

High accuracy machines on factory floors

Anthony Boogaard

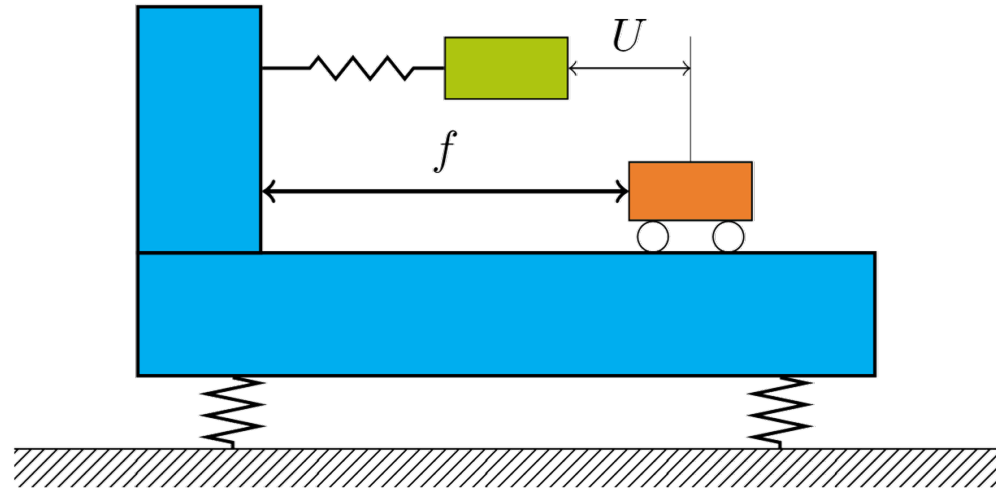
What are high accuracy machines?

- Photolithographic tools
- Healthcare machines
- Large printers



What is the problem?

- Electronic products getting smaller
- Production technique of desktop processors by Intel
 - 3 μm in 1978
 - 32 nm in 2010
- Disturbances from the floor
 - Dynamic coupling
 - Floor vibrations



Research topics

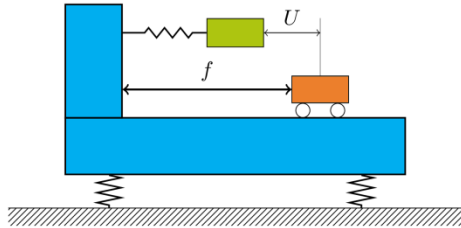
1. Investigate the dynamic behavior of factory floors and propose a method to properly predict the dynamic coupling between the machine and the floor it is placed on.
2. Develop a method to predict the new vibration level of the floor, based on the dynamic response and the free vibration level.

Presentation outline

- Introduction
- Existing methods for floor disturbances
- Frequency Based Substructuring
- Ground Vibration Transmission
- Experimental validation
- Results
- Comparison
- Conclusion and recommendations
- Questions

Existing methods

Dynamic coupling

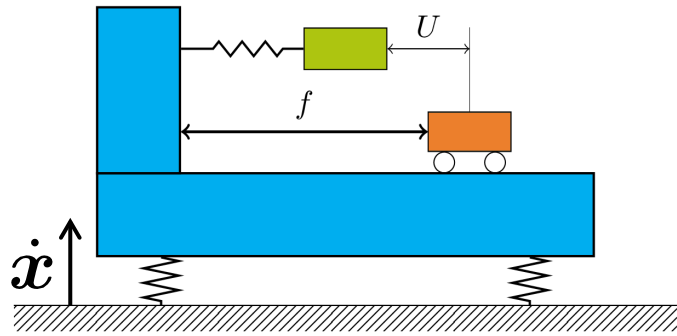


Fixed

- Simple
- Only true for infinitely stiff floors

Existing methods

Floor vibrations



Directly on the mounts

- Simple
 - Only true for infinitely stiff floors
- floors

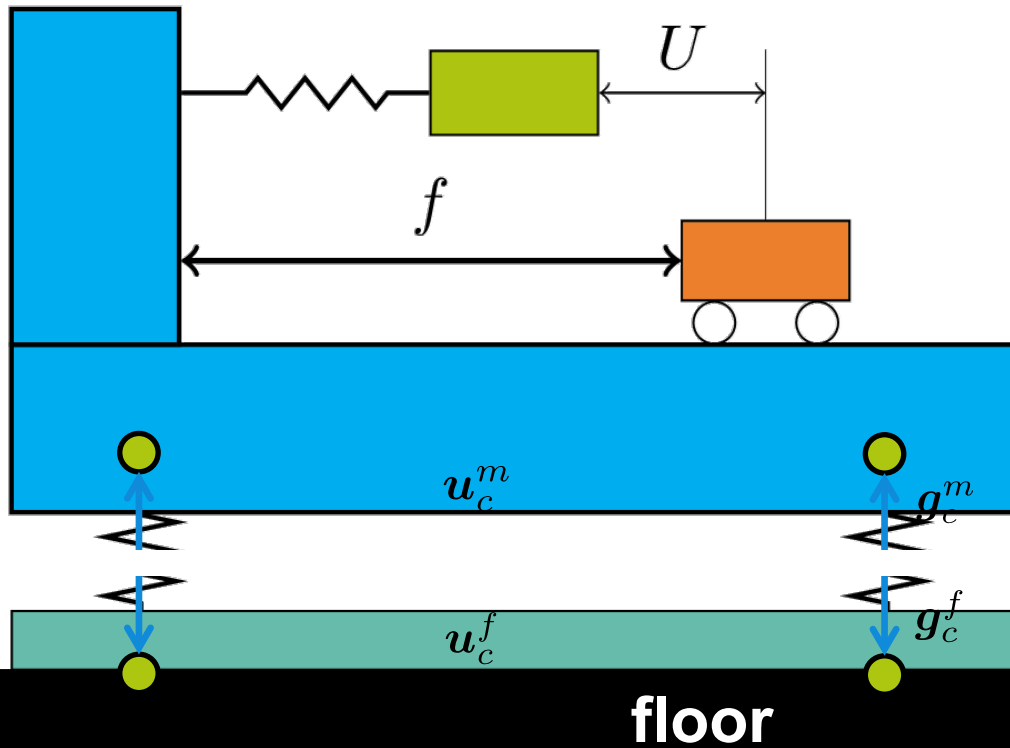
Frequency Based Substructuring

Compatibility

$$\mathbf{u}_c^m - \mathbf{u}_c^f = \mathbf{0}$$

Equilibrium

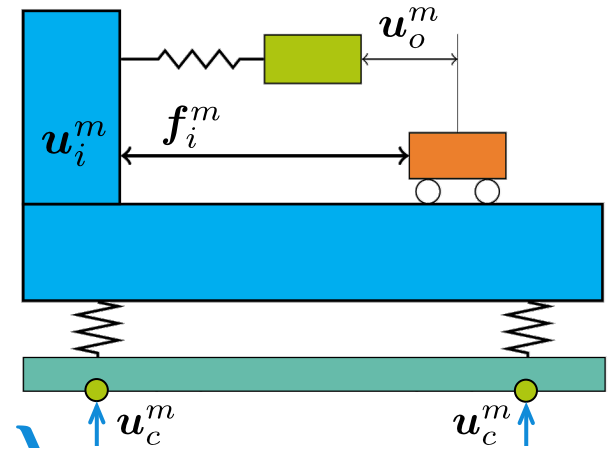
$$\mathbf{g}_c^m = -\mathbf{g}_c^f$$



Frequency Based Substructuring

- Dynamic equilibrium of the machine:

$$\begin{bmatrix} \mathbf{u}_i^m \\ \mathbf{u}_o^m \\ \mathbf{u}_c^m \end{bmatrix}$$



Frequency Based Substructuring

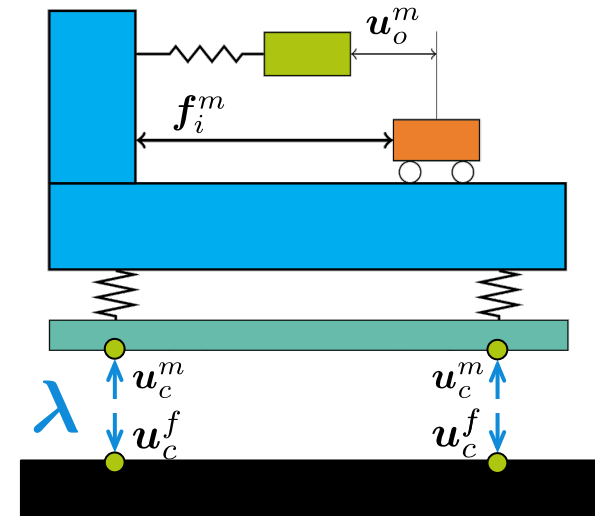
- Summarizing:

$$\begin{bmatrix} \mathbf{u}_i^m \\ \mathbf{u}_o^m \\ \mathbf{u}_c^m \\ \mathbf{u}_c^f \end{bmatrix} = \begin{bmatrix} \mathbf{Y}_{ii}^m & \mathbf{Y}_{io}^m & \mathbf{Y}_{ic}^m & \mathbf{0} \\ \mathbf{Y}_{oi}^m & \mathbf{Y}_{oo}^m & \mathbf{Y}_{oc}^m & \mathbf{0} \\ \mathbf{Y}_{ci}^m & \mathbf{Y}_{co}^m & \mathbf{Y}_{cc}^m & \mathbf{0} \\ \mathbf{0} & \mathbf{0} & \mathbf{0} & \mathbf{Y}_{cc}^f \end{bmatrix} \begin{bmatrix} \mathbf{f}_i^m \\ \mathbf{f}_o^m \\ \mathbf{f}_c^m + \mathbf{I}\lambda \\ \mathbf{f}_c^f - \mathbf{I}\lambda \end{bmatrix}$$

$$[\mathbf{I} \quad -\mathbf{I}] \begin{bmatrix} \mathbf{u}_c^m \\ \mathbf{u}_c^f \end{bmatrix} = \mathbf{0}$$

- Solving this set of equations and neglecting the applied forces on the floor yields

$$\begin{bmatrix} \mathbf{u}_i^m \\ \mathbf{u}_o^m \\ \mathbf{u}_c^m \end{bmatrix} = \mathbf{Y}^m \mathbf{f}^m - \mathbf{Y}^m \begin{bmatrix} \mathbf{0} \\ \mathbf{0} \\ \mathbf{I} \end{bmatrix} (\mathbf{Y}_{cc}^m + \mathbf{Y}_{cc}^f)^{-1} [\mathbf{Y}_{ci}^m \quad \mathbf{Y}_{co}^m \quad \mathbf{Y}_{cc}^m] \begin{bmatrix} \mathbf{f}_i^m \\ \mathbf{f}_o^m \\ \mathbf{f}_c^m \end{bmatrix}$$



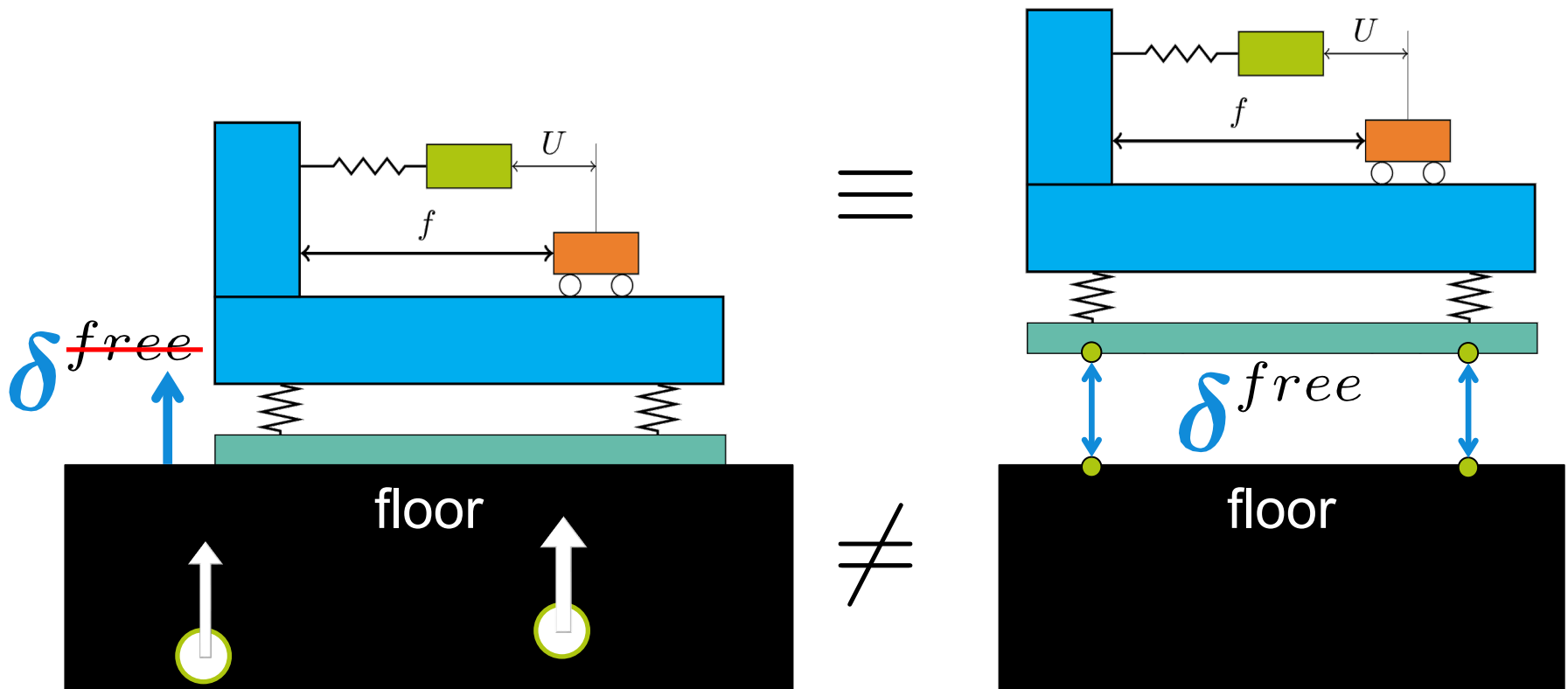
Frequency Based Substructuring

Dynamic flexibility

- For the machine
 - Full matrix is needed, as if it is floating free
 - Can be easily obtained from the model
- For the floor
 - Can be obtained from a model of the building
 - Difficult to model a building accurately
 - Only interface flexibility is needed
 - Solution: dynamic measurements

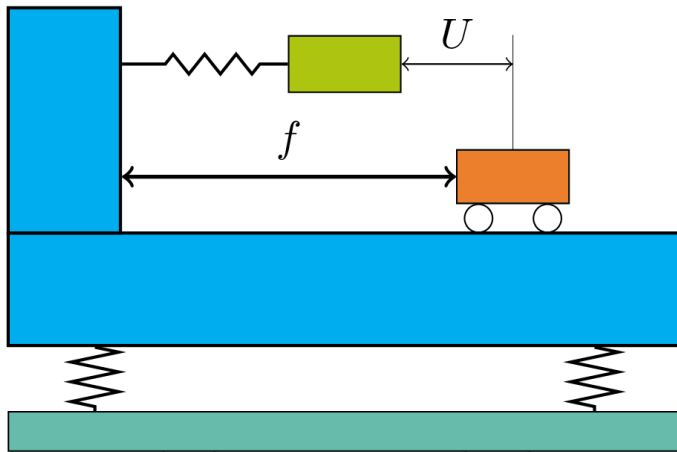
Ground vibration transmission

$$u_c^m - u_c^f = \delta^{free}$$

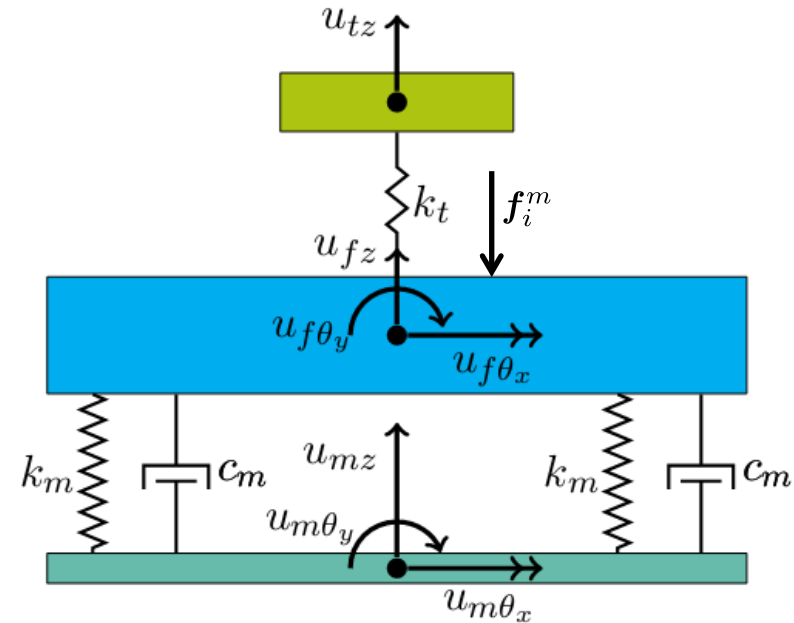


Experimental validation

Test case model



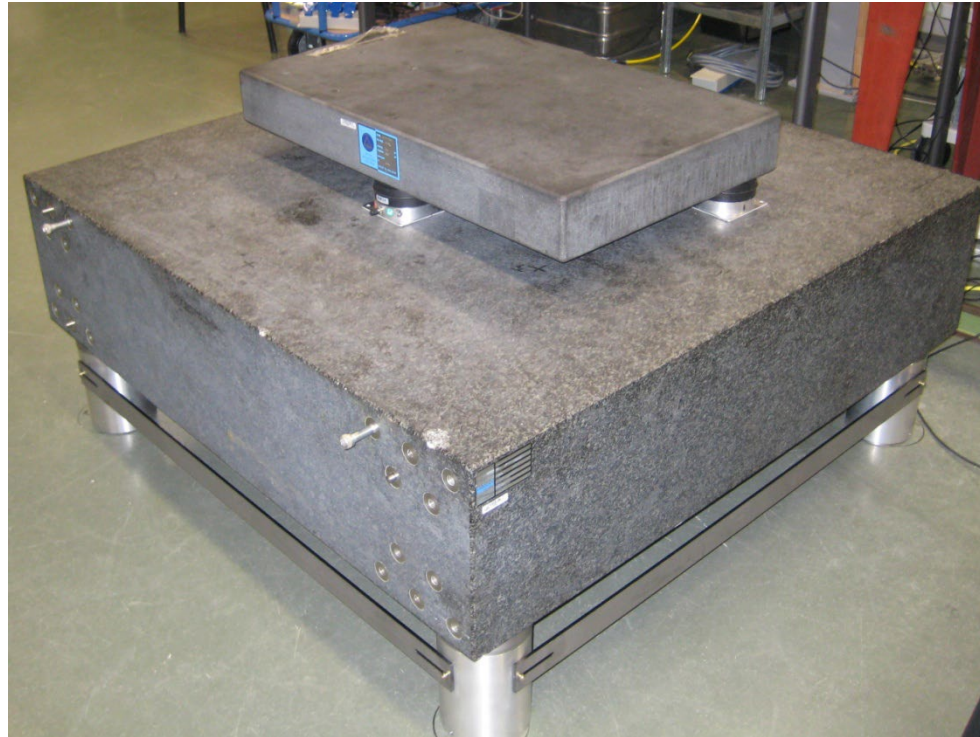
Coupling with rotations



Coupling with translations

Experimental validation

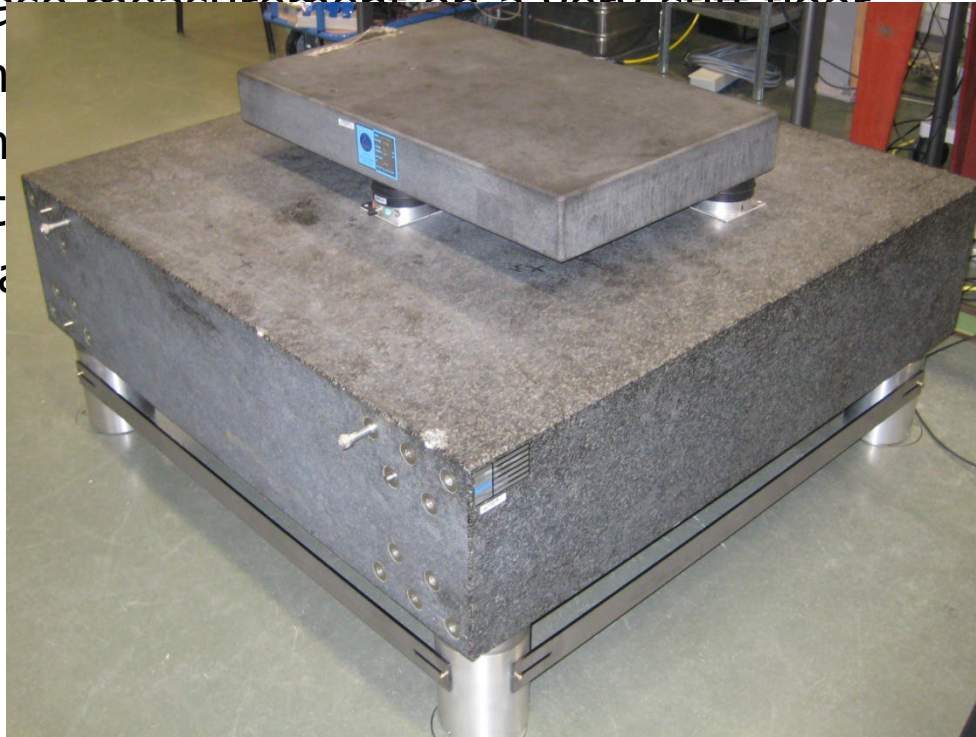
Test case construction



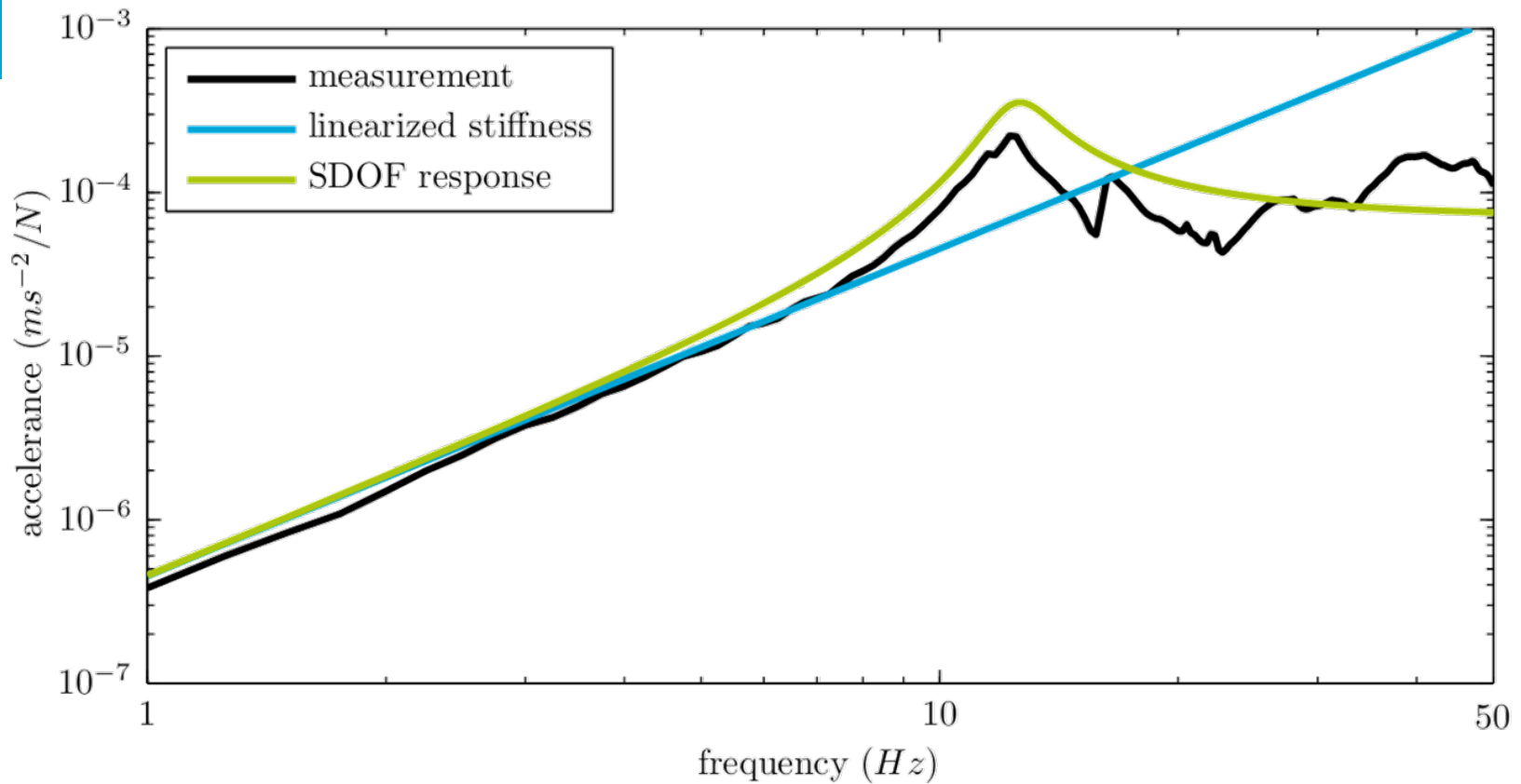
Experimental validation

Measurements

1. Floor measurement
 - Impact measurement on a flexible floor
2. Test case measurement on a very stiff floor
 - Assum
 - Obtain
3. Validat
 - Test ca

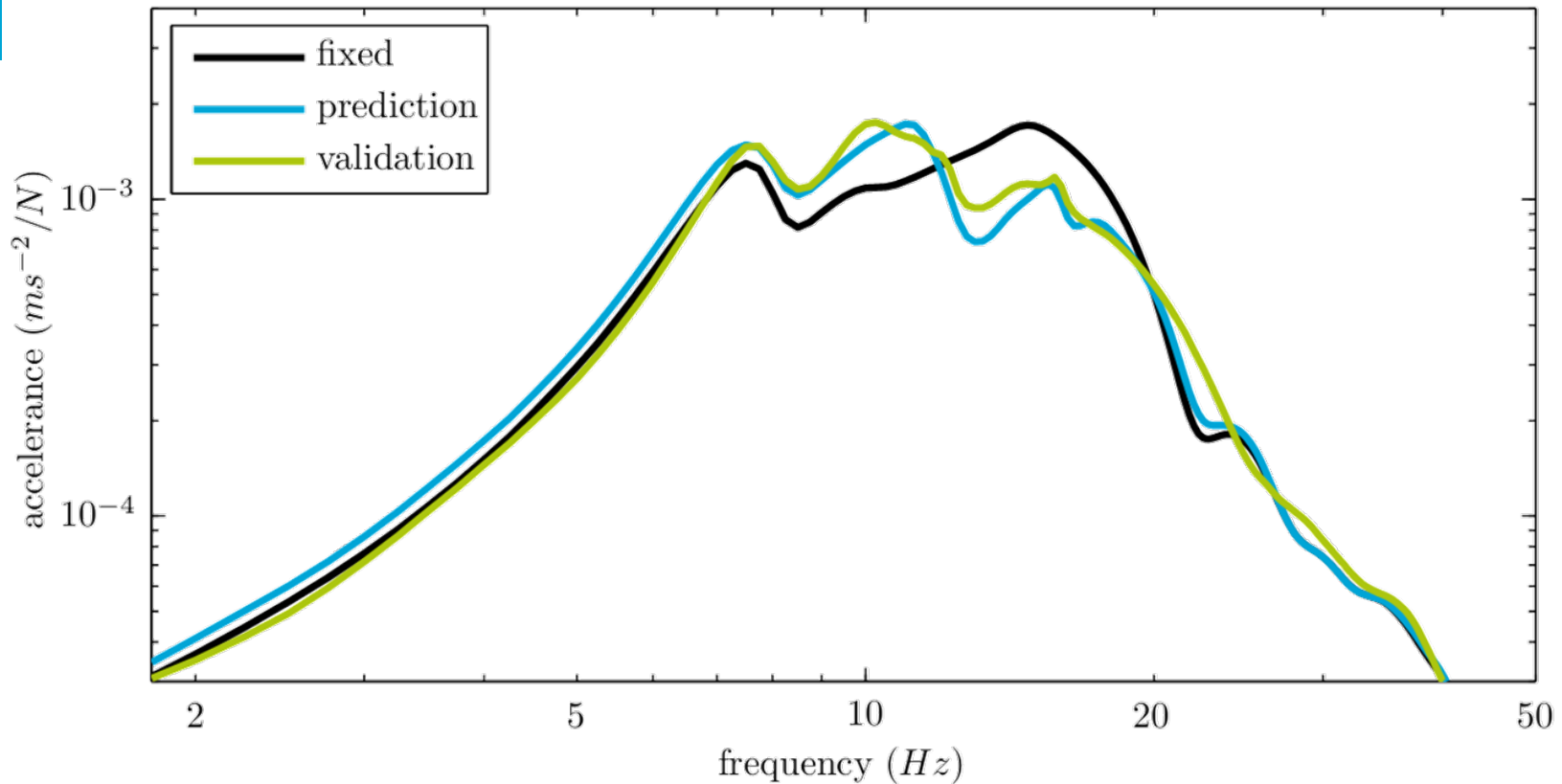


Floor measurement



Experimental results

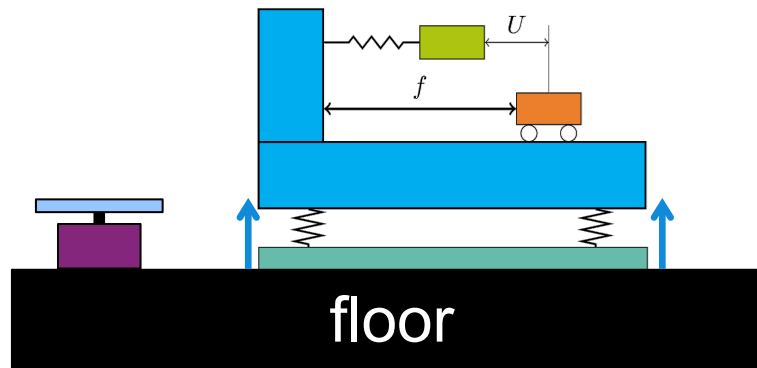
Coupling



Experimental validation

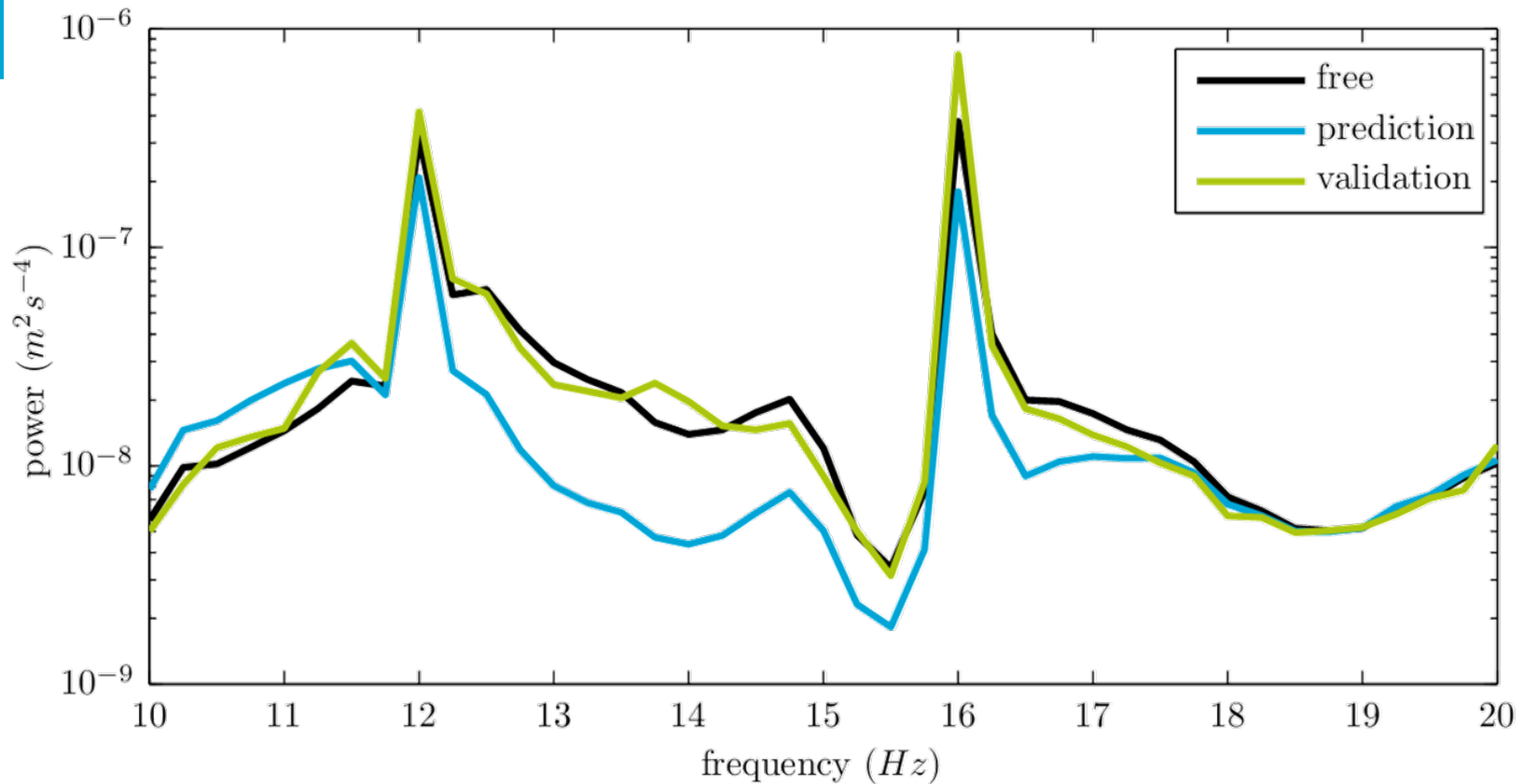
Vibration measurement

- Measure vibration level of the flexible floor with and without test case.
- Shaker with a small mass to provide equal excitations for both measurements
 - Shaker excitation: 12 and 16 Hz



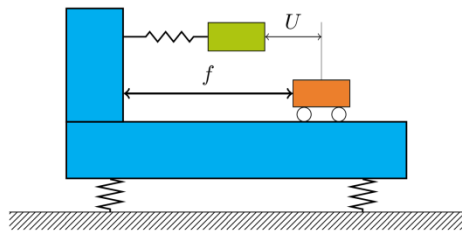
Experimental results

Ground vibration transmission

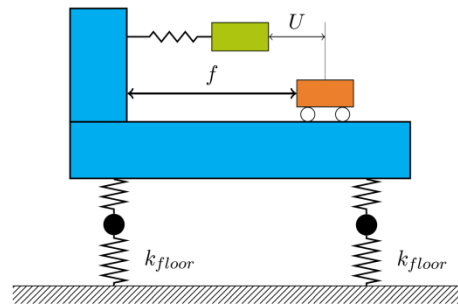


Comparison coupled response

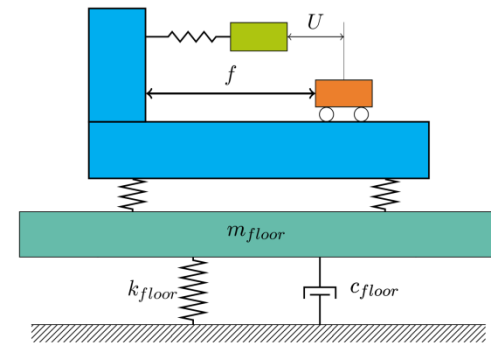
Recap



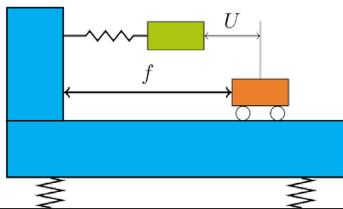
Fixed



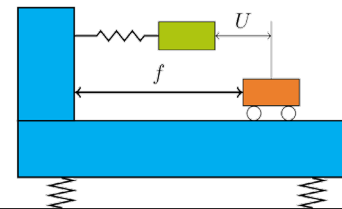
Floor stiffness



SDOF floor

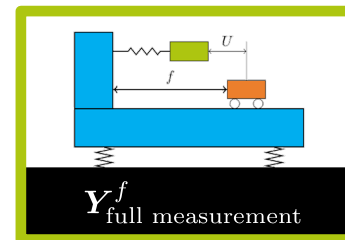
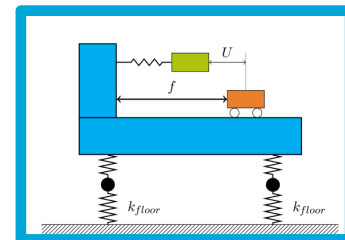
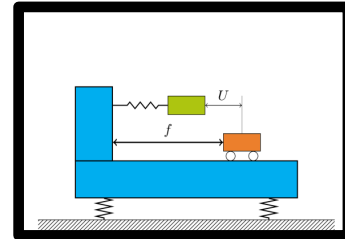
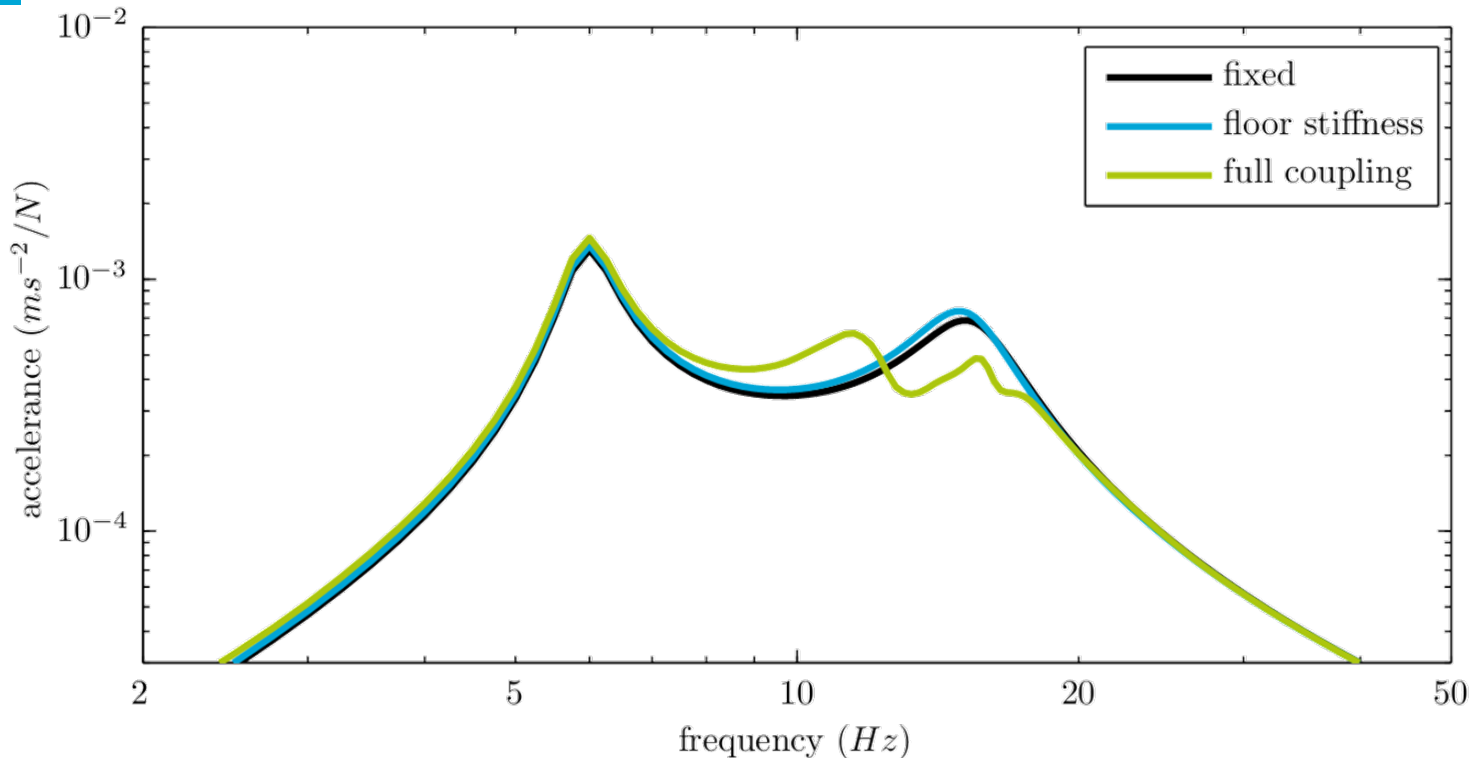


Y^f
full measurement

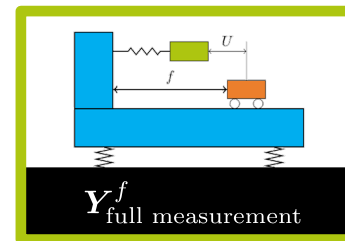
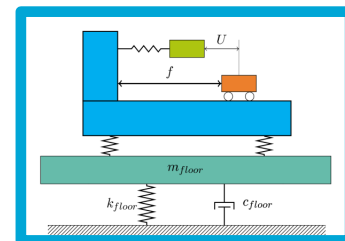
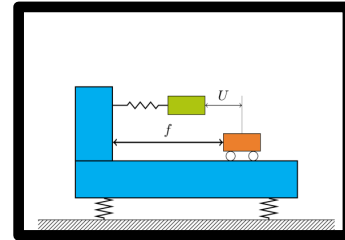
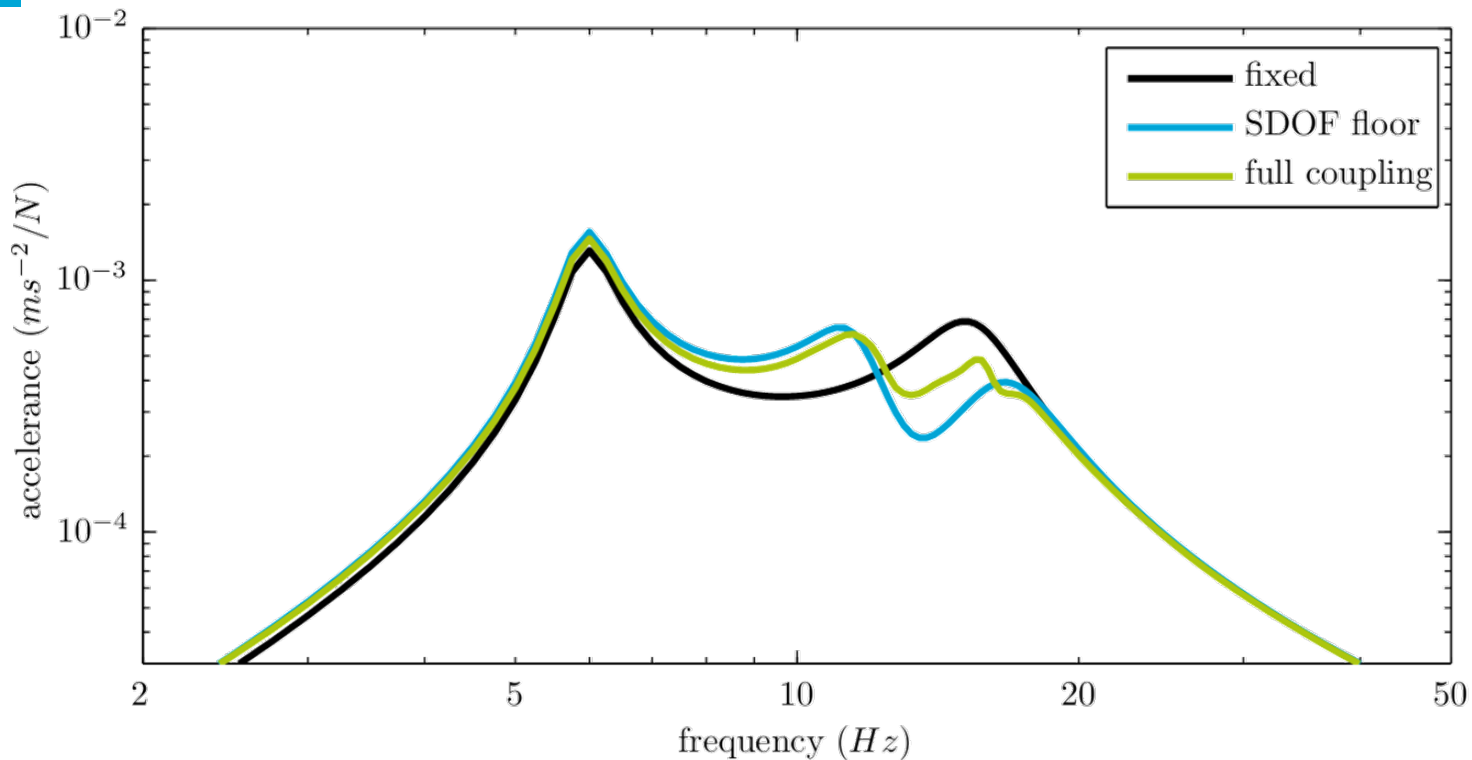


Y^f
single driving point

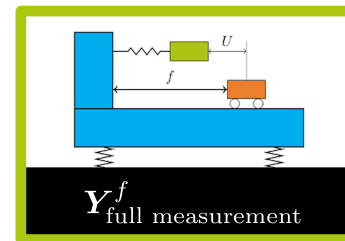
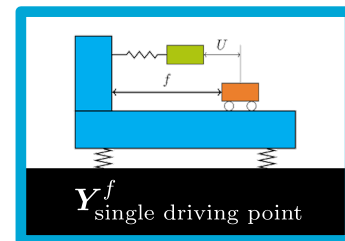
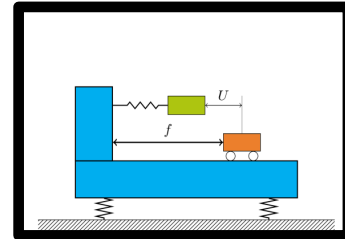
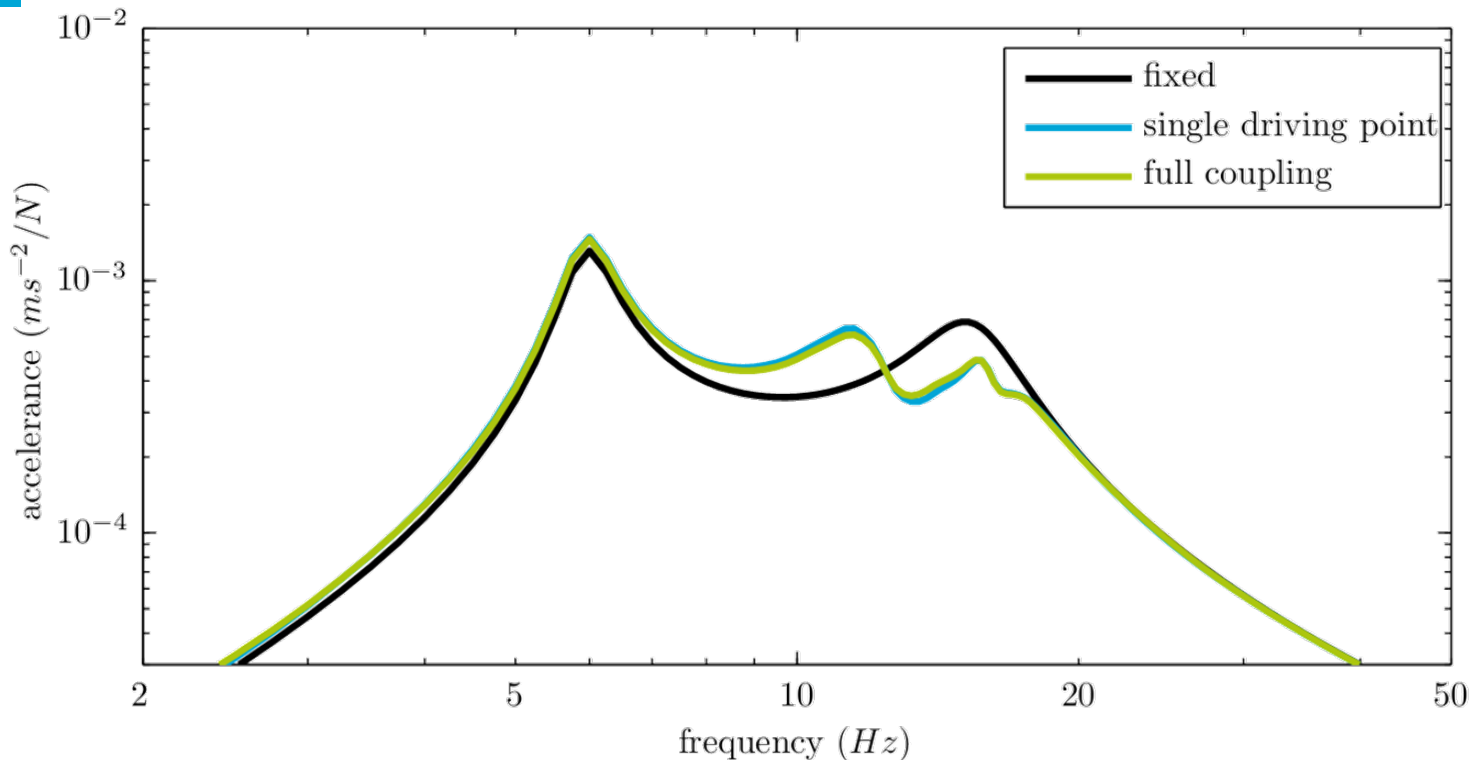
Comparison coupled response Fixed and floor stiffness



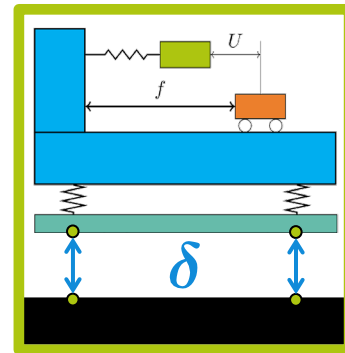
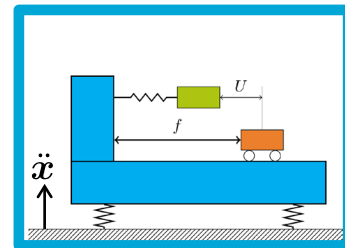
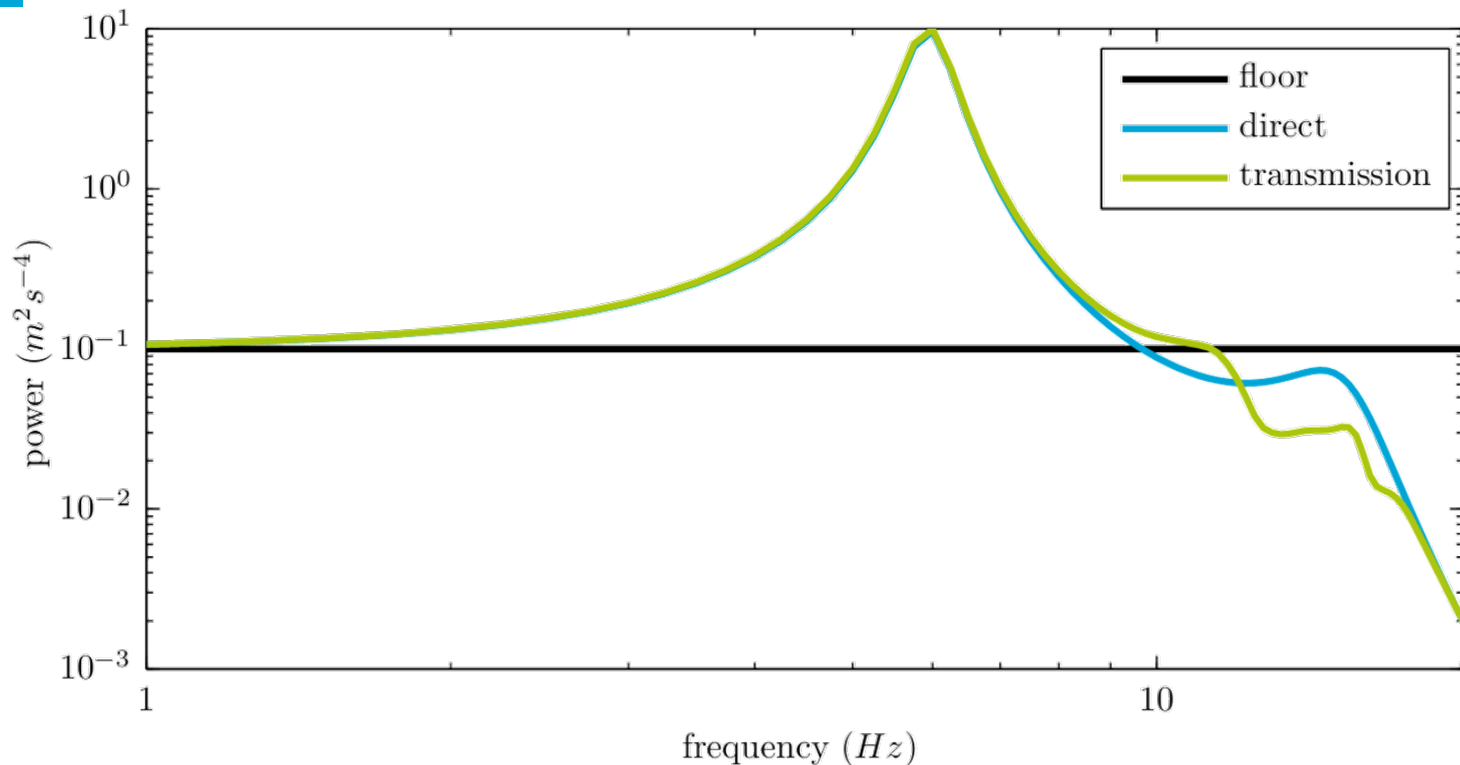
Comparison coupled response Fixed and SDOF floor



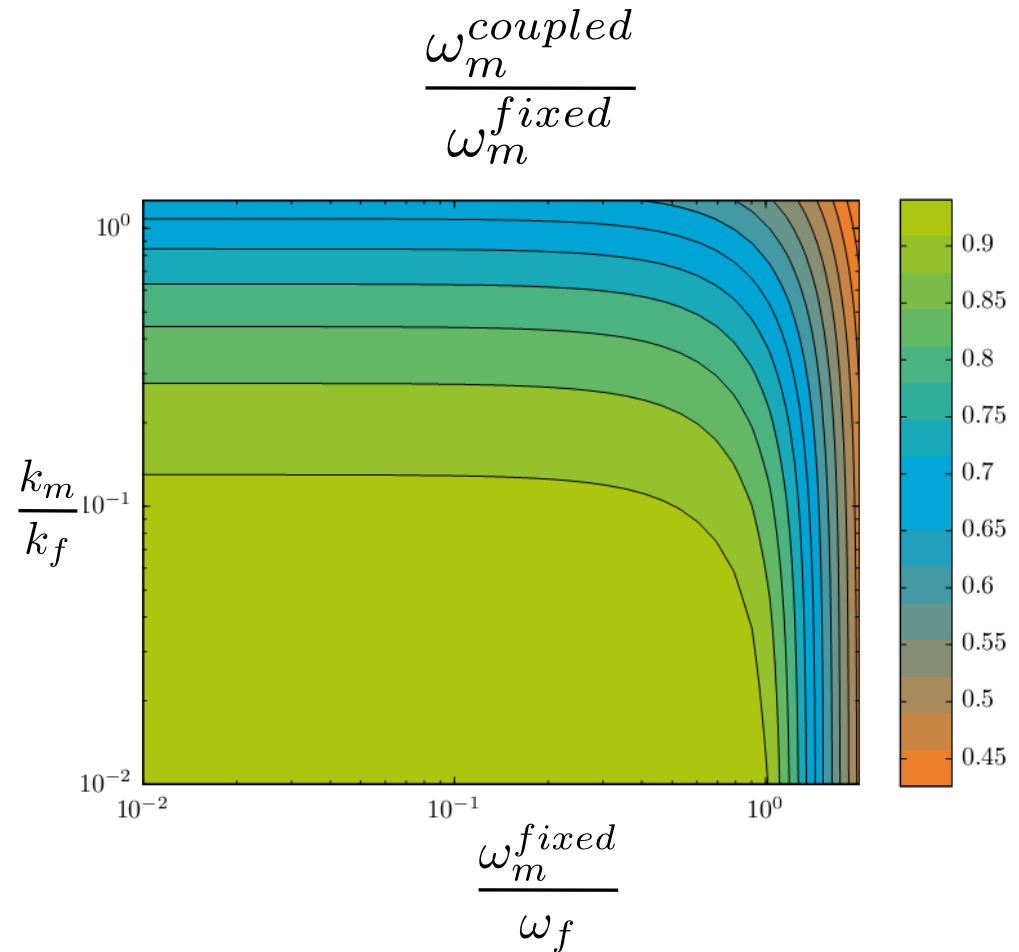
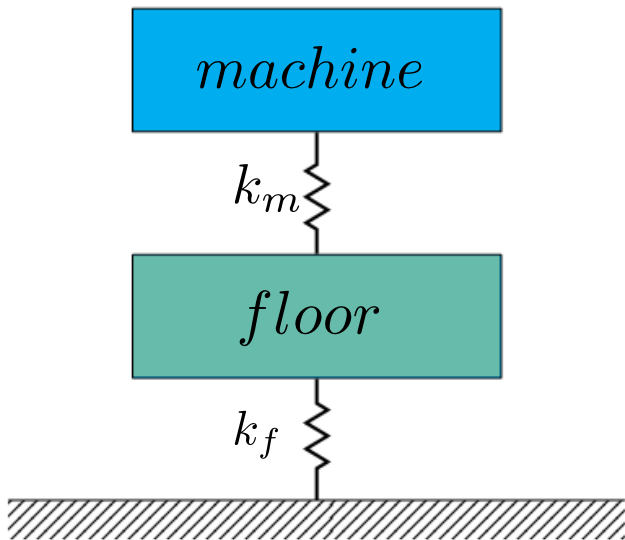
Comparison coupled response SDOF floor measurement



Comparison floor vibrations Vibrations of the tool



When should this method be applied?



Conclusions

- It is possible to predict the coupled response of a machine using the FBS technique and dynamic floor measurements.
- Single driving point coupling is a very good approximation
- Simple SDOF floor is a good approximation.
- Assuming a linearized floor stiffness is not always a good approximation
 - In most cases it is no better approximation than assuming an infinitely stiff floor.
- Ground vibration transmission technique was not validated.

Recommendations

- Always use the FBS method for floors with a low eigenfrequency, or when the mounting stiffness is equal to the floor stiffness.
 - Specify a floor stiffness and a fundamental frequency for the floor, to ensure proper operation of the machine.
 - Build a database with floor measurements.
 - Perform a model study with typical machinery.
- Validate ground vibration transmission technique on a much simpler test case.
 - Design a test case where one has more control over the test conditions.

Questions?

