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Subjects 2 and 4 - Skin Friction and Turbulence Stimulation

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The coefficient of frictional resistance for transitional flow along a smooth flat plate are generally represented by the expression

 $C_f = C_{ft} - \frac{R_n}{R_n} (C_{ft}^* - C_{fl}) = C_{ft} - \frac{K}{R_n},$

where Rn and Rn are Reynolds numbers, referred to the length of the plate and of laminar region, respectively, Cft is the coefficient of frictional resistance for

turbulent flow, taken at R_n , C_{ft} and O_{fl} are the coefficients of frictional re-sistances for turbulent and laminar flows, taken at R_n^* , respectively,

and K depends on R_n^i , being equal to $R_n^i(C_{tt}^i - C_{tl}^i)$. Prayndtl chose a value 1,700 for K to give agreement with Blasius' and Gebers' results of resistance measurements with flat rectangular plates, which was derived from $R_n = 0.485 \times 10^{-10}$ These values correspond to a comparatively late transition to turbulence, namely, the transition curve most likely to occur when the plate itself caused little disturbance, and moved into quite undisturbed fluid. But Goldstein obtained later the critical Reynolds numbers up to 1.1x10° at windtunnel experiments.

The results of detecting chemically the laminar and turbulent extents over flat rectangular plates, made at the Experiment Tank of the University of Tokyo, showed clearly the serious effects of the longitudinal edges of plates and free surface upon the flow pattern over plates. As seen

schematic

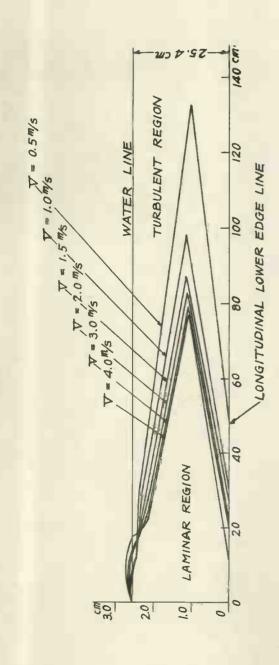
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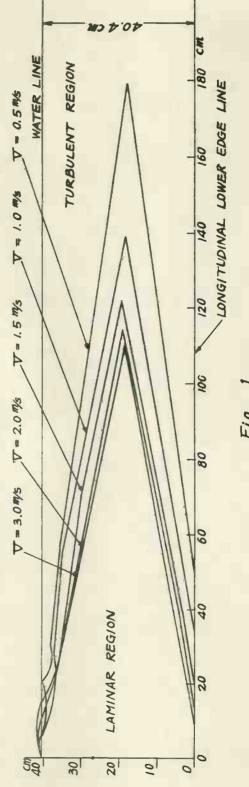
in the bough sketches of Fig.1, the laminar extent is not rectangular against our expectation, and, within these experimental results, it has always the shape of a horizontal wedge, consisting of two approximately straight lines, start-ing from the fore part of the plate and making an angle of about 10° to horizontal. Of course, at higher velocity or larger draught (or depth) of a plate, a vertical line may be expected as the aftermost boundary of laminar region, from which the critical Reynolds number free from longitu-dinal edge and free surface effects will be obtained. Fi Fig. 2 shows some examples of such vertical boundary lines, though very irregular saw-teeth shape, measured with another rectangular plate, which would be supposed to occur at com-paratively low Reynolds numbers probably due to the worse shape of its leading edge. Thus, it may be said that, besides the degree of initial

turbulence of the fluid coming up to the plate and the un-avoidable disturbance of leading edge of the plate, its draught (or depth) changes considerably the value of R, and accordingly the value of K. The former calculated, using the measured maximum length of the laminar region

over the plate of 40.4cm draught at the velocity of 3m/sin the sketches of Fig.1, is about $2.9\times10^{\circ}$, which is much higher than Blasius' and Goldstein's values quoted above, but lower than $3.4\times10^{\circ}$ obtained by Schubauer and Skramstad in 1943 as R_{m}° of flat plates placed at zero incidence in the air flow of least initial turbulence. This endorses indirectly that the value of R_{m}° obtained above is affected by the longitudinal lower edge of the plate and the free surface of water.

It may be concluded that the remarkable effects of the longitudinal edge of a plate and the free surface of water on the laminar extent over a plate increase the frictional resistance for transitional flow with the increase of the ratio of its length to draught (or depth), i.e., its aspect ratio.





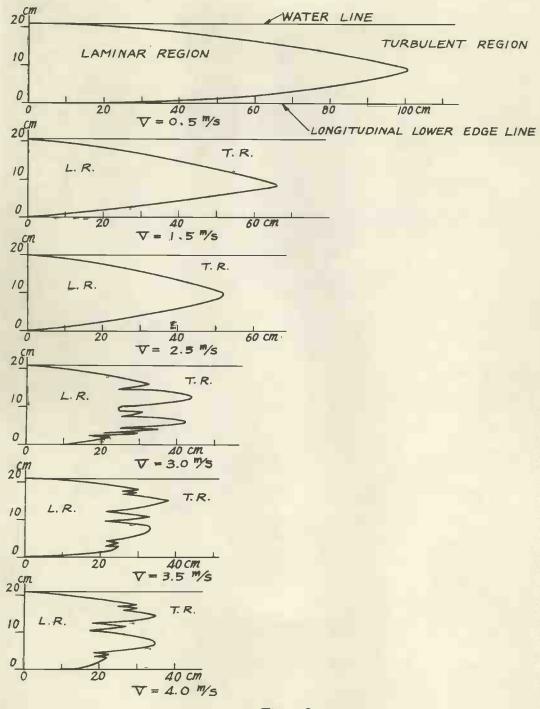


Fig. 2.