

Development, Model Generation and Analysis of a Flying V Structure Concept

by

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in partial fulfilment of the requirements for the degree of

Master of Science

in Aerospace Engineering

at the Delft University of Technology,

to be defended publicly on Wednesday the 14th of June, 2017 at 9:00 am.

Student number: 4090128

Thesis registration ID: 129#17#MT#FPP
Project duration: 1 June, 2016 – 14 June, 2017

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An electronic version of this thesis is available at <http://repository.tudelft.nl/>.

Summary

The Flying V, a concept aircraft configuration, has been proposed by Airbus and TU Berlin. The initial indications of potential improvements in performance over conventional aircraft gave rise to a continuation of the research. For this, the mass characteristics of the configuration must be explored.

A primary structure concept is conceived based on expected load paths. The original dual-tube fuselage configuration is replaced with an oval cabin concept, in which various constant-curvature arcs are adjoined. Residual forces at their connection are carried by straight members. A parametrisation is set up, for which both aerodynamic and structure concept considerations are taken into account. A CAD model for the structure concept is generated in ParaPy, a KBE framework with CAD integration and coupling to various aerodynamic and structure analysis tools.

A numerical sizing method is selected due to the complexity of the airframe geometry. A model generator is developed in ParaPy, a KBE-framework with integration of a meshing algorithm and coupling to aerodynamic and structural analysis tools. A CAD model is obtained from the model generator using a mission parameter set similar to that of an Airbus A350. The model is meshed using the SALOME algorithm for a finite element analysis.

The mesh is exported to Patran for a Nastran analysis. Between ParaPy and Patran, mesh element IDs are altered. This disables a feedback-enabled design loop. Analysis results cannot be interpreted in ParaPy. Automated design is foregone.

Patran mesh verification highlights critical and non-critical mesh errors due to the chosen geometry generation procedure. The flawed elements are redefined manually. Point and distributed loads are applied. Aerodynamic loads are obtained from Airbus' LatticeBeta full-potential 3D panel method. Uniform material properties are assigned. Due to the thin-shelled nature of the model, out-of-plane element bending stiffness is low. Excessive deformations are observed under transverse load application and in-plane panel compression. A bending stiffness correction is applied.

The model is sized for material failure and local buckling by Airbus' in-house structure sizing tool ZORRO. A validation is set up using outboard wing cross-sections. These are sized using analytical relations given the numerical procedure loads. From this it is concluded individual regions can only be assessed qualitatively due to the bending stiffness correction applied in the numerical model. Wrongly designed structure regions and load path propagation can be interpreted. Quantitative results are not omitted from the result interpretation.

An unforeseen load path is identified in the wing transition between the outboard wing front spar and root plane trailing edge. The integration of tapered fuselage within the wing transition is feasible, although the fuselage attracts more loads than anticipated. The fuselage transition behaves as expected.

Integration of the oval cabin concept into the Flying V configuration is shown to be feasible and beneficial to volume efficiency and planform design flexibility. However, the existing implementation of the cabin concept must be altered for better adaptation in existing regulations.

The assumed static stability as optimised for by Faggiano shows large discrepancy with respect to the determined static margin. Part of this is caused by the incorrect quantitative sizing results. However, it is expected that the aerodynamic profile may be significantly altered in a multi-disciplinary design procedure.

In order to obtain a correct mass estimation, a new model generation procedure is recommended in detail. This takes multiple facets into account. Geometric model continuity is ensured. A straightforward implementation of stiffener elements is enabled by introducing a foundation for this on the top-level fuselage model definition. This also adds more possibilities for designing the aft half of an aerodynamic profile for the fuselage section of the planform.

Feasible design automation consequently enables multidisciplinary optimisation. The main hurdles to overcome towards realising design automation are development of a complete model generator, further development of ParaPy 's geometry generation and Nastran coupling functionalities and feedback between analysis results and model generation. Realising these aspects in future research will finally allow solid conclusions regarding the Flying V performance to be drawn.

Acknowledgements

The completion of this MSc thesis research project concludes a chapter in my book of life. Seven years ago, I walked into this chapter, not fully grasping what to expect. I have been on adventures, big and small, significant and insignificant. The common theme however has always been the studying the Aerospace Engineering course, culminating in this MSc thesis project. The weight of the studies, and that of conducting the thesis research in particular, has been relieved by the support of several parties.

Many thanks go to my daily supervisor Klaus Bender of Airbus' Future Projects Office for his continued support, insightful advice and critical yet constructive feedback. He offered me a unique chance of working with the most interesting office of a global player in aircraft design.

My academic committee members deserve recognition. Roelof Vos and Julien van Campen provided contrasting academic guidance and feedback throughout and towards the end of the project respectively. Communicating project details with Roelof Vos over a distance of 500km and a country border was not always convenient given the available methods. However, Roelof showed understanding for and willingness to work with the situation.

The ParaPy platform has proven indispensable in automated model generation. I would like to thank the ParaPy team led by Reinier van Dijk and Max Baan for their support in development of a Flying V structure model. The many hours Max has spent with me over web calls in order to track bugs and set up a necessary remodel of the code structure has been helpful and provided useful insight in the workings of CAD geometry generation. He stood by me with exceptional motivation and a strong belief in power and capabilities of design automation.

A special mention goes to Jörn Clausen of Airbus, for sharing his knowledge and skills of Patran, Nastran and ZORRO with me. Without him, I would not have been able to circumvent the mesh and analysis issues encountered in Nastran, nor would I have obtained structure analysis results. Insightful content has been obtained with the help of Jörn.

Throughout the Aerospace Engineering course, I have enjoyed the support, trust and guidance of family and friends in various scenarios and environments. Although studying has taken us separate ways at different paces, there has always been mutual reliance, exchange of advice and support, moments of relaxation and joint effort in extra-curricular activities. Thank all of you for being a part in this.

Being a student at Aerospace Engineering in Delft has taught me useful skills, provided me with a solid set of professional values and allowed me to embark on incredible adventures. On top of that, it has set me up for a fruitful career. From it, I am taking with me a heavy but powerful toolbox called engineering, the strive for excellency and a mind that values diversity. For this, I would like to direct my final words of appreciation to the Delft University of Technology itself.

L.A. van der Schaft

Delft, March 2017

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Nomenclature

BWB	Blended-Wing Body aircraft
CoG	Centre of Gravity
CSM	Combined System Mass
CST	Class-function/Shape-function Transformation
FE	Finite Element
FEM	Finite Element Method
FW	Flying Wing
KBE	Knowledge-Based Engineering
LE	Leading Edge
MAC	Mean Aerodynamic Chord
MF	Fuel Mass
MS	Structure Mass
MTOM	Maximum Take-Off Mass
MTOW	Maximum Take-Off Weight
OEM	Operational Empty Mass
s.m.	Static margin
TaW	Tube-and-Wing
TE	Trailing Edge
UERF	Uncontained Engine Rotor Failure
Δp	Pressure differential
t/c	Airfoil thickness-to-chord ratio
$d_{itrsect}$	Intersectional span width
h_1	Crown height
h_2	Cabin height
h_3	Keel height
l_w	Cabin wall length
N_e	Number of engines
n_{ribs}	Number of ribs
N_t	Number of fuel tanks
r_1	Crown arc radius
r_2	Side arc radius
r_3	Keel arc radius
$s_{rib,max}$	Maximum allowed rib pitch

s_{rib}	Rib pitch
w_{avg}	Cabin average width
w_{cutout}	Front web cut-out width
w_c	Cabin ceiling width
w_f	Cabin floor width
$w_{t,i}$	Total fuselage width at <i>section i</i>
γ	Cabin interior angle
μ	Average cabin interior angle
ϕ	Cabin interior angle
$\psi_{interior}$	Mesh element interior angle
ρ_{fuel}	Fuel density
MPL	Payload Mass
W_{api}	Air-conditioning, pressurisation and de-icing system weight
W_{apu}	Auxiliary power unit weight
W_{bc}	Baggage/Cargo handling equipment weight
W_{els}	Electrical system weight
W_e	Engine weight
W_{fc}	Flight control system weight
W_{fs}	Fuel system weight
W_{fur}	Furnishings weight
W_F	Fuel weight
$W_{g,main}$	Main gear weight
$W_{g,nose}$	Nose gear weight
W_{hydr}	Hydraulic system weight
W_{iae}	Istrumentation, Avianoic and Electronic weight
W_{ox}	Oxygen system weight
W_{pt}	Paint weight
W_{pwr}	Powerplant weight
W_p	Propulsion system weight

1

Introduction

Since the 1950s, tube-and-wing (TaW) design aircraft have been the standard aircraft configuration. These aircraft, in which the near-cylindrical fuselage (the tube) and wing designs have been largely decoupled from each other, allowed for functionality-oriented design. Decades of tweaking the designs, partly enabled by the advent of powerful computers, have culminated into aircraft 50% more efficient in terms of fuel burn per passenger per kilometre, a primary figure of merit, compared to 50-year old aircraft [7, 8]. With the introduction of the Airbus A380, Airbus have inched closer to the limit of fuel efficiency these TaW designs can achieve, especially given the stricter operational and environmental constraints [9].

Martínéz-Val et al indicate three key performance indicators which dictate fuel efficiency, namely the engine's specific fuel consumption, the aerodynamic efficiency by increasing lift-to-drag ratio, and the structure efficiency [10]. The latter two of these are dependent on the aircraft design. Flying wing (FW) configurations improve the aerodynamic efficiency by eliminating fuselage-wing interference drag and structure efficiency by removing the need to carry a non-lifting body and accommodating inertial loads such that the internal bending moment is relieved. Liebeck, Bolsnunovsky as well as Martínéz-Val endorse the promising outlook of the Flying Wing (FW) concepts through aforementioned workings [8, 11, 12]. Their design studies, focussing on blended wing bodies (BWB) in particular, indicate the range of a FW can be increased to the order of 20%.

1.1. Problem Statement

The concept of FW has been applied to another configuration by Benad. In a collaboration between *Technische Universität Berlin* and the *Future Projects Office of Airbus GmbH* in Hamburg, Germany the Flying V concept was conceived in 2015 [3, 4] – see Figure 1.1a. Instead of the usual egg-shaped pressure cabin featured in other FW configurations, the Flying V features two highly-swept cylindrical pressure hulls constructing the V-shape. Around these an airfoil is constructed, as illustrated in Figure 1.1b. The cylindrical nature of the pressure cabins is beneficial to carrying the pressure differential loads during cruise flight [13]. The high sweep angle creates a highly elliptical cross-section streamwise, such that the airfoil constructed around it has a limited thickness ratio.

Benad's research comprised TaW handbook methods for estimating aerodynamic characteristics and the structural weight. From this, an aerodynamic improvement of 10% and a structure weight reduction of 2% given a mission similar to that of an Airbus A350-900 were obtained. However, the accuracy of the handbook methods applied to an unconventional configuration remains unknown.

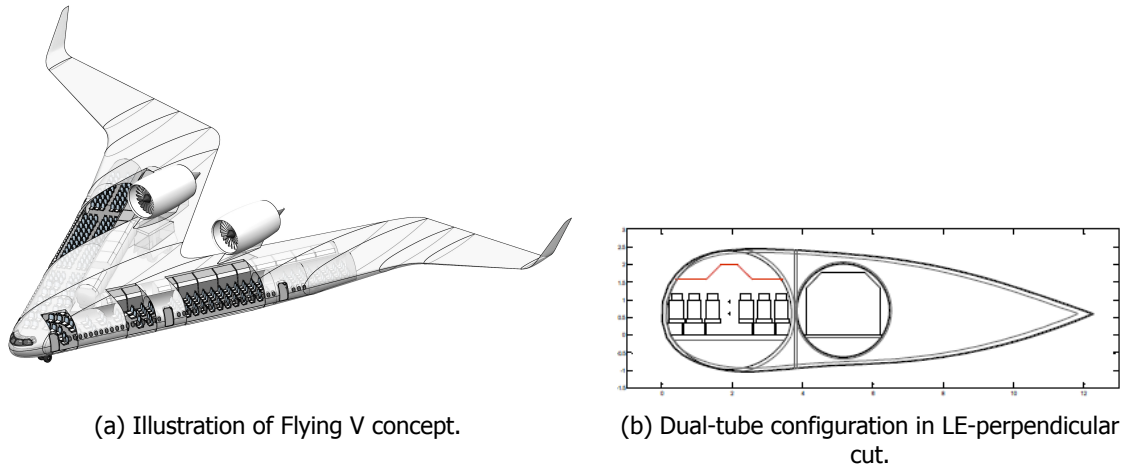


Figure 1.1: Flying V concept illustrations [3, 4].

1.2. Research Objective

This thesis project is positioned within a larger research. Its specific objective is

to design and analyse a structure concept for the Flying V configuration and estimate its mass characteristics.

In order to fulfil this objective, answers to the following main question and subquestions are sought:

What are the mass characteristics of a Flying V configuration?

- > What are the main structure components of the Flying V primary load-carrying structure?
- > How does the integration of aerodynamic and structure design translate into a Flying V parametrisation?
- > In what way must a geometry model be generated?
- > In what way can the mass of a novel configuration be estimated?
- > What are the mass and load propagation characteristics of the Flying V configuration structure concept?

Note that the full design optimisation is excluded from the scope of this project. The coupling between design parameters, aerodynamic analysis and structure analysis is purely feed-forward. Aerodynamic design and overall design are not affected by results of structure sizing.

A structure concept is generated and presented in Chapter 2. Generation of a structure model, to be used for analysis, of this concept is discussed in detail in Chapter 3. The employed sizing procedure is outlined in Chapter 4. Implementation hereof is verified in Chapter 5. Results from the sizing procedure are presented in Chapter 6. Based on these results, recommendations for future research are elaborated upon in detail in Chapter 7. Lastly, the research is concluded in Chapter 8.

1.3. Flying Wing Fuselage Structures

Several FW studies have already been conducted by Liebeck, Martínéz-Val, Denisov, Li as well as Mukhopadhyay [8, 12, 14–16]. These authors have all considered various integrations of the pressure cabin into the outer skin. Two recurring options are identified, both illustrated in Figure 1.2:

- segregated multi-bubble-like, in which several radial cross-sections are adjoined, as seen in Figure 1.2a.

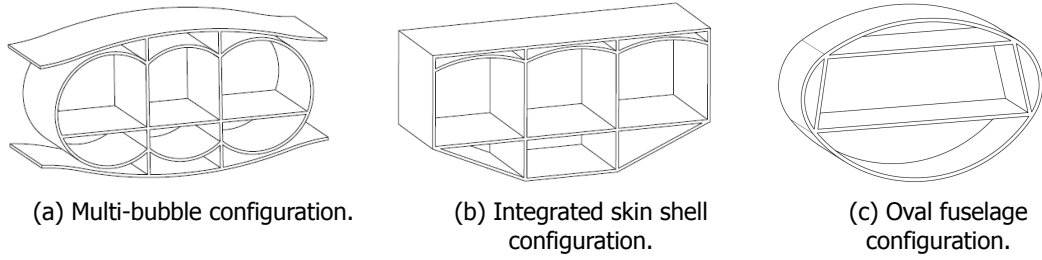


Figure 1.2: Various integral structures of wide-body cabin concepts (figures from Roelofs [5]).

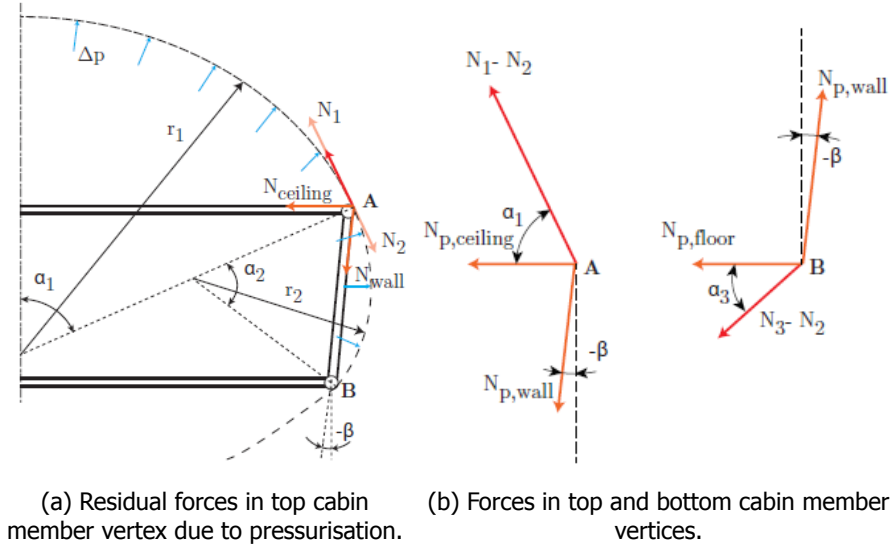


Figure 1.3: Force balance upon pressurisation of the oval cabin concept.

- stiffened-skin, in which the skin is stiffened to carry additional pressure loads, as seen in Figure 1.2b.

There is no consensus between the authors on a preferred design philosophy. For each option, there are advantages and disadvantages. The stiffened-skin approach removes the need for an inter-shell-structure and requires only a single cut-out for the egress options. The multi-bubble structure on the other hand can be better optimised to carry pressure loads independently. Both these approaches result in a closed-cabin concept due to the need for multiple mid-cabin, vertical walls.

Additionally, the authors provide some indication on the internal structure they have modelled or assumed. As their FWs do not feature a semi-span fuselage tube but rather a pressure egg, this is of limited use. The outer wing structure is generally similar to TaW designs. Often, a third main structure element is introduced spanning to the aft root section [8]. This will not be needed in the Flying V due to absence of lifting surface here. The frame and rib positioning of Liebeck's structure in particular is of relevance, for its change in orientation of the fuselage frames in the nose region, where spars attach under high sweep angles. This bears resemblance to the Flying V ideology, in which the two fuselage tubes under high sweep also act as spar members.

Lastly, a different wide-body fuselage concept, the *oval fuselage*, has been conceived by Vos, Geuskens and Hoogreef [17–19]. This concept uses different constant-curvature arcs to carry the pressure loads. These arcs are joined tangentially. At the arc connections, structure members are introduced to carry tensile and compressive resultant forces as a result of different internal bending moments between the arcs upon pressurisation of the cabin. A detail of this is shown in Figure 1.3. In addition, the walls carry the shear forces introduced by the fuselage self-inertia and payload mass. In contrast with the vaulted and multi-bubble concepts presented before, this concept features an uninterrupted cabin layout.

A cross-section of the oval fuselage can be defined by only four parameters, namely cabin height, crown

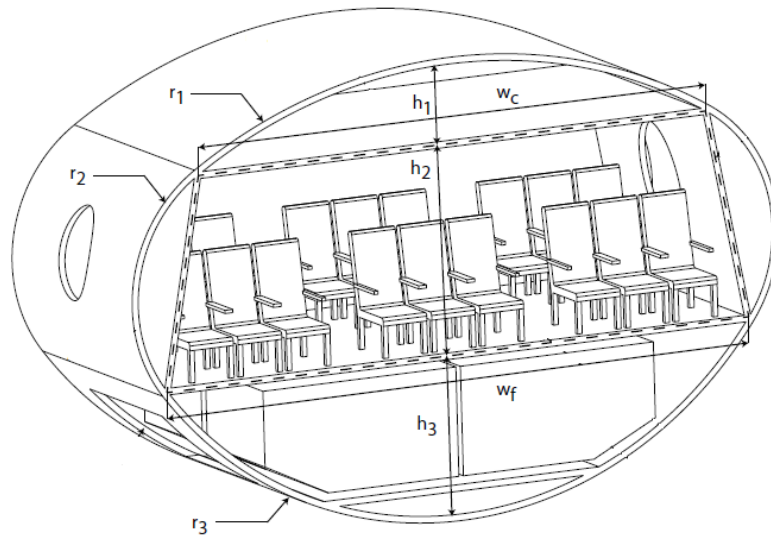


Figure 1.4: Oval fuselage cross-section definition. [6]

height (between the ceiling and top arc), keel height (between the floor and bottom arc) and cabin width, making it ideal for optimisation purposes and initial concept designs. See Figure 1.4 for a visualisation hereof.

Hoogreef, the primary researcher of the oval cabin concept, described the geometrical and force member relations in great detail. [18] By setting arc tangency conditions in the connecting nodes, the arc radii and centres of curvature can be determined. Moreover, the floor and ceiling width as well as the wall height and cant angle can be calculated. From these relations, the internal forces are determined.

A major potential threat to the oval fuselage concept is the non-uniform deformation between the various arcs, resulting in loss of form upon pressurisation. In addition, cut-outs in the cabin structure members are not investigated in the previously performed sizing research for the oval fuselage. This means that the volume between residual force members and arcs cannot yet be used for cargo. In addition, a cut-out weight penalty for ingress and egress must be considered for both the oval and cabin structure members.

1.4. Structure Weight Estimation Methods

In order to come to a feasible design solution, the airframe mass must be determined iteratively. Several methods towards this have been identified and their advantages and disadvantages have been identified by Ardema, each described below [20]. These methods can be classified as empirical, analytical and numerical estimation.

Empirical estimation requires a database for similar structures, from which relations between structure characteristics such as geometry and masses are derived at low fidelity. Roskam's method provides estimations for airframe and generic system masses [21]. Howe has expanded on this to determine a weight penalty for blended-wing body aircraft (BWB) [22].

Analytical weight estimation methods rely on appropriate simplification of the structure in order to attain a high fidelity at reasonable computational effort. This means important structure characteristics must be captured, and less important variations omitted. Should the structure employ several recurring structure configurations, an analytical tailored to each specifically must be set up. Instead of analysing the entire structure at once as suggested by Ardema, Eustace suggests breaking the structure in recurring and independent parts [23]. Analytical sizing procedures are successfully employed for wing and fuselage structures in separated fashion [5, 6, 24].

Numerical sizing has been applied in several design studies, each of which reported a major drawback was the complexity of model creation for various configuration [16, 25, 26]. By applying a knowledge-

based engineering (KBE) modelling approach, the generation of a finite element model and meshing thereof can be automated [27–29]. La Rocca outlines clearly how the automated meshing of a higher-level wing primitive (HLP) can be incorporated [29]. However, such guidelines do not exist for fuselage structures specifically, nor for FW concepts in general.

1.5. Model Generation and Analysis Platform

In order to quickly conceive a parametric model for various design parameter sets and to allow coupling with various analysis tools, a knowledge-based engineering (KBE) approach is applied in the *ParaPy* software package (version 1.0.7) [30]. *ParaPy* is a Python-based (object-oriented) KBE environment developed from a TU Delft spin-off featuring integration of the OpenCascade 3D modelling kernel, the SALOME meshing platform and various aerodynamic and structure analysis tools.

2

Structure Concept

The Flying V structure concept is based on existing structures of other FW aircraft and existing aircraft coupled to the expected load introductions. The final primary structure concept is shown in Figure 2.1a. A wide pressure cabin indicates a deviation from Benad's dual-tube configuration. Instead, an oval fuselage configuration is chosen, as elaborated upon in Section 2.1. The choice of oval fuselage implies two transition structures must be conceived – one of the fuselage along the root plane and one in the connection between fuselage and pure wing structure. These are described in Sections 2.3 and 2.4. Positioning of the gears and engine, as well as incorporating a carrying structure for these, is described in Section 2.5. Lastly, definition of fuel tank volumes follow from the generated structure. More detail on this is provided in Section 2.6.

2.1. Oval Fuselage

The oval fuselage concept is introduced to reinforce the design philosophy of Benad concerning the reasoning behind a high-sweep angle for a tandem circular fuselage configuration. The choice of this concept hinges on three main ideas:

- 1) By sweeping the fuselage cylinder, a streamwise cut results in a smaller leading edge radius and a better fit in conventional airfoils.
- 2) The airfoil is fitted around the fuselage perpendicular to the leading edge (LE). As such streamwise cut will feature a longer chord length but no increase in thickness, hence a lower thickness ratio is obtained. This again provides a better fit in conventional airfoils.
- 3) Lastly, the second cargo cylinder is fitted into the airfoil by featuring a shorter radius, as required by the cargo format selected by Benad. This fills volume in the airfoil aft of the main fuselage and enhances the used volume ratio of the airfoil, a driving factor in BWB design.

Items 1 and 2 build on the importance of tuning the airfoil design to transonic flow conditions, necessitated by the transport aircraft mission profile. These ideas are visualised in Figure 2.2a. The airfoil leading edge and thickness-to-chord ratio can still only be altered using a single fuselage parameter, providing little control over the resulting airfoil shape for the forward chord half. The oval fuselage can be tailored to airfoil requirements by changing the crown, cabin and keel heights as well as floor width – see Table 2.1.

The third idea can be clearly understood with help of Figure 2.2b. The dual tube solution is contrasted against the oval fuselage for a roughly similar airfoil. It is readily apparent that a larger volume percentage of the airfoil is utilised.

In the main fuselage, the oval fuselage cross-sections are oriented perpendicular to the leading edge. In the nose section however, the sections are oriented spanwise. By doing this, symmetry conditions

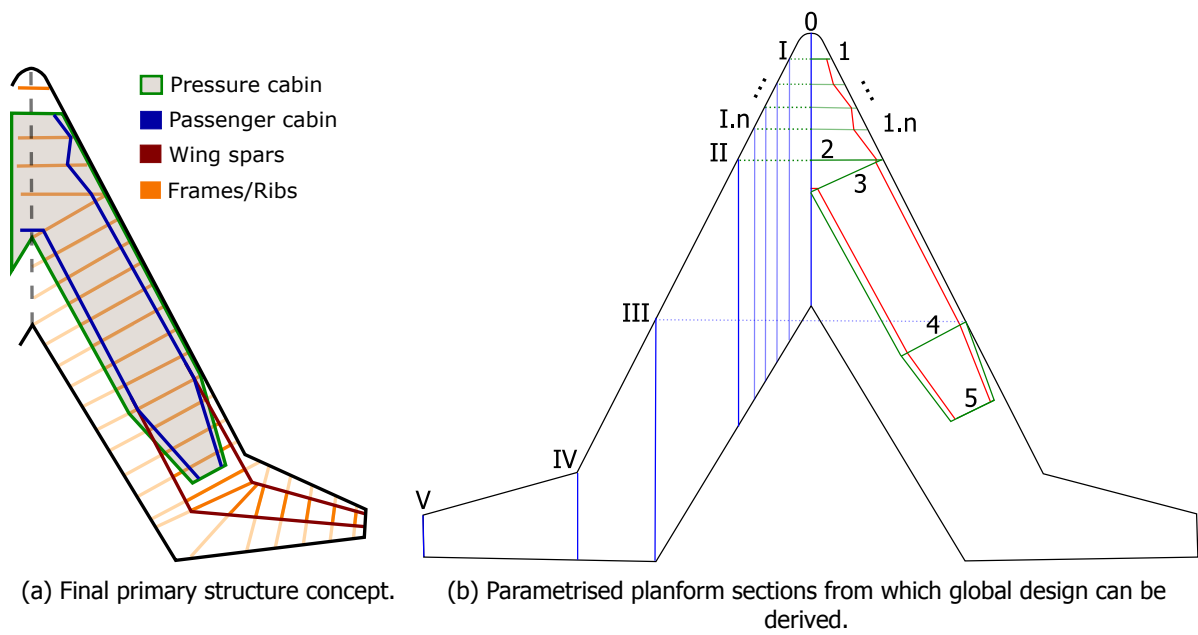


Figure 2.1: Structure concept and top-level parametrisation thereof.

Table 2.1: Relation between oval fuselage parameters and airfoil fitting.

Adjust	by changing
t/c	h_1, h_2 and/or h_3
leading edge radius	h_2 and/or w_f
camber line	h_1, h_2 and h_3

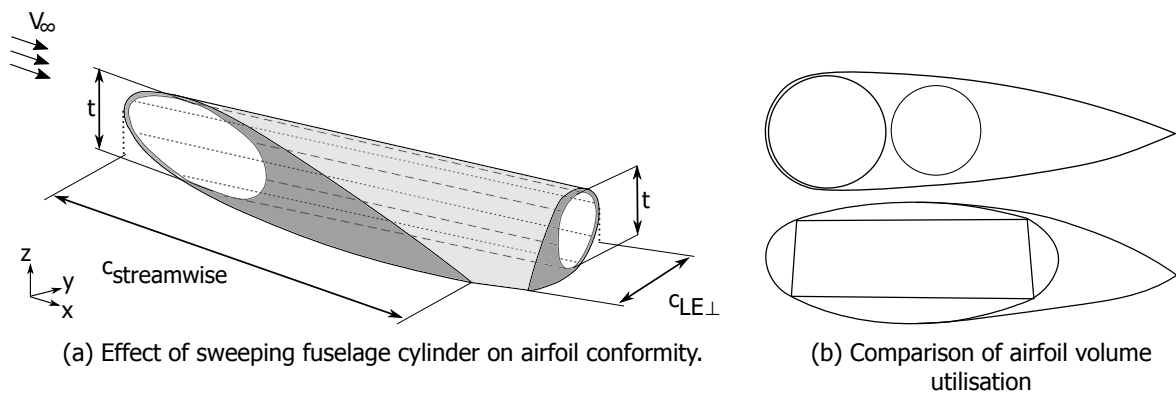


Figure 2.2: Driving ideas behind oval fuselage concept selection (based on Benad). [3]

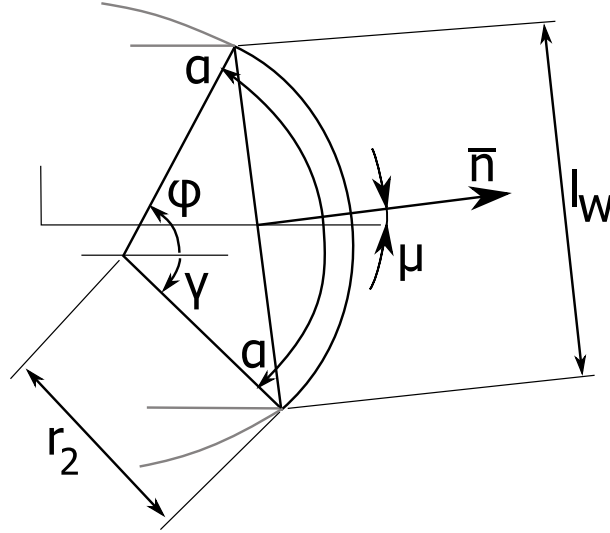


Figure 2.3: Parameters of interest for checking if node force balance is retained.

remove overly complex structures in which root-plane structure kinks are expected and in which primary load-carrying members are intersected often.

2.2. Load-carrying Structure of the Fuselage Members

As the fuselage is an integral part of the primary structure, an expected function of all components is described – this expectation can be verified by analysis of load path propagation. This is based on operational as well as manufacturing limitations. The oval arcs' constant radii ensures most efficient carrying of the pressurisation load.

In an analytical sizing by Roelofs, in which a conventional fuselage in a TaW aircraft was replaced by the oval fuselage, the walls were superimposed on the arcs [5]. This assumption corresponded well with a finite element analysis (FEA). Interchanging the function of carrying shear loads between arc and wall is allowed. To maximise enclosed area to carry torsion loading as effective as possible, the oval arcs should carry all flight loads.

On the inboard half of the oval fuselage – not defined for the nose section due to root plane symmetry – the airfoil ribs attach. For manufacturing reasons, it is beneficial to attach these to a flat surface. This eliminates the replaces the inboard arc with the inboard wall as main shear web. It is then of interest to see whether a stiffened wall can also carry the pressure loading instead of the arc. A look is shed upon the dependence of residual forces in the oval nodes cancelling out.

The resultant forces in horizontal and vertical direction for a pressure differential Δp applied to the wall with length l_w under an angle $\mu = \frac{\phi - \gamma}{2}$, as seen in Figure 2.3, is calculated using Equation 2.1. The resultant forces for the curved arc subject to the same pressure differential is given by Equation 2.2.

$$\begin{aligned} P_{f,x} &= \Delta p l_w \cos(\mu) \\ P_{f,y} &= \Delta p l_w \sin(\mu) \end{aligned} \quad (2.1)$$

$$\begin{aligned}
P_c &= \int_{-\gamma}^{\phi} \Delta p r_2 \cos(\alpha) d\alpha \\
&= -2\Delta p r_2 \sin\left(\frac{\phi + \gamma}{2}\right) \\
P_{c,x} &= P_c \cos(\mu) \\
P_{c,y} &= P_c \sin(\mu)
\end{aligned} \tag{2.2}$$

Upon equating the horizontal components, a ratio $\frac{l_w}{r_2}$ is found.

$$\frac{l_w}{r_2} = -2 \sin\left(\frac{\phi + \gamma}{2}\right) \tag{2.3}$$

From geometrical relations, it can be shown that

$$l_w = \sqrt{(dy)^2 + (dx)^2} = r_2 \sqrt{(\sin(\gamma) + \sin(\phi))^2 + (\cos(\gamma) - \cos(\phi))^2} \tag{2.4}$$

Equations 2.3 and 2.4 are only equal if $\phi = -\gamma$, implying a vertical wall. Otherwise, the fuselage cross-section is out of balance and will deform under pressurisation until this balance is restored, warping the shape. The severity of this warping was not investigated. The function of carrying pressurisation loads of the oval arc components cannot be transferred to the cabin walls.

2.3. Fuselage Sweep Transition

The fuselage sweep transition is defined as the fuselage loft between *section 2* and *section 3* (see Figure 2.1). Shells are created between the oval arc and cabin member pairs. These function as a closing of the pressure cabin and continuation of the "front spar" respectively. The front edge of the outboard wall is projected normally onto the root and a shell is created in between, creating the front web. Similar root plane connections are made for the top and bottom oval shells, ceiling, floor and inboard wall. This establishes a box-like structure connection through the root plane which is considered the equivalent of a conventional wing carry-through structure.

This structure is presented in Figure 2.4. The front web features a cut-out in order to maintain an open cabin concept without structure members limiting the space utilisation. The definition of this cut-out is given in Figure 3.1.

2.4. Fuselage-to-Wing Transition

The purpose of the fuselage-to-wing transition is to connect the primary structures of the fuselage and wing sections and transfer loads between these. The front and rear wing spar must be linked to the fuselage front oval arc and rear cabin wall respectively. On top of that, the fuselage crown and keel arcs must connect to the wing box skin surfaces. This is effectuated by taking the profiles from the start of the fuselage tapered section.

From here, the wing shape transforms into that of a pure wing and as such cannot continue to accommodate the full oval fuselage. By reducing the cross-section dimensions, a fit is ensured. Over this span of the fuselage, ribs with cut-outs connect the cabin to the wing box of the transition primary structure. See Figure 2.5 for a detail. In order to prevent too short rib webs close to the fuselage tapering start, additional frames may be introduced to improve stiffness. These are not implemented as it is expected the connection between passenger cabin and outer shape, introduced by the rib web, ensures sufficient structural rigidity.

The rear wing spar is extended inboard and the fuselage "aft spar" is extended rearward until they intersect. The same is done for the forward spar solution, except that the outboard cabin wall profile is used instead of the outboard oval arc. The top and bottom shells of the wing box are constructed using the skin surface between these spars.

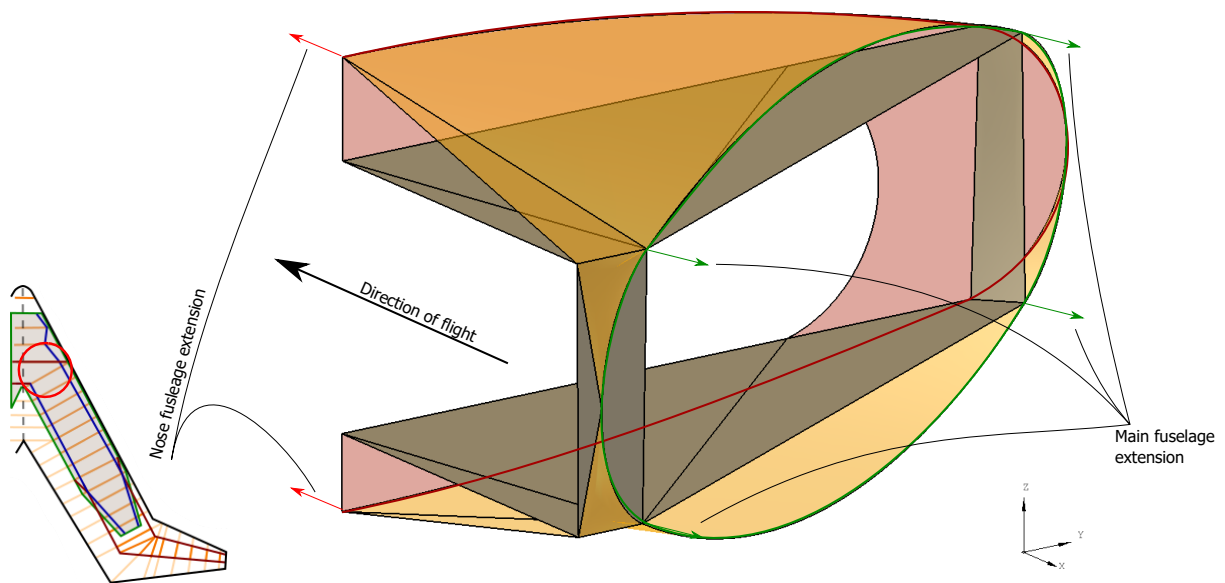


Figure 2.4: Detail of fuselage sweep transition structure.

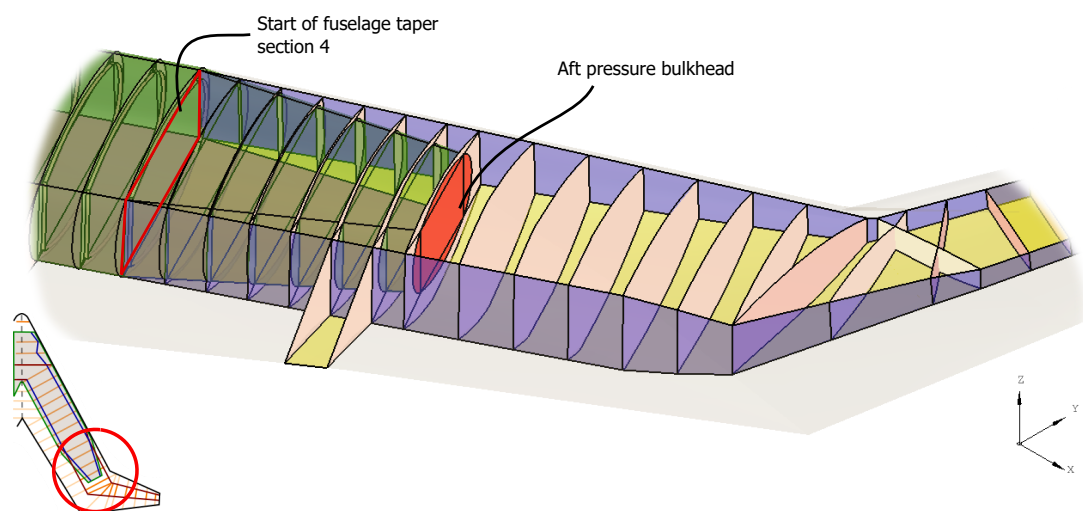


Figure 2.5: Concept fuselage-to-wing transition.

Wing rib placement is varied through the transition. Starting from the end of the pressure cabin, the ribs are position equidistant until the kink rib. In the analysed model, the initial maximum rib spacing was set to 0.5m. The kink rib connects the forward and aft spar kinks. Outboard of the kink rib, positioning of the ribs is such that the forward and aft spars are divided into equal-span sections. Outer shape definition in the model generator created a kink in the skin – this is supported by an additional rib between the kink and wing ribs.

2.5. Engine and Gear Positioning

The engine is positioned aft of the passenger cabin and close to the fuselage aft spar. This position will be varied during the sizing process in order to change the structure centre of gravity (CoG) such that the CoG assumed by Faggiano is approximated. Uncontained engine rotor failure (UERF) is not taken into account in this study, but must be considered either in engine placement or nacelle design in future studies.

Positioning of the aft gear must be done such that existing regulations on aircraft performance are satisfied. The major considerations to be taken into account for aft gear placement are derived for take-off, landing and airport ramp scenarios:

- Upon take-off, the relatively small aft lifting surface must be able to rotate the craft. This provides a lower limit on the arm of this surface to the rotation point (the gear).
- At any attitude throughout the relevant flight envelope, the wing tips may not strike the ground. A limit can be derived for the aft-and-outboard gear positioning.
- The maximum gear track is defined for airport operations, introducing a maximum limit on the spanwise position. A minimum limit can be derived from required ground stability during sideways acceleration in turns.

The expected required angle of attack for take-off and landing is not considered to change considerably compared to conventional aircraft. The reason for this is that the entire wing features conventional profiles which provide lift over the entire chord. As such, the gear characteristics can be kept comparable to those of conventional TaW aircraft.

2.6. Fuel Tank Placement

The Flying V concept provides many options for fuel tank placements. Aside from the conventional location in the wing, as seen in TaW designs and ideal for providing bending relief, significant fuel volumes can be found in the following locations. These are also visualised in Figure 2.8.

- The transition wing box – ideal as it features a high vertical space due to proximity of the fuselage.
- Aft and inboard of the fuselage – the absence of movable wing surfaces allows for storage towards the trailing edge.
- In the fuselage keel – a low height but long span provides a long arm to the aerodynamic centre, meaning effectiveness as a trim tank is increased. However, this may interfere with certification requirements for gear-up landings.

The wing transition tank pictured features a section flush with the pressure bulkhead. The tank section flush with the fuselage is invalidated due to conflicting spatial position of the aft pressure bulkhead under pressurisation.

2.6.1. Transitional Element between Wing Transition and Fuselage

Between the wall profile at *section 4* (see Figure 2.1) and the outboard oval arc one station upstream, an extra shell is introduced to transfer loads directly to the fuselage equivalent front spar. See Figure 2.6 for a detail. In the analytical model, this was not required as loads were transferred one-to-one between the booms.

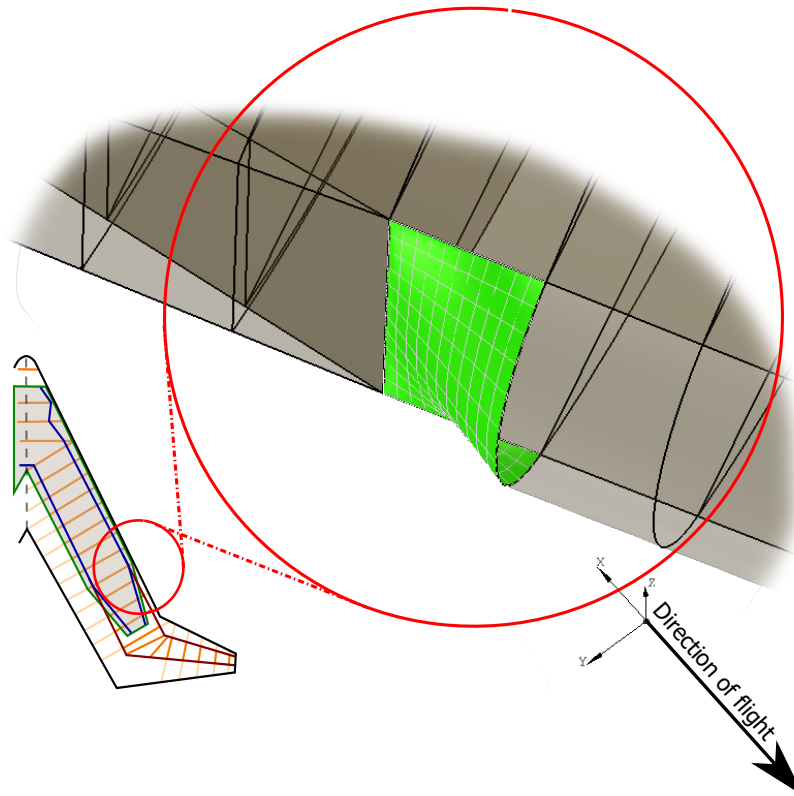


Figure 2.6: Extra element between fuselage and wing transition spars included for FEA.

subsectionRib Extension Boxes for Engine and Gear Support The loads are no longer mapped to an equivalent beam. Additional structure members must be introduced to support the engine and aft gear. These are not positioned within an existing structure member, but aft of the fuselage and transitional wing box. The procedure for generating these extra structures, the so-called rib extension boxes, is detailed in Figure B.3 in Appendix B. The closest pair of ribs are extended aft, as shown in Figure 2.7. Close to the wing root, the ribs do not end in the trailing edge but rather along the chord of the root profile. In this case, the aft edges of the box are rewired and a *PlanarFace* lid is created to be sewn in.

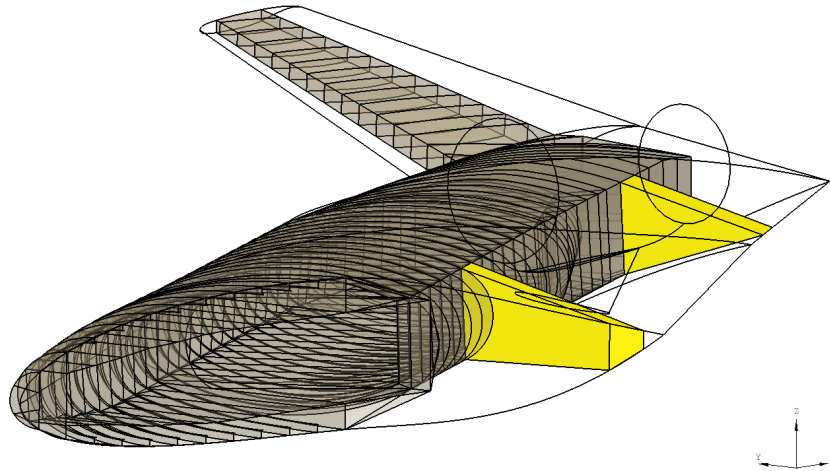


Figure 2.7: Extension boxes added for engine and aft gear support, highlighted in yellow.

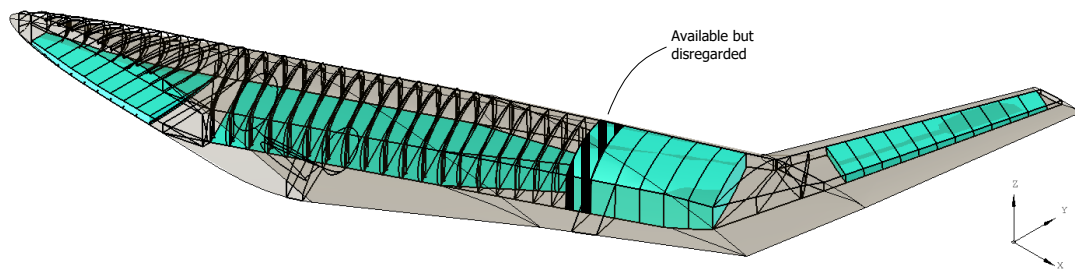


Figure 2.8: Potential fuel volumes in the Flying V planform.

3

Model Generation

A CAD-model is generated from the structure concept. a knowledge-based engineering (KBE) approach is applied in the ParaPy software package (version 1.0.7) [30]. With this, a parametric model for various design parameter sets is quickly conceived and coupling with various analysis tools is enabled. ParaPy is a Python-based (thus object-oriented) KBE environment developed from a TU Delft spin-off featuring integration of the OpenCascade 3D modelling kernel, the SALOME meshing platform and various aerodynamic and structure analysis tools. A parametrisation of the Flying V is set up based on aerodynamic and structure design considerations. By combining these parameters with design rules described in Section 3.3, a structure is generated.

3.1. Global Parametrisation

The Flying V global design, i.e. the wing shape, is closely tied to aerodynamic requirements and structure limitations. Several sections are identified for structure and aerodynamic parametrisation, at which varying sets of parameters must be defined. The sections are visualised in Figure 2.1b, the relevant parameters are listed in Table 3.1. For all entries where a fitting is referenced, the fitting is established using error minimisation with SciPy's SLSQP minimisation algorithm. For the parameter fittings, a lower bound is set to $0.1m$ for the nose floor widths and floor width in order to prevent non-feasible cross-sections. The outboard wing aerodynamic sections are defined using a *class-function/shape-function transformation* (CST) method [31].

The root and LE profiles are Bezier-curves with tangency conditions at the root plane and connection to section 2. Additional control points may be introduced by the user. Faggiano has used a difference parametrisation. As such a mismatch between aerodynamic force introductions and the new geometry occurs between $0m$ and $5m$ from the nose tip. As can be seen in Figure 4.2a in Chapter 4, the aerodynamic loads in this region are average. The effect of the non-conforming structures is therefore assumed minor.

In order to maintain the constant radii along the arcs of the Flying V, several restrictions are identified by Hoogreef and Schmidt [6, 18]:

- The cabin midpoints must lie on the same out-of-plane axis.
- The oval sections must share a lateral plane of symmetry.
- The oval section definition planes must be parallel.

These provide a strong dependence for positioning between defining oval sections with respect to each other.

Table 3.1: Description of planform sections.

Structure section	h_1	h_2	h_3	w_f	x
1-1.n	root profile	user-defined	root profile	LE profile	user-defined
2		user-defined		fit to $w_{t,3}$	touching LE
3		user-defined			touching LE
					touching LE
4		user-defined			upstream of
					TE kink
5		user-defined			fit into
					wing shape
Aerodynamic section	Method				x
I-I.n	Fit to streamwise cuts of cabin				<i>sections 1-1.n</i>
II	Fit to projection of <i>section 3</i>				<i>section 2</i>
III	Fit to projection of <i>section 3</i>				<i>section 3</i>
IV	CST from aerodynamic optimisation				On LE kink
V	CST from aerodynamic optimisation				On wing tip

3.2. Structure Parametrisation

The outer wing shape has been shaped by a planform parametrisation with joint aerodynamic and structure considerations. In addition to this, the internal structure is parametrised such that flexibility in the primary structure is incorporated. The number of variables is limited by using global parameters instead of one for each component. The introduced parameters are:

- Wing rib pitch.
- Fuselage frames:
 - > Pitch
 - > Web dimension
 - > Flange width
- Wing spar locations

Wing rib pitch and fuselage frame pitch specify the maximum allowed spacing between the individual frames or ribs. It is defined for each fuselage and wing section and recalculated for each of these sections, as described in Section 3.3. In the current model, a linear rib distribution is implemented.

The fuselage frame dimensions are determined for the webs and flanges as two groups. The web dimension is varied with the outer web wire circumference; this is scaled by a user-defined factor. For this model, it is scaled to 90%. The flange width is specified at $0.1m$ for all flanges. Lastly, wing spar locations are set at a percentage of the local chord length.

3.3. Design Rules

Modelling of the Flying V was finalised using multiple design rules. The ones with most significant impact are described here.

3.3.1. Front Web Cut-Out Width

In order to maintain the open cabin concept, a cut-out is introduced. The geometry of this cut-out is dictated by the cut-out width w_{cutout} , ceiling width w_c , floor width w_f , cabin height h_2 and side arc radius r_2 , see Figure 3.1. The cut-out width w_{co} is determined by user input. The constraint in Equation

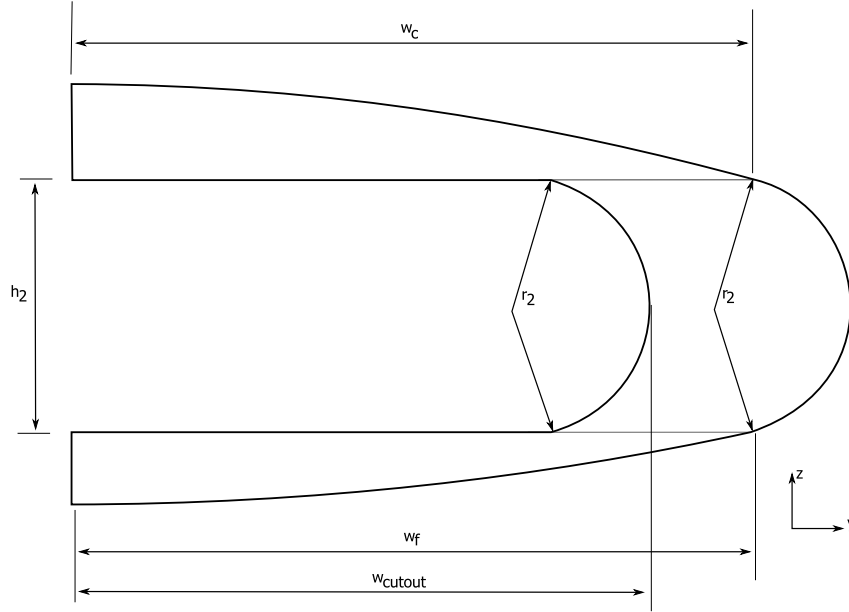


Figure 3.1: Front web geometry.

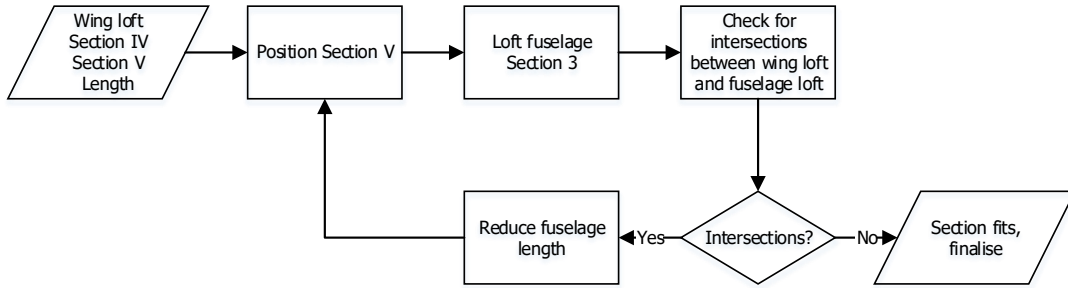


Figure 3.2: Scheme for fitting *section 5*.

3.1 applies.

$$\frac{h_2}{2} - r_2 \leq w_{cutout} \leq \frac{w_c + w_f}{2} \quad (3.1)$$

The expected bending load is around the y -axis. The top and bottom edges of the cut-out are supported by the ceiling and floor structure respectively. Therefore, it is not expected that the cut-out requires additional flanges unlike the frames.

3.3.2. Fitting of Fuselage Section 5

Fuselage section 5 is, as per Table 3.1, fully user defined. In order to fit it into the transition wing box, the position along the main fuselage's longitudinal axis is varied. This is done according to the scheme in Figure 3.2. The check for fit is made geometrically. The section is considered internal if no intersections exist between the outer shape and *section 5*, and the maximum z -coordinate on the section wire is smaller than that of the airfoil. The implemented reduction scheme is based on a 5% reduction of the current section length in order to reduce process time.

3.3.3. Frame and Rib Spacing

Frame and rib spacing are determined per inter-sectional part of the structure. A maximum rib pitch is defined by the user. The number of ribs is calculated from the inter-sectional span and maximum rib pitch and subsequently rounded to the next integer. From this number of ribs, a new required rib pitch is calculated.

$$s_{rib} = \frac{d_{itrsect}}{n_{ribs}} \text{ with } n_{ribs} = \text{ceil}\left(\frac{d_{itrsect}}{s_{rib,max}}\right) \quad (3.2)$$

3.3.4. Transition Ribs

The transition consists of multiple, differently oriented sections. There is a span in which the tapered fuselage is contained – rib position is defined by fuselage frame spacing. Next comes the span to the kink rib. The kink rib is a rib oriented such that it connects the two spar kinks, created by extending and intersecting the fuselage spars and wing spars with each other. The distance used to determine rib pitch between *section 5* and the kink rib is equal to the shortest of the distances between *section 5* and the projections of the front and rear spar kink onto the fuselage axis.

Multiple ribs are defined between the kink rib and *section IV*, spanning between the front and rear spar sections between the kink rib and first wing rib. User-defined fractional input determines where these ribs are placed along the spar sections. The tilt is based on the same fractions, varying linearly between the kink rib tilt and the first wing rib tilt. Note that the first wing rib is not placed along *section IV*, but rather further outboard as explained next.

3.3.5. Wing Ribs

An imaginary axis is constructed halfway between the wing spar centrelines in order to determine the positioning of the wing ribs. The inboard and outboard leading and trailing edge points are projected onto this axis such that the distance between point and projected point is minimised. The shortest distance between these inboard and outboard projected points is taken as the wing span for which the rib pitch is determined. This is done according to the same method outlined for the transition ribs. An additional tip rib is placed at the outboard streamwise section. No streamwise wing root rib is implemented, given the different orientation of the surrounding ribs.

3.4. Structure Generation

An overview of the logical flow of the structure generation process with its interdependencies is shown in Figure 3.3. Detailed generation flowcharts can be found in Appendix Section B. The *Compound* operation implies the structures are collected logically, but not connected geometrically.

The *General Geometry Generation* activity, shown in Figure 3.3, concerns itself with the hybrid model generation in which the sections as in Figure 2.1b are generated. It is important to note that in this activity group, the aerodynamic model and structure model are already decoupled. Faggiano made the design choice to use the oval fuselage cross-sections, extract sample points from the edges and fit a new curve through these.

The fuselage and wing structure activity groups, of which details are provided in Figures B.1 and B.2, are connected through the exchange of information on the rib planes and the outer shell geometry. Frame generation is detailed in Figure 3.4. After the separate structures are compounded, the fuel tanks are sized based on faces making up fuel volumes between the ribs.

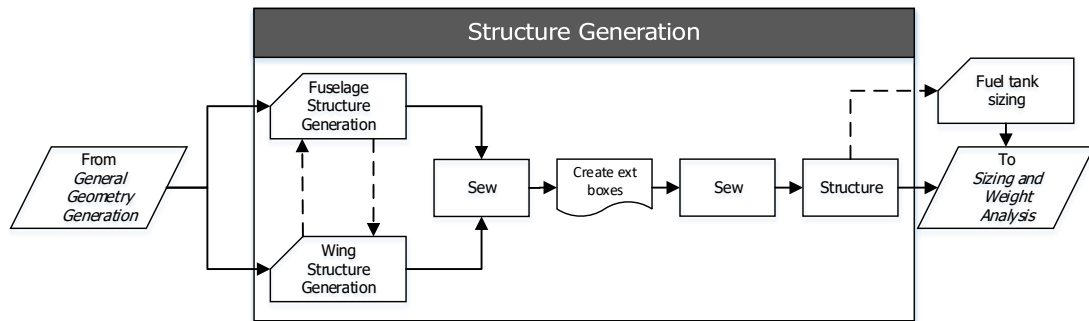


Figure 3.3: Overview of structure generation process.

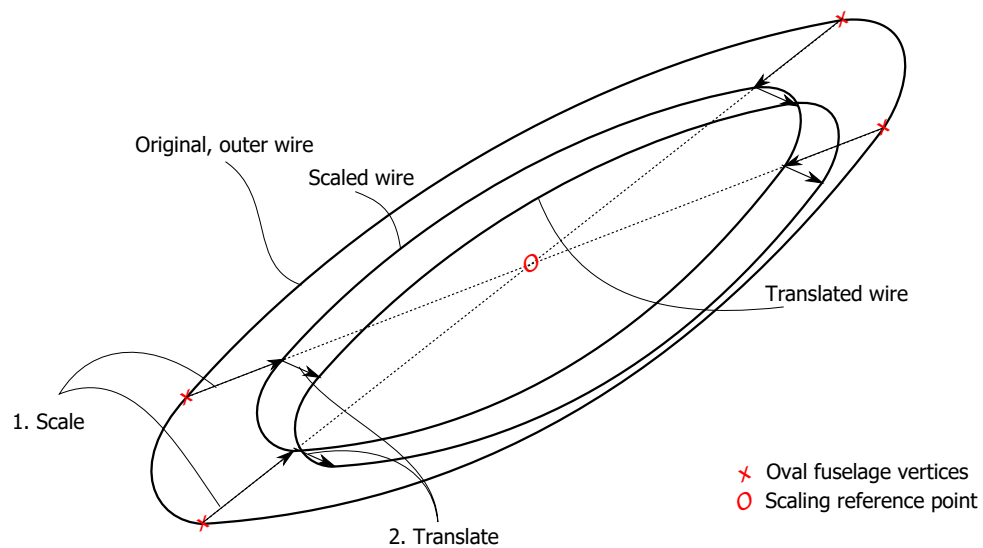


Figure 3.4: Visual representation of frame generation procedure.

4

Sizing Method

The various sizing methods have been outlined in Section 1.4 from which a preferred method, or combination thereof, must be selected. The objective is to obtain a mass estimate for the primary structure. The various methods are assessed on applicability, achievability, accuracy, flexibility and resource-intensiveness in Section 4.1. A sizing procedure is discussed in Section 4.2.

4.1. Weight Estimation Method Selection

The empirical method is not fully applicable to the Flying V configuration as no physical demonstrator exists. As noted in Section 1.4, existing relations for non-structure system masses hold true and can be used to successful extent. The method is achievable, consistent with the desired order of mass estimation accuracy and flexible for different system types as no variations are considered. The simple nature of the relations mean few computational resources are needed.

The analytical sizing can be applied in varying degrees of accuracy depending on the made assumptions and simplifications. Accuracy of the results fully depends on the made simplifications. However, flexibility is low because models are based on the assumptions tailored for each cross-section. Addition of a different cross-section requires an addition in every analysis module for that specific cross-section. Required computational power varies with the level of detail. Schmidt and Vos have shown the flexibility of analytical fuselage sizing which Roelofs has consecutively applied to the oval fuselage concept [5, 32]. Elham has developed a similar boom-sizing method for conventional wings, which can be implemented in similar fashion [24].

The numerical sizing method is often not chosen due to the time-intensive model and mesh creation for every configuration update, limiting flexibility of the method. Nevertheless, La Rocca and Van Tooren have demonstrated the required effort can be severely reduced by applying a knowledge-based engineering (KBE) approach. This enables automation of model and mesh generation, which can be modelled in ParaPy [29]. This leaves more time for the user to implement different configurations and even allows for a fully-automated design procedure.

The Flying V structure presented in the previous chapter features multiple unique cross-sections. The fuselage frames extending into ribs differ between one another. The cabin parameters are out of the validated range of Roelofs' method. Setting up an analytical sizing for this structure approaches a FEA-based sizing procedure. Therefore, an FEA-based is set up using available software.

4.2. Sizing Procedure

The ideal sizing procedure features a feed-back loop between analysis results and design model generation, as presented in Chapter 7. However, ParaPy functionality does not feature sufficient integration with Nastran analyses:

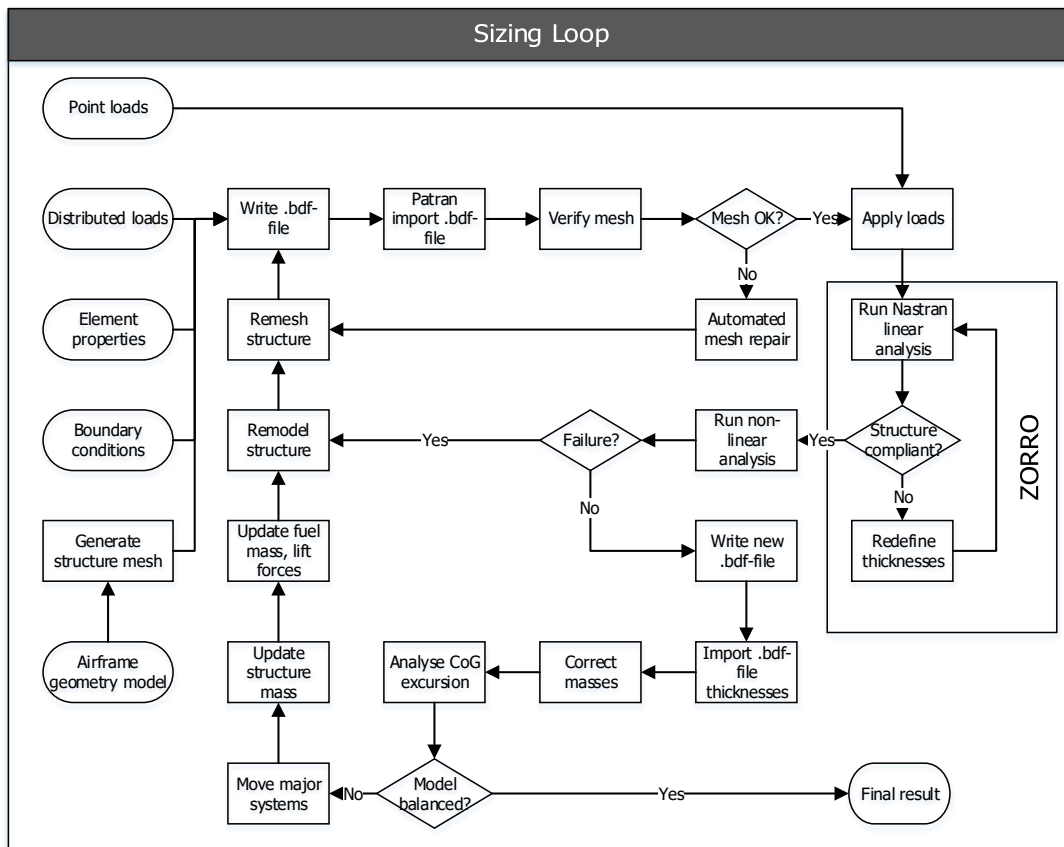


Figure 4.1: Applied single-iteration sizing procedure.

- Upon importing the .bdf-file into Patran pre-processing, material references were limited to a single material (a second material was included for testing purposes). Additionally, element shell properties were also limited to a single property object. Load cases, face groups and boundary conditions were not imported.
- Mesh IDs were changed between ParaPy and Patran.

Because of these two limitations, *it is not possible to read back a ZORRO-generated .bdf-file of the same structure into ParaPy and match the new element thicknesses to the old elements.*

A limited sizing procedure is set up for a single iteration, using one design parameter set. This procedure is presented in Figure 7.1. Use is made of ParaPy's limited coupling to Nastran for structure analysis. Sizing of the primary structure and residual load minimisation is handled by ZORRO, Airbus' in-house preliminary structure sizing software.

4.2.1. Loads

The introduced loads are categorised as point loads and distributed loads. Point loads are provided to the Patran pre-processor as a list of force vectors at a spatial coordinate. ZORRO connects these forces to a selected section of the structure mesh using rigid bar elements. Distributed loads are applied directly to mesh elements.

Table 4.1: Load factor flight conditions.

Load factor	2.5 G	-1 G
Mass [kg]	250000	250000
Angle of attack [°]	10	-7
Mach	0.45	0.38

Point Loads

The point loads comprise aerodynamic loads as well as both distributed and discrete system loads. For analytical sizing, planar AVL results were used. These cannot be applied to the FEM model. The planar results contain the solutions for the upper and lower pressure distributions. Connecting these to the outer shells of the model will not correctly apply the local dynamic pressure loading.

Faggiano has provided a surface pressure distribution for cruise conditions. Obtaining the pressure force direction and projecting this onto the structure as per the procedure described in Appendix D.4 proved resource-intensive due to the large amount of geometric operations performed. Memory issues were encountered. An alternative was sought and found in Airbus' *LatticeBeta*. *LatticeBeta* is a full-potential 3D panel method, calculating a load distribution for given streamwise profiles of the outer wing shape and a Mach number.

For both load case load factors, an aerodynamic load distribution is determined. These are presented in Figure 4.2. The flight conditions for these loads are determined from a basic manoeuvre envelope and CS-25's definition of manoeuvre speed. These are listed in Table 4.1. The mass was assumed $2.5 \cdot 10^5 \text{ kg}$, similar to an A350 maximum take-off mass. Gust loads were not taken into account, as they are usually not predominant for the manoeuvre speed [1]. The angle of attack α was taken such that local stall almost occurs.

Note that for both load distributions, an increase in the loads occur on both the top and bottom surface of the outboard wing trailing edge. This contradicts expectations and is likely the result of a long cusp trailing edge profile. The magnitude of the net force balance along the trailing edge is as expected. As the spatial points for these pressure forces are almost identical, application to the mesh model will be done by connecting the pressure force pairs to identical nodes, except for one or two (out of ten). Therefore, cumulative bending load effects are not expected to be observed in the final ZORRO results.

The discrete system masses estimated using Roskam's method comprise the front and aft gears, the engine and the auxiliary power unit. A position is determined by means of intersecting a box of approximate dimensions with the wing shape. The CoG is geometrically determined, implying the assumption of isotropic mass distribution throughout the system volume. The engine position is determined from the geometric CoG of the cylindrical engine model by Faggiano. Each of these systems' line of action is shown in Figure 4.3

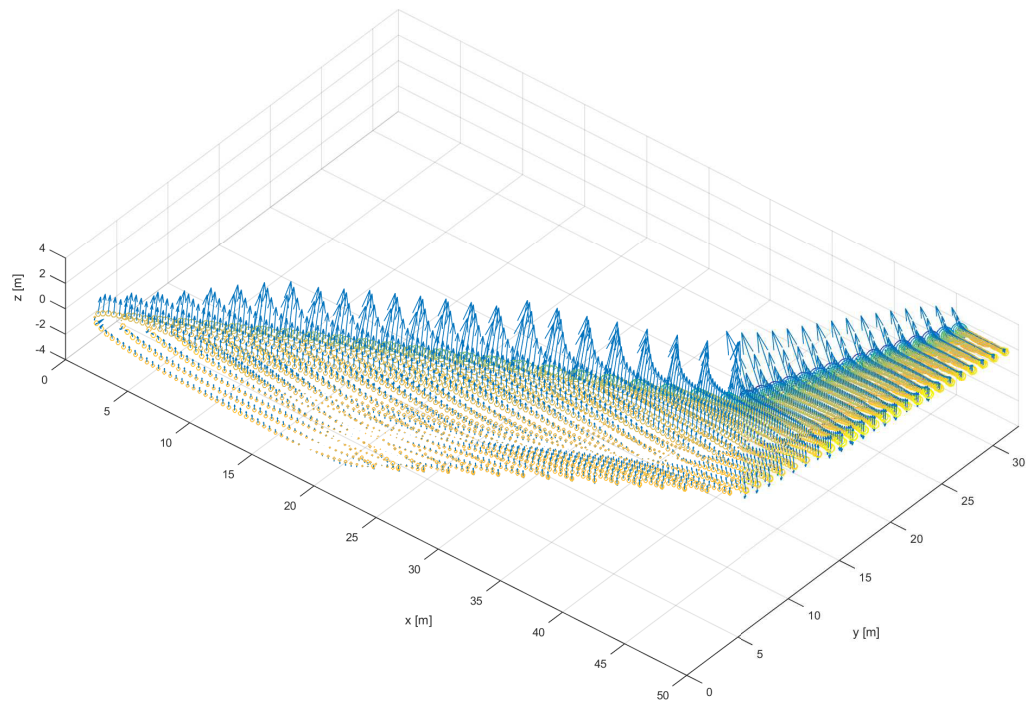
Distributed Loads

Distributed loads are a collection of the pressurisation load, the cabin floor loading and the fuel tank bottom loading. Each distributed load is then collected in a mesh face group, further discussed in Section 4.2.5.

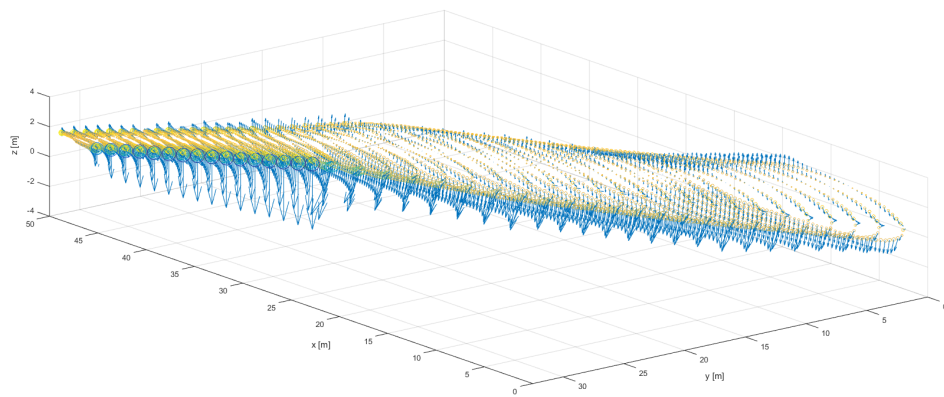
The pressurisation load is determined from the operation ceiling altitude pressure $p_{ceiling}$ and the cabin altitude pressure p_{cabin} . Values for these are provided in Table 4.2. The cabin floor loading is set at 21.5 kN/m^2 , based on an empirical value from Niu [33]. The fuel loading varies with the volume of each tank section (which is determined per fuel tank) and the fuel density. Fuel density is assumed at $\rho_{fuel} = 800 \text{ kg/m}^3$.

Miscellaneous System Masses

Several system masses are distributed over part or all of the FEM grid elements. This is done by the division in Table 4.3. The *Fuselage*-component in this table comprises passenger cabin and pressure



(a) 2.5G load case.



(b) -1G load case.

Figure 4.2: Isometric view of applied aerodynamic load distribution.

Table 4.2: Design pressure altitudes.

	Altitude [ft]	Pressure Pa
ceiling	41300	17687.2
cabin	10000	68684.6
Δp		50997.4

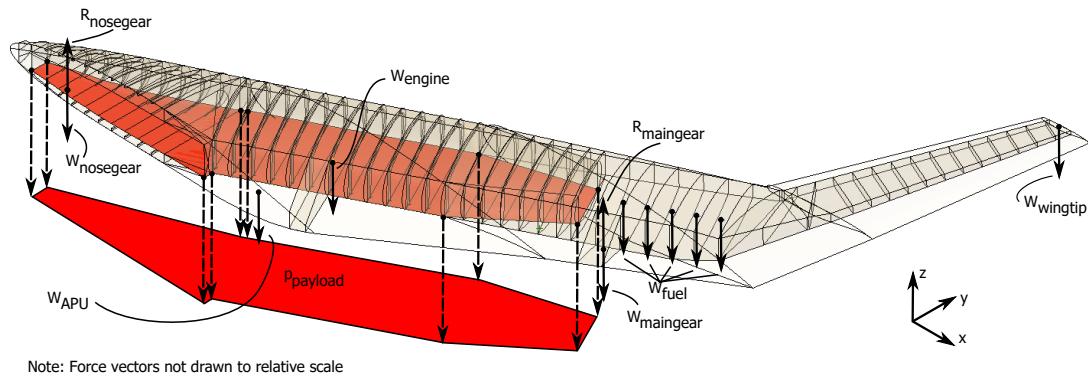


Figure 4.3: Lines of action of introduced inertia forces, indicated for positive load factor.

Table 4.3: Division of system mass distribution.

System	Full	Fuselage
Instrumentation, avionics, electronics	x	
Paint	x	
Electrical Systems		x
Onboard Baggage/Cargo Handling		x
Hydraulics		x
Oxygen system		x
Flight Control System	x	
Climate/De-icing	x	
Furnishing		x

shell elements.

4.2.2. Load Cases

Load cases are defined to obtain the correct point and distributed loads. The selected cases are listed in Table 4.4. The considered load cases are all symmetrical. This corresponds with Faggiano's disregard of asymmetric flight conditions. A reference load distribution at given Mach number is scaled to provide the correct amount of total lift force. The free-stream dynamic pressure is not taken into account as capabilities to determine this are not available in this stage of the design.

The reference load and pure pressurisation load cases 1 and 2 are ran first to check for any major flaws in the structure model. The structure is then sized according to the remaining load cases. In all te flight cases, a pressurisation differential is applied. For all these load cases, a pressurisation differential is applied. CS-25 stipulates the structure must withstand all simultaneous maximum expected loads [34, 25.571.b.5.i]. The cabin is not pressurised for take-off and braking cases.

Load case 2 introduces a 100% increase of pressurisation loads. This is stipulated by CS-25 for regular expected flight conditions [34, 25.571.b.5.ii]. The structure must be able to withstand an additional 33% of pressure differential, combined with a safety factor of 50%.

The 2.5G and -1G load cases stem from manoeuvre capability requirements in CS-25 regulations [34]. No gust load conditions are considered – discrete gust velocity changes are negligible with respect to the flight velocity, dynamic gusts are not considered in a static analysis. In a TaW aircraft analysis, the maximum wing loads are obtained by imposing maximum lift generation at minimum bending relief, i.e. maximum payload, maximum load factor and no fuel load. This is not as straightforward for a FW, especially considering that the payload is distributed over a significant section of the span. Bending relief and required lift are varied by adding and removing payload and fuel mass. The structure is sized for various modes of bending relief at both 2.5G and -1G load factors.

¹Mass value valid for every iteration. Initial masses provided in Appendix A

Table 4.4: Identified load cases to be used for sizing the structure.^[1]

No.	Name	Load factor	Mass	Gear forces?	Pressurisation
1.	Fatigue	1G	MTOM - $\frac{1}{2}$ FM	No	$1.33\Delta p$
2.	Pure Δp	0G	MTOM	No	$2\Delta p$
3.	2.5Full	2.5G	MTOM	No	$1.33\Delta p$
4.	2.5Empty	2.5G	OEM	No	$1.33\Delta p$
5.	2.5NoPL	2.5G	OEM + FM	No	$1.33\Delta p$
6.	2.5NoFuel	2.5G	OEM + PL	No	$1.33\Delta p$
7.	-1Full	-1G	MTOM	No	$1.33\Delta p$
8.	-1Empty	-1G	OEM	No	$1.33\Delta p$
9.	-1NoPax	-1G	OEM + FM	No	$1.33\Delta p$
10.	-1NoFuel	-1G	OEM + PL	No	$1.33\Delta p$
11.	Take-off	1.7	MTOM	Yes	0
12.	Braking	1.9	MTOM	Yes, additional $N_x = -0.8$	0

Table 4.5: Alcoa aluminium AL2024T6 material property [1, 2].

Property	Value
Yield stress	380 <i>MPa</i>
Tensile fatigue yield stress ($5 \cdot 10^8$ cycles)	100 <i>MPa</i>
Young's modulus	$73 \cdot 10^9$ <i>Pa</i>
Poisson's ratio	0.33
Density	800 <i>kg/m³</i>
Minimum thickness	1.2 <i>mm</i>

No landing load case has been included. CS-25 states take-off roll and braking load cases which are considered decisive as they feature a higher mass at relatively similar load factor. The load factor for landing load cases is hard to determine as no details of the gear shock absorption system are known. Load case 12 introduces a longitudinal load factor on top of the vertical load factor. Individual gear forces for these cases are determined by the FEA through displacement boundary conditions.

4.2.3. Element Properties

Each mesh element is attributed a certain material from the materials deck. The Flying V mass estimation assumes a single-material design. The selected material is AL2024T6, a metal common in the aviation industry. Its properties are provided in Table 4.5. The isotropic nature of metal ensures mesh element orientation analyses must be performed.

Material thickness is set to minimum gage thickness of 1.2mm for each element, as used in the TU Delft Aircraft Initiator [35]. Nastran takes into account the self-mass and distribution in the analyses, ZORRO is responsible for determining a shell thickness distribution.

4.2.4. Boundary Conditions

In principle, the complete finite element (FE) model is in balance if there is no difference between calculated and assumed structural mass CoG. The main systems are repositioned based on checks of CoG positions during the FEM sizing procedure in order to obtain this balance.

The assumed CoG is only approximated and hence a resultant force and moment will always be present. The FEA can only be run if all forces are in balance. Therefore the following boundary conditions for forces along the x-axis, y-axis and z-axis are imposed on the following nodes:

- F_x : imposed on the nodes of the first rib which lie in the symmetry plane, as well as at the symmetry plane nodes of the carry-through aft wall surface.

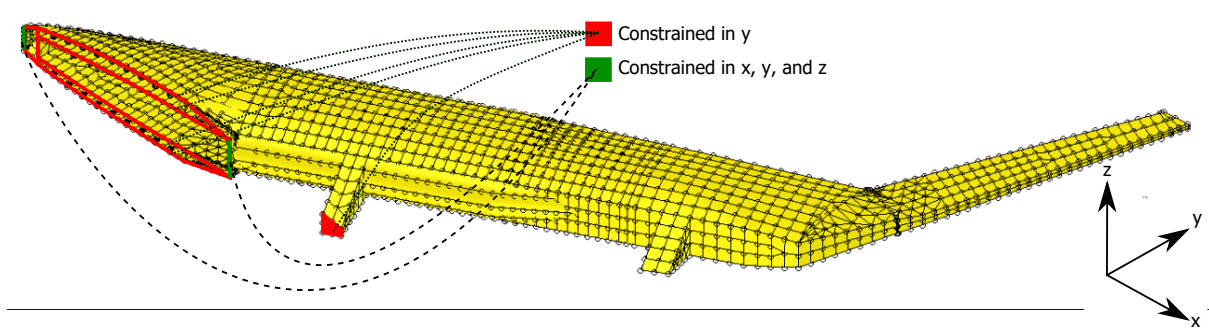


Figure 4.4: Boundary conditions and at which they are imposed on the FE model.

- F_y : imposed along the entire symmetry plane, including at the extension box. As only symmetric load cases are taken into consideration, all internal stresses and deformations are mirrored in this plane. This implicitly restrains rotation around the x-axis and z-axis.
- F_z : Imposed at the nodes as the F_x -constraint, for the same reasons.

These locations are also highlighted in Figure 4.4.

4.2.5. Meshing

ParaPy provides a meshing module to generate surface and volume meshes using the SALOME meshing algorithm. Control hypotheses must be defined for both the node generation on edges as well as the grid generation on face topology. These are detailed in their respective Sections 4.2.5 and 4.2.5. All hypotheses are tweaked for mesh quality. For FEA meshes, this means that [36]:

- The elements are preferably quadrilateral.
- The aspect ratio of each element is $AR \leq 30$.
- All interior angles of each element are within the range of $2^\circ \leq \psi_{interior} \leq 175^\circ$.

Face Groups

Face groups allow load application to specific faces as well as selective result visualisation. Multiple face groups are identified based on distributed load application, point load application and result evaluation. All faces must be included in a group and are not limited to a single groups. The identified groups are:

- The pressure cabin consisting of the oval shells and pressure bulkheads, for application of the pressurisation loading.
- The passenger cabin floor, for application of the payload loading.
- The fuel tank floors, for application of the fuel loading.
- The wing box structure of outboard wing, transition wing and fuselage, for application of the flight loads. The fuselage wing box consists of the crown, keel and outboard arcs of the nose, transition and main section. The tapered fuselage section is excluded from the fuselage wing box.
- The wing ribs.
- The fuselage frames, consisting of webs and flanges.
- The passenger cabin non-floor faces.
- The extension boxes.

Face selection is based on the individual parts obtained during the model construction – i.e. the oval faces are selected right after their construction. This is done to eliminate the need for complex selection

algorithms in the finalised structure. Selected faces are matched to faces of the final geometric object. This is based on the following hypotheses:

- The face centre points must correspond to within a margin (set at $1mm$).
- The face centre normals must correspond to within a margin (set at $1mm$). If this is not the case, the check is made again with one of the normal vectors multiplied by -1 .
- The face areas must correspond to within a relative margin (set at 2%).

Edge Nodes

The aspect ratio of all mesh elements must be as close to $AR = 1$ for a high-quality mesh. Ideally, all elements have the same dimensions. These two requirements are satisfied by providing a desired node spacing. A FixedNumber hypothesis is applied to all edges in the structure, defining the number of nodes. The specific number is determined per edge by approximating the desired node spacing as close as possible. The minimum number of nodes on an edge is set to 2. For the meshing, the desired node spacing is set to $0.5\ m$.

Face Mesh

The SALOME *QUAD* (quadrilateral element) algorithm is applied to all the structure faces. This algorithm connects nodes on opposing faces linearly. In case the quad element has a different amounts of nodes on the opposing edges, a triangular element is inserted. The non-quadrilateral faces are selected by counting their number of edges and a *TRI* (triangular element) algorithm is applied to them.

4.2.6. ZORRO – Structure Sizer

ZORRO, Airbus' in-house structure sizer, is used to estimate the FEM-mass of the meshed structure subjected to the identified load cases. Prior to commencing a linear analysis, aerodynamic loads are scaled such that $k \cdot \Sigma F_{aero} + n \cdot \Sigma F_{inertia} = 0$. All individual mesh elements are sized to yield stress and local buckling failure criteria. The element thickness values are altered according to criteria exceedance and smoothed such that the difference compared to neighbouring elements is limited to 15% . Iteration continues until the mass values of the defined face groups converge.

Often seen in regular swept wing FEM sizing is an extremely thick aft spar. This happens as the aft spar root is closer to the aerodynamic centre of the wing. This is undesired as the front spar is more efficient in resisting bending given the taller web. For the Flying V this behaviour is not expected nor a problem for the following reasons:

- The sweep change from inboard lifting surface to pure outboard wing effective puts the outboard wing front spar closer to the aerodynamic centre. ZORRO will try to increase the front spar thickness first.
- The high sweep of the inboard lifting surface ensures that the difference is arm length from front spar root attachment (at the front web) and the rear spar root attachment (at the aft web) is relatively small given the long arm to the aerodynamic centre.
- The fuselage elements representing the spars are of equal height and thus roughly equivalent in terms of bending load resistance efficiency.

Global Buckling

By running a non-linear analysis, global buckling effects can be identified. ZORRO cannot account for this. In the ideal sizing procedure, stability of stress values given the deformed structure is assessed and taken into account in automated design. Due to the introduced bending stiffness correction described in Chapter 5, deformation values are not representative. Global buckling is therefore not considered.

4.2.7. Mass Correction

The last undiscussed blocks in the design procedure concern a mass correction, the subsequent static margin analysis and correction method for an unbalanced aircraft. The mass correction is required as there is a discrepancy between FEA-based mass estimation and the true engineered mass. Engineered mass takes into account material overlap, fastener material, and production-limited thicknesses, amongst others. The regular global thickness correction factor lies between $k = 1.7$ and $k = 2.0$ for conventional aircraft, but this may not apply to unconventional configurations. Howe reports penalty factors for BWB secondary structure with order magnitude 10%-20% of total aircraft weight instead [37]. In order to obtain specific correction factors, a detailed reference design must be created for each subcomponent for a range of load cases and dimensions. For the sake of simplicity, this method is foregone and the global correction factor is considered.

5

Verification and Validation of Sizing Procedure

Various aspects of the sizing procedure are verified:

- Implementation of SALOME meshing algorithm within ParaPy , Section 5.1.
 - > Visual inspection.
 - > Patran verification.
- Application of loads, Section 5.2.

Afterwards, an attempt at result validation is described in Section 5.3.

5.1. Meshing Verification

A global overview of the meshing result is shown in Figure 5.1. The assumption of non-intersecting pressure cabin and wing transition spar can be observed as the pressure cabin mesh runs through the spar mesh without node commonality. Note that around the wing sweep change at the LE kink, there is a high node density. This is due to the many edges in the structure, resulting from wing profiles and the surface splits at the various ribs in this location.

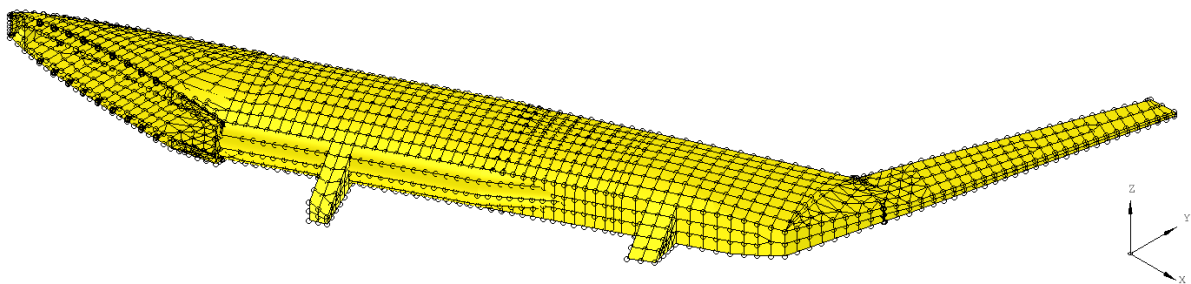
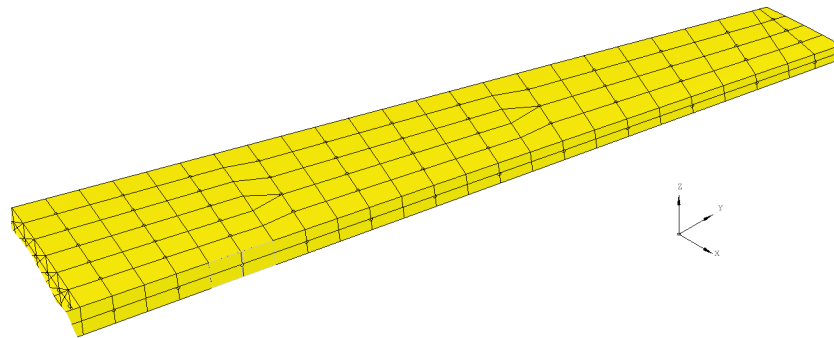


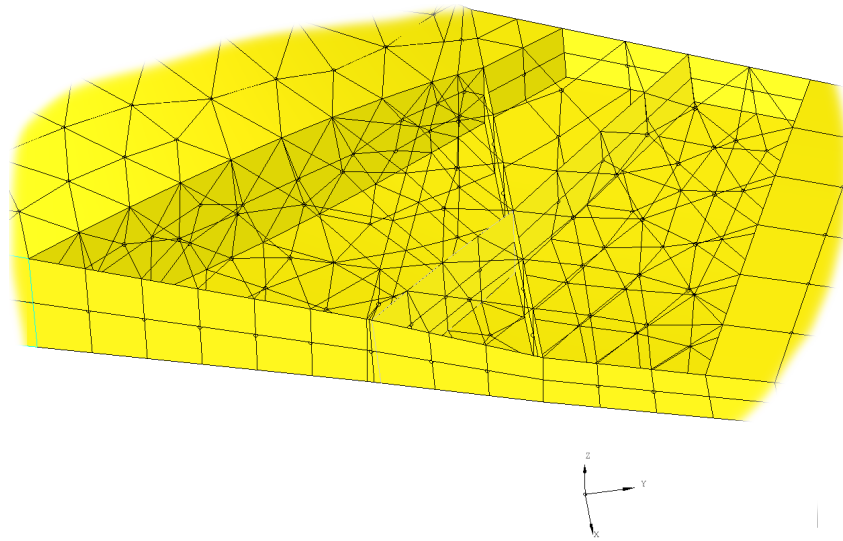
Figure 5.1: Overview of meshing result, node spacing increased to 0.75 m and max element size to 0.7 m² for clarity

A detail of the LE sweep change region is provided in Figure 5.2b. The top skin is cut away (the mesh for this is still visible) to provide a look at the rib meshing. The rib shell is meshed with quadrilateral elements and additional triangular as expected. The top and bottom skins feature a mix of element types dominated by triangular elements, as two major faces are built from five edges. Two particular high-density node areas are at the top middle and bottom middle in the figure, where two different ribs connect to the spars close to the wing root profile.

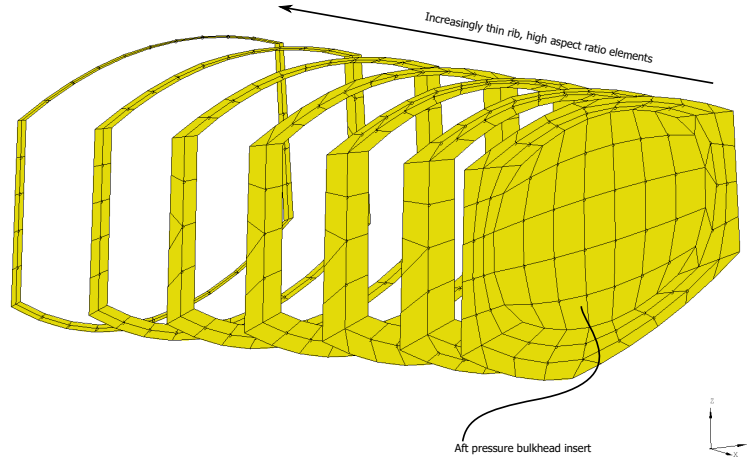
Figure 5.2a shows the effect of quadrangle preference. In case opposing edges feature a different number of nodes, triangle elements are introduced. This effect is also visible along the aft edges of the transition wing rib in Figure 5.2d, as these are longer than the opposing forward edges. The two rib extensions are geometrically different faces with only three edges and therefore feature a fully triangular mesh.



(a) Wing outer shell.

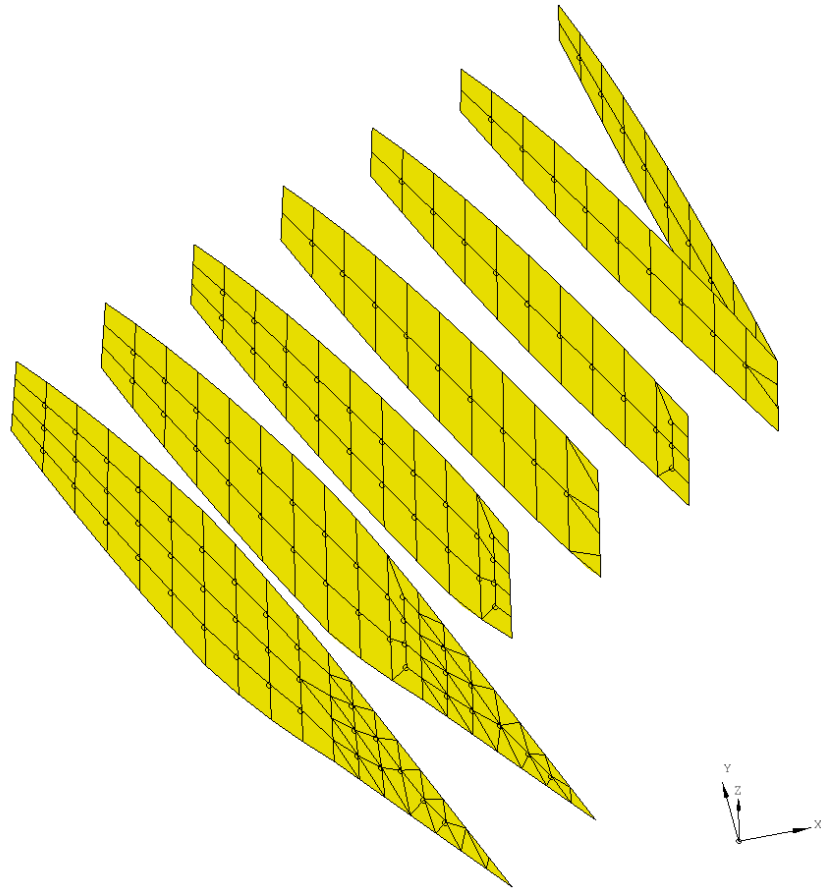


(b) Ribs in wing sweep change.

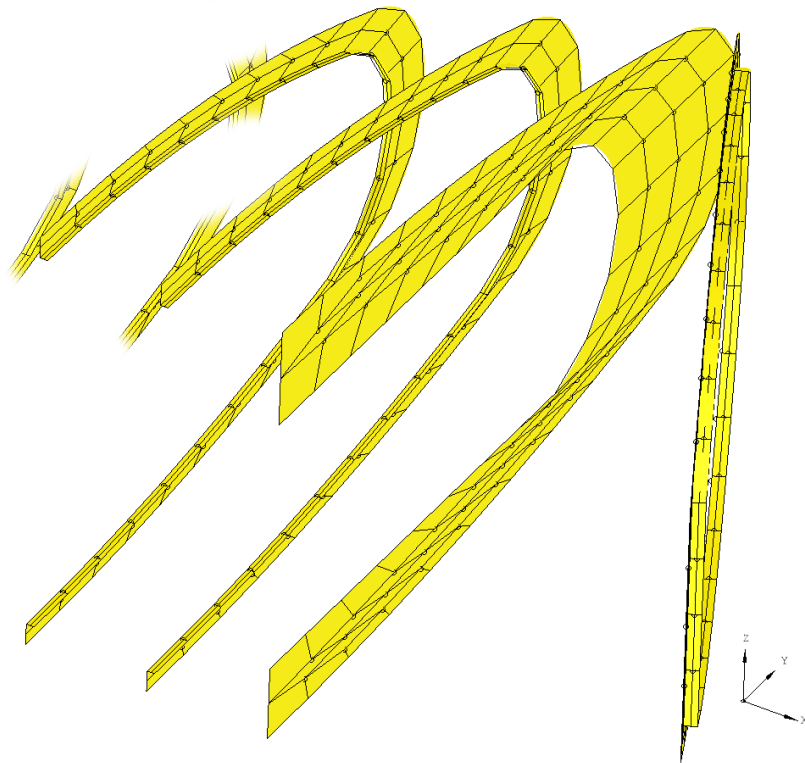


(c) Ribs in fuselage.

Figure 5.2: Resulting mesh from SALOME meshing algorithm.

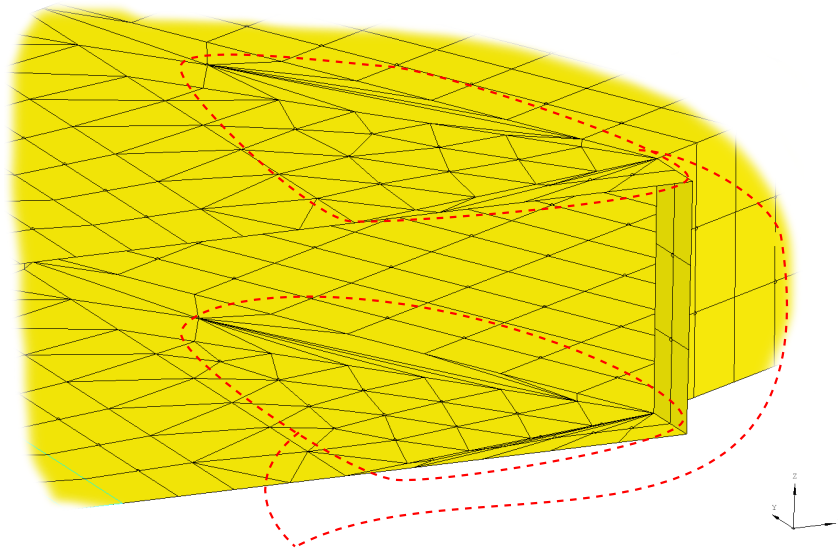


(d) Ribs in transition wing.



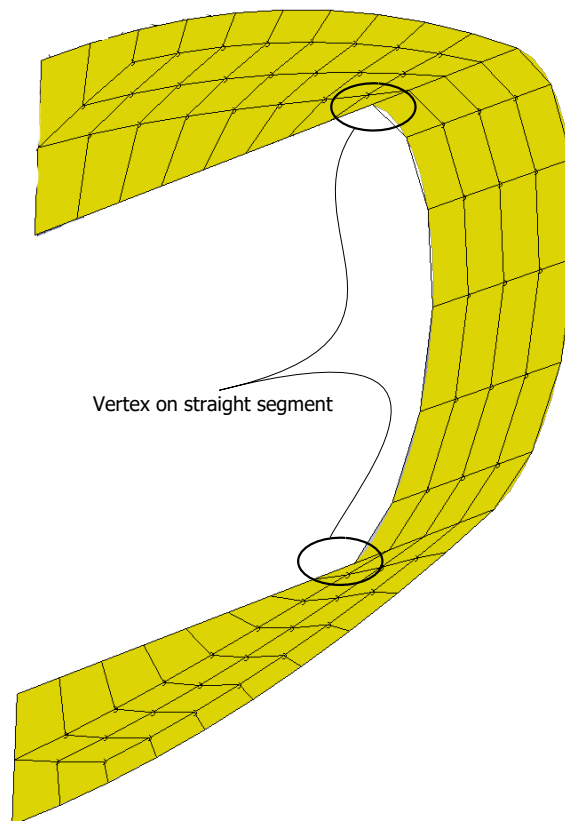
(e) Meshing result for fuselage frames.

Figure 5.2: Resulting mesh from SALOME meshing algorithm.



Odd meshing result in
slender triangular faces

(f) Meshing result for passenger cabin, detail of fuselage transition.



(g) False vertices on front web mesh.

Figure 5.2: Resulting mesh from SALOME meshing algorithm.

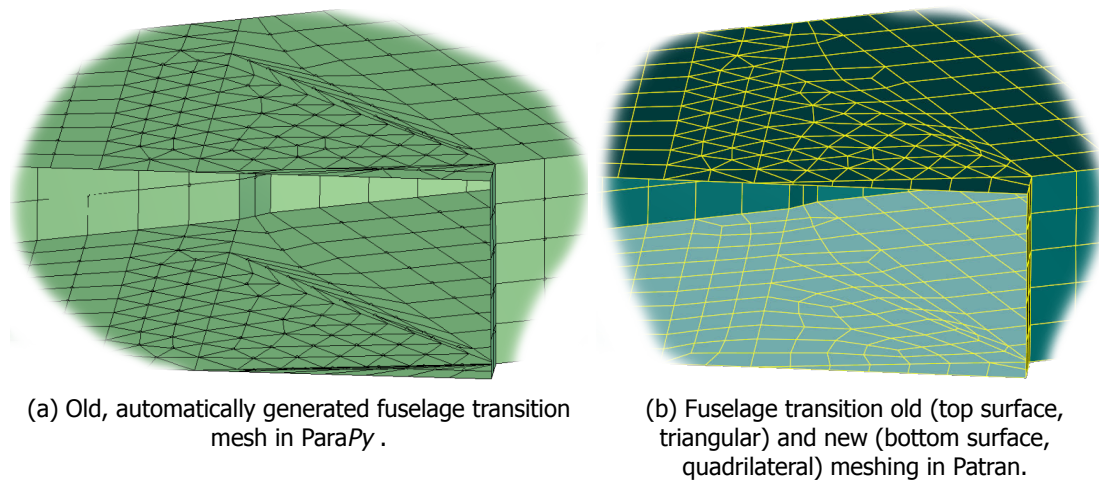


Figure 5.3: Fuselage transition old (left) and new (right, part-finished)

The limitations of the *FixedNumber* hypothesis show in the rib webs and frame flanges seen in Figures 5.2c and 5.2e respectively. For increasingly short edges, the node spacing becomes increasingly narrow. The cause is a relatively narrow node spacing, which can only be solved by reducing global node spacing. This generates a high number of nodes and degree of fidelity, which is undesired as the resulting mesh fidelity supersedes the accuracy of the model and applied loads.

The passenger cabin transition faces show an odd mesh generation result. Instead of simply connecting opposing nodes and connecting a few triangular elements as was the expectation, it generates many skewed quadrilateral elements converging into a single vertex. This is likely caused by common point inequivalence, in which common points are not considered geometrically similar. However, the meshing algorithm does not return warning or error messages to indicate this.

Patran's mesh verification indicated multiple errors and warnings for the mesh. A fatal error occurred on the front web mesh. As indicated in Figure 5.2g, vertices exist on a straight edge, resulting in an interior angle $\geq 180^\circ$. This is remedied by splitting the element over the short diagonal.

Mesh verification also indicates skewed elements with high taper ratio exist in both the fuselage sweep transition and wing sweep transition. As the skewness is limited, these are not expected to introduce large errors. Elements with solely a large aspect ratio (≥ 3) also exist in the tapered fuselage rib faces. As skewness is limited, no large errors are expected. Moreover, Patran verification only marks these as warnings instead of critical errors.

The faulty mesh elements are regenerated manually. Simultaneously, the triangular meshes on the fuselage transition faces and wing top skin at the sweep change are remeshed using Patran-native QUAD algorithms (the *IsoMesh* and *Paver* algorithms). The result of this for the cabin structure is shown in Figure 5.3. The wing bottom skin is not remeshed. This will only be loaded in tension, as explained in Section 5.2. Substitution of original elements with old elements further disables an iterative design and sizing procedure.

5.2. Load Application Verification

Upon application of distributed and point loads, the thin shell elements show extreme deformations. This is due to a lack of stiffeners, as stiffeners are not present in the thin-shell model. Several remedying solutions are identified and described in Appendix C.

The issue of deformation is solved by applying a bending stiffness correction to the mesh elements within Patran. By applying this correction, quantitative results on deformation due to bending is invalidated. Local buckling can still be sized for qualitatively by ZORRO, a global buckling analysis will not produce meaningful results. Quantitative results are no longer aspired.

Table 5.1: Partial selection of load cases used to size the structure.

No.	Name	Load factor	Mass	Gear reaction forces?	Pressurisation
1.	Fatigue	1G	MTOM - $\frac{1}{2}$ FM	No	$1.33\Delta p$
2.	Pure Δp	0G	MTOM	No	$2\Delta p$
3.	2.5Full	2.5G	MTOM	No	$1.33\Delta p$
4.	2.5Empty	2.5G	OEM	No	$1.33\Delta p$
11.	Take-off	1.7	MTOM	Yes	0
12.	Braking	1.9	MTOM	Yes, also $N_x = -0.8$	0

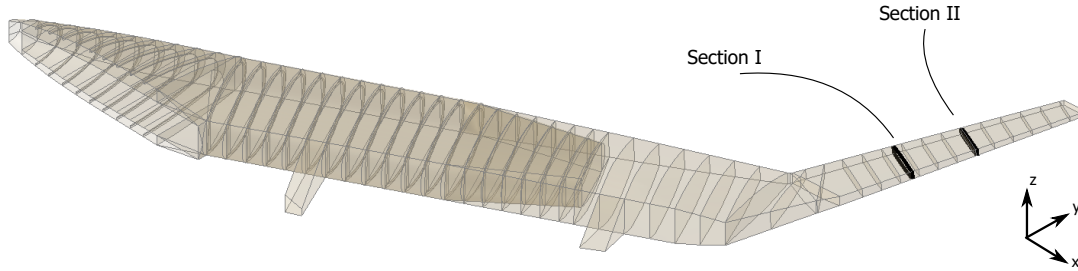


Figure 5.4: Sections for which thickness is manually determined.

Moreover, this correction is only applicable to quadrilateral elements. The mesh of the wing skins at the sweep change feature many triangular elements. The top and bottom skins are expected to be loaded under compression due to bending for +G and -G load cases respectively. Bending stiffness is required to resist buckling under compression. The model is remeshed manually to introduce quadrilateral elements on the the top skin. Negative G flight load cases are omitted as no additional qualitative insight in load propagation is obtained from these. Remaining load cases are provided in Table 5.1.

5.3. Result Validation

Validation of the sizing procedure result is preferably done in a direct manner using a reference model. A TaW with similar dimensions as an Airbus A350 is modelled. A description of this model is provided in Appendix E. Similar modelling and sizing assumptions are applied:

- Mission profile:
 - > Payload.
 - > Range.
 - > Cruise conditions.
- Absence of stiffeners.
- Bending stiffness correction.
- Load case selection.

Due to the arisen issues, described in the previous sections, it is not possible to perform a Nastran analysis for the reference model within the selected time frame. Instead, the sizing result is validated by a manual analysis. These sections, shown in Figure 5.4, are chosen due to relative simplicity of the analytical relations sizing the structure and the common nature of the structure.

These sections are partitioned into four elements, also shown in Figure 5.5:

- Front spar,
- Rear spar,
- Top skin,

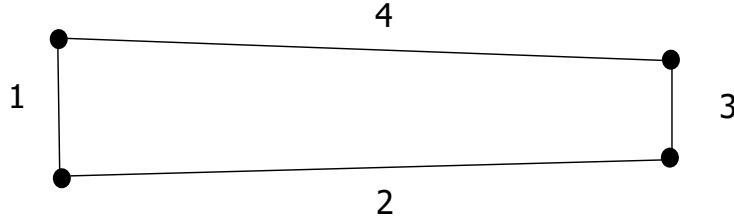


Figure 5.5: Detail of cross-section simplification and numbering convention.

Table 5.2: Minimisation settings.

Parameter	Input
Max Iterations	3000
Tolerance	0.001 mm
Constraint tolerance	10 MPa
Minimum change	0.025 mm
Maximum change	0.5 mm

- Bottom skin.

For each section, the elements' required thickness value for resisting the internal loads is determined. This is done using Megson's boom method [38]. For this, several pieces are collected and coded:

- The inertia and aerodynamic loads.
- The wing section geometry.
- The sizing scheme.

ZORRO's output .bdf-file includes all load case forces and linked to grid point. These are extracted and projected on an axis running through the wing structure. The force and moment introductions for the 2.5G manoeuvre are accumulated to obtain six internal loads, namely shear forces along three axes, as well as bending and torsional moments around three axes. By interpolating from the internal load distribution, values are obtained at the relevant wing sections.

Wing section geometry is obtained from the structure model in ParaPy . For each section, a plane is created at the desired spanwise position with its normal tangential to the wing axis. The model is intersected with this plane. The vertex coordinates are extracted. A rotation transformation is applied in order to obtain a two-dimensional profile, compatible with the boom theory.

The sizing is performed using a constrained minimisation function, incorporating MATLAB's default settings. Altered settings are listed in Table. The design vector contains a thickness value for each section element. The minimisation aims to minimise the total cross-sectional area, as this corresponds to a minimisation of sectional mass. From the thickness values, the area moment of inertia is determined. The normal and shear stresses are calculated and combined into the Von Mises yield criterion. A safety factor of 1.5 is applied to the Von Mises stress value. In order to arrive at a fully stressed design, the Von Mises stress value in each element is allowed to deviate 10% from the yield stress value. An upper bound is not set, the lower bound is set at 1.2mm gage thickness.

The resulting thickness values for both sections are provided in Table 5.3, these are normalised with respect to the bottom skin in Table 5.4. The optimiser indicates convergence to within the tolerance of and satisfaction of the Von Mises stress constraint.

As expected, the thickness values decrease going outboard, indicative of load reduction due to a smaller accumulated internal bending moment and shear force. Compared to the numerically obtained results discussed in Chapter 6, discrepancies are observed. The top and bottom skin thickness values (elements 2 and 4) are mostly consistent with the validation result, except for the top skin of the inboard section.

Table 5.3: Validation results.

Element	Section I			Section II		
$y[m]$	Validation	24m ZORRO	$valid/ZORRO$	Validation	27m ZORRO	$valid/ZORRO$
$t_1[mm]$	5.44	3.7	1.47	4.54	2.2	2.06
$t_2[mm]$	4.07	3.8	1.07	2.01	2.1	0.95
$t_3[mm]$	4.46	3.2	1.39	5.57	2.1	2.65
$t_4[mm]$	18.26	5.0+	3.65-	2.19	2.7	0.81

Table 5.4: Validation results, normalised to bottom skin thickness.

Element	Section I			Section II		
$y[m]$	Validation	24m ZORRO	$valid/ZORRO$	Validation	27m ZORRO	$valid/ZORRO$
$t_1[mm]$	1.34	0.97	1.38	2.25	1.05	2.14
$t_2[mm]$	1.00	1.00	1.00	1.00	1.00	1.00
$t_3[mm]$	1.10	0.84	1.31	2.77	1.00	2.77
$t_4[mm]$	4.49	1.32+	3.40-	1.09	1.29	0.85

Both spars are sized thinner by ZORRO than by analytical sizing. The bending stiffness correction affects the effective area moment of inertia by increasing the effective width. This reduces the normal stresses and the principal stresses due to bending. Therefore, a thinner thickness value is determined by the numerical analysis. This is also the case when the element is subjected to a bending moment whilst simultaneously carrying shear loads. These elements will be sized thinner than realistically required.

The elements of each individual section are however sized in proportion. Therefore, the results can be used in a qualitative manner to interpret stress concentrations in individual regions in the structure. Additionally, load paths can be interpreted between stress and thickness concentrations, though load magnitudes are disregarded. From these observations, recommendations with respect to structure updates are made in Chapter 6. The results' quantitative aspect is doubtful and will be omitted from conclusions.

6

Model Analysis Results

ZORRO is ran with the corrected mesh model and a selection of the earlier determined load cases from Table 5.1. Sizing is done for material failure and local shell buckling criteria. Element thickness values are smoothed based on a 15% maximum difference between neighbouring elements. The resulting data provides qualitative insight in the stress distribution, thickness distribution and the critical load cases per structure region. These will be presented separately in Sections 6.1 and 6.2. The returned structure mass is discussed in Section 6.3. Integration of the oval fuselage into a lifting body showed previously unobserved effects. These, together with a structure concept evaluation, are discussed in Chapter 7.

6.1. Stress Values

Stresses are obtained using a structure with uniform thickness. These are shown in Figures 6.1 through 6.4. Stress concentrations are consistently observed at the front rib and fuselage transition aft wall as a result of imposed boundary conditions. These concentrations, as well as the thicknesses resulting from them, will be ignored for all result interpretations.

6.1.1. Stress Results for Load Cases 3 & 4, Figure 6.1 and Figure 6.2

Stress concentrations are observed in region E, at the connection with the passenger cabin members, for all load cases. These increase with load factor and with absence of aerodynamic loading, as seen when comparing results between load cases 3, 4 and 12. are the effect of the payload inertia introduction into the outer shell. Absence of aerodynamic loads increase the stresses, as aerodynamic loads in this region have a negative z-component.

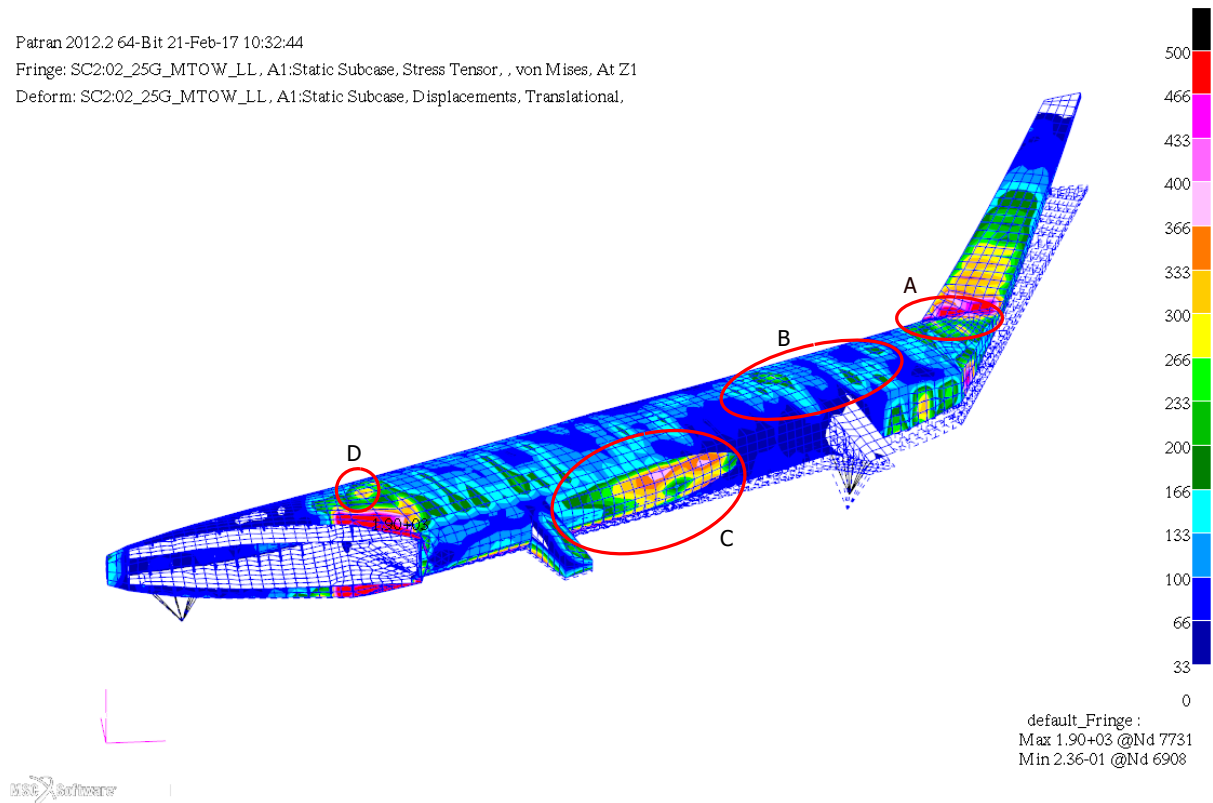
The wing shows conventional stress patterns for the flight load cases. Stress increases towards the root due to increase in internal bending moment. Stresses are especially pronounced in region A due to the discontinuity of the skin smoothness. A pair of stress concentrations is observed at the front spar and rear spar kinks due to the combined effect of internal bending and torsional moments over the orientation change. The front spar's concentration is more extreme as it coincides with the skin kink in region A. Between region A and the spar kinks, loads propagate mildly over the top skin but strongly over the bottom skin. Similarly, the front spar just forward of the kink shows a low stress value, whereas the aft spar shows high values in comparison. These differences in both the spar stresses and skin stresses around the kink likely have the same cause. The observation described next is used to explain this.

A stress concentration is identified in region C. A similar effect is not observed on the outboard arc opposing it. This concentration is present in both load cases 3 and 4. It is not observed in the braking and take-off load cases. This indicates it is induced by aerodynamic loading. The bottom skin on the forward extension box, region F, shows high stress values. If the concentrations in the bottom skin in the

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Fringe: SC2:02_25G_MTOW_LL, A1:Static Subcase, Stress Tensor, , von Mises, At Z1

Deform: SC2:02_25G_MTOW_LL, A1:Static Subcase, Displacements, Translational,

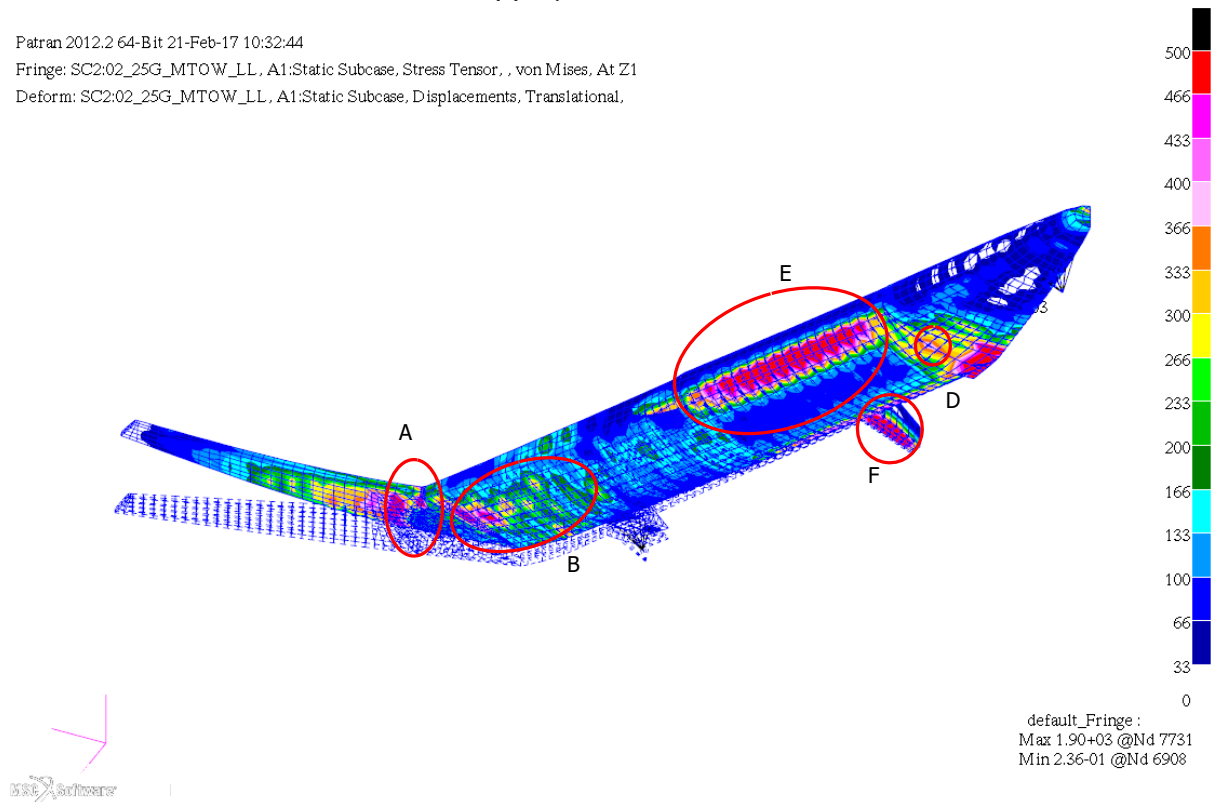


(a) Top isometric view.

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Fringe: SC2:02_25G_MTOW_LL, A1:Static Subcase, Stress Tensor, , von Mises, At Z1

Deform: SC2:02_25G_MTOW_LL, A1:Static Subcase, Displacements, Translational,



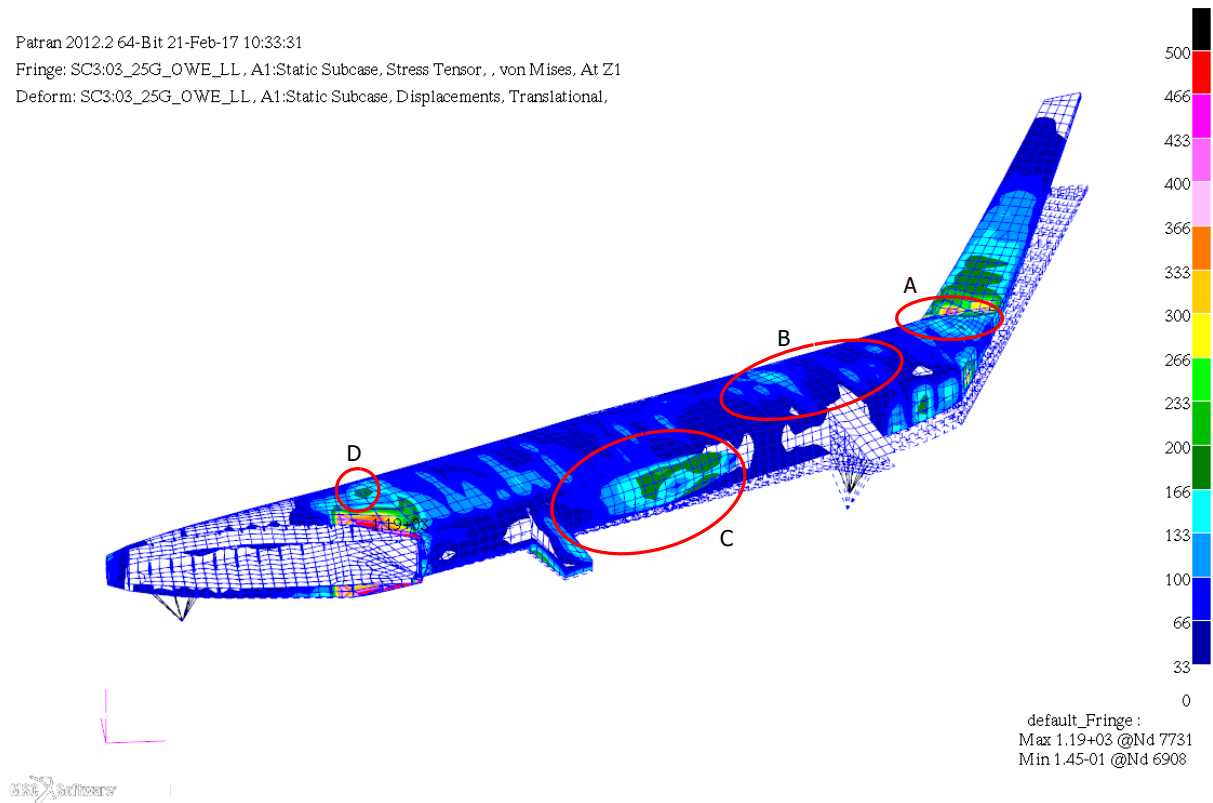
(b) Bottom isometric view.

Figure 6.1: Stresses [MPa] for load case 3, 2.5G at MTOM.

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Fringe: SC3:03_25G_OWE_LL, A1:Static Subcase, Stress Tensor, , von Mises, At Z1

Deform: SC3:03_25G_OWE_LL, A1:Static Subcase, Displacements, Translational,

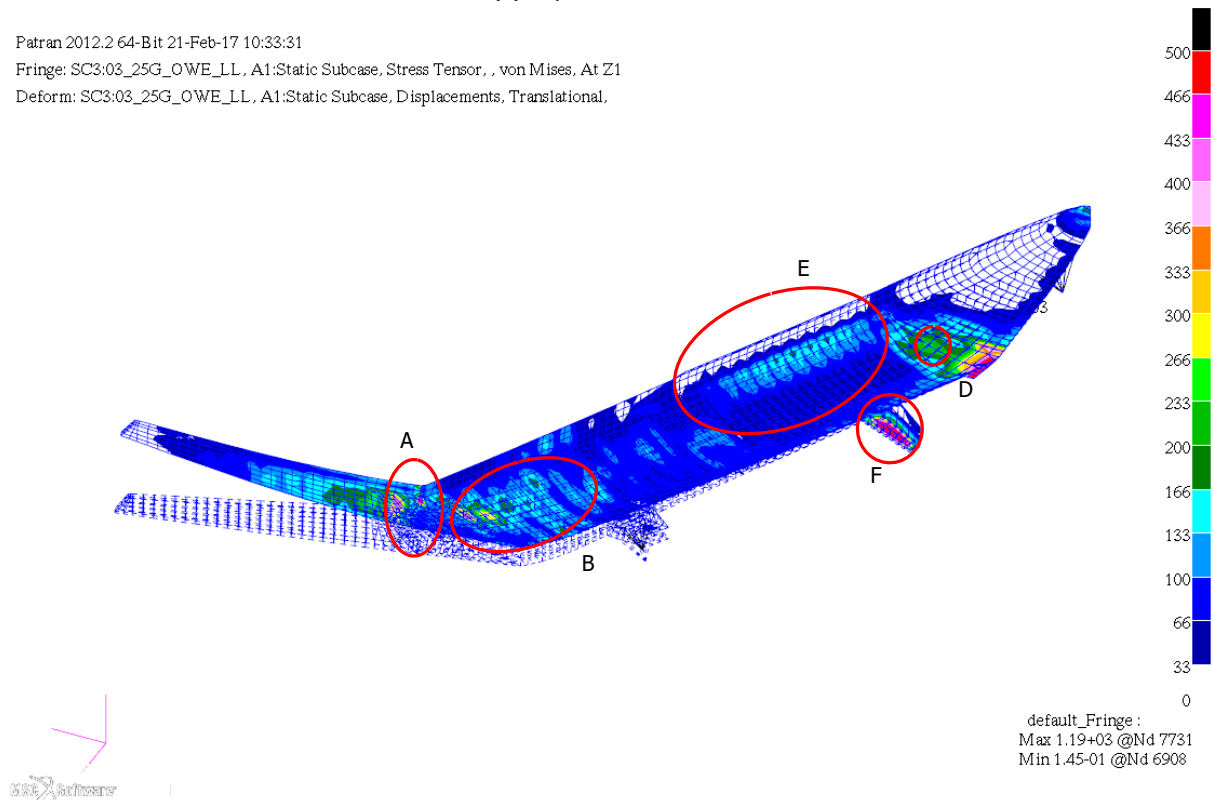


(a) Top isometric view.

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Fringe: SC3:03_25G_OWE_LL, A1:Static Subcase, Stress Tensor, , von Mises, At Z1

Deform: SC3:03_25G_OWE_LL, A1:Static Subcase, Displacements, Translational,



(b) Bottom isometric view.

Figure 6.2: Stresses [MPa] for load case 4, 2.5G at OEM.

kink, the aft spar near the wing kink, the inboard arc between the extension boxes and the bottom skin of the forward extension box are connected, a fairly direct path is obtained. This load path contradicts the expectations steering the concept development.

Higher stress values are observed outboard of region A than inboard of it. This is due to the rapid increase in mass moment of inertia of the structure, as the wing box height increases significantly over a short span.

Scanning inboard and forward from the wing kink, several minor stress concentrations are observed in region B. The bottom skin stress concentrations are significantly larger due to load propagation and presence of fuel mass. Further towards the wing root however, the stress concentrations are reduced. The introduction of the tapered fuselage is identified as the cause, though the underlying principle is not yet clear and could be either of the following:

1. The pressurised nature of the fuselage cabin demand large thickness values. These attract loads away from the outer skin.
2. The presence of an additional shell increases the moment of inertia, reducing bending-induced deformation and Von Mises stress values.
3. Load alleviation by an increase in structure mass is introduced by the tapered fuselage. This cancels the internal bending moment.

A later analysis of the resultant thickness values in Section 6.2 must indicate the correct principle.

A minor stress concentration is observed in region D. It does not connect with the stresses induced by boundary conditions and is therefore not a direct effect of them. However, it full constraint conditions have pushed it outboard by artificially supporting the shell on the root plane. Without boundary conditions, the stress concentration on these shells is expected to be positioned in the root plane.

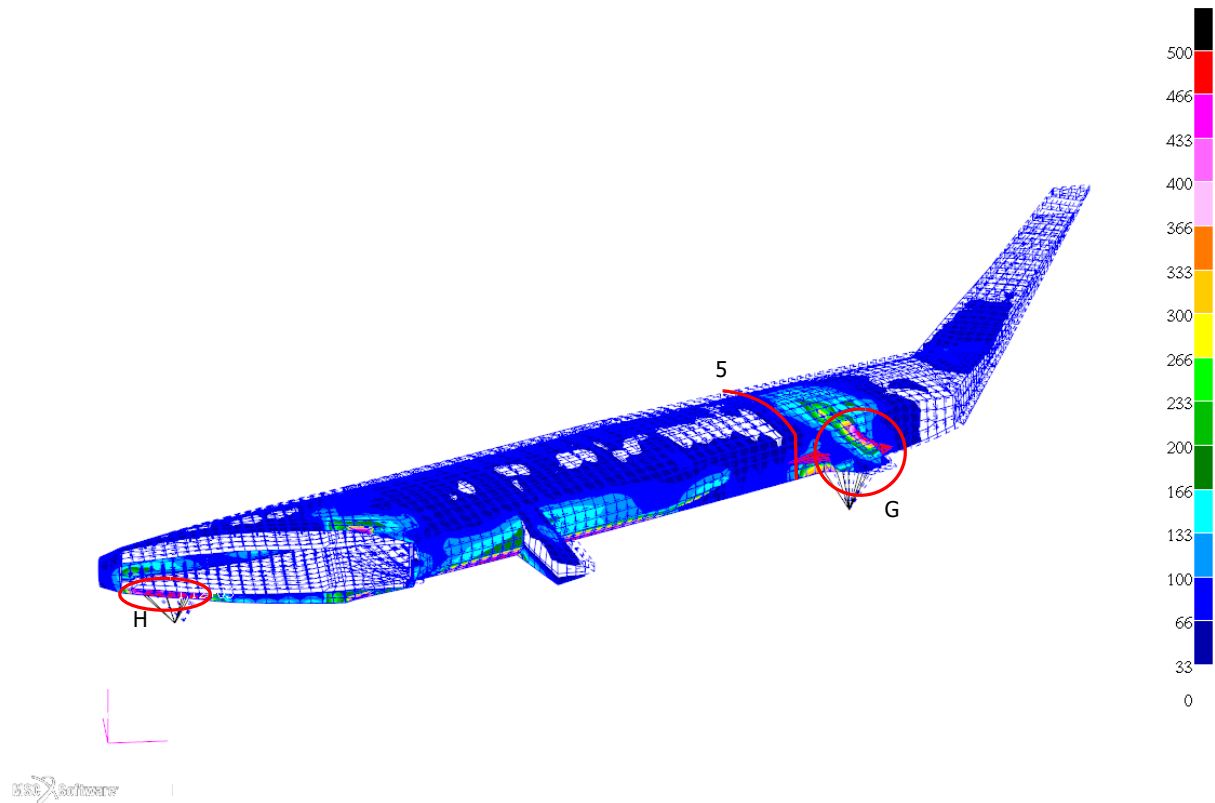
The effect of bending relief is investigated by comparing load cases 3 and 4. Bending relief presents itself through higher local stress values for an OEM scenario than for an MTOM scenario. Payload and fuel inertia effects on local stress values can also be observed. Between Figures 6.1a and 6.2a, few differences are seen. Lift-induced stress concentrations have decreased, but their location and shape remain similar. In the rear half of region B, the stress concentrations on the top skin have disappeared. This is the effect of removal of the fuel mass. Along the LE and TE of the main fuselage section, the stress concentrations introduced at the cabin floor and ceiling connections have been significantly reduced. However, they still exist as the cabin structure members carry pressurisation residual loads. Despite removal of the payload inertia, the forward extension box' bottom skin stress values are still large. This is yet another indication that a large proportion of the wing loads propagate to the symmetry plane through this box.

6.1.2. Braking Load Case, Figure 6.3

High stress values in and excessive deformation of the aft gear extension box webs are identified in region G. These webs are meshed with triangular mesh elements. The bending stiffness correction could not be applied to these. Local loads are high as they are close to the rigid bar connections of the aft gear. The vertical acceleration induces compression and combines with the forward deceleration inducing transverse loading. For both of these, a stiffness correction is required but cannot be applied.

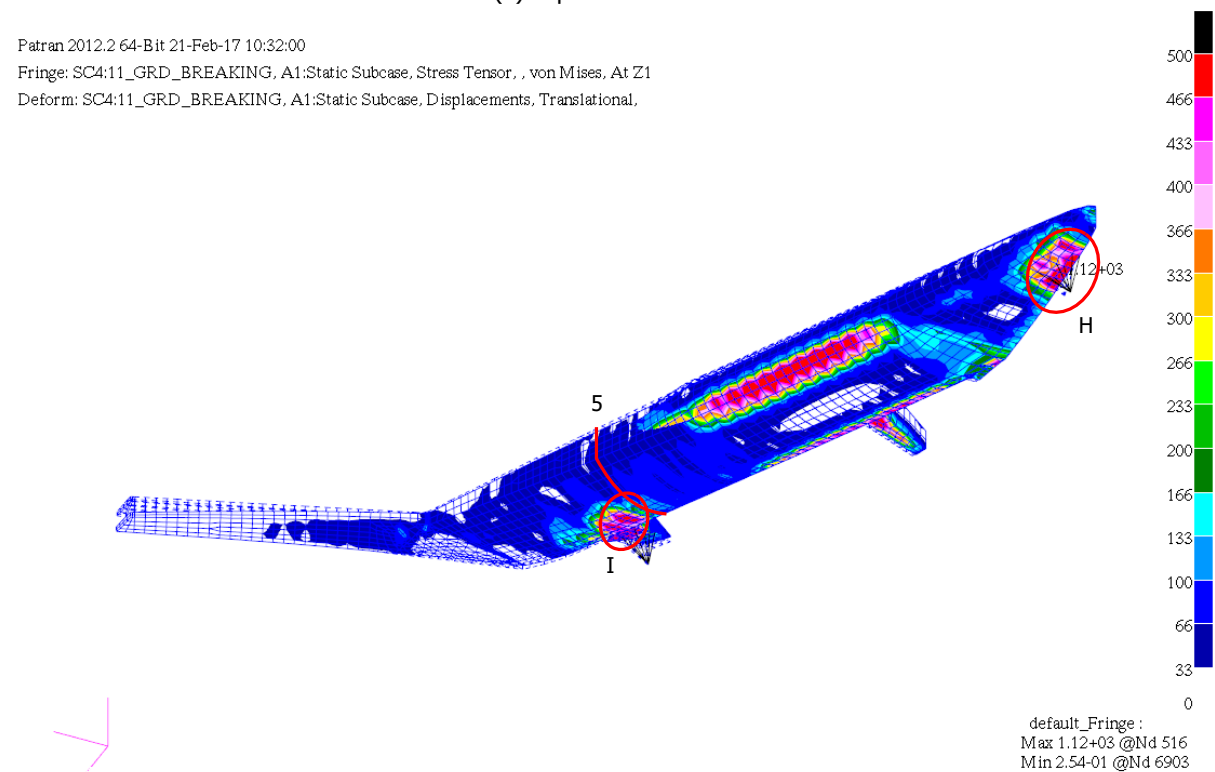
Stress concentrations are present at the front and rear gear attachments in regions H and I respectively. The front gear concentration is slightly elongated along the longitudinal axis due to the deceleration. The aft gear concentration shows clear propagation forward, but disappears as soon as it reaches section 5. In the top skin adjacent to region G, loads propagate toward the leading edge. This is due to the combined effect of longitudinal and vertical acceleration inducing large shear stresses.

Airframe deformation is minimal. The largest deformation is observed at the forward extension box. At the root plane, is is deformed forward along the longitudinal axis by approximately 30cm.



(a) Top isometric view.

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 Fringe: SC4:11_GRD_BREAKING, A1:Static Subcase, Stress Tensor, , von Mises, At Z1
 Deform: SC4:11_GRD_BREAKING, A1:Static Subcase, Displacements, Translational,



(b) Bottom isometric view.

Figure 6.3: Stresses [MPa] for load case 12, braking.

6.1.3. Take-off Load Case, Figure 6.4

Just as in the results of load case 11, a large deformation is observed in region L due to compressive loading of thin shells without a bending stiffness correction. Stress values induced in region E by the cabin floor and at the gear positions in regions H and L are bigger compared to those in the braking load case due to a higher vertical acceleration. Another effect of the high vertical acceleration is observed in the fuselage transition. In this structure region, loads propagate along the front web marked by J1 and J2 as if it were a carry-through spar.

6.2. Resultant Thickness Values

The thickness results are combined with the critical load case results. For each structure group, the results are presented and discussed. As with the stress values of Section 6.1, the concentrations of structure thickness close to the boundary conditions are ignored.

6.2.1. Outer Shells, Figure 6.5

The outer shell thickness results are provided in Figure 6.5. Critical load cases for each element are shown in 6.7. The outboard wing skin thicknesses on the top skin are as expected and increase towards the root. The wing front spar shows a similar thickness pattern. The aft spar is thin between the aft extension box and the wing tip. This is the likely result of the applied bending stiffness correction.

A large discrepancy between element thicknesses is observed in region A. The decrease in thickness occurs simultaneous with internal introduction of a second closed cross-section profile due to the tapered fuselage. A similar effect was described for the stress values in Section 6.1. For this, three potential causes were identified. Each cause is reconsidered in combination with the thickness results of the outer shells and pressure cabin (Figure 6.6).

The thickness values of the pressure cabin elements aft of region A are approximately 75% of those in front of region A. The outer shell thicknesses reduce by approximately 50% between these regions. Addition of the element thickness values just aft of region A results in a value approximately 25% higher than the shell thickness before region A. The following conclusions can be drawn with respect to the potential causes:

1. The pressure shell reduces in thickness by 25% and reduces further to 50% of the thickness just ahead of region A. It does not (significantly) attract load from the outer shell.
2. The tapered fuselage cross-section is introduced close to the outer skin. The combined thickness is increased. Therefore, the moment of inertia is nearly doubled compared to just forward of region A.
3. Additional load alleviation is present by an increase in structure mass smaller than the combined thickness increase of 25%. This is because the fuselage tapers and has a smaller cabin floor surface area. The bending stress relief should be less pronounced further aft of region A. Stress values indicate the opposite.

The reduced stress and skin thickness values of the outer shell just aft of region A are thus the result of increase in moment of inertia with respect to the horizontal plane.

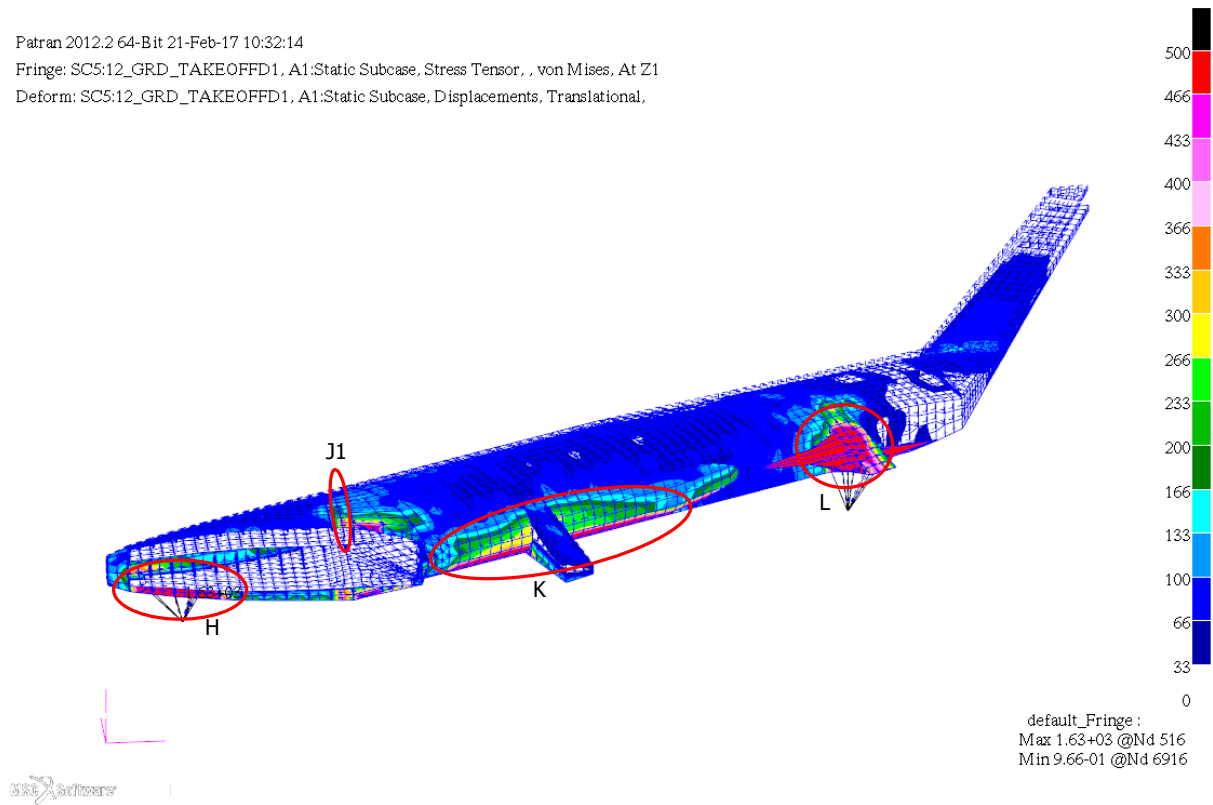
Along the main fuselage in region B, a thickness increase is observed compared to where the residual force cabin structure members connect. For the side arcs, a decrease is observed instead. This is due to the vertical distance from the neutral axis. The increase combines with pressurisation-induced stresses. The top and bottom arc thickness values are larger than those of the sidewalls. The top skin is thicker than the bottom skin. This contradicts expectations based on the respective arc radii.

An explanation is found when studying the critical load cases. The keel shells are primarily sized by load case 1, indicating their tension state is decisive given the reduced yield stress for fatigue. The crown shells are sized for a maximum compression state from load case 3, except in the centre of the main fuselage. Inclusion of a -1G load case in future research might show a different critical load case and thus increased thicknesses for (part of) the bottom shell.

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Fringe: SC5:12_GRD_TAKEOFFD1, A1:Static Subcase, Stress Tensor, , von Mises, At Z1

Deform: SC5:12_GRD_TAKEOFFD1, A1:Static Subcase, Displacements, Translational.

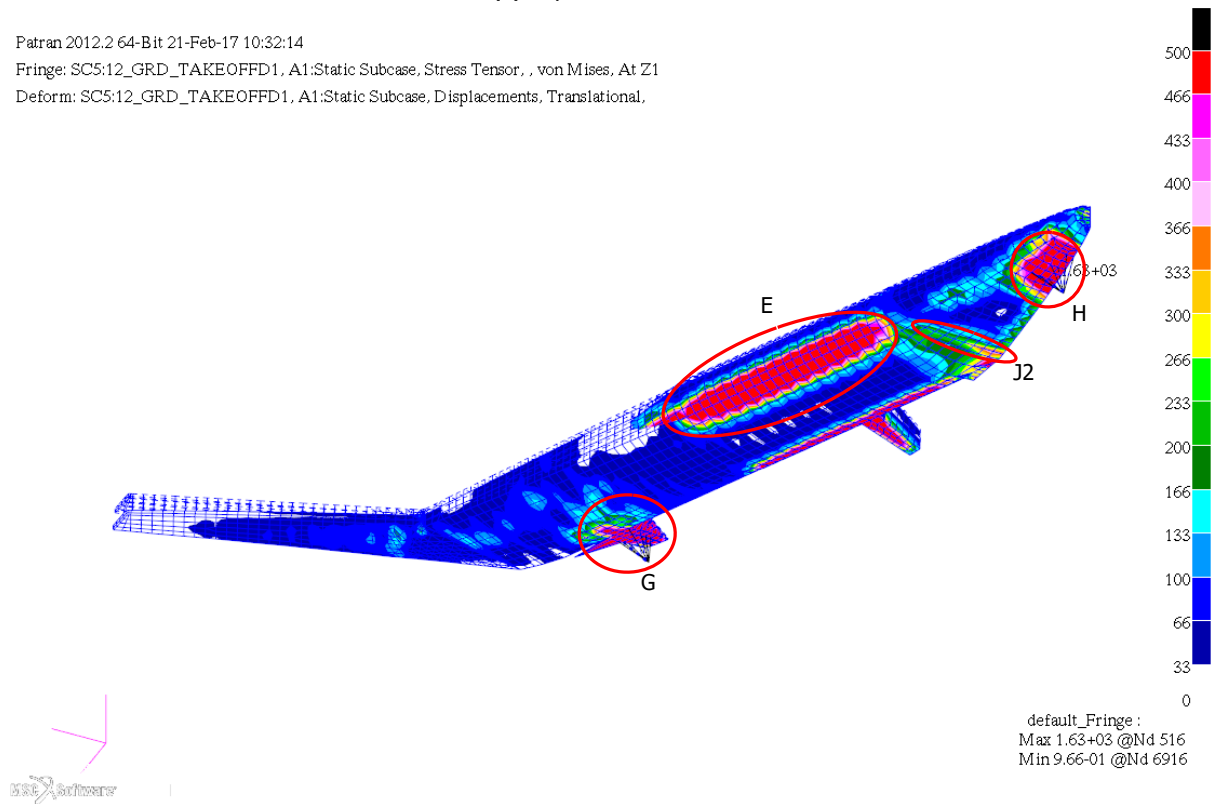


(a) Top isometric view.

Patran 2012.2 64-Bit 21-Feb-17 10:32:14

Fringe: SC5:12_GRD_TAKEOFFD1, A1:Static Subcase, Stress Tensor, , von Mises, At Z1

Deform: SC5:12_GRD_TAKEOFFD1, A1:Static Subcase, Displacements, Translational.



(b) Bottom isometric view.

Figure 6.4: Stresses [MPa] for load case 11, take-off.

For the performed analysis, the bottom skin critical load cases are load case 11 for the majority of structure not containing the fuselage and load case 1 for the fuselage structure. This distinction is attributed to the pressurisation of the fuselage. Load case 12 is the critical load case at the aft extension box connection and directly upstream of it. This is due to forward deceleration upon braking.

The top shell critical load cases feature a combination of load case 3 for the majority of the elements, load case 1 for the main fuselage and part of the nose fuselage and load case 11 for the front half of the nose fuselage. Load case 11 is present due introduction of the gear loads. Presence of load case 3 is due to wing bending. The combined effect of payload inertia and vertical aerodynamic load (normal to the surface) in the main fuselage induce large tensile forces in the crown and keel. Therefore, the main fuselage crown shell is sized by load case 1.

The crown arc maximum thickness is smaller in the forward half of region B than in the aft half. This is not observed on the bottom shell. It is likely the cause of the wing load path propagating to the extension box. The front region therefore is loaded less.

Smoothing on the wing kink bottom skin in region C is not working correctly. ZORRO's smoothing algorithm only works for quadrilateral elements. The triangular elements in the wing kink are thus not smoothed. Instead, a small number of elements is thick to carry the majority of the bending.

The bottom skin of the nose fuselage shows two thickness concentrations. The small one correspond to load case 11 as critical load case and as such is attributed to the presence of the nose gear. Load case 1 is the critical case for the major thickness concentration. This indicates it is sized for tensile stresses at reduced yield stress. The tensile stresses increase toward the centre of the concentration due to increase in keel arc radius.

In region D, the thickness distribution is not centred around the wing box axis. Instead, it is slightly skewed. The critical load case plot indicates load case 12 is decisive directly upstream of the aft gear along the longitudinal axis.

6.2.2. Frames

The frame thickness values vary from 1.2mm to 9.3mm between the nose and main fuselage, and the tapered fuselage. The difference between these is that in the tapered fuselage, the webs are clamped between the pressure cabin shells and the wing box structure. This is an indication that the nose and main fuselage frames are not providing sufficient stiffness. They deform too much when the structure is loaded. Their web height and flange width dimensions are too small. No quantitative conclusions can be drawn from the nose and main fuselage frame thickness values.

Several qualitative observations are made. There are stress concentrations at the passenger cabin structure member attachments. The concentrations are lower at floor connections than at ceiling connections. Payload inertia reduces stress magnitude.

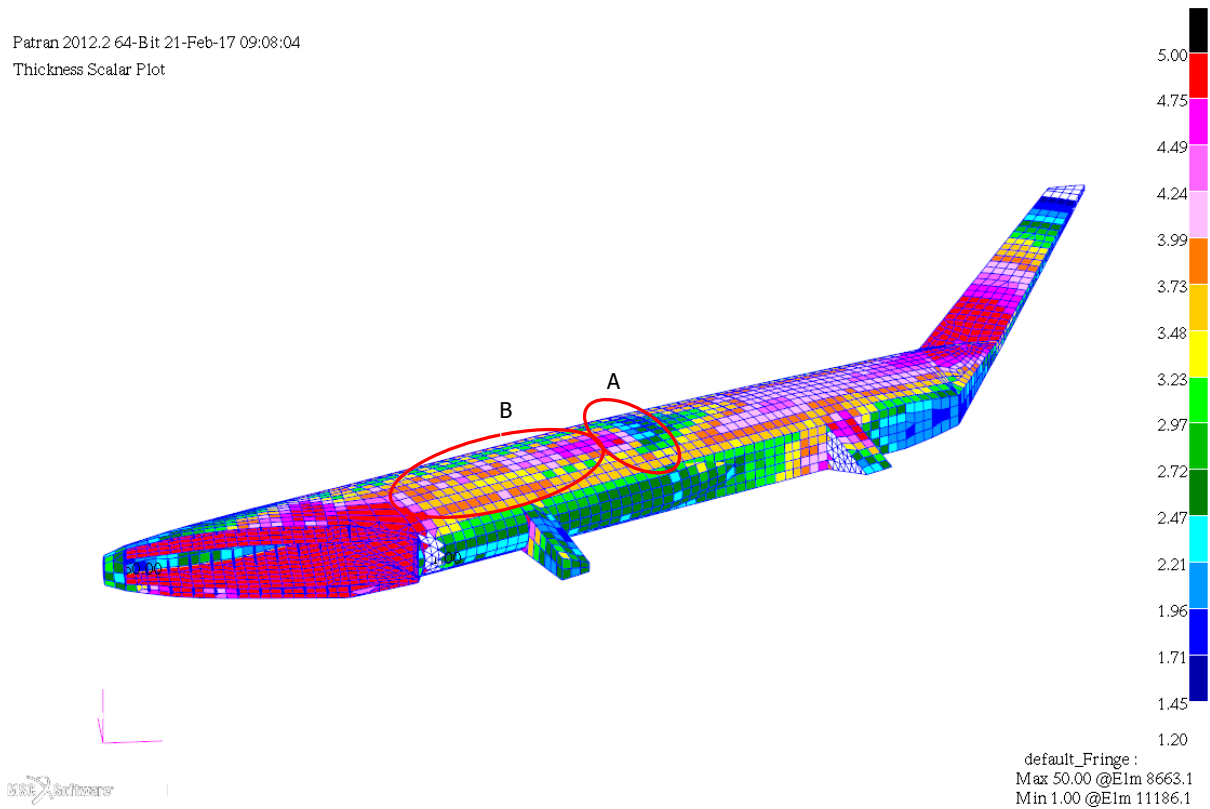
In the tapered fuselage frames, larger thickness values are observed in streamwise direction ending at the inboard edge of the last frame, highlighted in Figure 6.8a. Referring to the critical load cases, it is clear these are *not* due to the braking deceleration introduced at the last frame. Instead, they are the effect of the load path propagating from the front spar the the rear spar.

The thickness values of the extension box webs reduce toward the trailing edge. The internal shear load reduces due to increasing distance towards the aerodynamic centre.

6.2.3. Spars, Figure 6.10

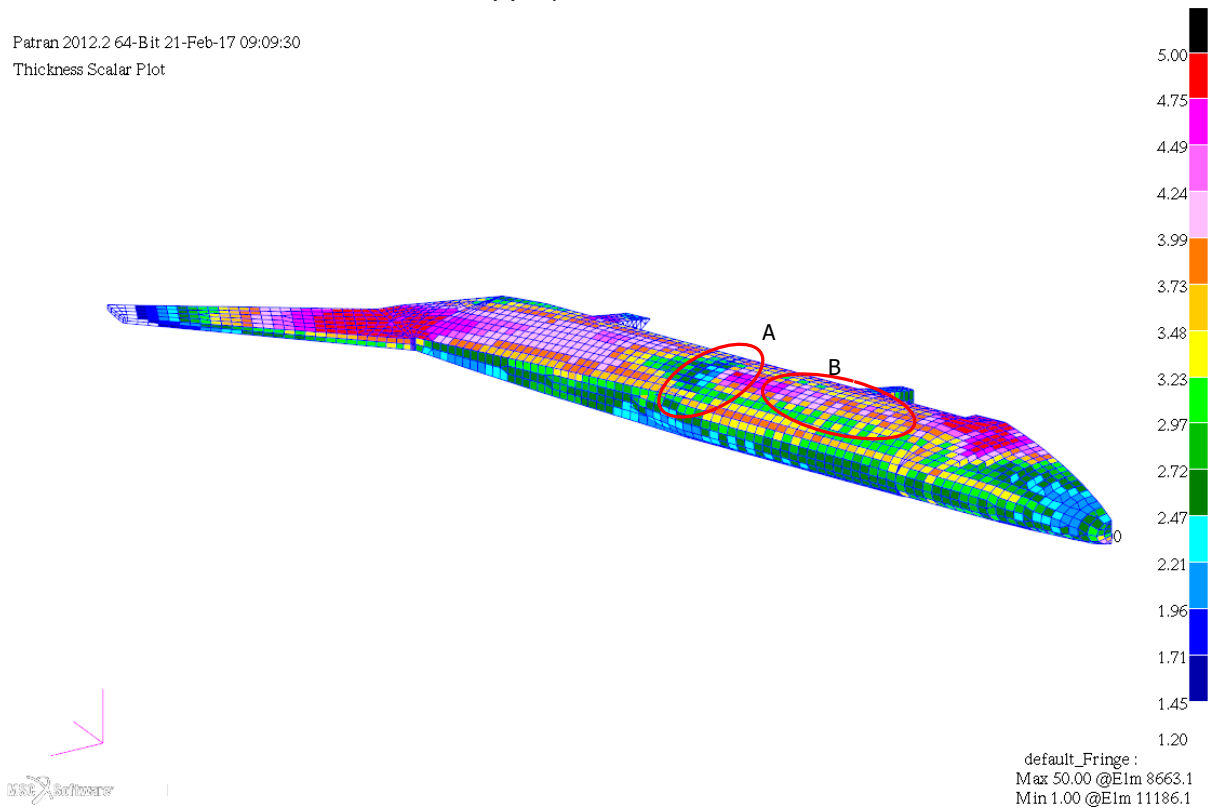
The outboard wall of the nose fuselage shows a thickness concentration. Load case 11 is critical. Therefore, the concentration is the result of nose gear shear force introduction. Continuing along the wall, a low constant thickness is observed. Shear is carried by both the wall and the outboard arc. The combined thickness of these is approximately 4.5mm up until section 4. Given the continuous distributed payload, the shear force and thus thickness should not be constant. Aft of section 4, the spars seem to be sized as expected. Therefore, the thick and stiff floor and ceiling shells are likely the cause of the constant nature of the nose and main fuselage wall thickness.

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Thickness Scalar Plot



(a) Top isometric view.

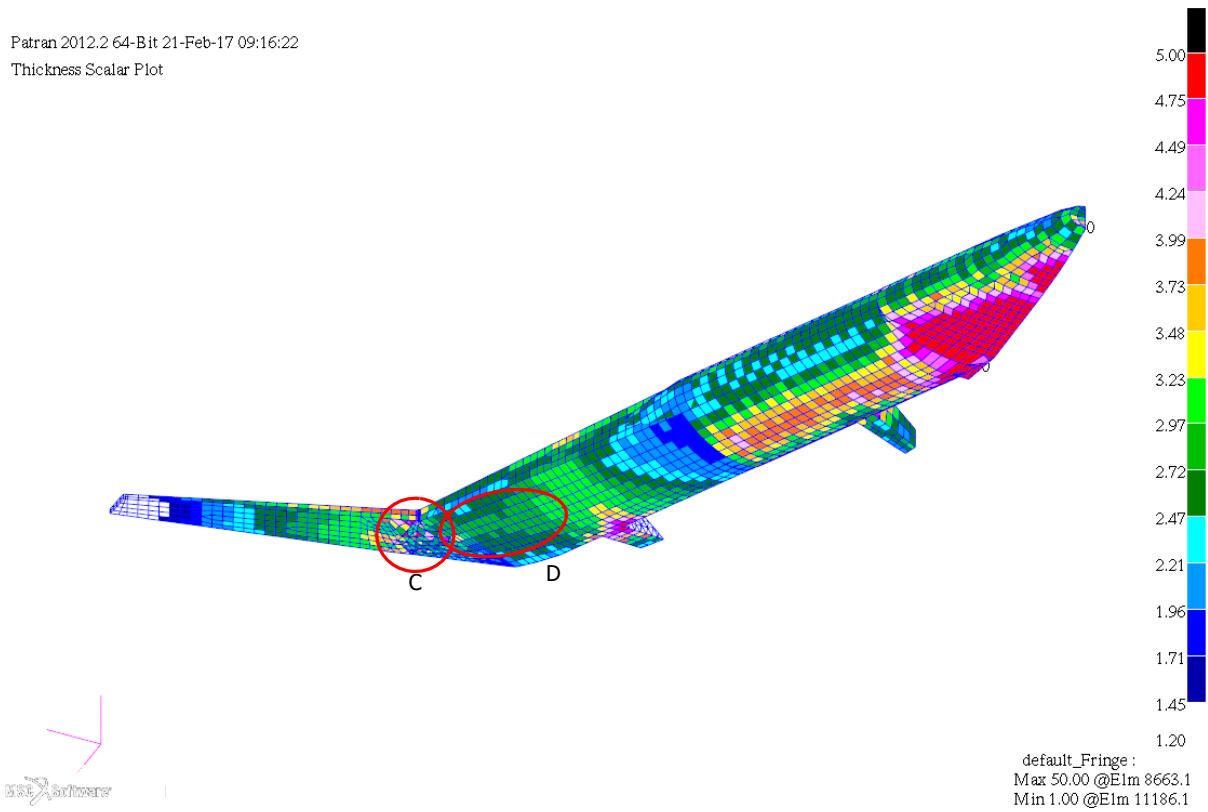
Patran 2012.2 64-Bit 21-Feb-17 09:09:30
Thickness Scalar Plot



(b) Top reversed isometric view.

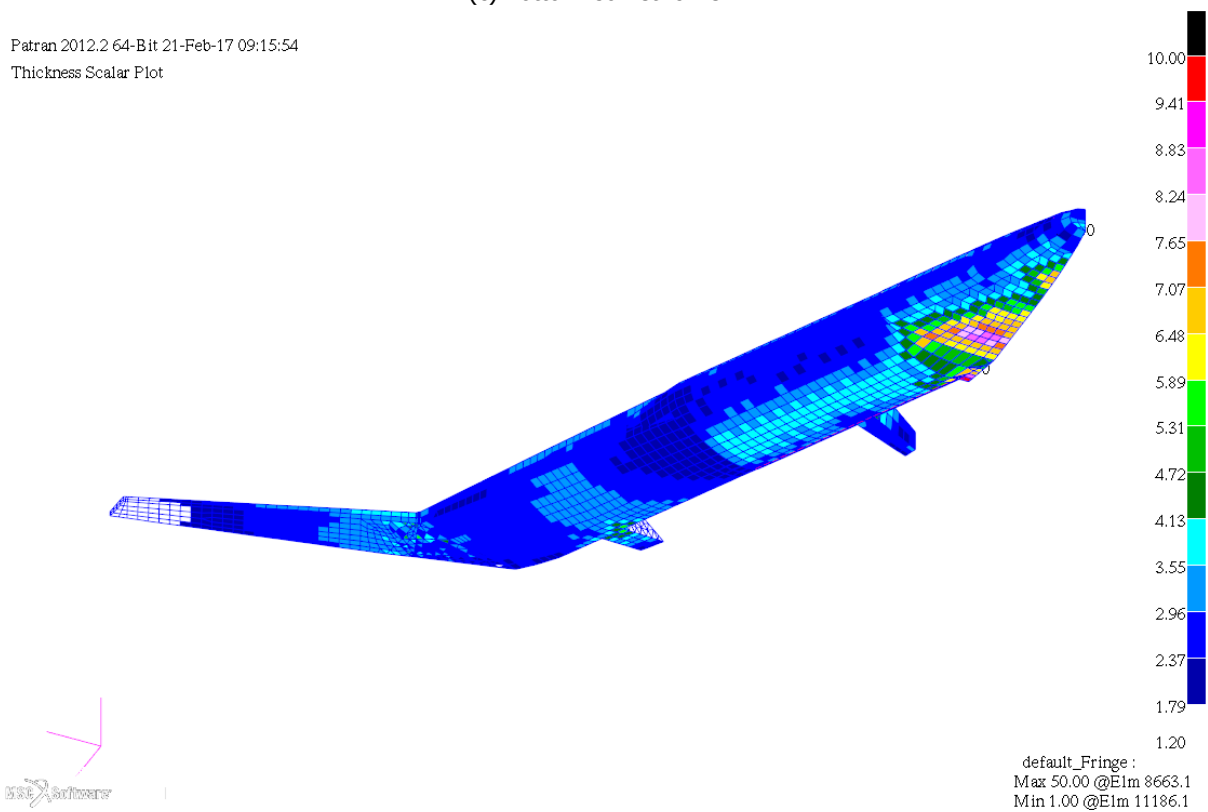
Figure 6.5: Sized thickness values [mm] of outer shells.

Patran 2012.2 64-Bit 21-Feb-17 09:16:22
Thickness Scalar Plot



(c) Bottom isometric view.

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Thickness Scalar Plot



(d) Bottom isometric view, 10mm scale upper limit.

Figure 6.5: Sized thickness values [mm] of outer shells.

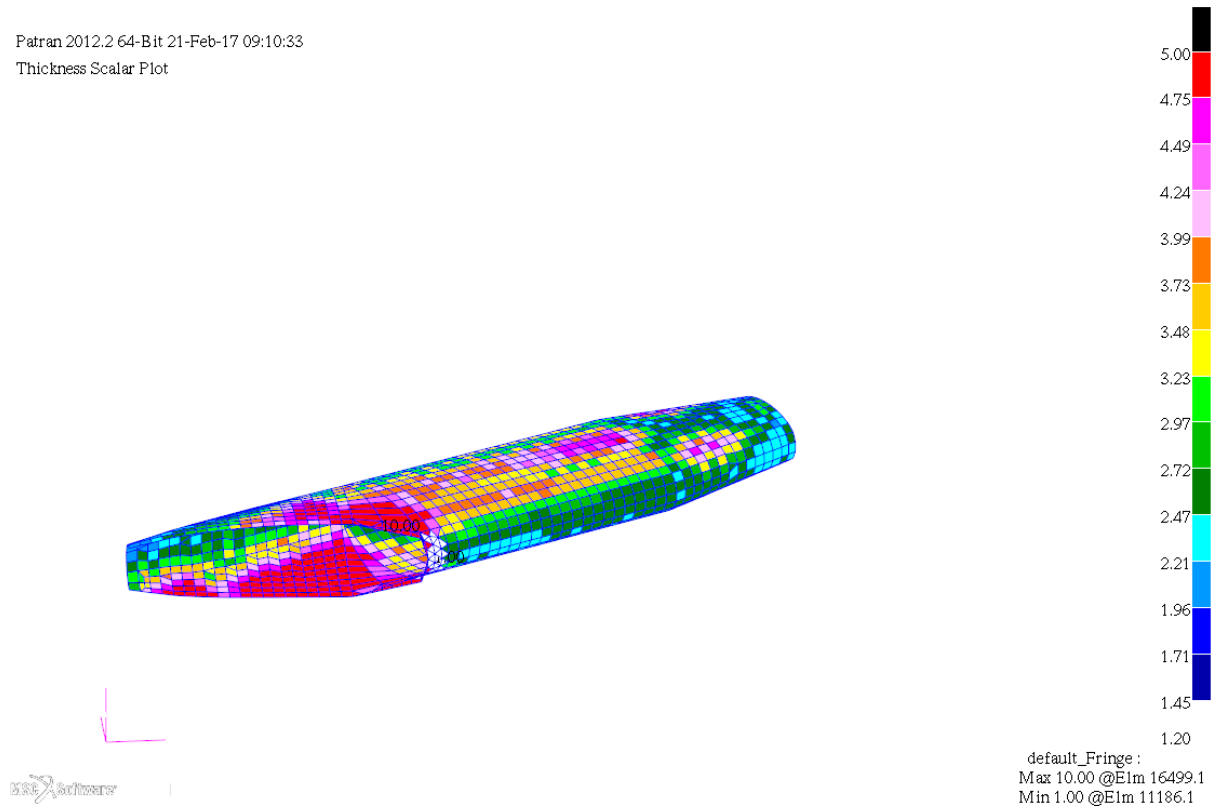
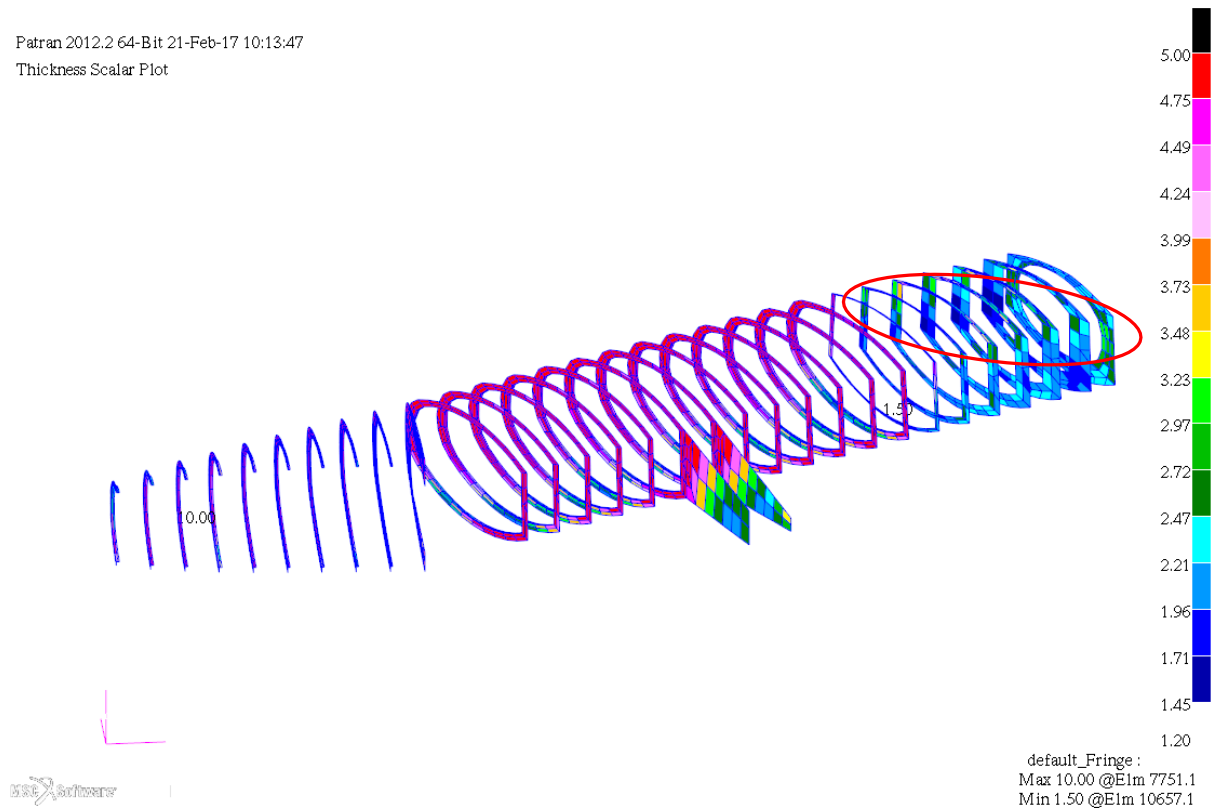


Figure 6.6: Sized thickness values of pressure cabin shells.

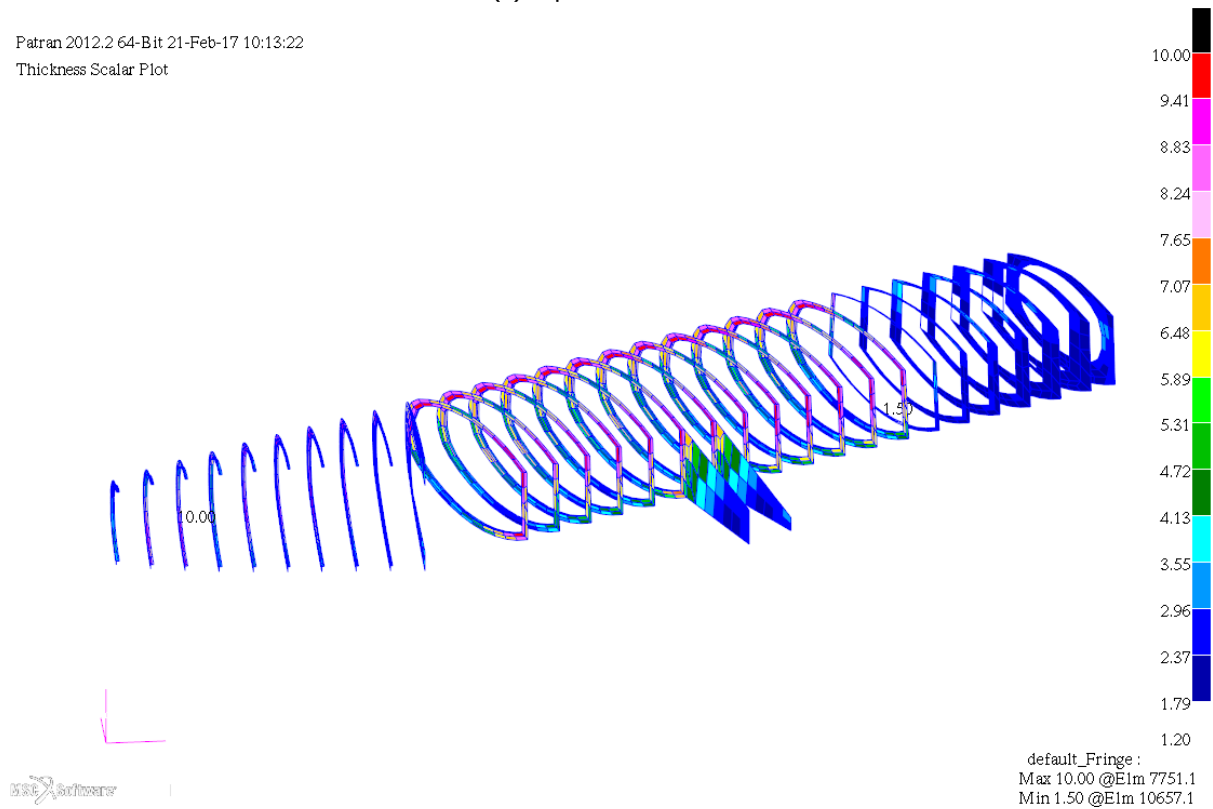
At section 4, a small reduction in thickness is observed in the lower half of both spars. The tapered fuselage walls are sufficiently close to be considered extra spars. From the critical load case plot, it is seen that load case 11 is critical for the majority of the spar elements between the gears. An exception is the top row of elements, which are sized by load case 3. This increases the thicknesses of the top half of the spar and explains why the spar thickness reduction is only observed in the bottom half.

Patran 2012.2 64-Bit 21-Feb-17 10:13:47
Thickness Scalar Plot



(a) Top isometric view.

Patran 2012.2 64-Bit 21-Feb-17 10:13:22
Thickness Scalar Plot



(b) Top isometric view, 10mm scale upper limit.

Figure 6.8: Sized thickness values [mm] for frame shells.

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Fringe: FlyingV3mmLC_LI_LC, i15 ZORRO Results, DesignLoadcase, Element scalar, , (NON-LAYERED)

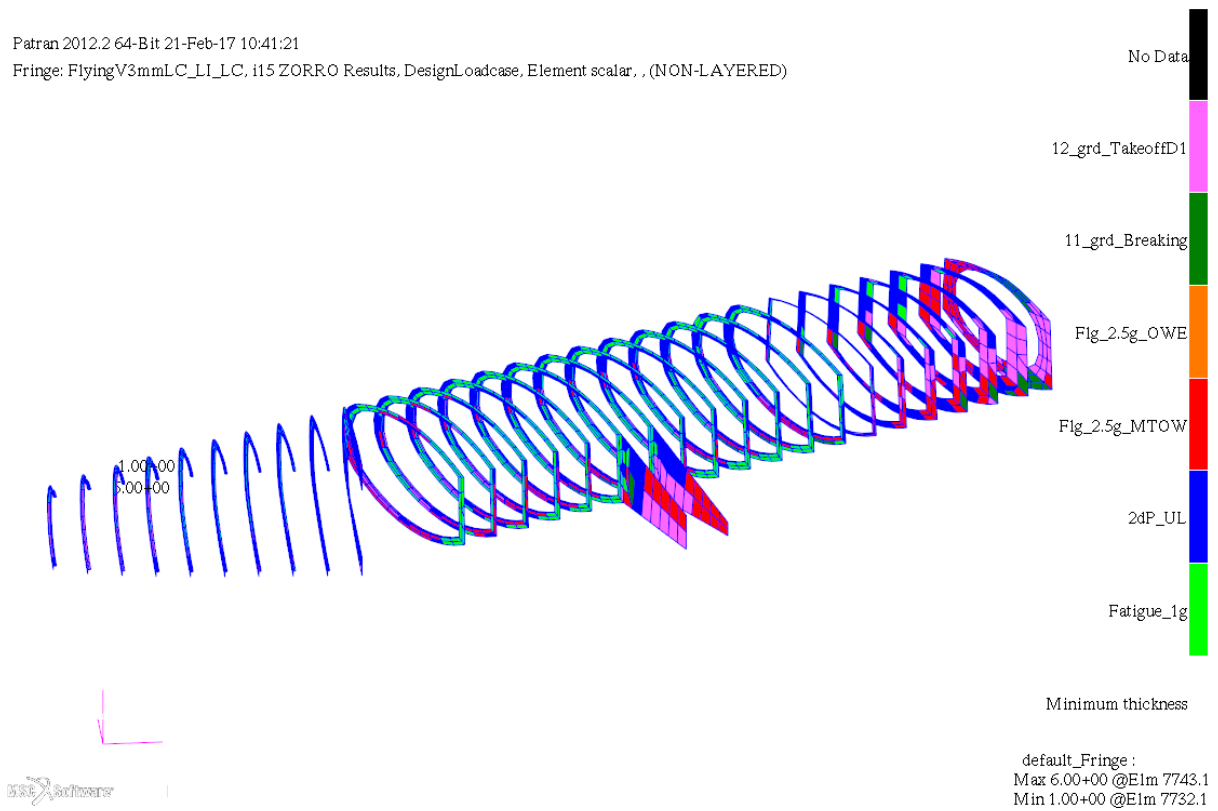
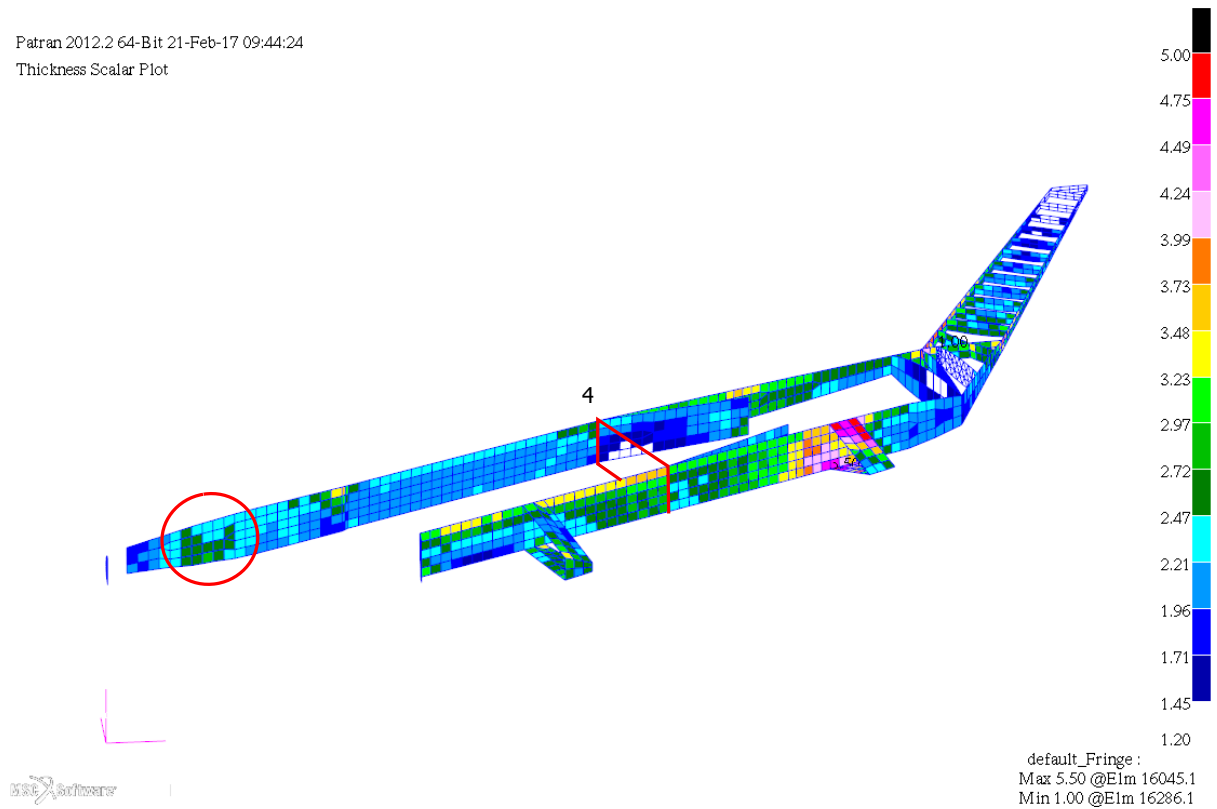


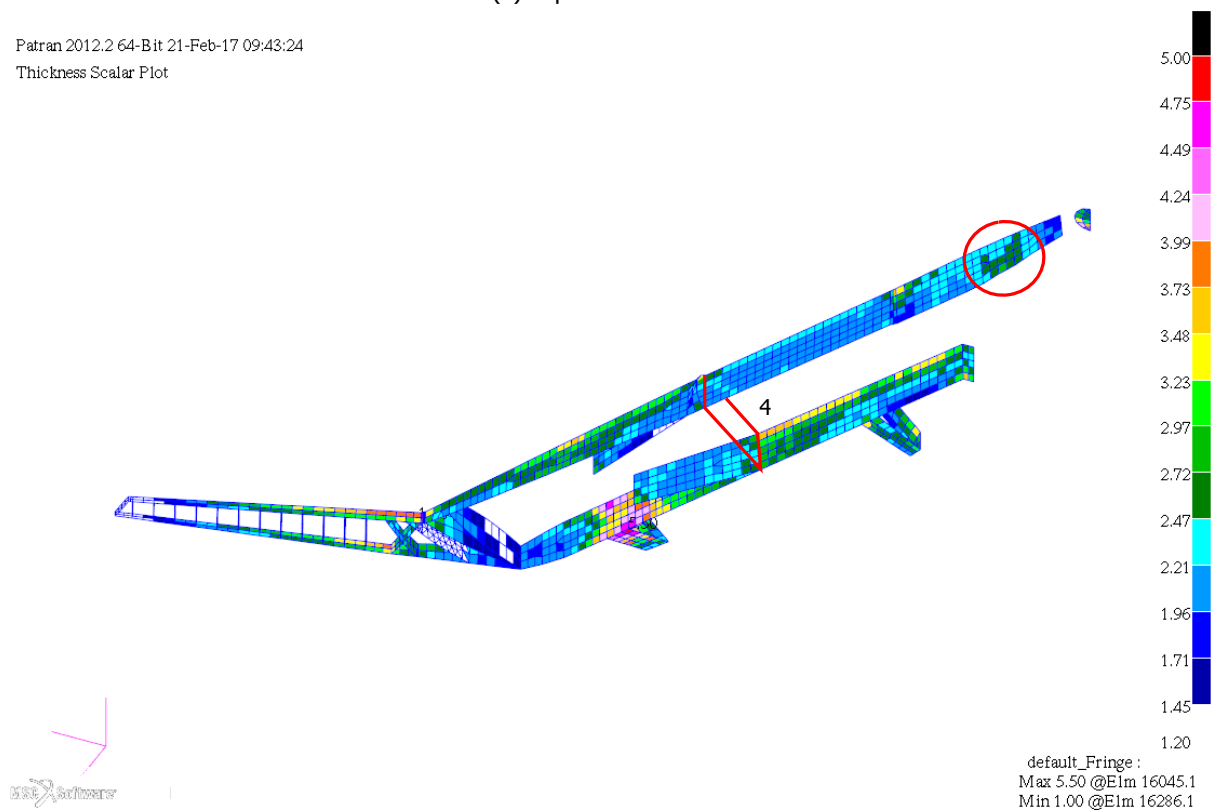
Figure 6.9: Critical load cases for frame shells.

Patran 2012.2 64-Bit 21-Feb-17 09:44:24
Thickness Scalar Plot



(a) Top isometric view.

Patran 2012.2 64-Bit 21-Feb-17 09:43:24
Thickness Scalar Plot



(b) Bottom isometric view.

Figure 6.10: Sized thickness values [mm] for spar shells.

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Fringe: FlyingV3mmLC_L1_LC, i15 ZORRO Results, DesignLoadcase, Element scalar, , (NON-LAYERED)

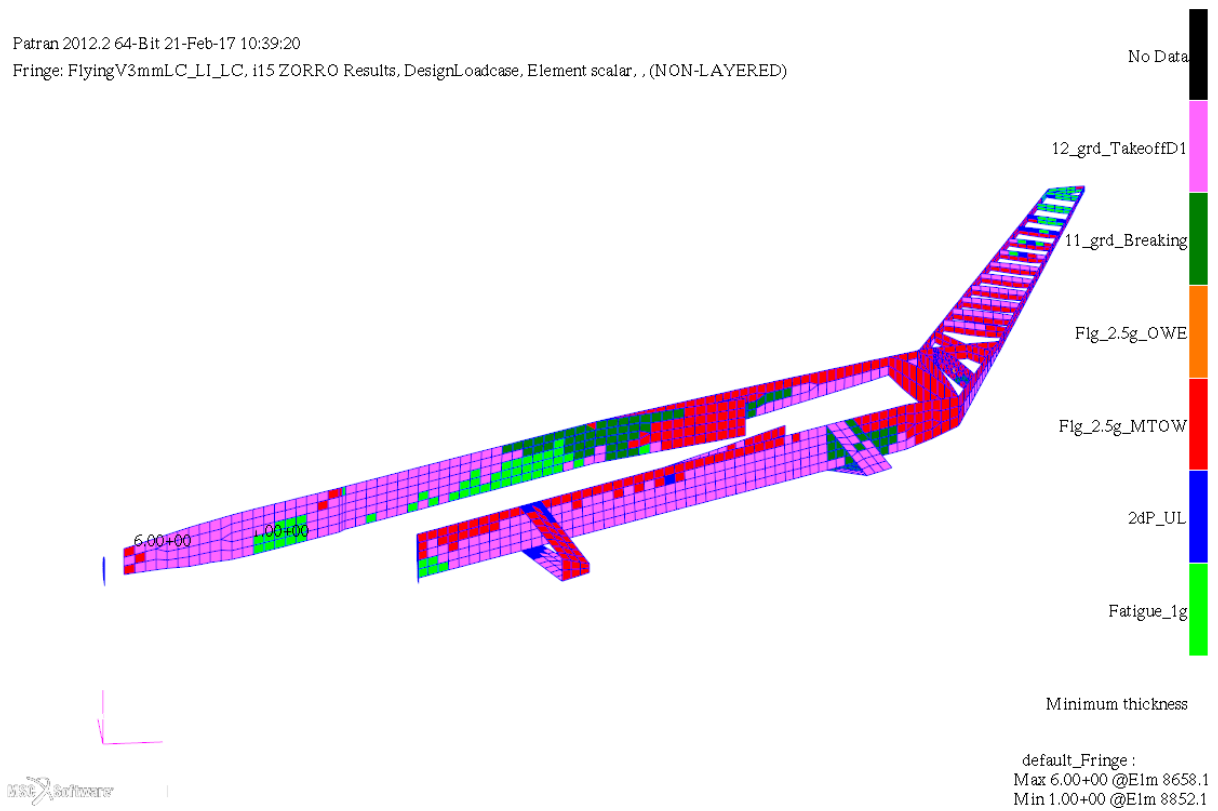


Figure 6.11: Critical load cases for spar shells.

Table 6.1: Sized structure mass results.

Source	Mass [kg]		
Estimated	99781		
Benad	73953		
ZORRO	13790		
FEM-to-Engineered factor	1.67	2.0	2.5
ZORRO corrected	23029	27580	34475
Difference from estimated	76752	72201	65306
Difference from Benad	50924	46373	39478

6.3. Mass and Balance

The mass of the sized structure has been determined in three different ways:

1. An initial estimation given the design mission.
2. An estimation of Benad.
3. An estimation using ZORRO.

ZORRO's sizing procedure has converged on a mass to within 0.05% after 15 iterations. This estimation must be corrected to an engineered mass, which includes secondary structure elements not captured in the FEA. The FEM mass usually lies between 50% and 60% of the engineered weight. An additional factor is introduced which assumes 40%.

All the resulting masses are provided in Table 6.1. A difference of more than 50% between ZORRO engineered mass and the reference mass is observed. This occurs even for the highest correction factor and the lowest reference structure mass. No conclusions can be drawn regarding the magnitude of the masses without a reference aircraft model analysis. This model must be constructed using the same design procedure, feature the same assumptions and have a known engineered mass. Such a model was set up as described in Appendix E, but abandoned when ZORRO's results appeared skewed.

The static stability for a 2.5G load is assessed. The centres of lift and mass are determined within Patran and shown in Figure 6.12. This centre of lift is determined from the aerodynamic distribution in Figure 4.2a, in which control surface deflections are not taken into account. The CoG for MTOM and OEM conditions are located at approximately 27.05m and 27.91m along the longitudinal axis respectively. The CoG position was estimated by Faggiano at 30.92m, this ensured a static margin of 2.5% MAC with $MAC = 18m$, meaning $s.m. = 0.45m$. With the newly determined CoG, the static margin is increased to 16.7%.

In the sizing results, thin thickness values were observed in the outboard wing structure. An improvement in sizing results without the bending stiffness correction will likely shift the CoG aft. On the other hand, introduction of stiffeners will likely shift it forward. Boundary-induced thickness values will reduce for a balanced aircraft and shift the CoG aft. Future research must indicate what the combined effect is on the static margin and the aircraft stability.

The centre of lift moment arm around the CoG for MTOM conditions is 8.3m. This indicates a large pitch-down moment is present. As stated, control surface deflections are not taken into account. For analysis of sustained 2.5G pull-up and -1G push-over manoeuvre, control surface deflections must be modelled into the wing profile passed to LatticeBeta.

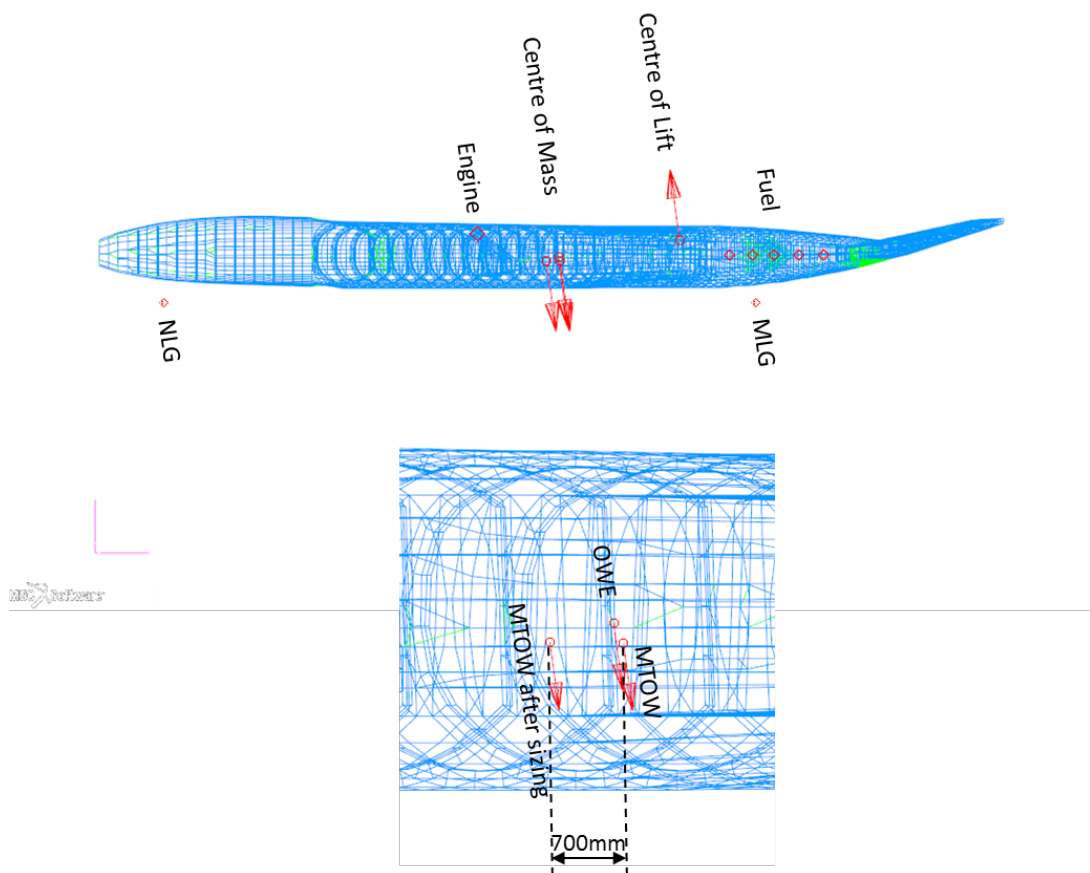


Figure 6.12: CoG for MTOM and OEM as well as aerodynamic centre longitudinal positions.

7

Recommendations for Flying V Research Continuation

Based on the results of the structural analysis and sizing, as well as from the model generation process, recommendations are made for the various steps in the process towards obtaining a valid mass estimation. This is done for attempted sizing procedures in Sections 7.1 and 7.2, for the model generation in Section 7.3 and for the structure concept and integration of systems therein in Section 7.4.

7.1. Analytical Solution

Analytical solutions offer the benefit of fast integration of novel technologies, as well as a low computational expense [20]. ParaPy offers a fast model generation invalidating these two items of concern.

Every variation in cross-sectional geometry is captured in an additional higher level primitive. Each primitive requires its own implementation of an analytical sizing method. For compatibility between the various primitives' analyses, a framework must be constructed in which each of these methods can be coupled. It is found that for a configuration concept with a degree of dependency between design disciplines of aerodynamics and structural mechanics such as the Flying V, an analytical sizing procedure approaches a FEA.

Visual inspection of the airframe model shows various double-spheroid surfaces in the fuselage transition and wing transition sweep change regions. Analytical analysis of these requires further discretisation, approaching a true FEA. For these reasons, it is not recommended to attempt an analytical sizing method to configurations with a multitude of cross-sectional definitions.

7.2. Ideal Sizing Procedure

An iterative sizing procedure must be applied to obtain a feasible design. Structural analysis and sizing results are fed back to the model generator in order to update the design. This ideal procedure is detailed in Figure 7.1.

There are several limiting factor preventing this design loop from being implemented:

- ParaPy 's has limited functionality:
 - > Nastran coupling
 - ◊ Writing of Natran-compatible .bdf-files exports only mesh information.
 - ◊ Mesh element IDs are not consistent between Nastran and ParaPy .

