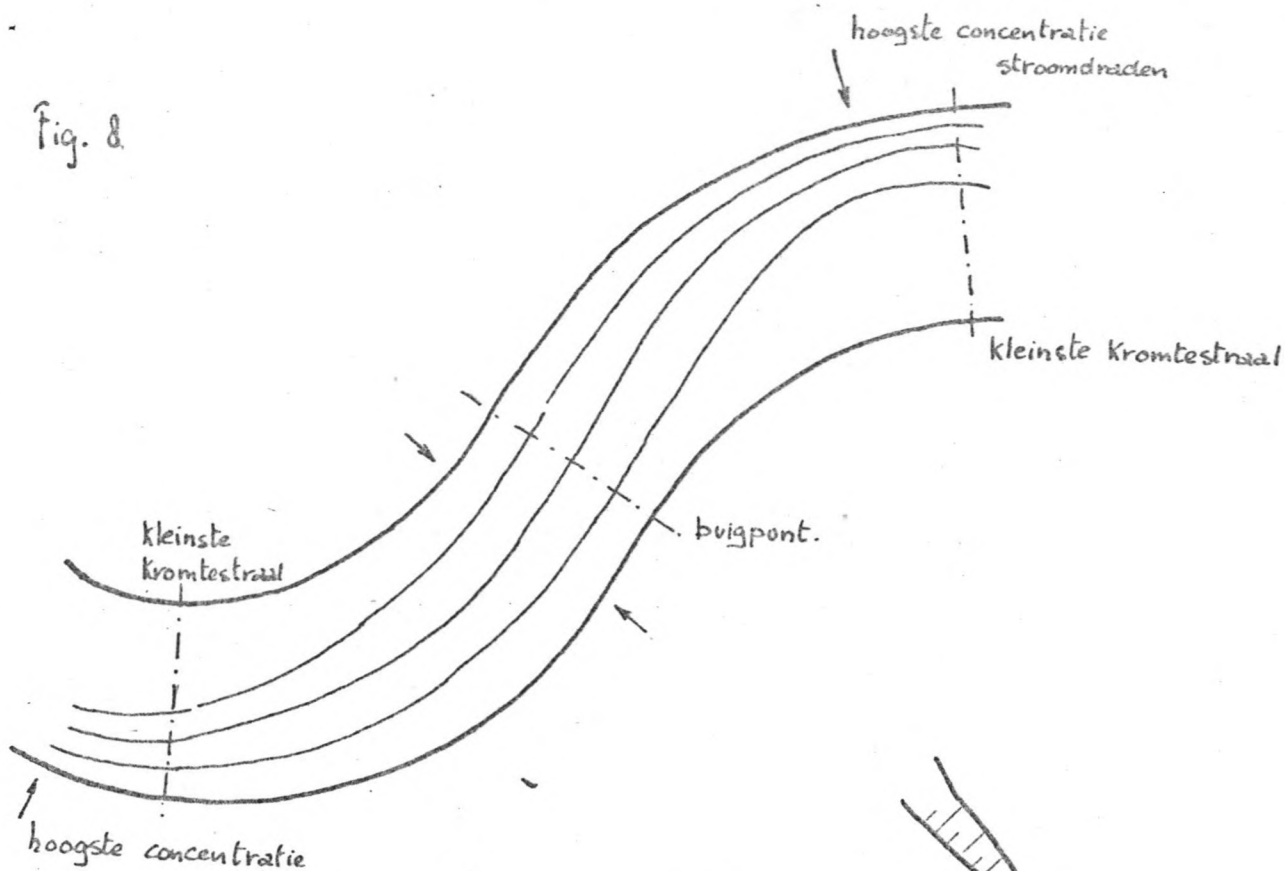


fig. 9 Variaties

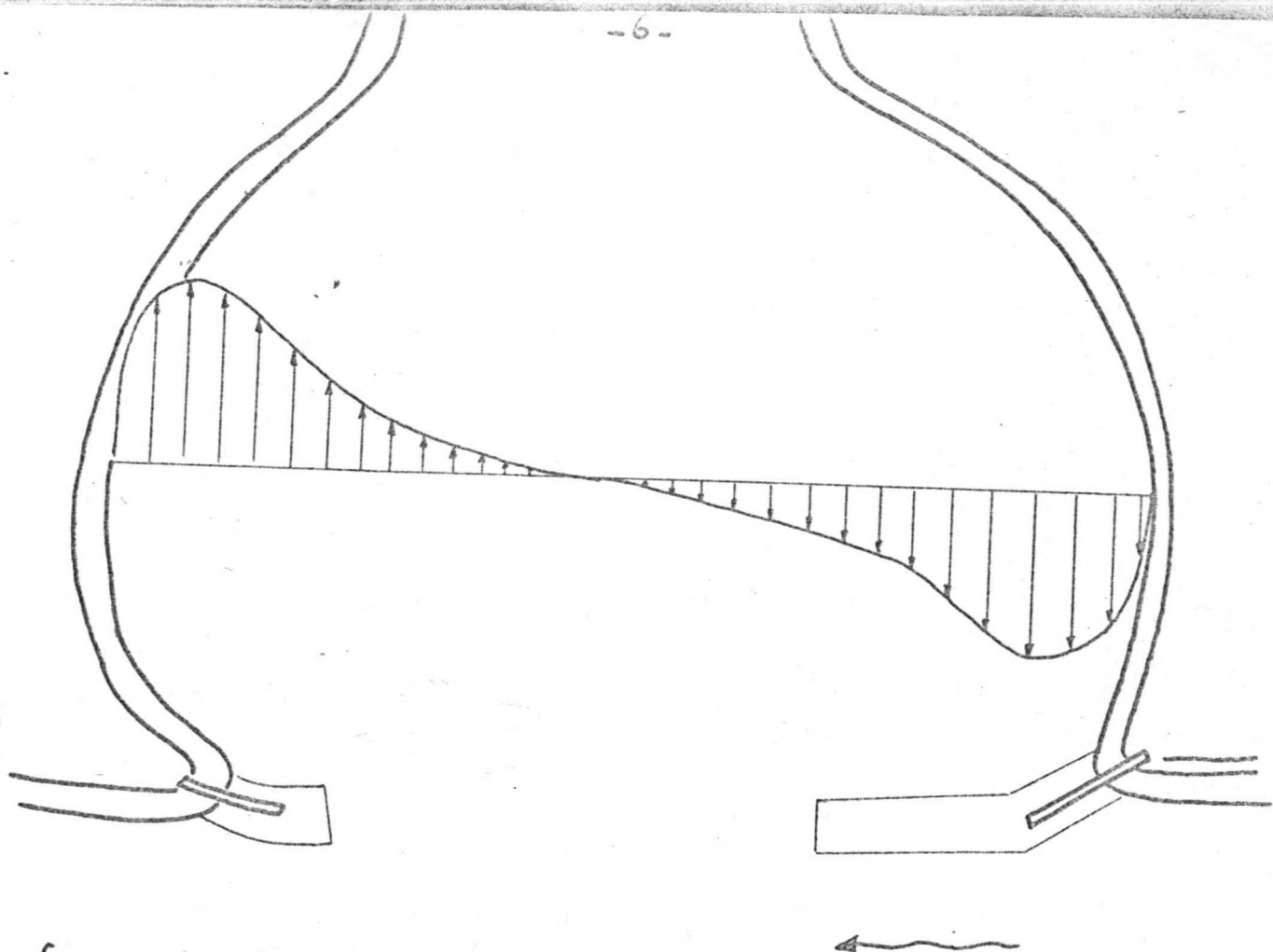


fig. 10 Snelheidsverdeling in de neer



fig. 12 Verschil in snelheidsverdeling
noord.- en zuidelijke voorhaven.

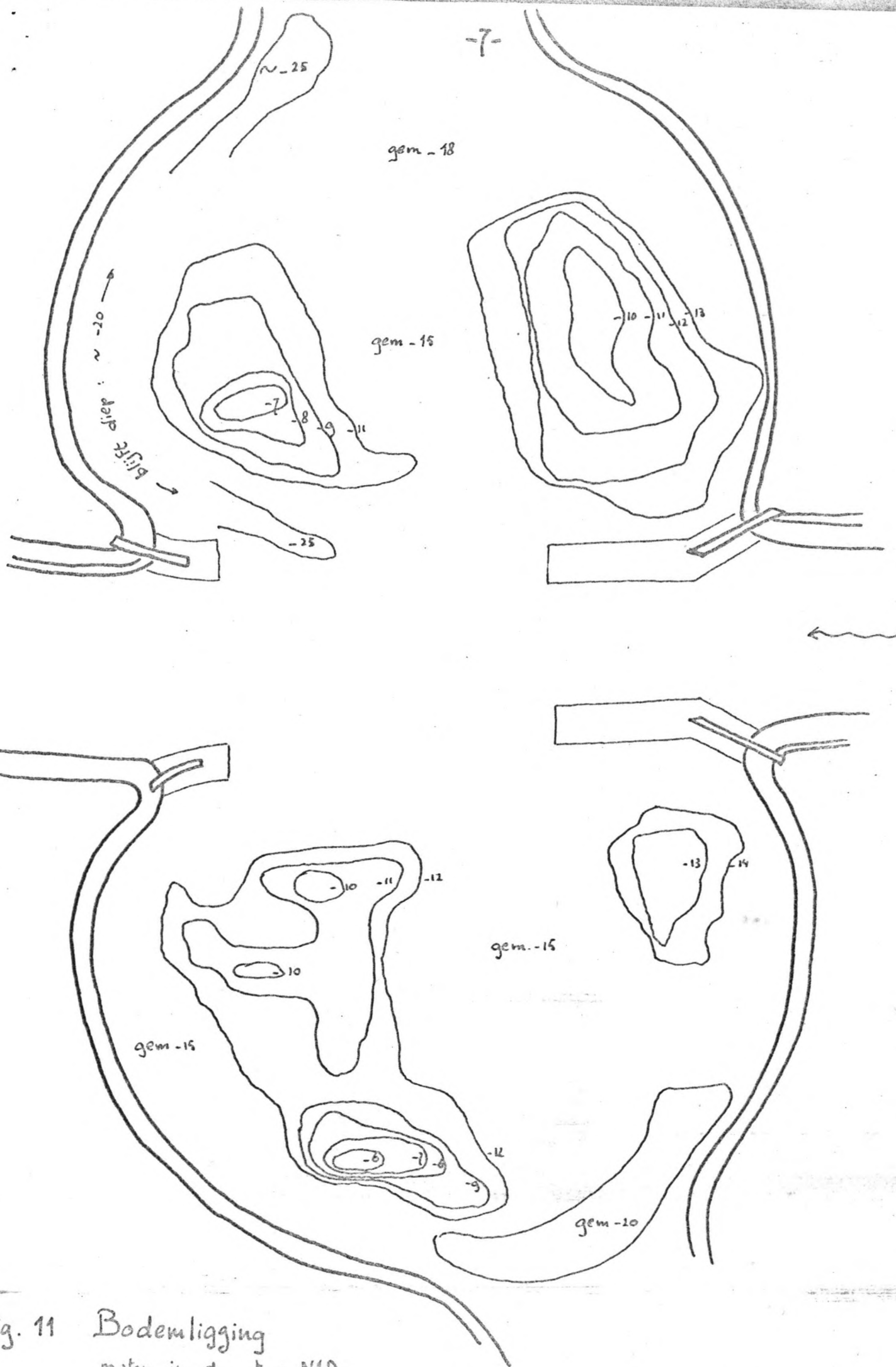


fig. 11 Bodemligging
maten in dm. tov. NAP.

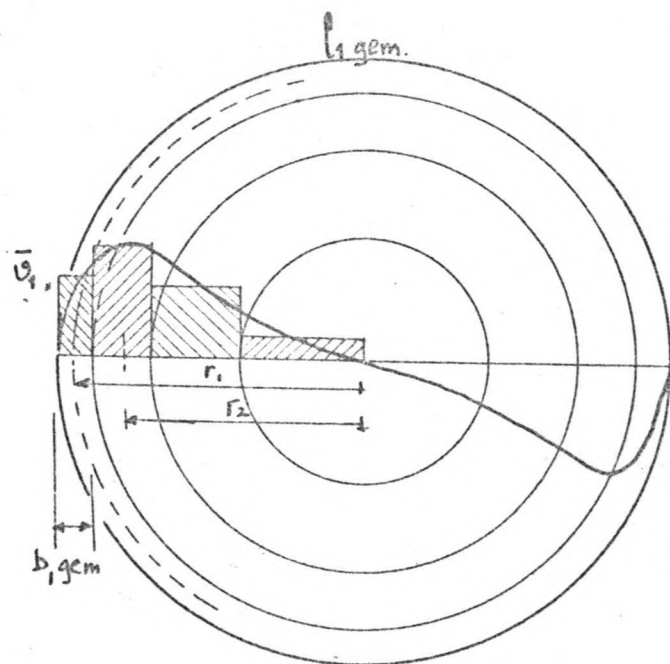


fig. 13

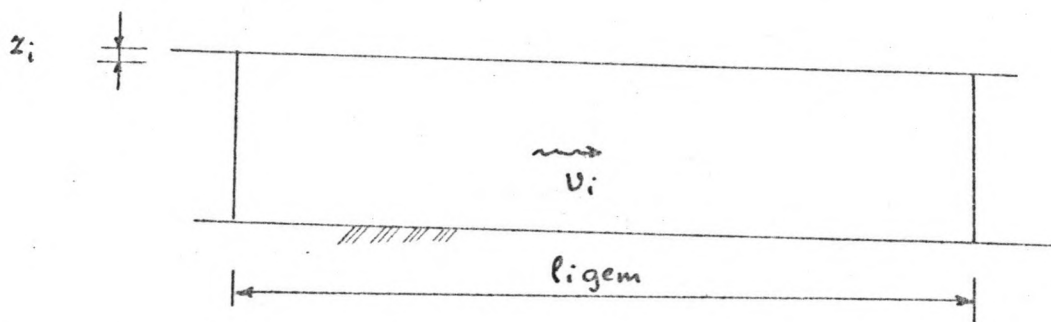


fig. 14

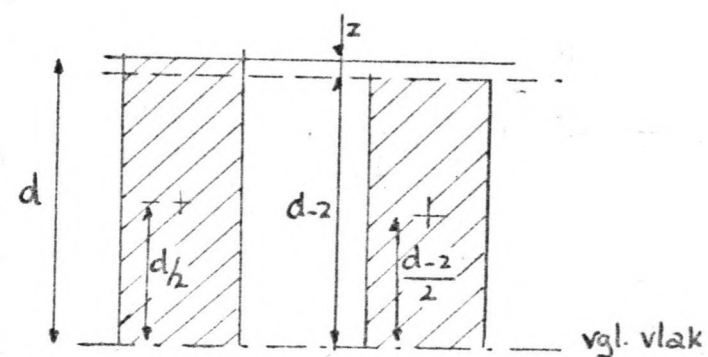


fig. 15 Afname potentiële energie

$$\frac{1}{2} \rho g d^2 - \frac{1}{2} \rho g (d-z)^2 =$$

$$\frac{1}{2} \rho g d^2 - \frac{1}{2} \rho g d^2 + \rho g d z - \left(\frac{1}{2} \rho g z^2 \right) =$$

(te verwaarlozen)

$$= \underline{\underline{\rho g d z}}$$

Fig. 16

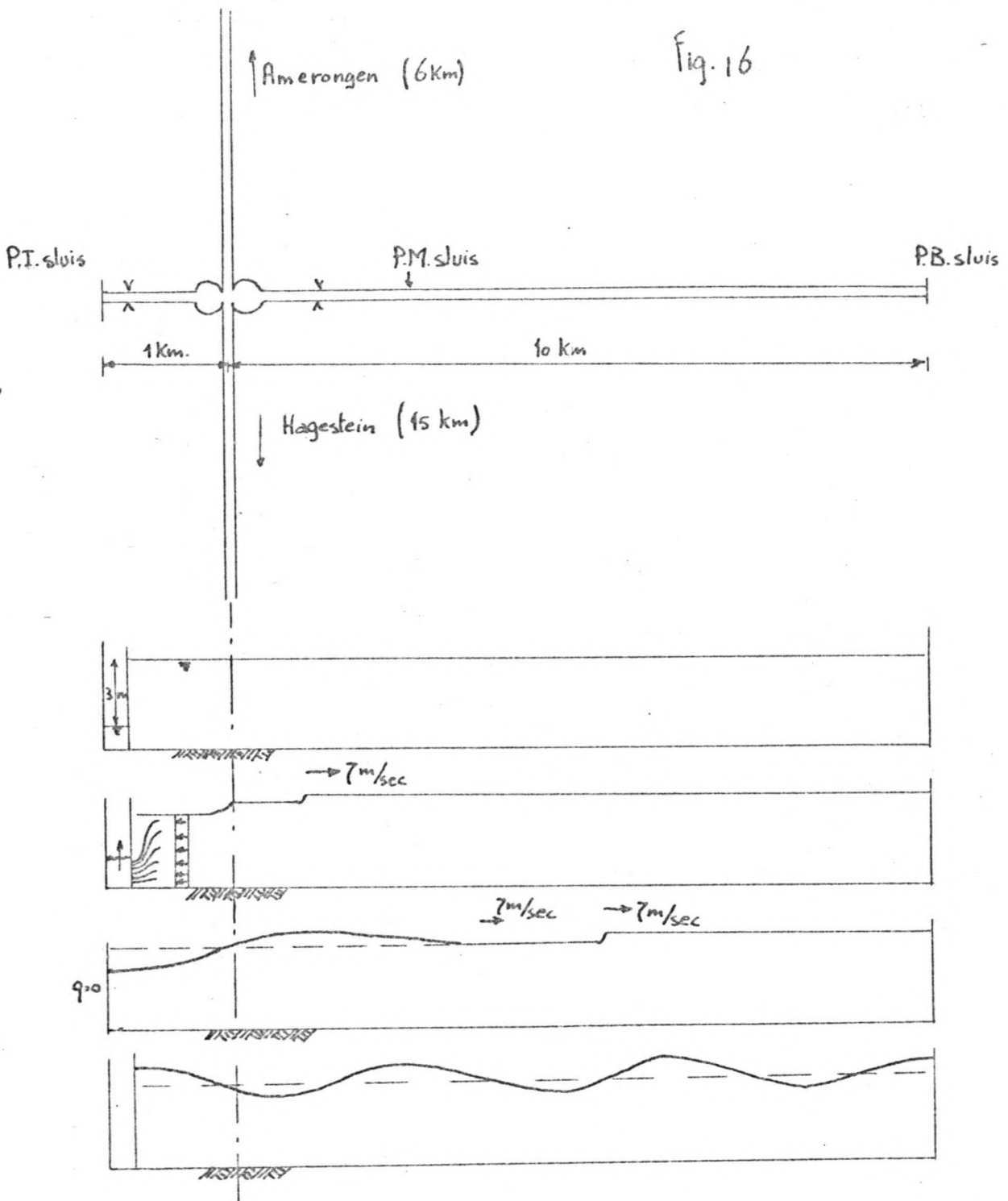
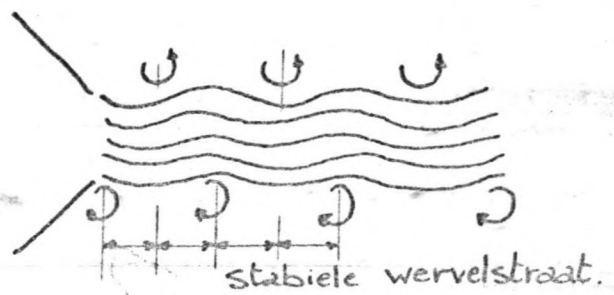
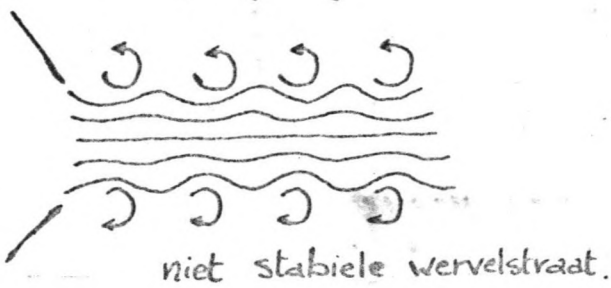


fig. 17



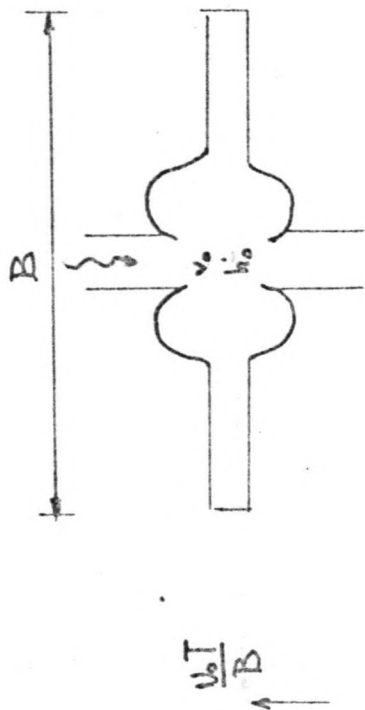
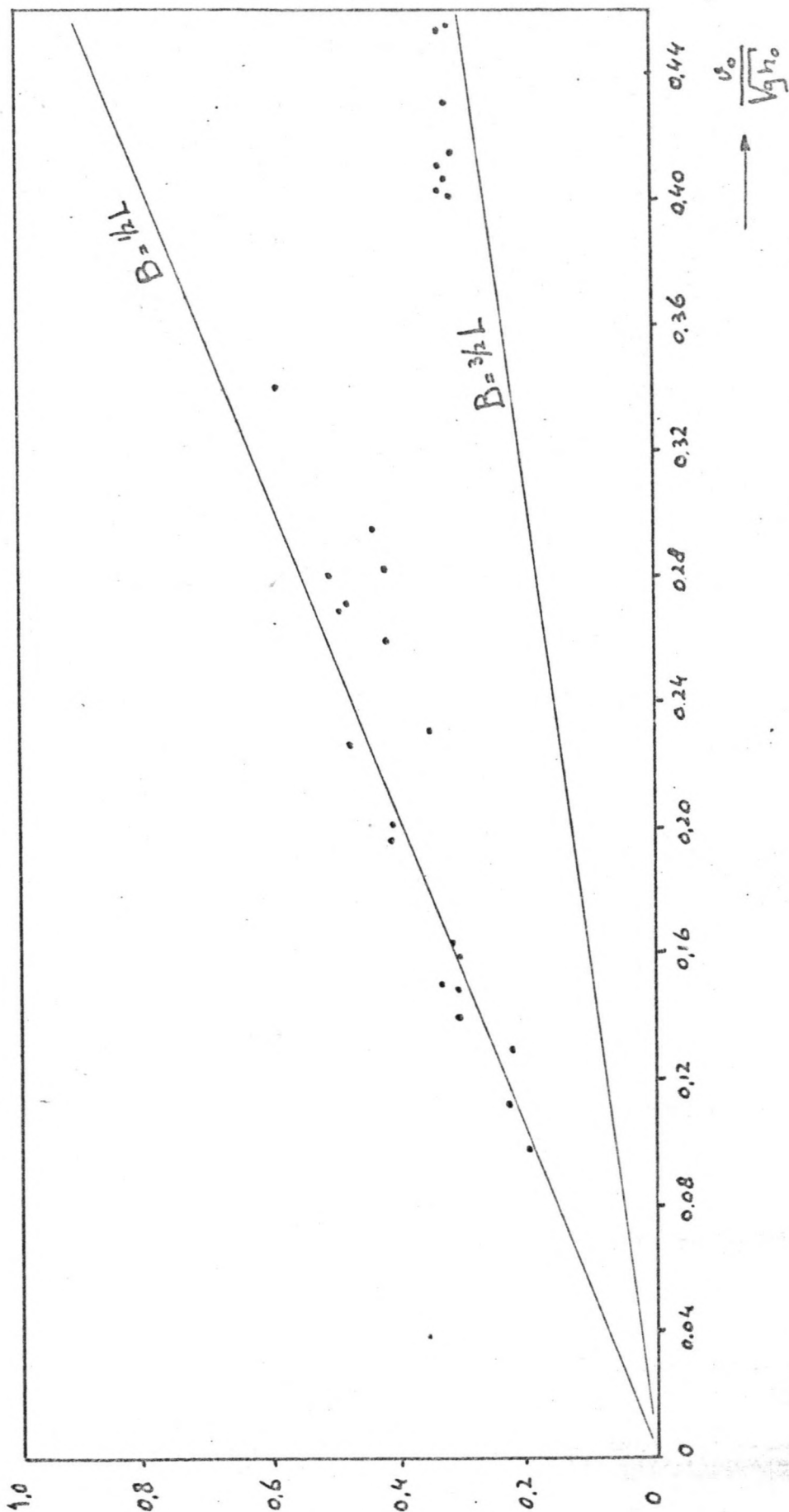


fig. 18. Overspringen der frekwentie.
slingertijd T gemeten met tengel



$$\frac{v_E T_F}{B}$$

• = slingertijd T gemeten met micromolen

o = slingertijd T gemeten met lengel

1.0

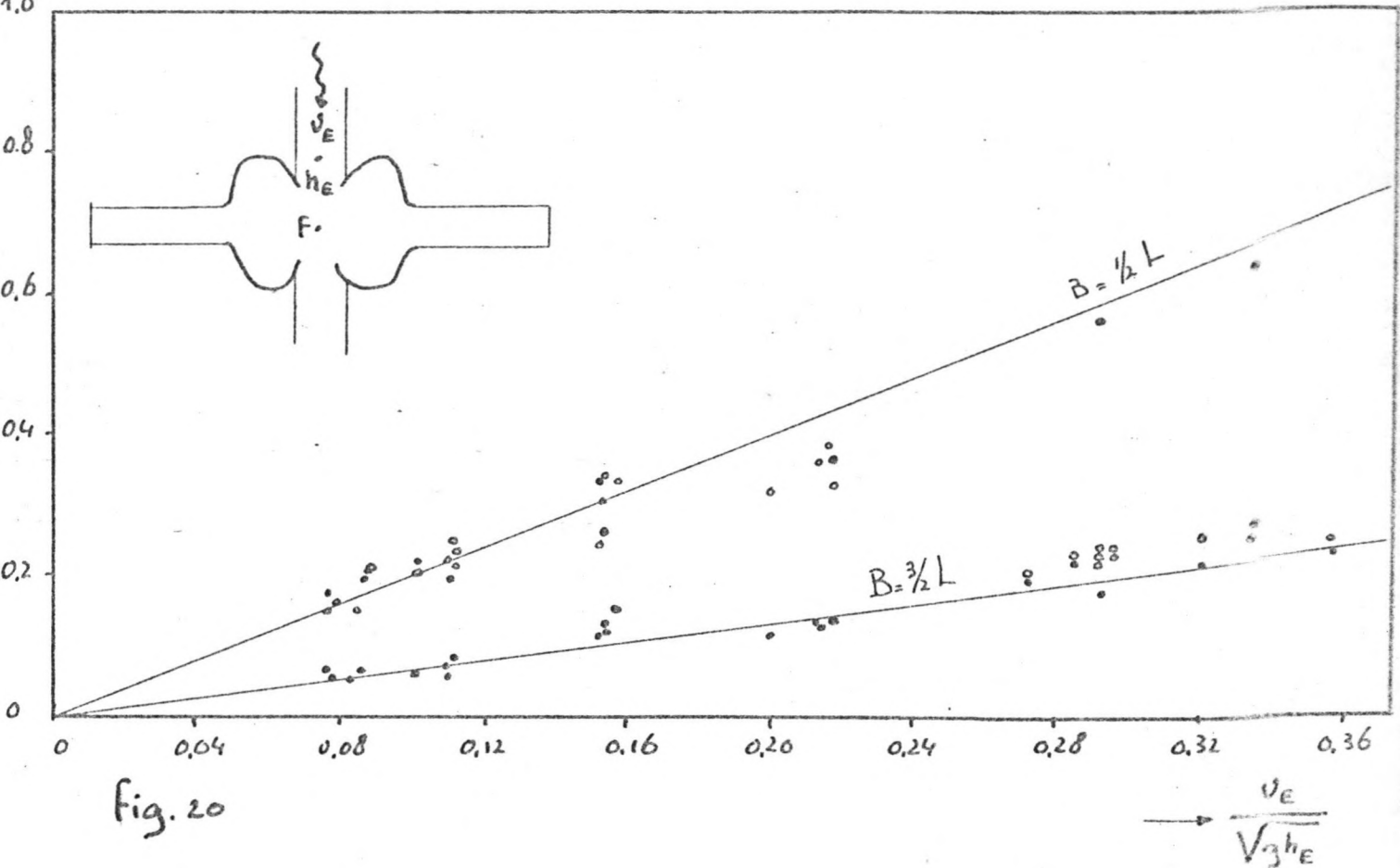


fig 19. Schatting model de Voorst
bij 120 liter debiet.

$u = 8 \text{ cm/sec.}$

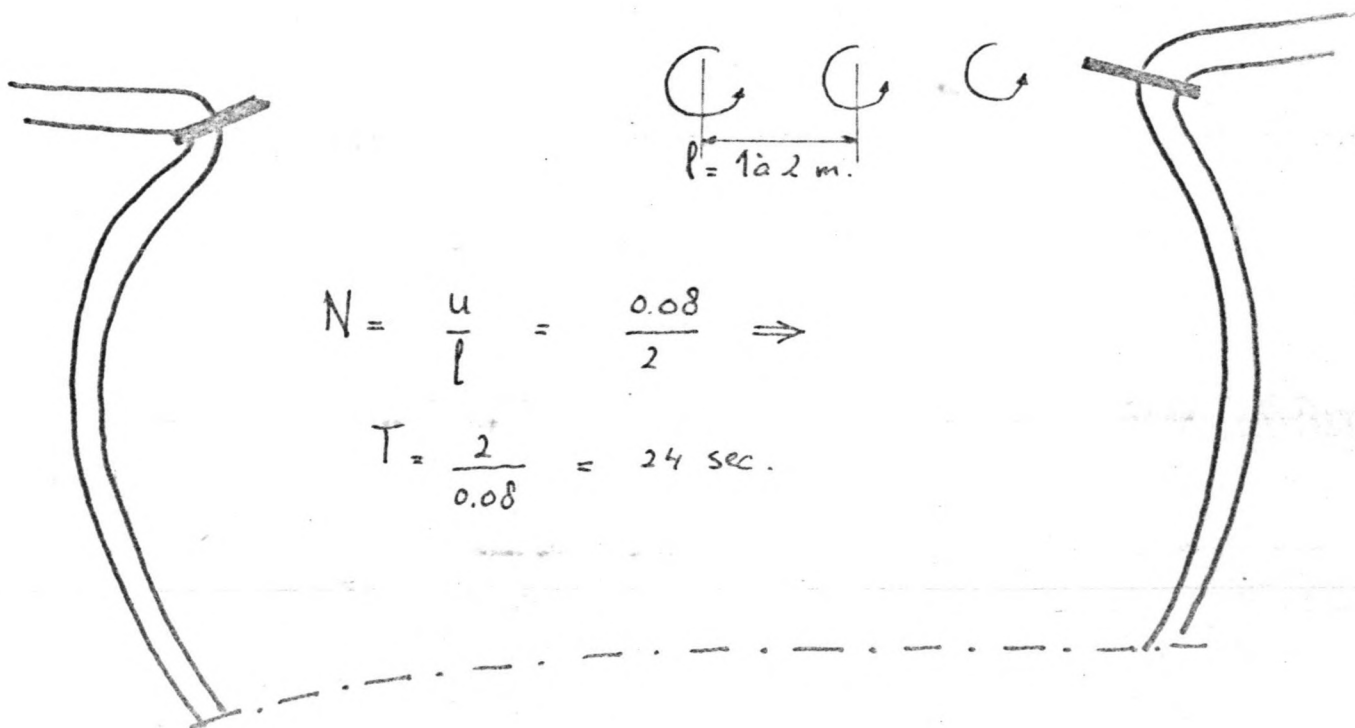


fig. 21.

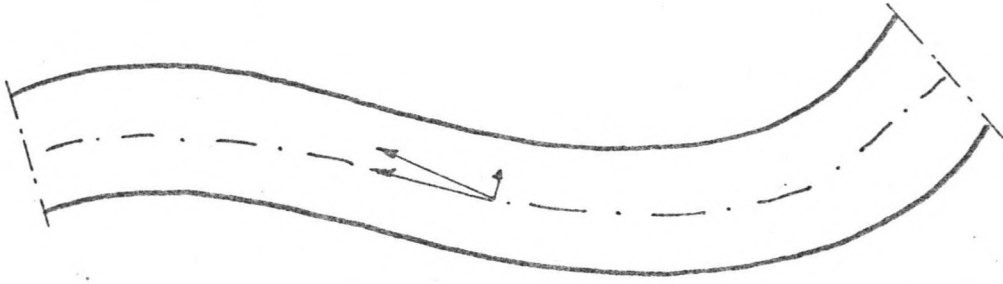


fig. 22

$$\frac{L}{v} = T$$

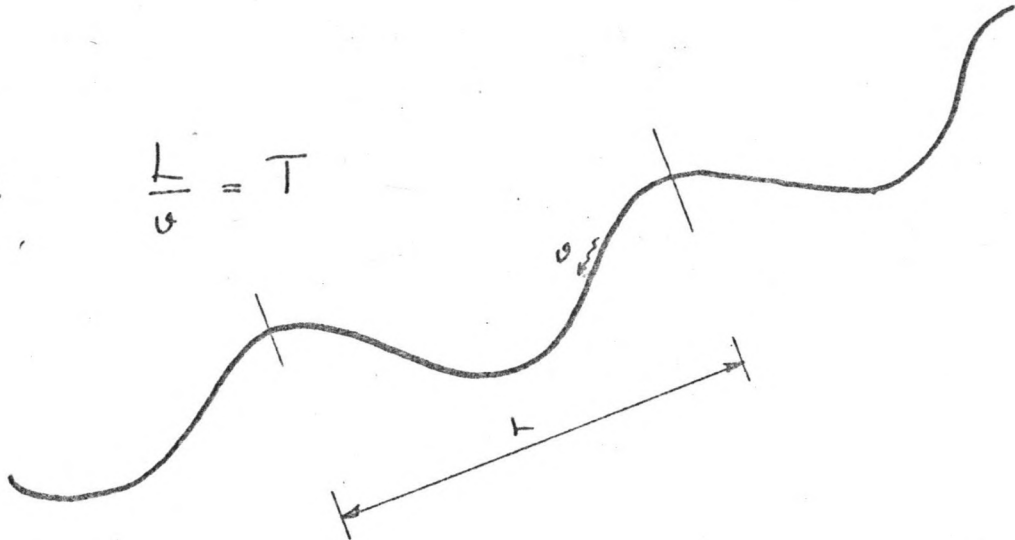


fig. 23

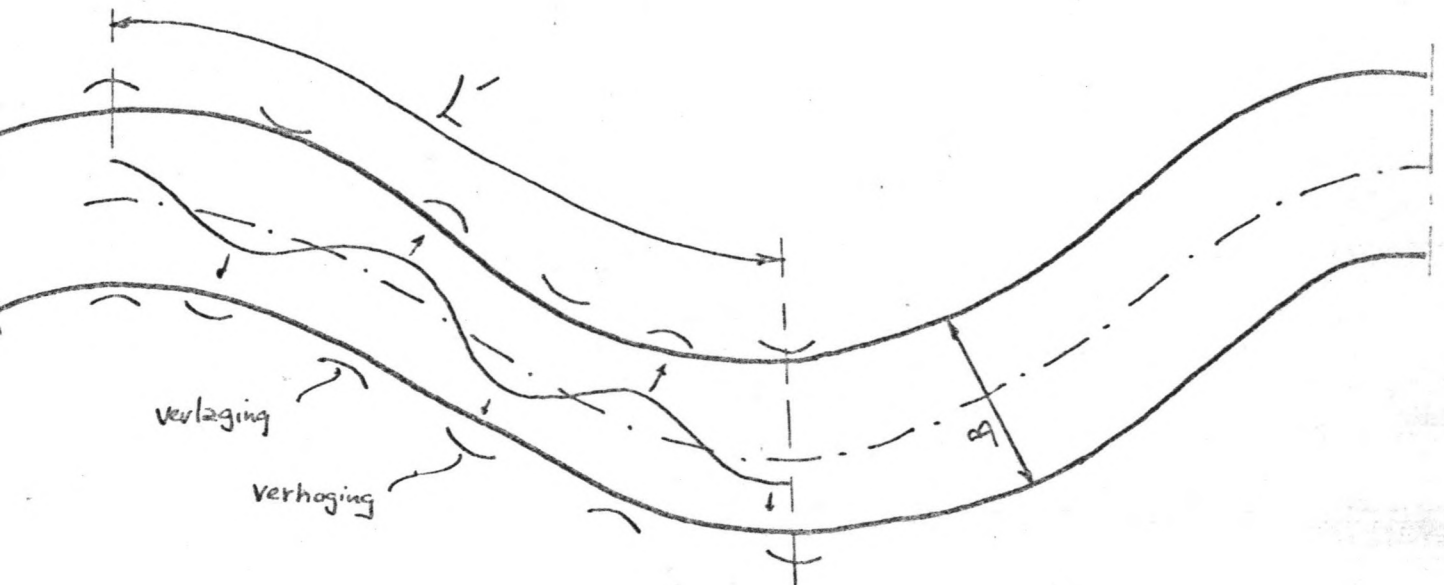


fig. 24.

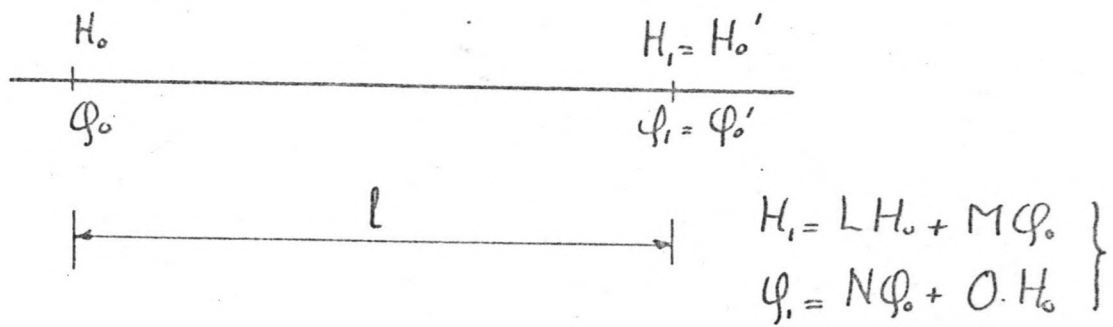
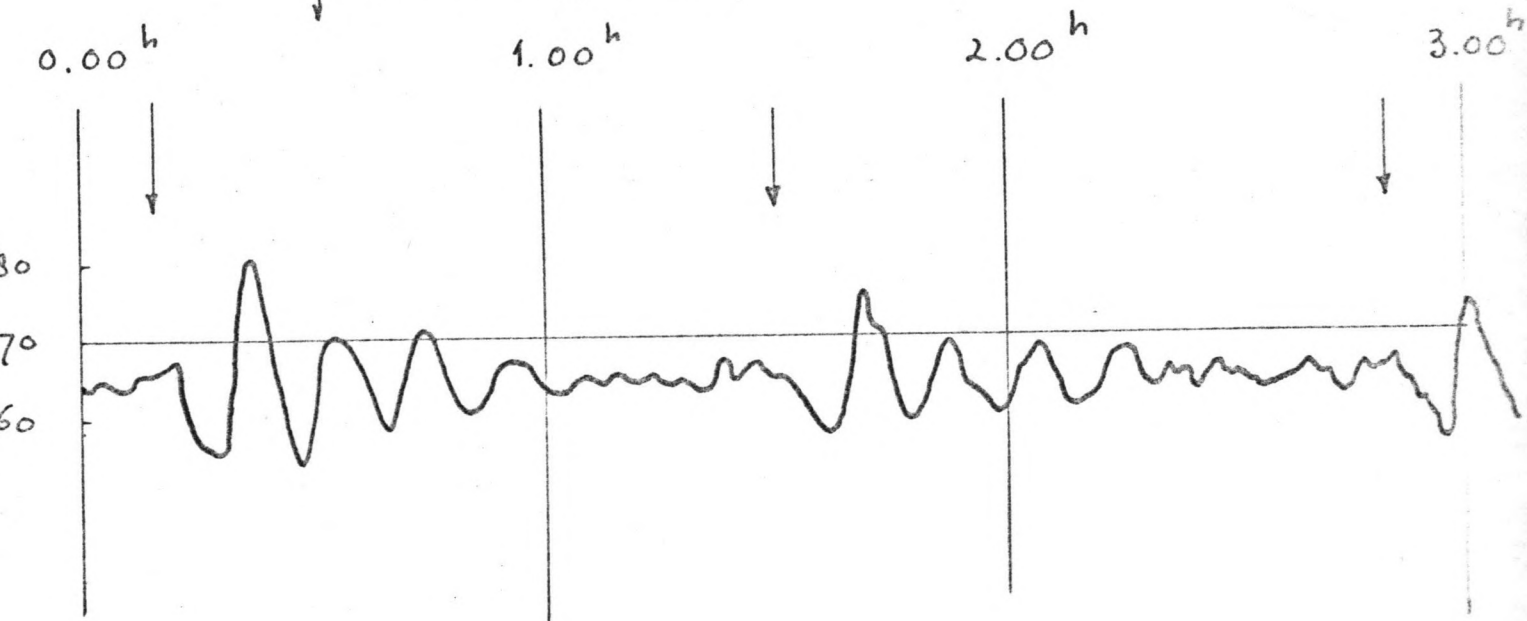
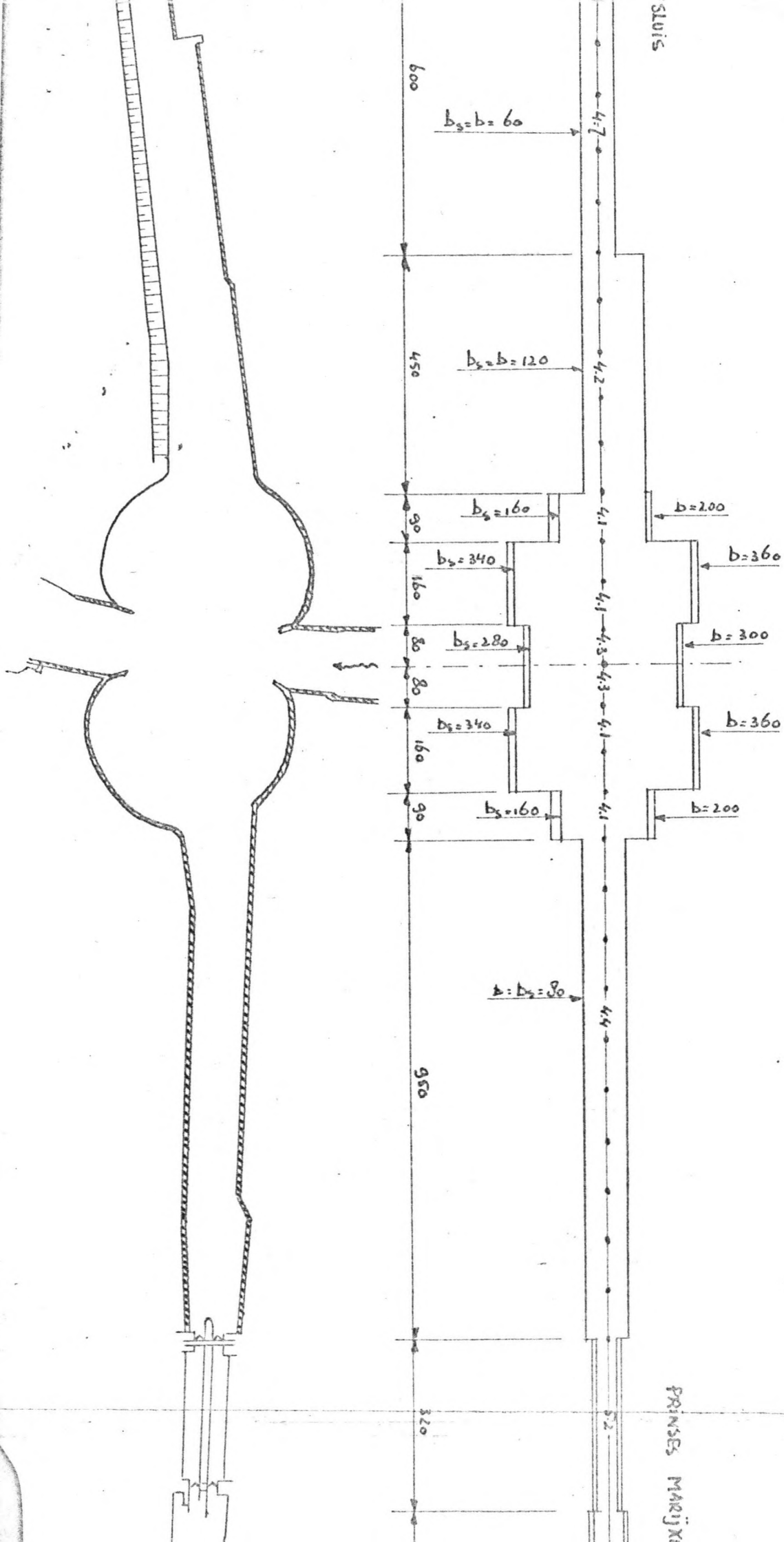


fig. 26 Voorbeeld gemeten slingering bij P.I. sluis
 ↓ schutkolkvulling P.I. sluis.



Schaal 1: 10.000



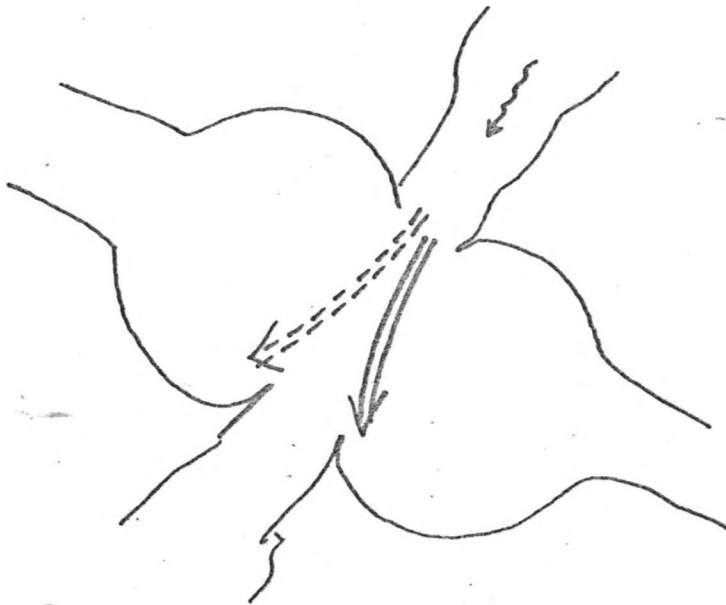
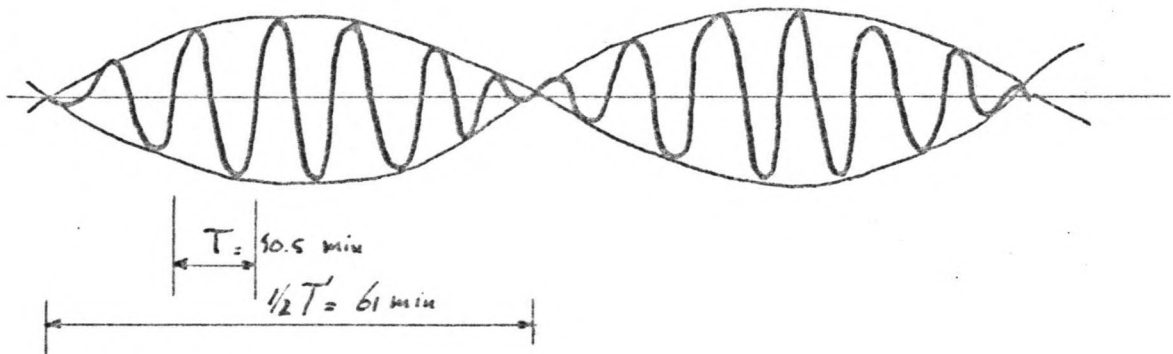


fig. 27

fig. 28



T_5	H: 0.184 a	0.138 a	0.091 a	[m]
	Φ : 717 a	753 a	778 a	[m ³ /sec]
T_6	H: -0.036 a	-0.077 a	-0.116 a	[m]
	Φ : 562 a	547 a	522 a	[m ³ /sec]

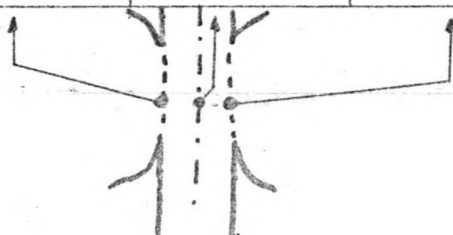
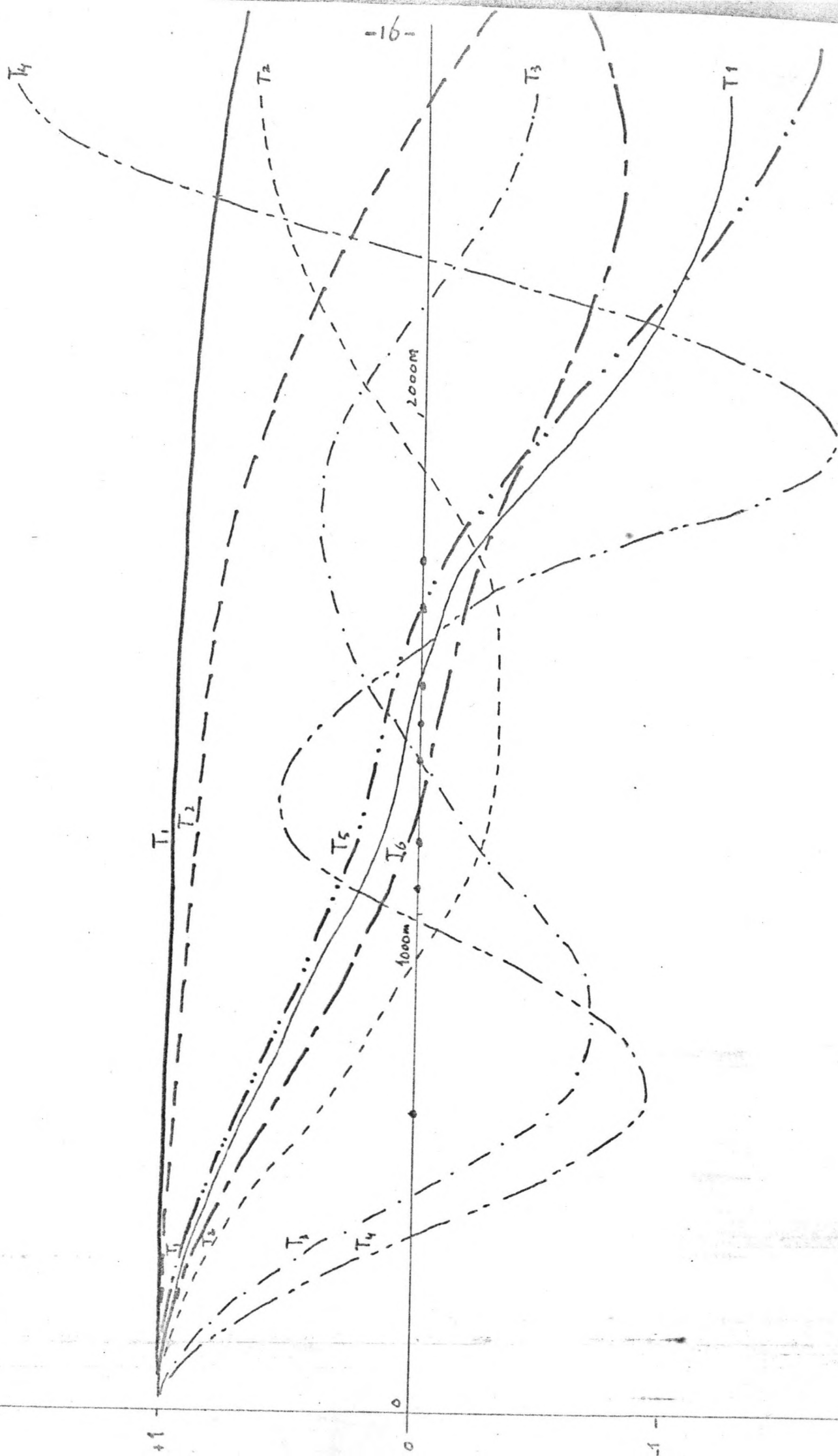


fig. 30

relatieve
amplitudo

— zonder bet. pend.
— met bet. pend.



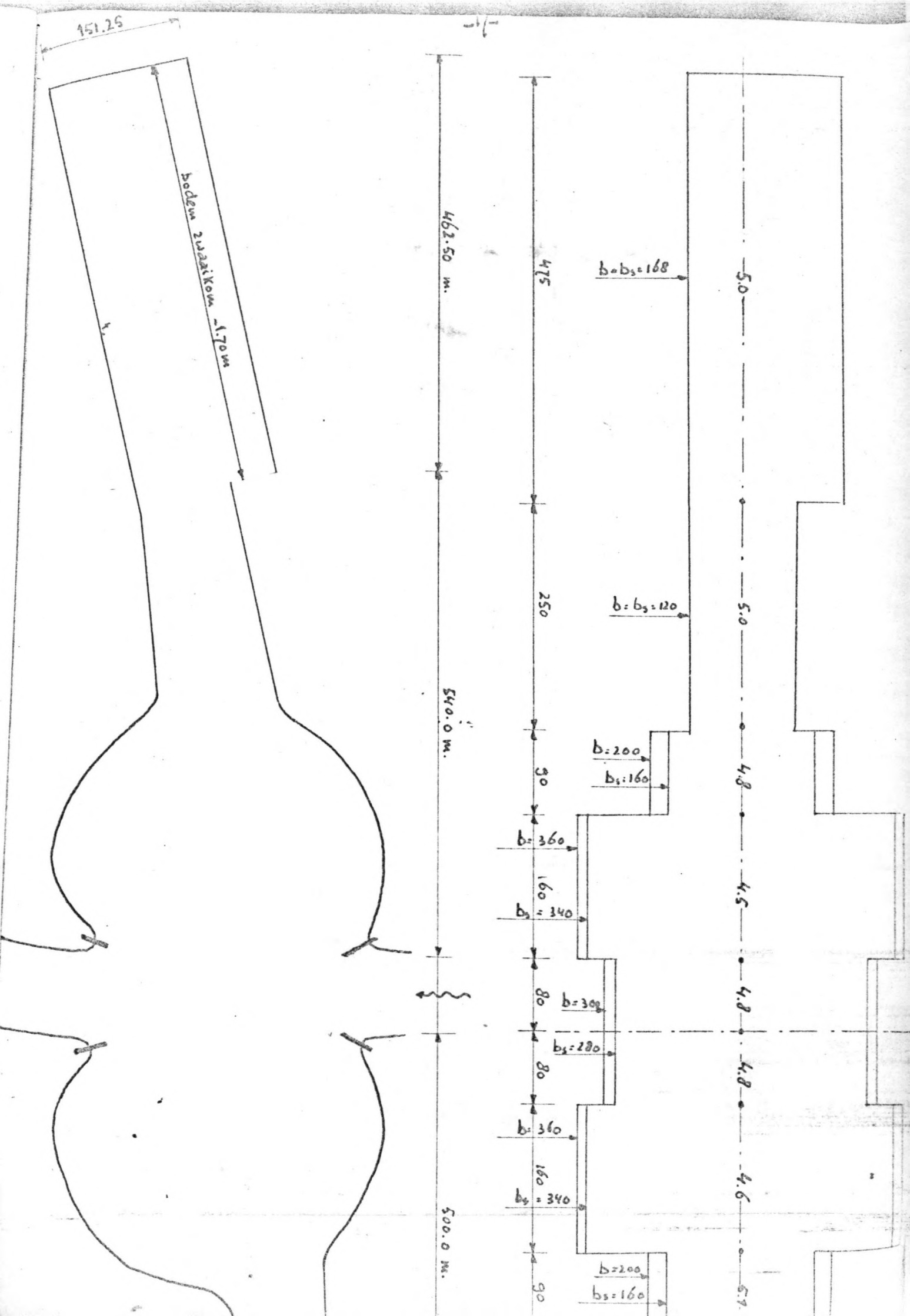


fig. 32 Schematisatie model de Voorst.

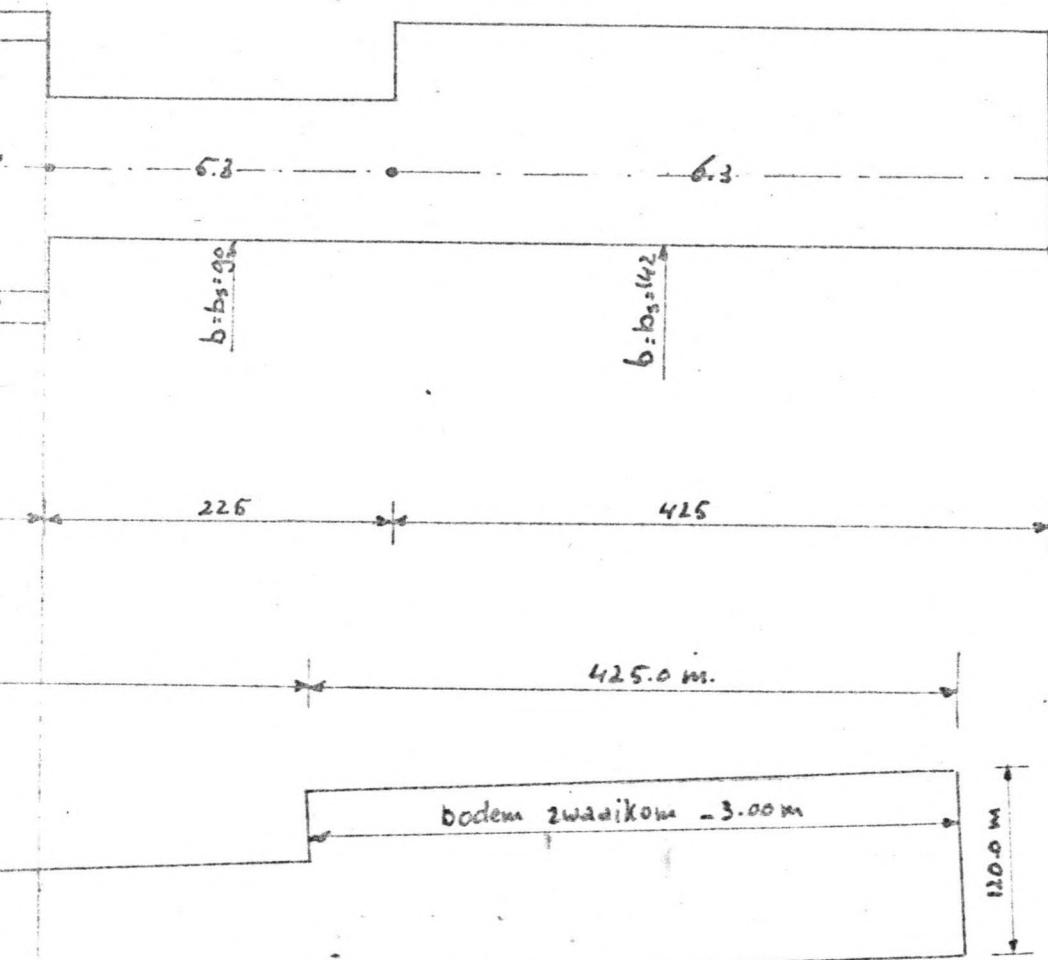


fig. 31 Model de Voorst

Schalen : 1 : 5000

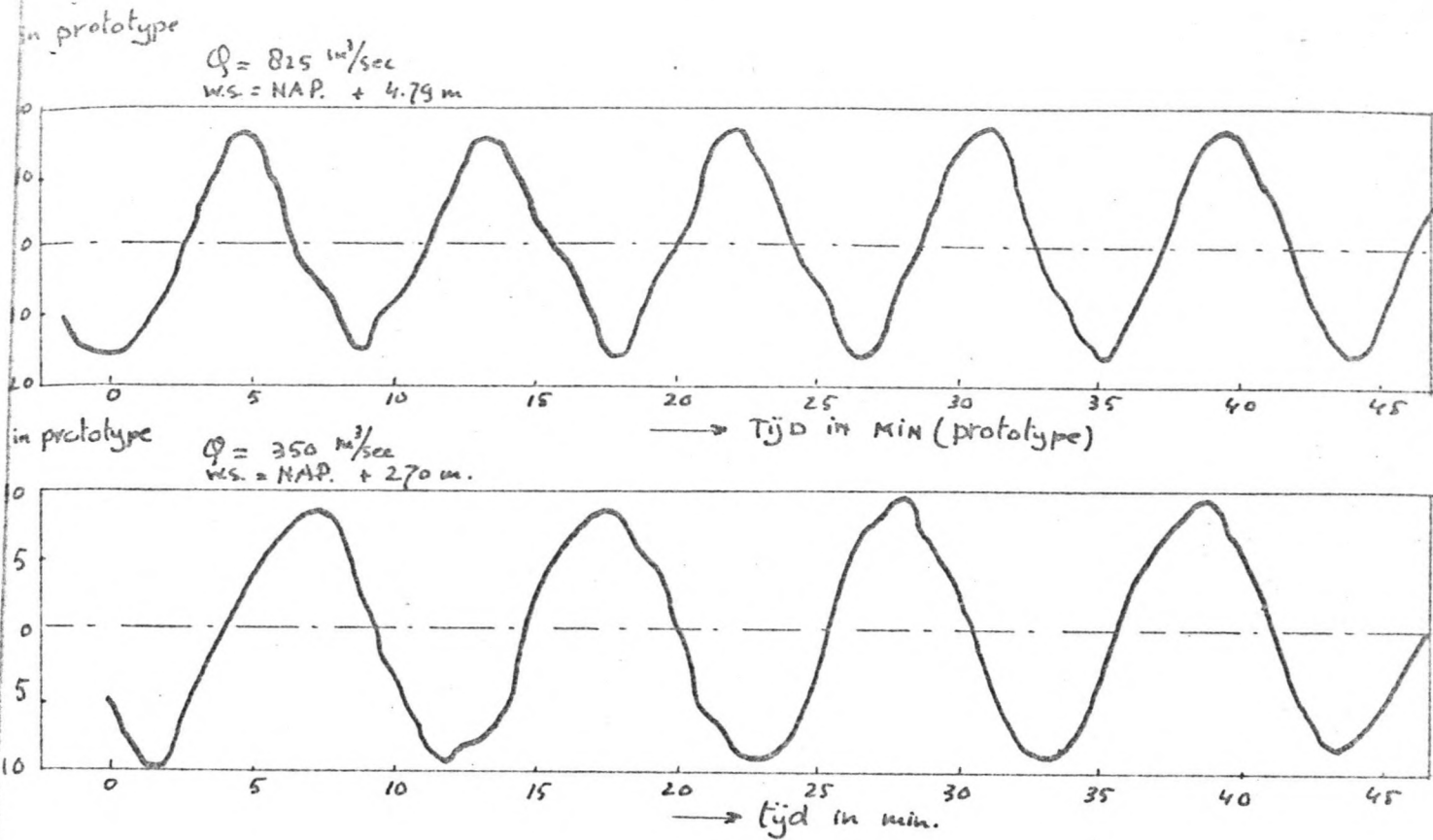


Fig. 33 Slingering in model de Voorst.

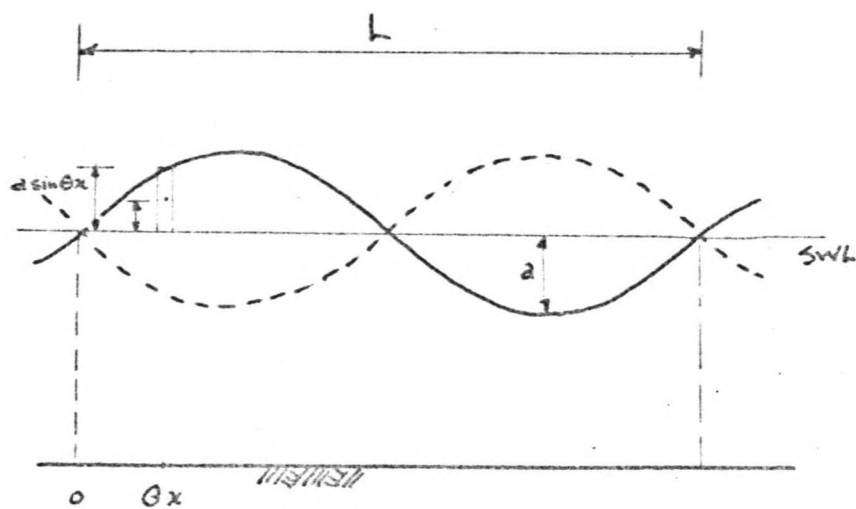
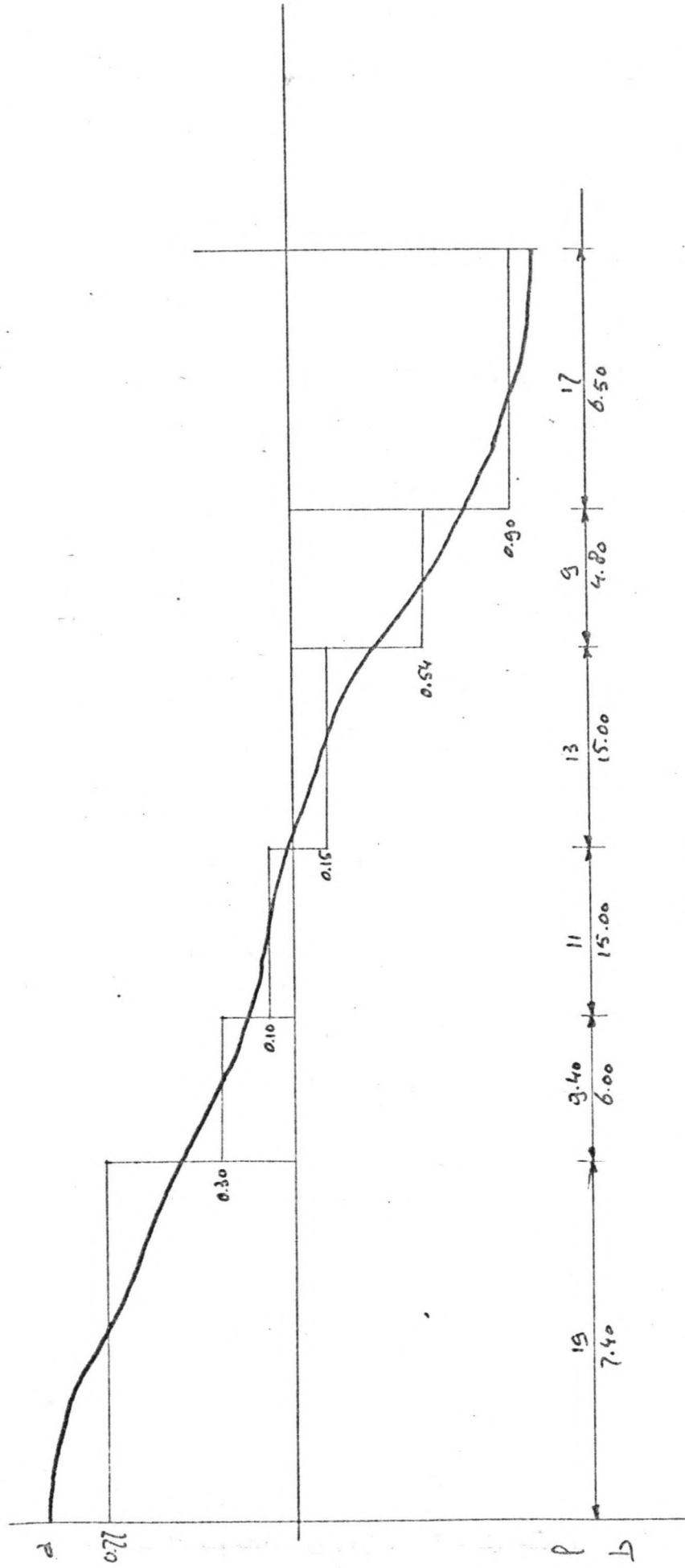


Fig. 34

Fig. 35

Model de Voorst

 $t_1 = 110 \text{ sec}$ 

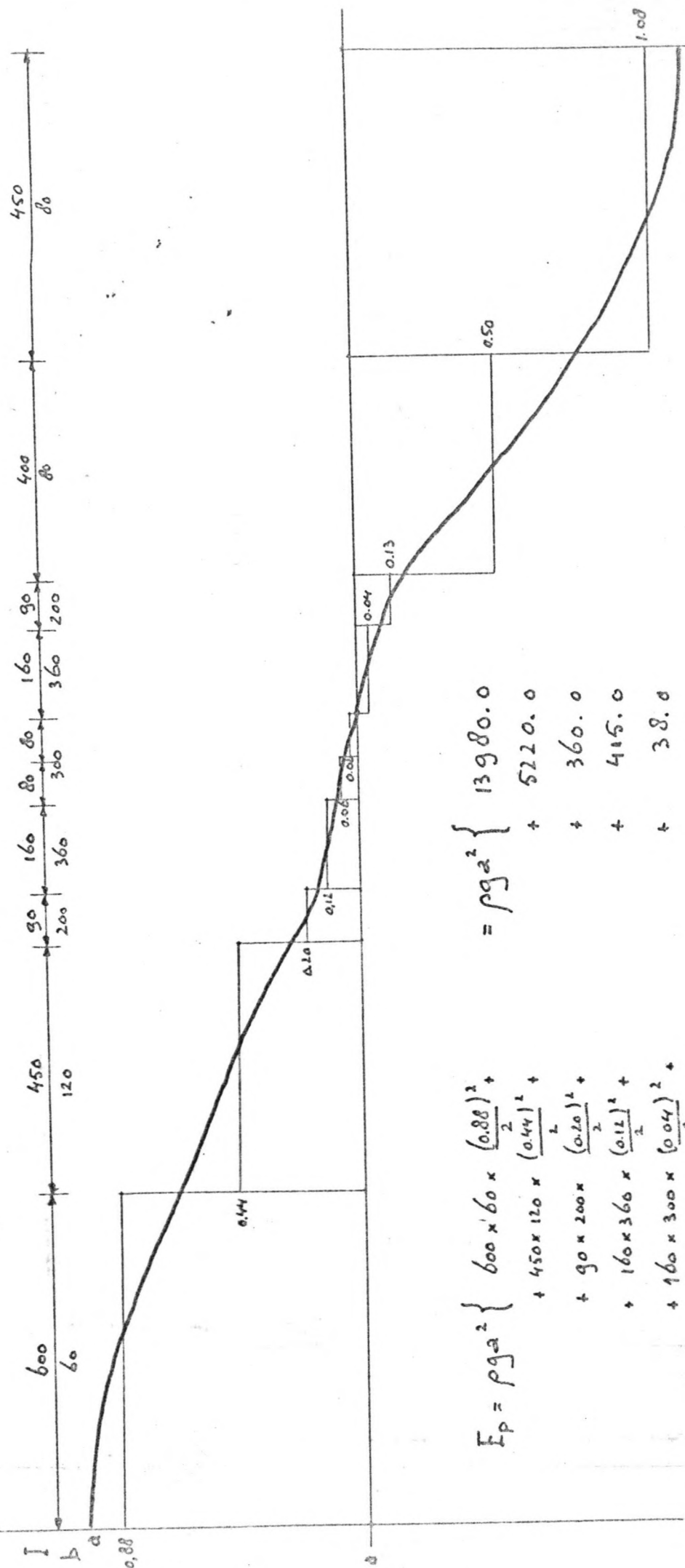
$$I_p = \rho g a^2 \left\{ \begin{aligned} &19 \times 7.40 \times \left(\frac{0.77}{2}\right)^2 + \\ &+ 9.4 \times 6.00 \times \left(\frac{0.30}{2}\right)^2 + \\ &+ 11 \times 15.00 \times \left(\frac{0.10}{2}\right)^2 + \\ &+ 13 \times 15.00 \times \left(\frac{0.15}{2}\right)^2 + \\ &+ 9 \times 4.80 \times \left(\frac{0.54}{2}\right)^2 + \\ &+ 17 \times 6.50 \times \left(\frac{0.90}{2}\right)^2 \end{aligned} \right\} =$$

$$= \rho g a^2 \left\{ \begin{aligned} &41.80 \\ &+ 2.54 \\ &+ 0.83 \\ &+ 1.95 \\ &+ 6.30 \\ &+ 43.80 \end{aligned} \right\} =$$

$$= \rho g a^2 \times 97.22 \approx$$

$$\approx 95 a^2 \times 10^4 N_m$$

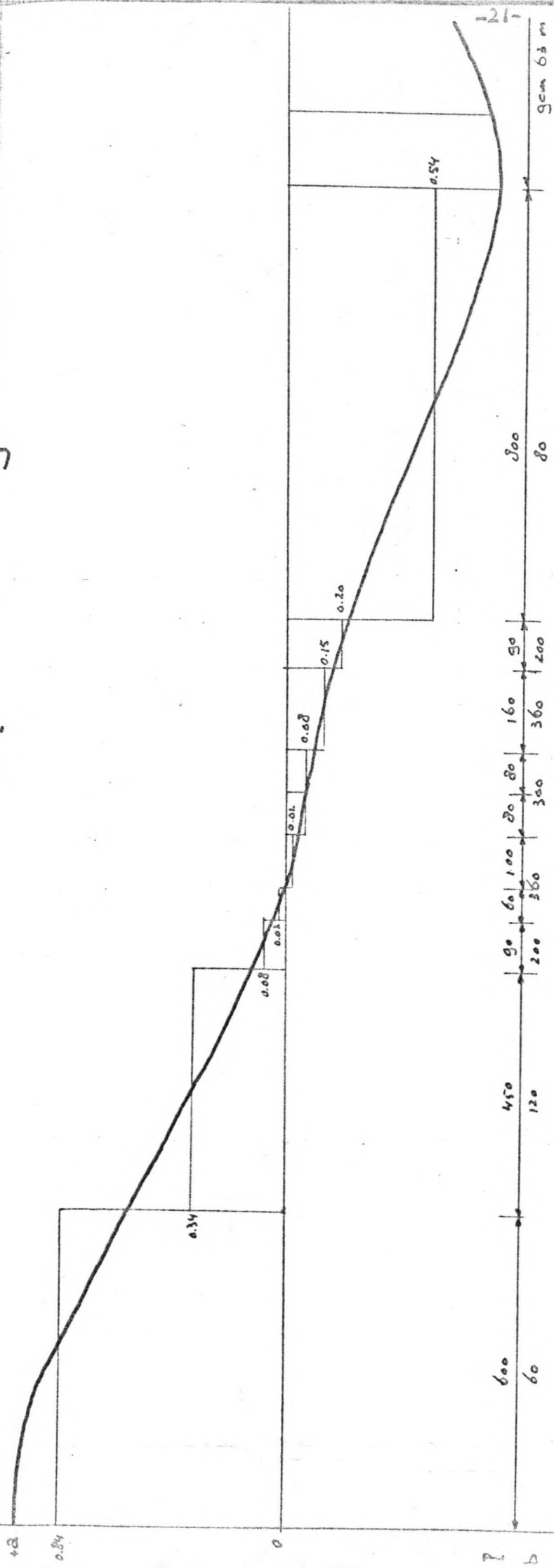
Fig. 36 Prototype zonder Betuwepand $T_1 = 640 \text{ sec.}$



$$E_p = \rho g a^2 \left\{ \begin{array}{l} 600 \times 60 \times \frac{(0.88)^2}{2} + \\ + 450 \times 120 \times \frac{(0.44)^2}{2} + \\ + 90 \times 200 \times \frac{(0.20)^2}{2} + \\ + 160 \times 360 \times \frac{(0.12)^2}{2} + \\ + 160 \times 300 \times \frac{(0.06)^2}{2} + \\ + 160 \times 360 \times \frac{(0.04)^2}{2} + \\ + 90 \times 200 \times \frac{(0.13)^2}{2} + \\ + 400 \times 80 \times \frac{(0.50)^2}{2} + \\ + 450 \times 80 \times \frac{(1.00)^2}{2} \end{array} \right\}$$

$$= \rho g a^2 \left\{ \begin{array}{l} 13980.0 \\ + 5220.0 \\ + 360.0 \\ + 415.0 \\ + 38.0 \\ + 46.0 \\ + 152.6 \\ + 4000.0 \\ + 20900.0 \end{array} \right\} = \rho g a^2 \times 45111.0 = \underline{\underline{450 \times 10^6 a^2 N_m}}$$

1.3.01



$$F_{P_1} = p g a^2 \left\{ \begin{aligned} & 600 \times 60 \times \frac{(0.84)^2}{2} + \\ & + 450 \times 120 \times \frac{(0.34)^2}{2} + \\ & + 90 \times 200 \times \frac{(0.08)^2}{2} + \\ & + 60 \times 360 \times \frac{(0.02)^2}{2} + \\ & + 100 \times 360 \times \frac{(0.02)^2}{2} + \\ & + 160 \times 300 \times \frac{(0.08)^2}{2} + \\ & + 160 \times 360 \times \frac{(0.15)^2}{2} + \\ & + 90 \times 200 \times \frac{(0.20)^2}{2} + \\ & + 800 \times 80 \times \frac{(0.54)^2}{2} \end{aligned} \right\} =$$

$$= p g a^2 \left\{ \begin{aligned} & 12750.0 \\ & + 3120.0 \\ & + 58.0 \\ & + 4.3 \\ & + 7.2 \\ & + 154.0 \\ & + 649.0 \\ & + 360.0 \\ & + 9320.0 \end{aligned} \right\} =$$

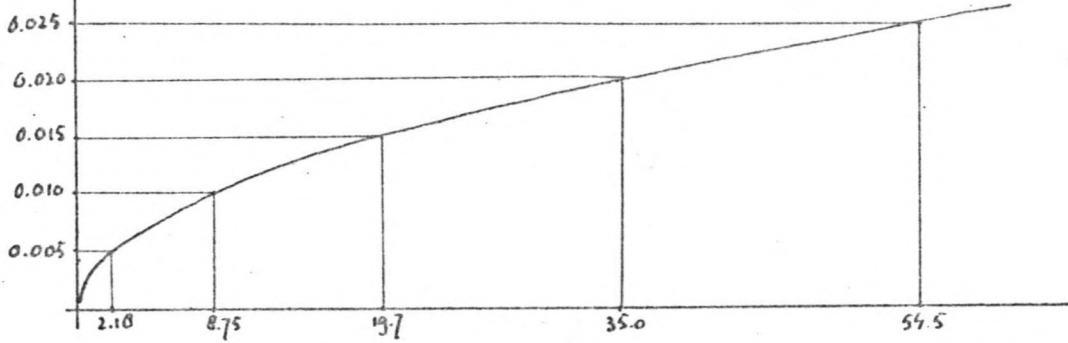
$$= p g a^2 \cdot 26422.5$$

$$= \frac{260 \times 10^6 a^2}{\text{(voor de eerste } \frac{1}{2} L m.)} N_m.$$

Hierna volgen in het Bet. pond
nog $2\frac{1}{2}$ golf lengte niet ≈ 3600
 $\therefore F_{P_2} = 2.5 \times 3600 \times 63 \times \frac{1}{4} p g a^2 =$
 $= 1390 \times 10^6 a^2 N_m.$

a [m]

fig. 38 model



a [m]

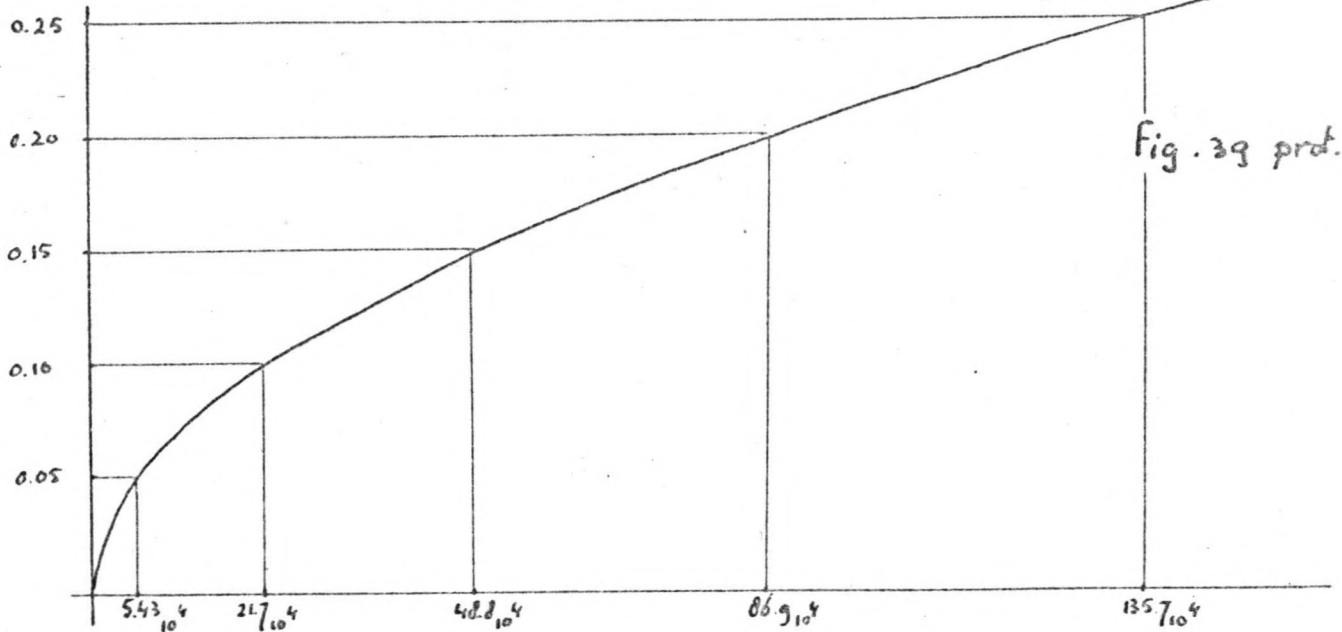


fig. 39 prot. 2B

a [m]

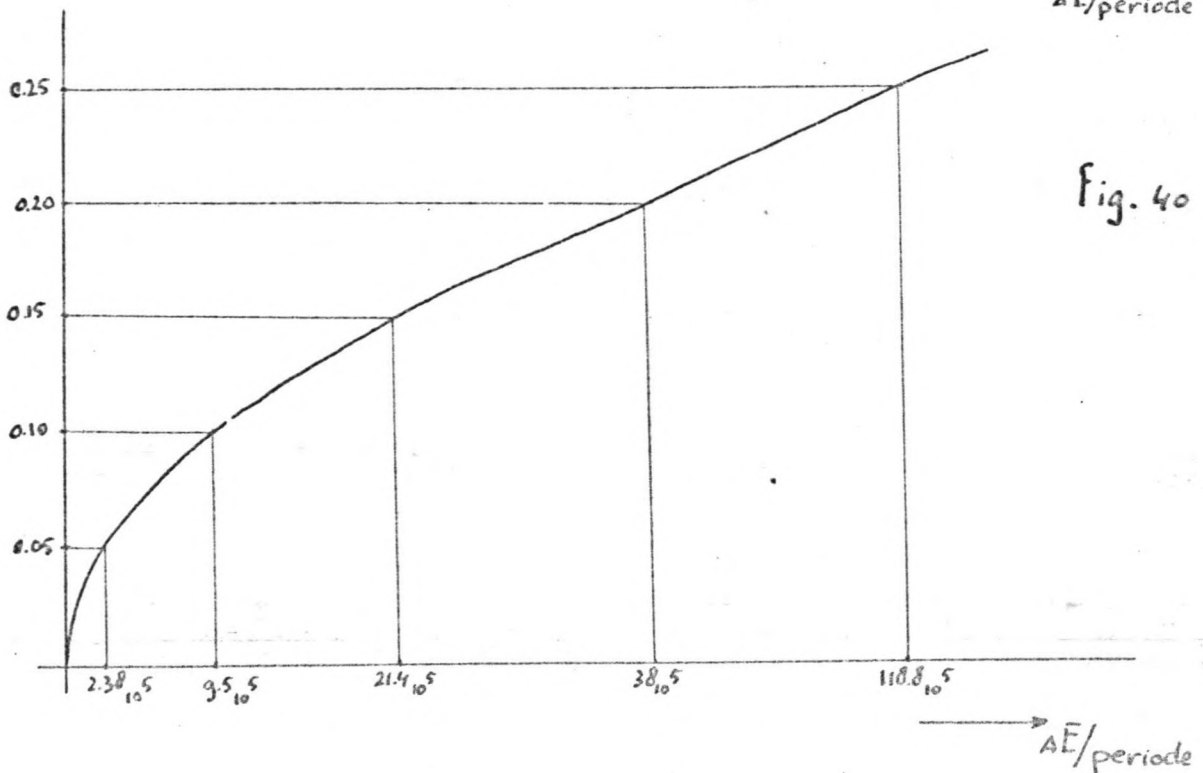


fig. 40 prot. incl.
Bet.pand

Fig 41 Model

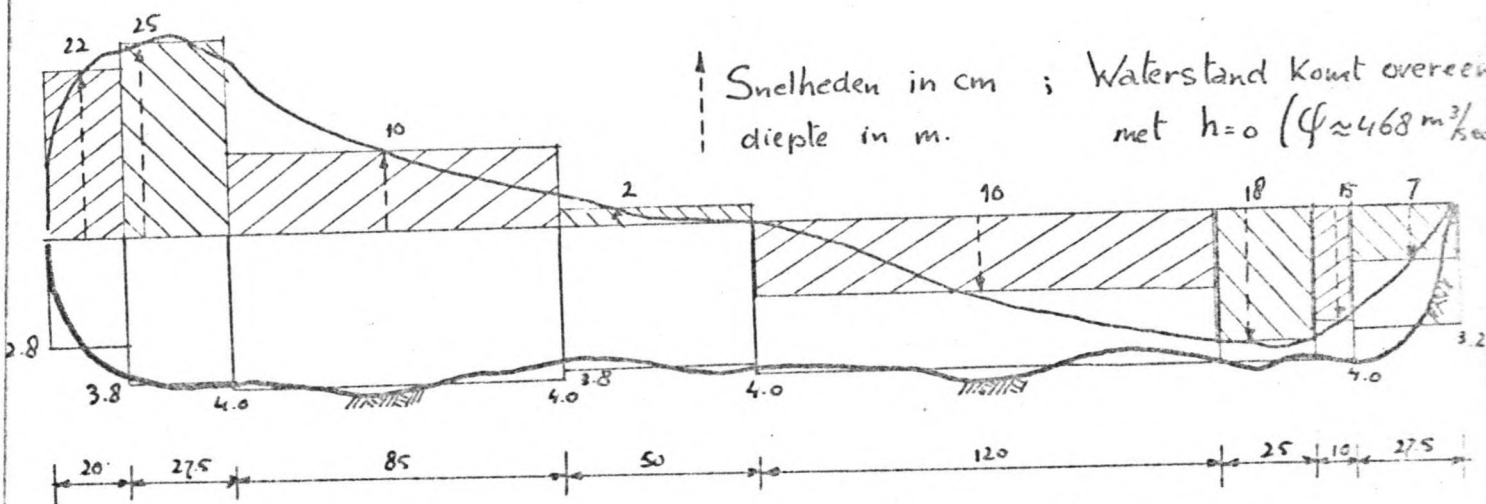
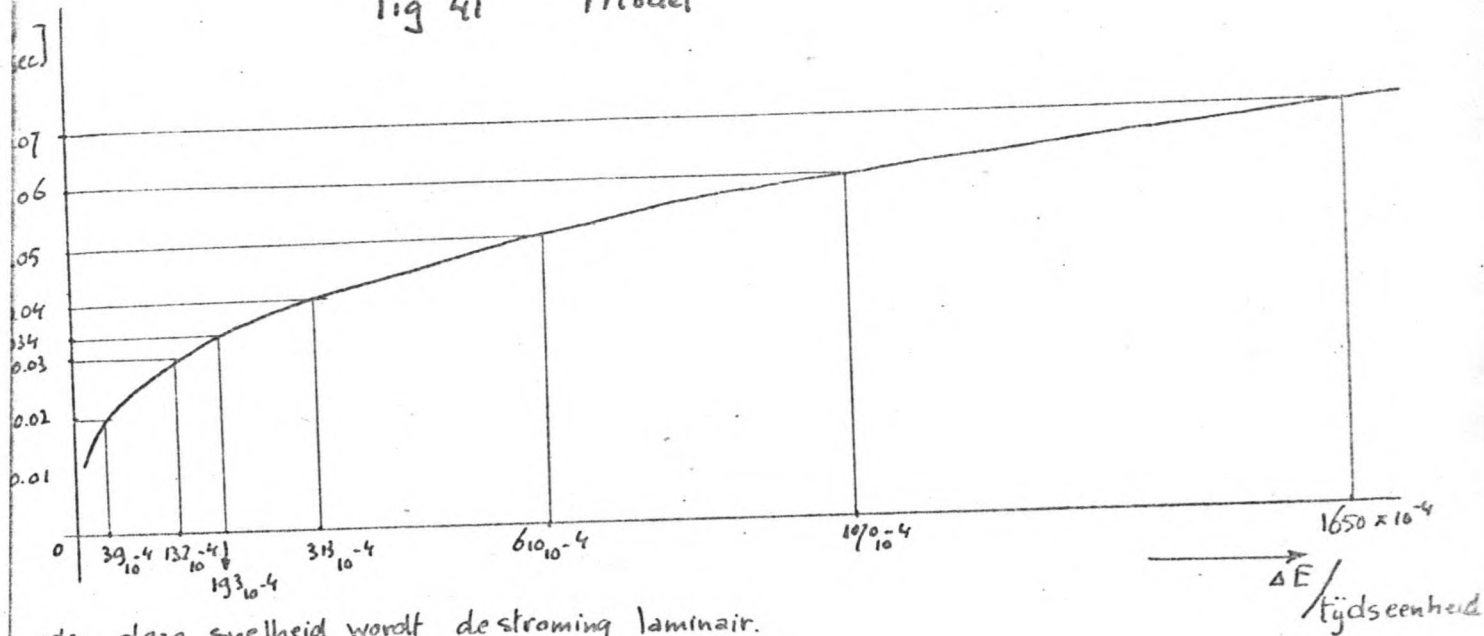


Fig. 42 Gecombineerd snelheidsverdelings- en bodemliggingsdiagram.
naar metingen van de Studiedienst.

Berekening $Q_i \bar{v}_i^3$:

$$\begin{aligned}
 \text{links} \quad & \pi \times 175 \times 20 \times (0.12)^3 = 116.5 \\
 & \pi \times 150 \times 27.5 \times (0.25)^3 = 202.0 \\
 & \pi \times 92.5 \times 85 \times (0.10)^3 = 24.7 \\
 & \frac{1}{2} \pi (50)^2 \times (0.02)^3 = 0.06 \rightarrow + = 343.2 \text{ Nm} \\
 \text{rechts} \quad & \frac{1}{2} \pi (120)^2 \times (0.1)^3 = 21.0 \\
 & \pi \times 130 \times (0.18)^3 \times 25 = 59.1 \\
 & \pi \times 153 \times (0.15)^3 \times 10 = 33.5 \\
 & \pi \times 175 \times (0.07)^3 \times 27.5 = 5.2 \rightarrow + = 418.8 \text{ Nm} \\
 \text{totaal:} \quad & 462 \text{ Nm.}
 \end{aligned}$$

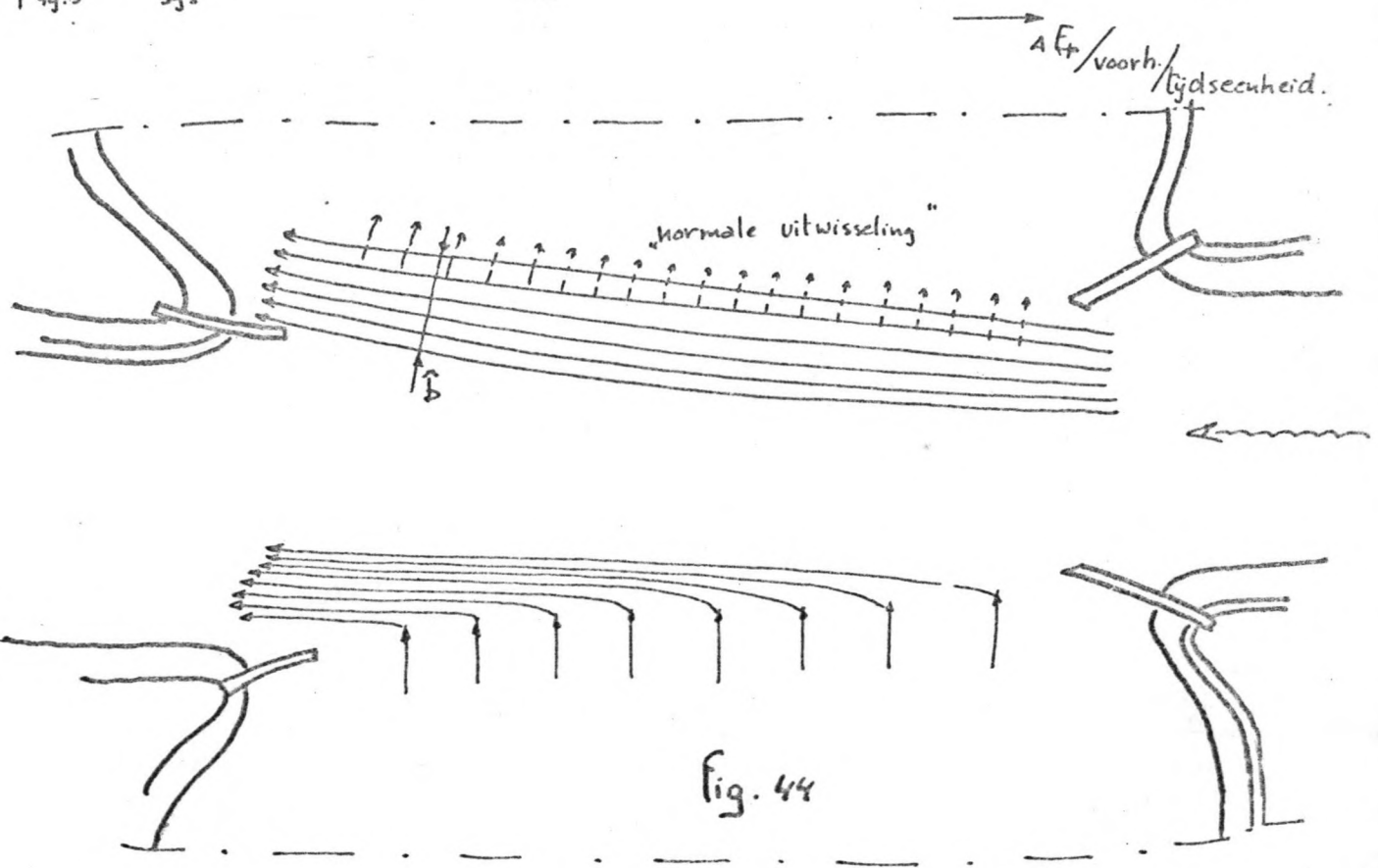
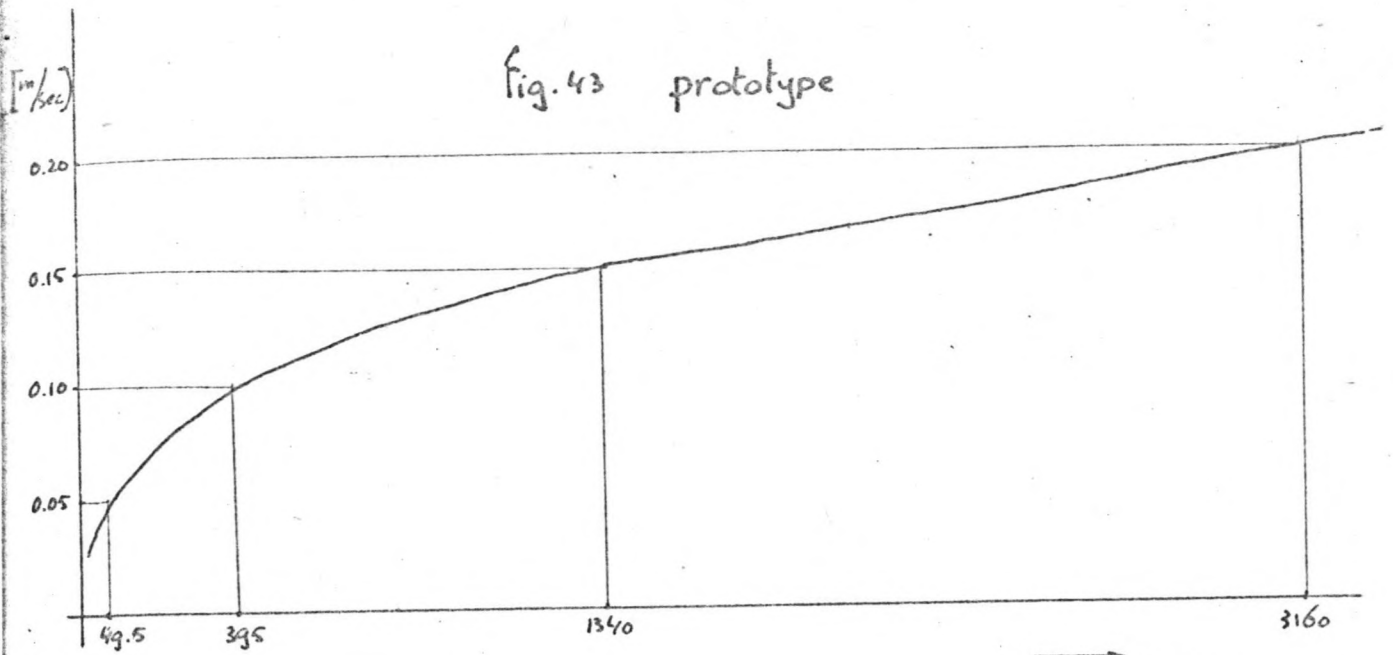


fig. 44

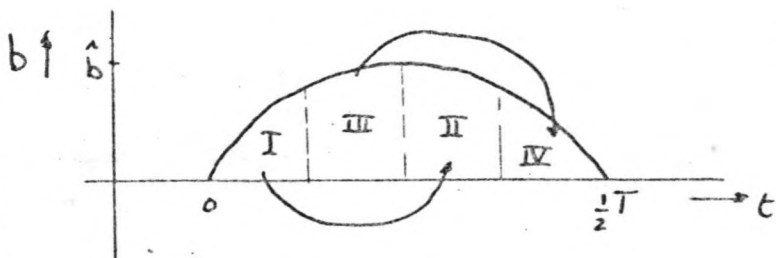


fig. 45

Fig. 46.

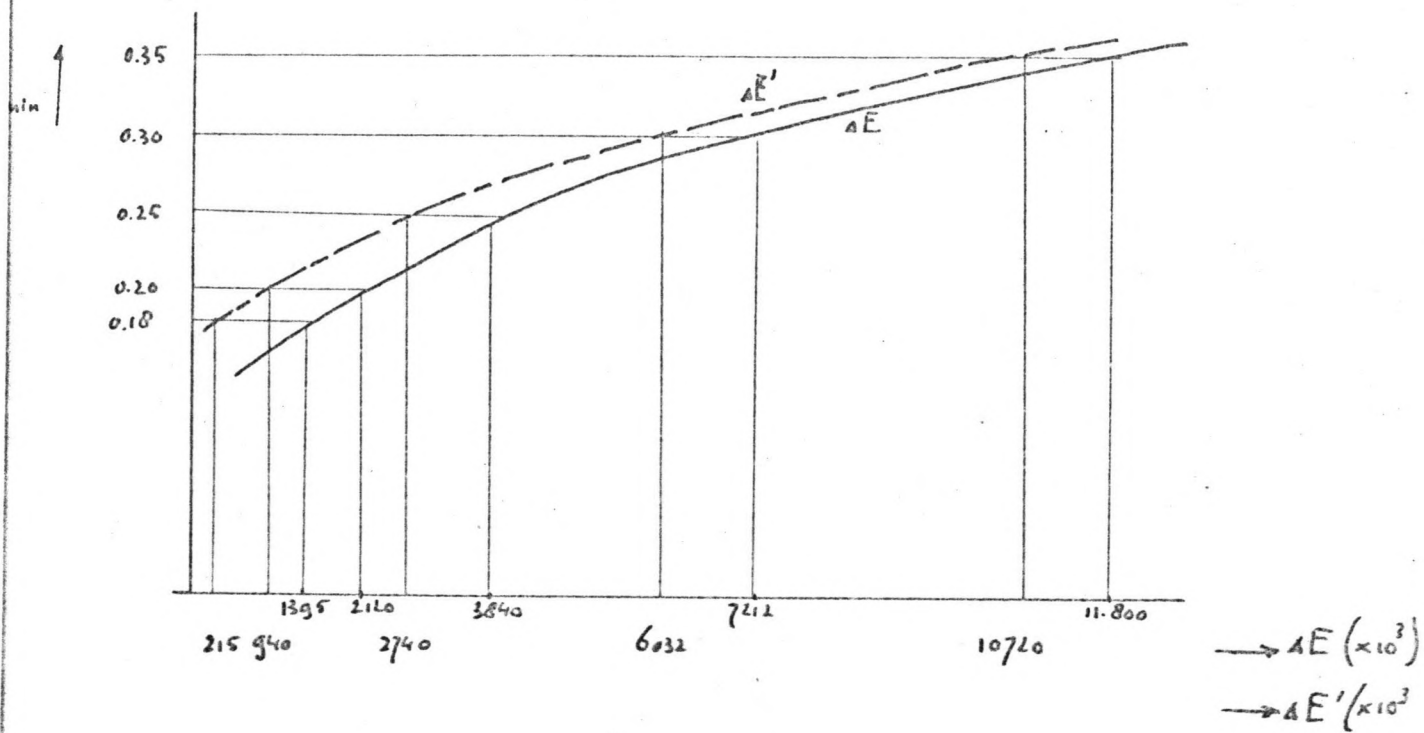
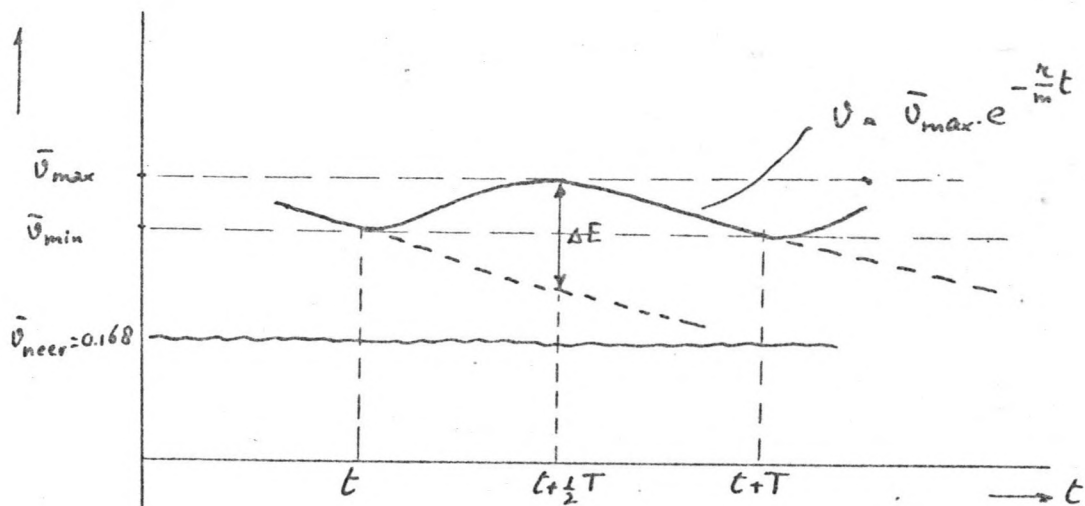


Fig. 47

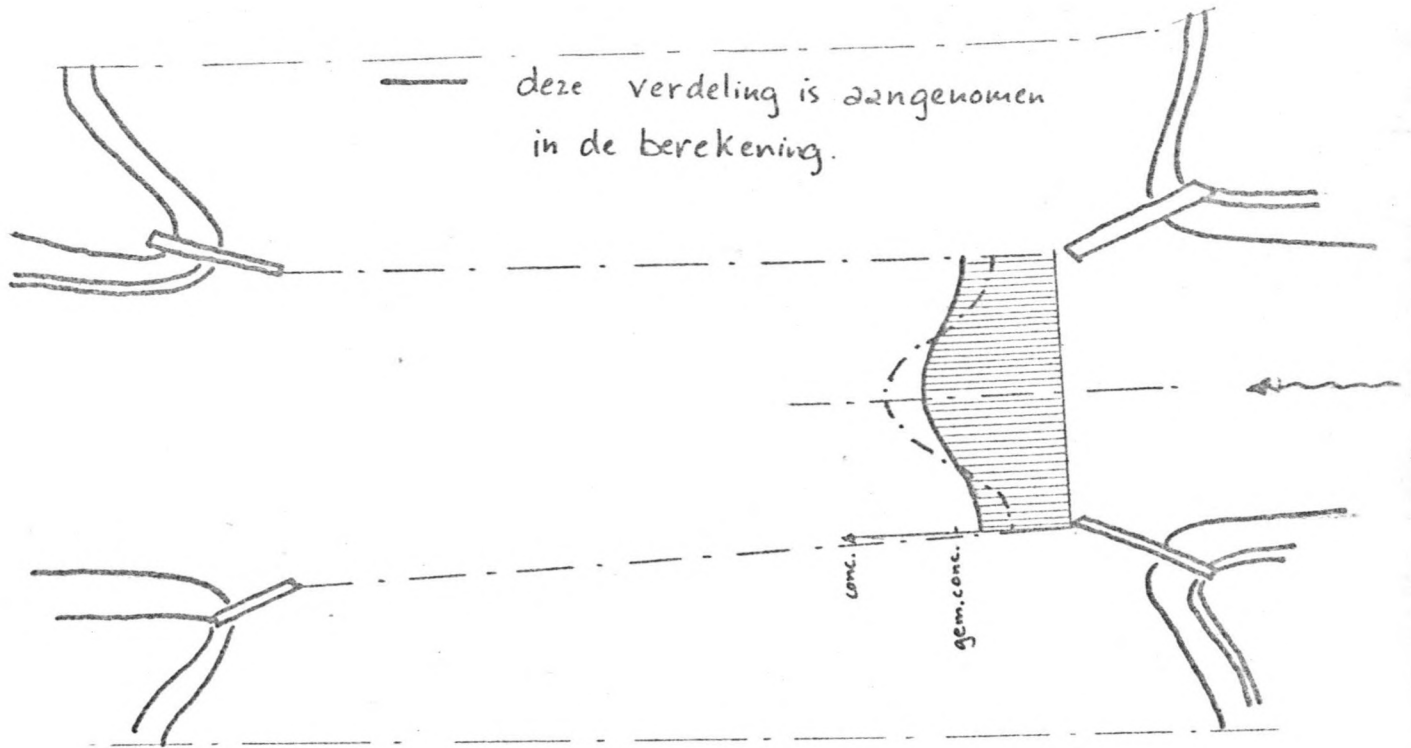


fig. 48

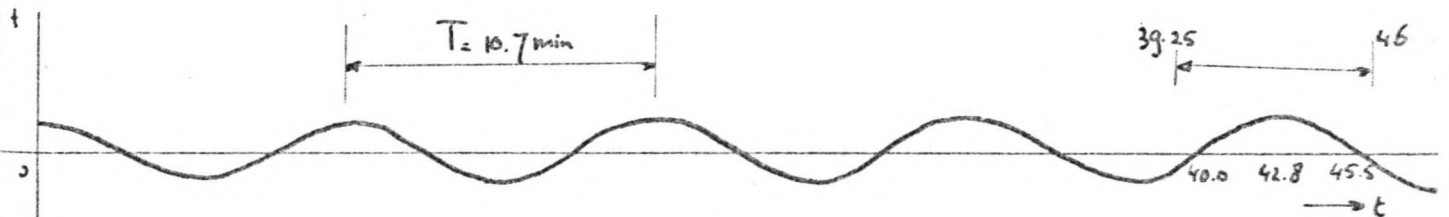


fig. 49





Fig. 50

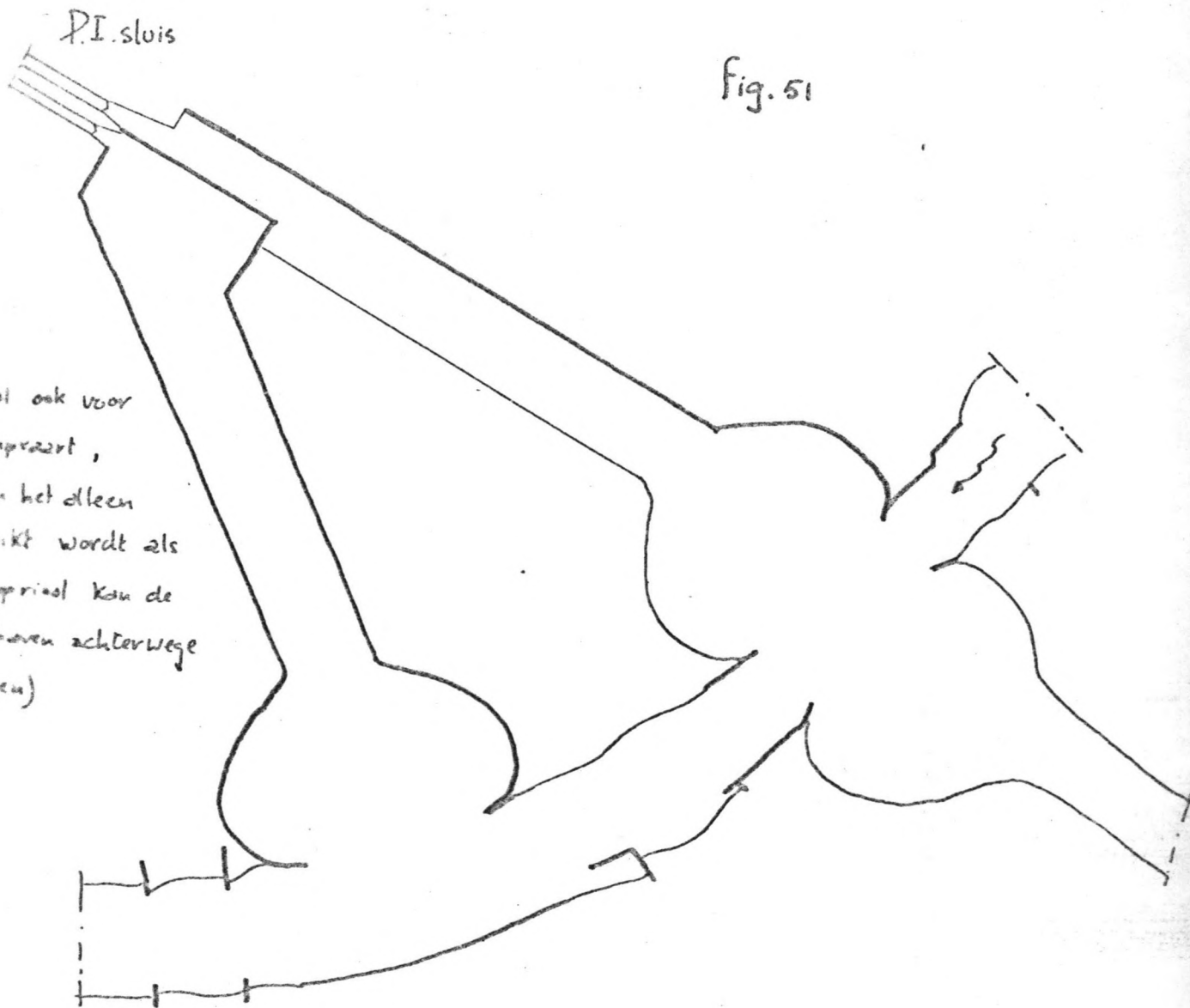


Fig. 51

kanal ook voor
scheepvaart,
als het alleen
vervuld wordt als
aanloopkanaal kan de
overblijven achterwege
blijven)

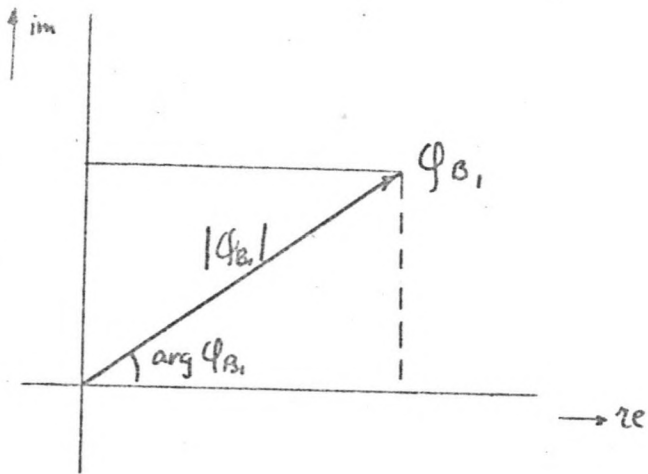


Fig. 52

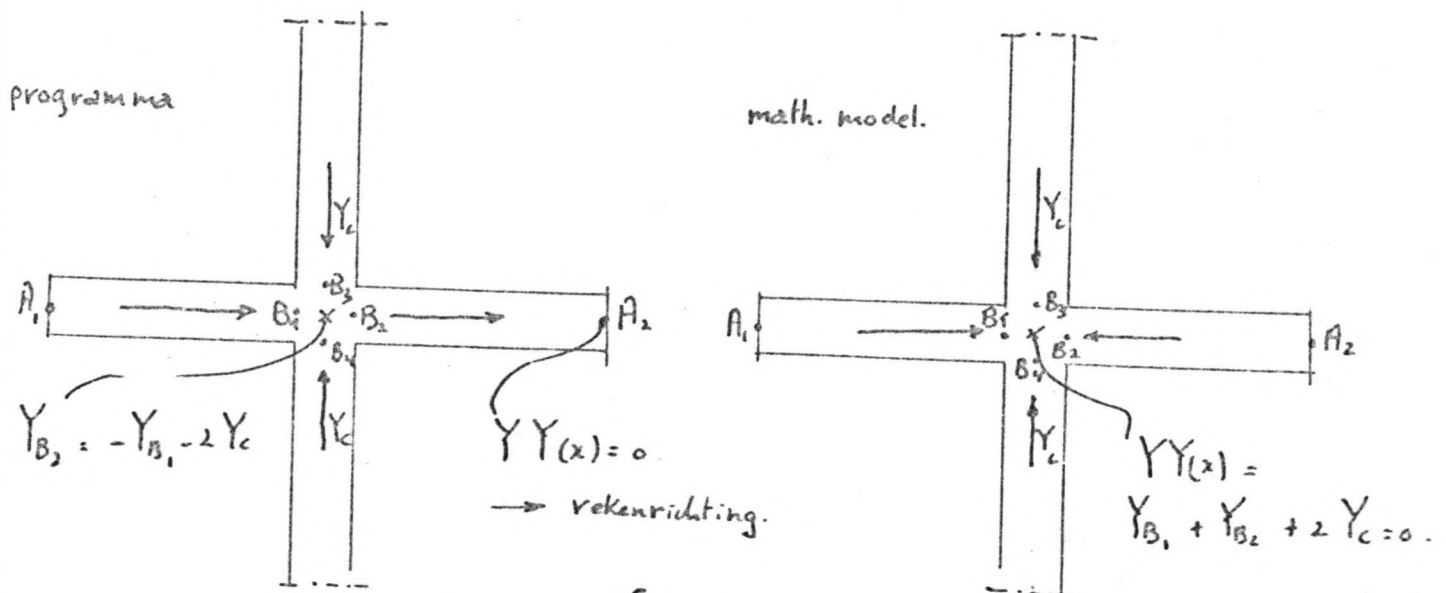


Fig. 53

Fig. 54.

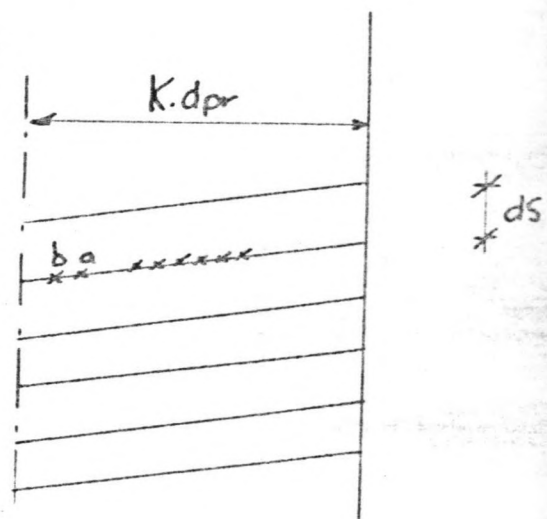
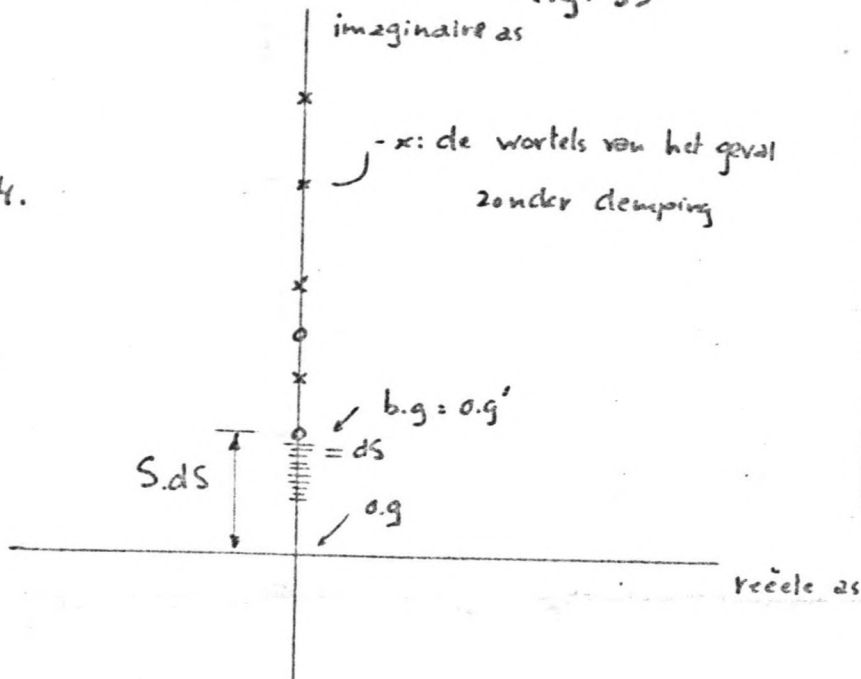
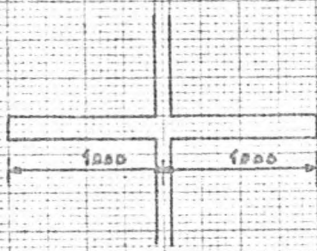


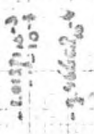
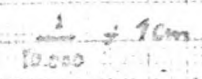
Fig. 55

fig 59

Voor kruising symmetrisch


$$b_{12} = 16 \text{ mm}$$

$\frac{1}{2} \times \frac{1}{2} = \frac{1}{4}$



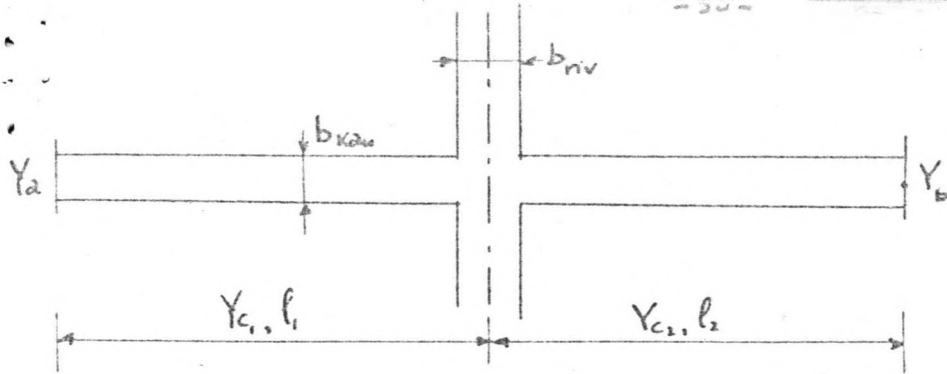


fig 56.

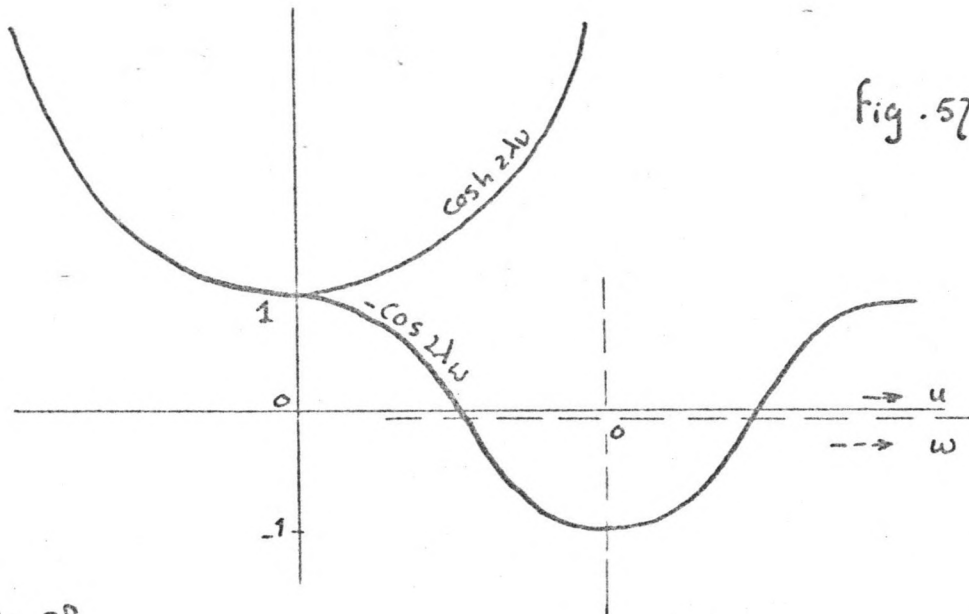


fig. 57

fig. 58

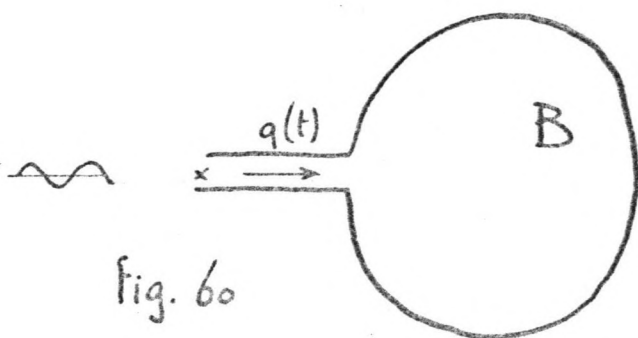
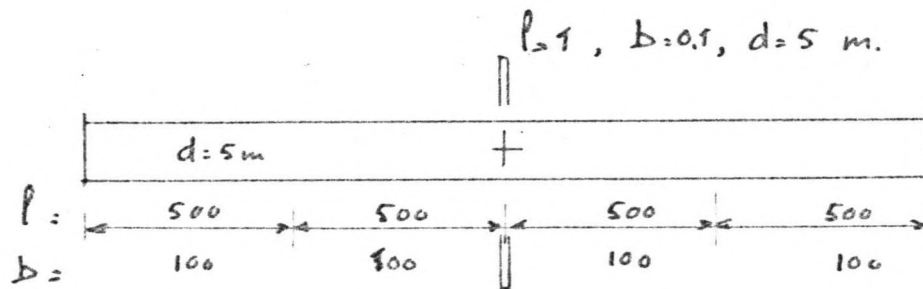
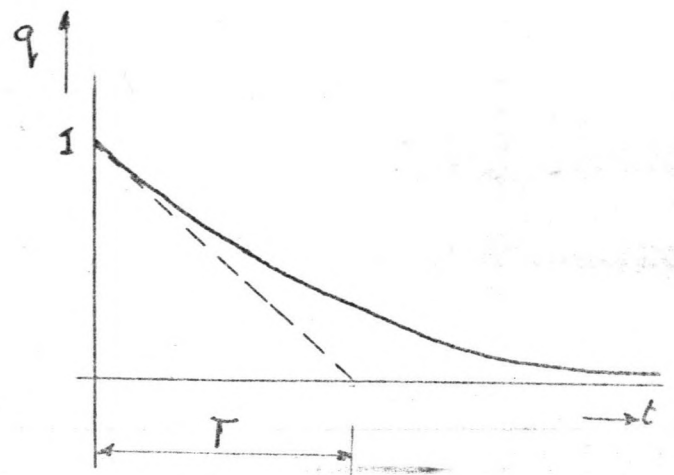


fig. 60



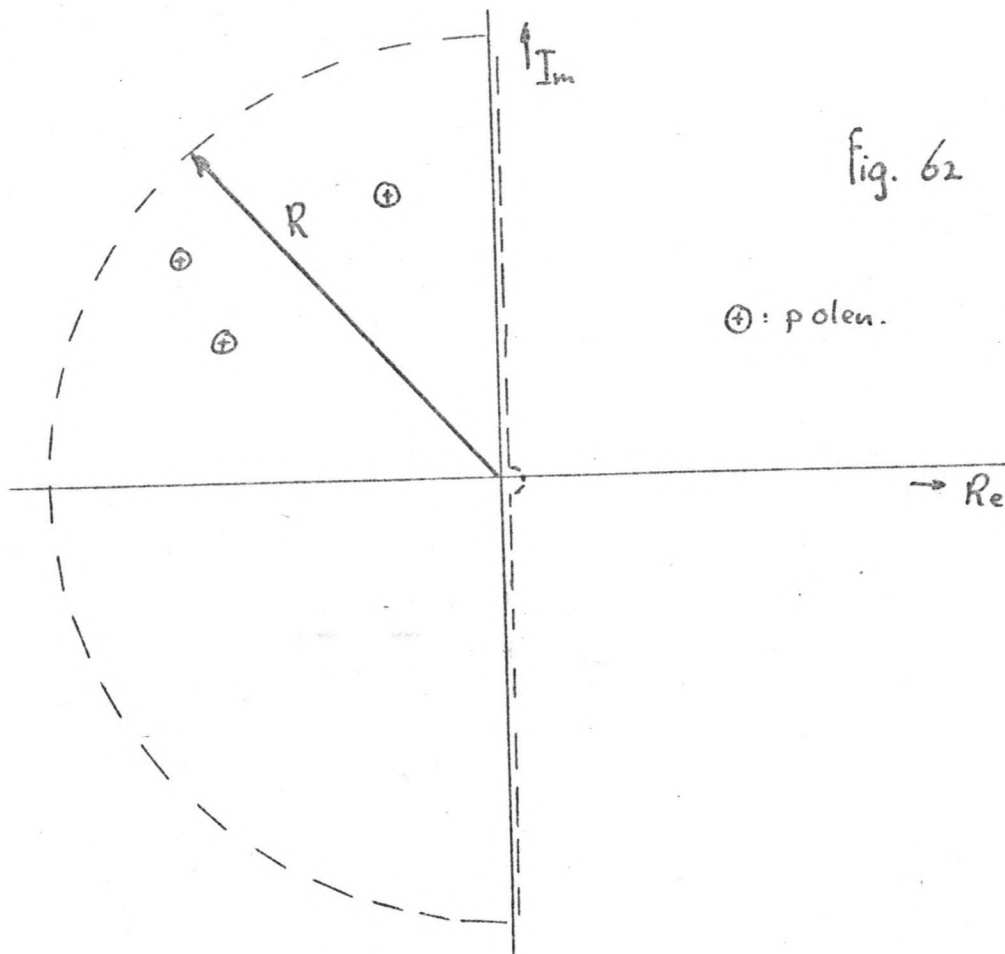
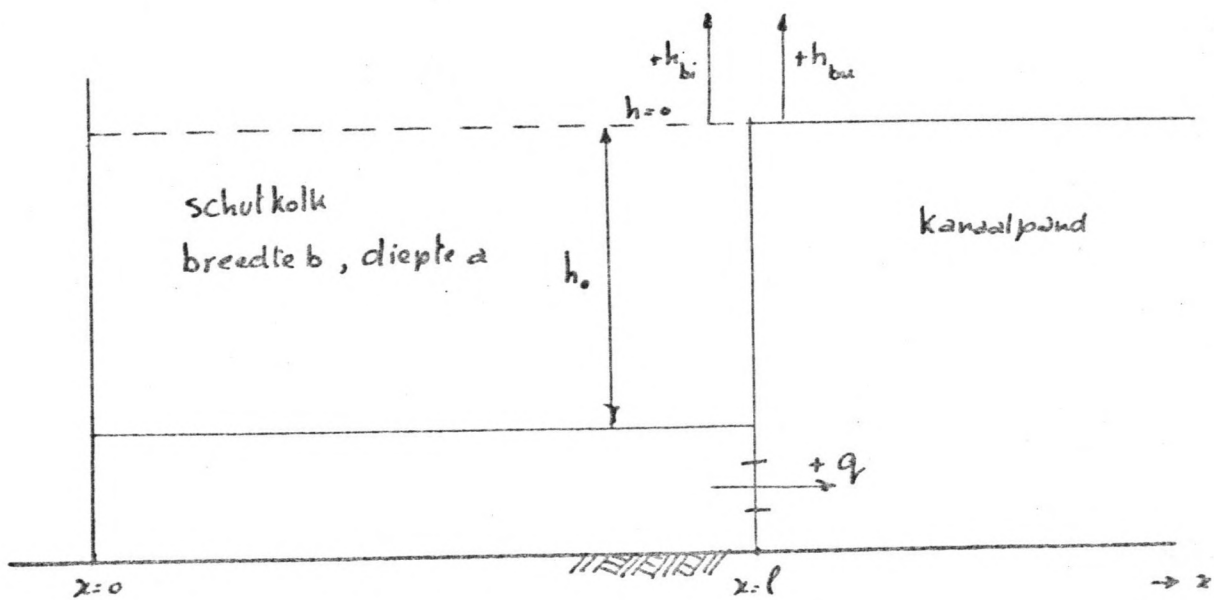


Fig. 63



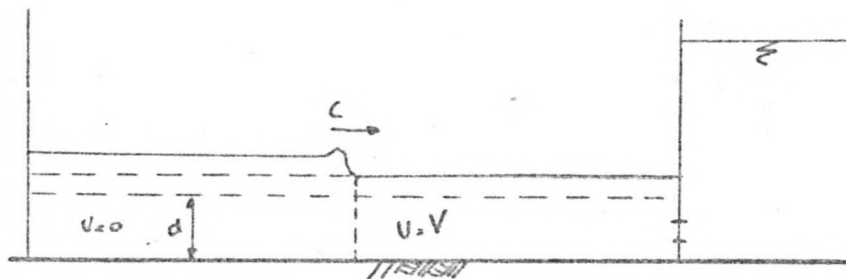
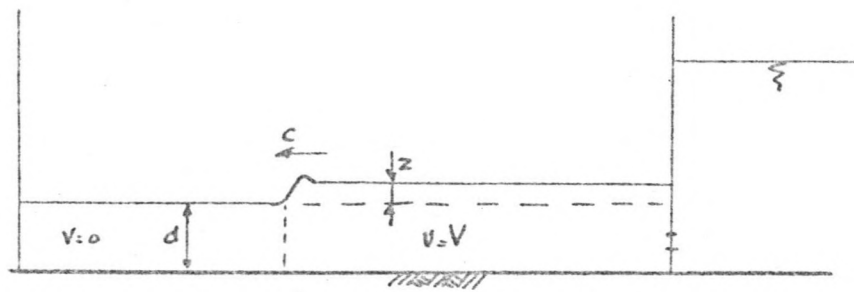


Fig. 64

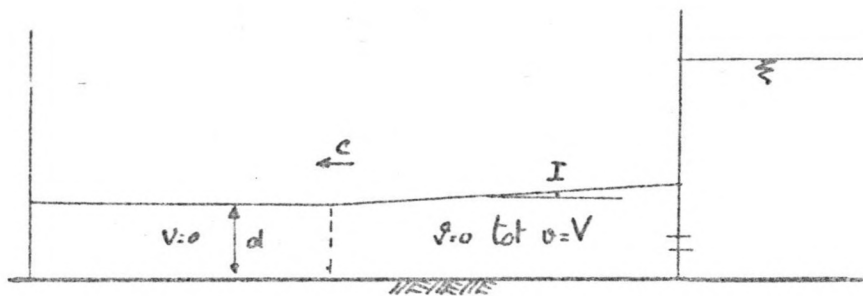


Fig. 65



Fig. 66

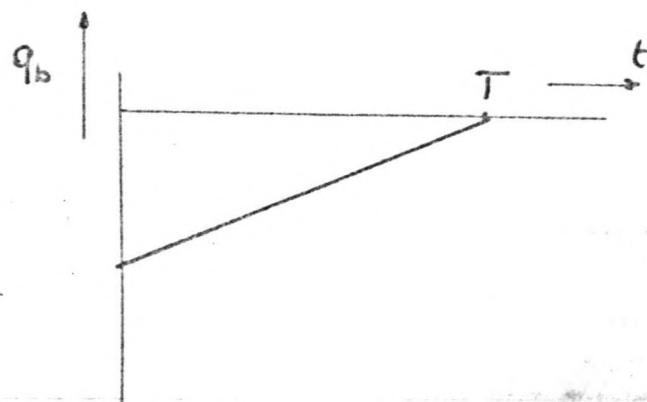
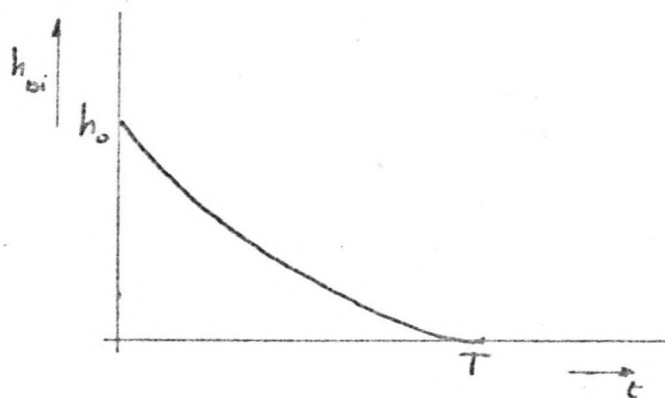


Fig. 67

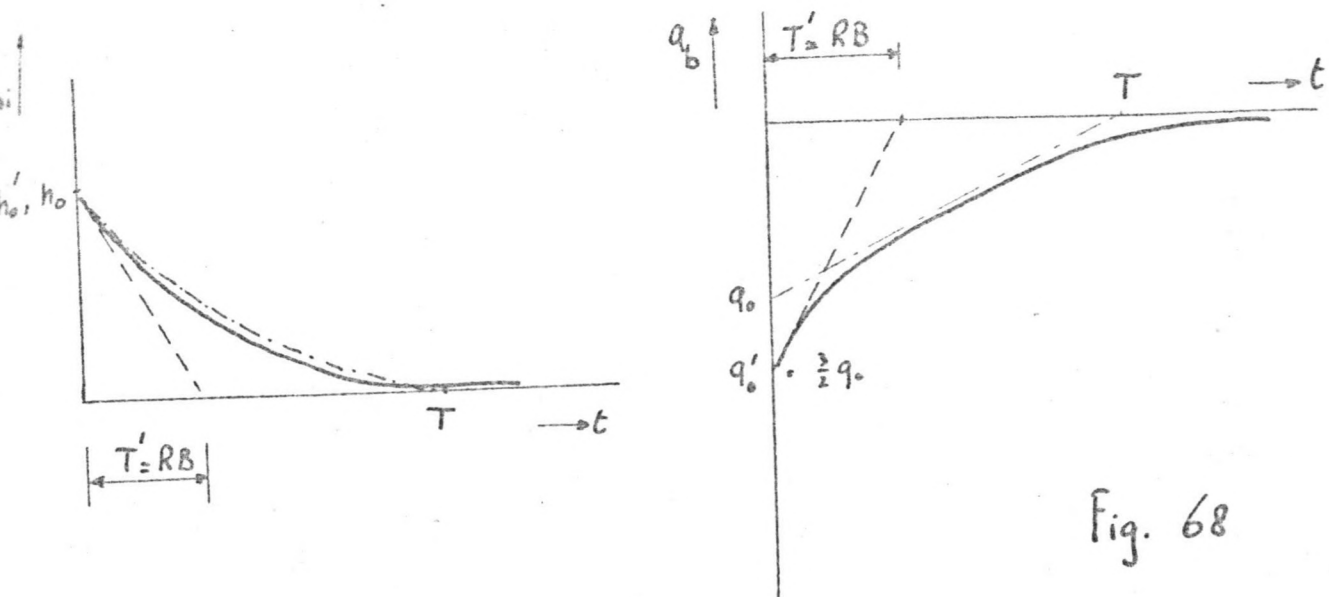


Fig. 68

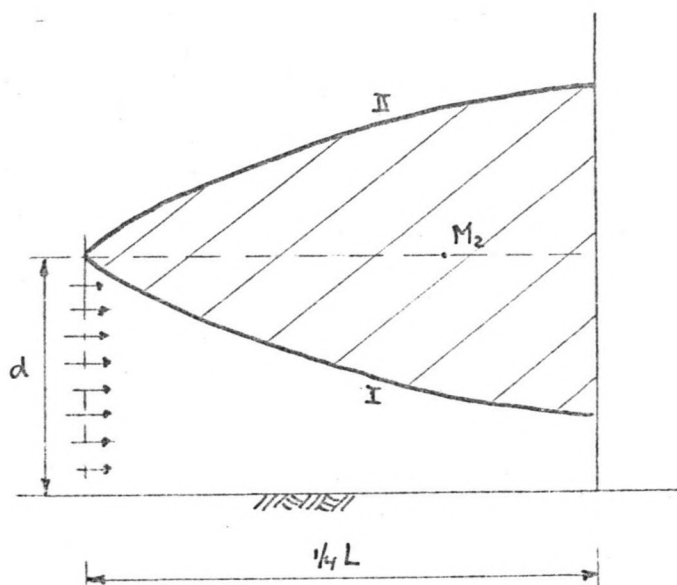


Fig. 69

