Measuring and Modeling Driver Steering Behavior: From Compensatory Tracking to Curve Driving

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Abstract - Drivers rely on a variety of cues from different modalities while steering, but which exact cues are most important and how these different cues are used is still mostly unclear. The goal of our research project is to increase understanding of driver steering behavior; through a measuring and modeling approach we aim to extend the validity of McRuer et al.'s crossover model for compensatory tracking to curve driving tasks. As part of this larger research project, this paper first analyzes the four main differences between compensatory tracking and curve driving: 1) pursuit and preview, 2) viewing perspective, 3) multiple feedback cues, and 4) boundary-avoidance strategies due to available lane width. Second, this paper introduces multiloop system identification as a method for explicitly disentangling the driver's simultaneous responses to various cues, which is subsequently applied to two sets of human-in-the-loop experimental data from a preview tracking and a curve driving experiment. The results suggest that recent human modeling advances for preview tracking can be extended to curve driving, by including the human's adaptation to viewing perspective, multiple feedback cues, and lane width. Such a model's physically interpretable parameters promise to provide unmatched insights into between-driver steering variations, and facilitate the systematic design of novel individualized driver support systems.

Keywords: curve driving, compensatory tracking, driver modeling, preview, system identification

Introduction

Today, driving is still a manual control task that requires continuous attention and control from the human driver. Drivers manipulate the gas pedal, brakes, and gears to change the vehicle’s forward velocity (longitudinal control), and they use the steering wheel to negotiate curves, change lanes, and suppress disturbances like wind gusts (lateral control). To effectively design individualized systems for autonomous driving or driver assistance, as currently pursued [Abb11, Sal13, Gor15], it is essential to understand driver control behavior. However, humans exhibit an extremely versatile set of control skills, and it is safe to say that, today, many aspects of driver control behavior are still poorly understood. Even for lateral steering control in isolation (i.e., at constant forward velocity), a wide variety of plausible theories exist about drivers’ use of preview, motion feedback, and path prediction. This is reflected by the fundamental differences in available control-theoretic models of driver steering behavior [McR77, Mac81, Hes90, Odh06, Sen09, Boe16].

Ideally, it would be desirable to have a universal model for driver steering behavior, similar to McRuer et al.’s crossover model for compensatory tracking tasks [McR67]. The crossover model has inputs and control dynamics that resemble those of the actual human. Its physically interpretable parameters can be intuitively adapted, or explicitly estimated from experimental data, to predict human behavior in new situations, to design human-machine interfaces, to quantify human skill, and to explain observed behavior. Unfortunately, the crossover model is only applicable to the extremely limited single-axis, visual compensatory tracking task (error-minimization). Drivers likely adopt a complex internal control organization, integrating a variety of cues from different modalities. Moreover, opposed to continuous error-minimization, driving is a boundary-avoidance task where, in principle, any lateral position in-between the lane markings can be considered acceptable [McR77].

A fundamental issue in understanding and modeling driver behavior is to determine which combination of cues, or even sensory modalities (e.g., visual, vestibular, proprioceptive) guide steering. Four fruitful approaches are: 1) eye-tracking to determine the driver’s visual focus of attention [Lan94, Kan09]; 2) removal of cues (e.g., visual occlusion) in a simulator environment to measure driver use of the remaining cues in isolation [Don78, Lan95]; 3) theoretical assessment to rank the usefulness of available cues using control theory [Wei70] and visual field geometry [Wan00]; and 4) directly measuring the driver’s control dynamics (i.e., input-output relation) using system identification [McR75, Ste11]. All these methods have their own strengths, but only multiloop system identification allows for unambiguously disentangling the driver’s simultaneous lumped response to various cues, while also most directly providing an experimentally validated mathematical model. To date, multiloop system identification has never been applied to study driver steering.

The goal of our research project is to obtain the much needed fundamental insight into driver steering behavior, using a combination of all the four mentioned approaches. We aim to quantify these new insights...
in a structurally-isomorphic model that extends the validity of McRuer et al.’s crossover model to curve driving tasks. As part of this larger research project, in this paper we will explain the differences between compensatory tracking and curve driving, and demonstrate the strength of multiloop system identification for studying driver steering behavior.

First, we review McRuer et al.’s crossover model, together with the system identification techniques that were used to obtain that model. Second, we explain how we plan to move from compensatory tracking to curve driving tasks, by stepwise introducing preview, perspective viewing, visual rotational cues, optic flow, vestibular motion, and two lane boundaries (opposed to line-tracking). Next, we introduce a multiloop system identification technique, which is required to separately measure the multiple, simultaneously present human responses in these more elaborate tasks. Finally, we present experimental data from two tasks with various preview times, to demonstrate the new, fundamental insight that our approach can provide about driving. The first task involved preview tracking, and the second task involved full field-of-view visual curve driving.

Measuring and Modeling Compensatory Tracking Behavior

The Crossover Model

In compensatory tracking tasks, only a single task-specific, instantaneous error is available to the human, for example representing the difference between a vehicle’s desired and actual lateral position. When the desired trajectory is unpredictable, humans can only adopt a single-loop control organization, known as compensatory tracking behavior [McR67], see Fig. 1 and Fig. 2. In compensatory tasks, the human’s control dynamics can be approximated with a simple linear time-invariant model; nonlinear and time-varying contributions are relatively small, and are accounted for by a remnant “signal” (n in Fig. 1). The crossover model is given by [McR67]:

\[ H_{oc}(j\omega)H_{ce}(j\omega) = \frac{\omega_c}{j\omega}e^{-j\omega \tau_c}, \]  

(1)

and states that the human and vehicle dynamics \((H_{oc} \text{ and } H_{ce}, \text{respectively})\) combined resemble an integrator with a time delay \(\tau_c\) around the crossover frequency \(\omega_c\). A set of “Verbal Adjustment Rules” quantifies the adaptation of the crossover model’s variables, \(\tau_c\) and \(\omega_c\), to task variables like the vehicle dynamics and the forcing functions’ bandwidth [McR67]. From Eq. 1 it follows that the human’s control dynamics in the crossover region are:

\[ H_{oc}(j\omega) = K_c \frac{1 + T_{le}j\omega e^{-j\omega \tau_c}}{1 + T_{ie}j\omega}, \]  

(2)

with \(K_c\) humans’ control gain, and \(T_{le}\) and \(T_{ie}\) their lead and lag equalization time constants, respectively, which are adapted to achieve the crossover model’s integrator dynamics around the crossover frequency. Extensions of the crossover model to lower and higher frequency ranges typically include a separate model for the neuromuscular system dynamics [McR68, Hes80]. The model parameters are physically interpretable, which facilitates their intuitive adaptation to predict behavior in new situations. Moreover, the crossover model provides explicit quantitative insights into human adaptation and skill development. Since its development in the 1960’s, the crossover model has become an essential tool in the research, design, and evaluation of human-machine systems (e.g., see [McR69, Hes90, Poo16]).

System Identification

Measuring the human’s control dynamics in compensatory tracking tasks is relatively straightforward, because the human is organized as a single input (the visual error) and single output (the steering wheel rotations) controller. McRuer et al. [McR67] used an instrumental variable, frequency-domain system identification method to estimate the linear part of the human’s control dynamics. This method relies on a multisine external input signal (or forcing function), the instrumental variable, which consists of a limited number \(N\) (typically around 10) sine waves:

\[ f_i(t) = \sum_{i=1}^{N} A_i \sin(\omega_i t + \phi_i), \]  

(3)

with \(A_i\) the amplitude, \(\omega_i\) the frequency, and \(\phi_i\) the phase of the \(i\)th sinusoid. \(f_i\) corresponds to the desired trajectory forcing function in Fig. 1, which can be thought of as the road’s trajectory to be followed in driving tasks. Alternatively, it is also possible to use a multisine disturbance signal \(f_d\), which may resemble wind gusts. At the input frequencies \(\omega_i\), remnant is negligibly small compared to the human’s response to the forcing function, and the human’s linear control dynamics can be approximated with:

\[ \hat{H}_{oc}(j\omega) = \frac{S_{f_i\omega}(j\omega)}{S_{f_d\omega}(j\omega)}, \]  

(4)

with \(S\) the cross-power spectral density estimate of the respective subscripted signals. The \(N\) estimated Fourier coefficients \(\hat{H}_{oc}(j\omega)\) allowed for an explicit look into the \(H_{oc}\) block in Fig. 1, and enabled McRuer et al. [McR67] to propose the crossover model.

From Compensatory Tracking to Curve Driving

McRuer et al.’s [McR67] single-axis, visual compensatory tracking task is equivalent to a driving task from which only the current lateral position error with respect to the road’s center-line is perceived by the driver. Clearly, drivers may additionally respond to many other cues while negotiating curves. In our research project we will stepwise introduce elements from a curve driving task into the compensatory tracking task, which is schematically shown in Fig. 2. The four main differences between compensatory tracking and curve driving will be discussed in detail in this section: 1) pursuit and preview, 2) perspective viewing, 3) multiple feedback cues, and 4) boundary avoidance.

Step 1: Pursuit and Preview

In contrast with compensatory tracking tasks, drivers that negotiate curves perceive cues that contain...
information about the desired trajectory \( f_t \) and the vehicle states \( x \). Drivers can directly respond to these signals, which is reflected by the \( H_{o} \) and \( H_{e} \) blocks in Fig. 1, and which is known as pursuit tracking [All79, Hes81]. Moreover, drivers can typically preview the road for some part ahead, yielding information about the future desired trajectory \( f_t(t, t + \tau_p) \), up to a certain preview time \( \tau_p \). The additional information allows for an extremely wide variety of acceptable steering behaviors, which is an important reason why driver behavior is still poorly understood.

First, with preview, drivers can anticipate the desired trajectory, which allows them to compensate for both their own response delays and other lags, like those of the vehicle dynamics [Ito75, El17]. In fact, with sufficient preview, drivers follow a desired trajectory nearly perfectly [McL73, Mil76]. However, how drivers exactly use preview has long remained unclear, which is reflected by the many fundamentally different ways in which driver models incorporate preview. Well-known driver models use either one [McR77, Don78, Mac81], two [Sal04, Sal13], or many [Mac81, Odh06] points from the previewed trajectory ahead as input, together with any function (e.g., lateral position, heading, or curvature) of that desired trajectory.

Second, in pursuit tasks, drivers can also predict their vehicle’s trajectory, because they have knowledge of both the vehicle’s states and their own control inputs [Mac81, Odh06]. Similar as for driver use of preview, it is yet unclear if, and how, drivers predict their vehicle’s trajectory, which is again reflected by the many different prediction mechanisms incorporated in current driver models. Proposed driver prediction mechanisms range from simple linear extrapolation [Kon68, Wei70, Hes90] to elaborate optimization of the driver’s own control inputs over a certain future time span, using a model of the vehicle’s dynamics [Mac81, Odh06].

In the first step of our research project, we investigate pursuit and preview control behavior in laboratory tracking tasks that closely resemble compensatory tracking (see Fig. 2, Step 1). A plan-view of the previewed trajectory is shown together with the vehicle’s lateral position. Using multiloop system identification (explained in the next section), we estimate the human’s \( H_{o} \) and \( H_{e} \) blocks; \( H_{e} \) reveals if and how humans predict the vehicle’s trajectory. Experimental results of this task were recently published in [El16b, El17], and will be reviewed in the final section of this paper.

Step 2: Perspective Viewing

The viewing perspective in normal driving tasks differs markedly from the plan-view preview tracking task (Step 1). In driving, linear perspective introduces a nonlinear mapping between the visual cues on the one hand, and the vehicle states and the desired trajectory on the other hand; a plan-view display (orthographic projection) only involves a linear scaling, or “gain”. This has two important consequences. First, due to linear perspective the previewed trajectory in driving tasks appears smaller with increasing distance ahead (see Fig. 2, Step 2), such that tracking errors close ahead are visually emphasized. It has never been explicitly investigated if and how linear perspective evokes adaptations in human preview control behavior, because this first requires a better understanding of human preview control (Step 1).

Second, while the vehicle state (lateral position) is explicitly visible on the display in the plan-view tracking
tasks, a driver’s perspective view only shows this information implicitly, through the scenery ahead (like in Step 3 in Fig. 2). Drivers must cognitively reconstruct the vehicle’s lateral position relative to the road using the perspective visual cues from the scenery ahead, or, alternatively, directly use certain perspective visual cues to control their vehicle. For example, a straight road’s perspective splay angle is directly related to the vehicle’s lateral deviation from the centerline [Don78, Mul05]. For small deviations this relation is approximately proportional, so the splay angle simply replaces the explicit lateral position cue that is shown on the pursuit display in Step 1. For large deviations, or on curved roads, the relation between visual cues and the vehicle’s states is strongly nonlinear [Mul04].

In perspective tasks, the assumption in Fig. 1 that drivers respond directly to the vehicle states and the desired trajectory is thus not necessarily valid. Instead, cues from the perspective visual scene are the input to the human, and these are related to the vehicle states by a (nonlinear) perspective transformation [Mul04, Mul05], see Fig. 3. Multiloop system identification can still be applied to estimate the $H_o$ and $H_r$ blocks in Fig. 1, but yields the lumped dynamics of the human and the perspective transformation together. The estimated lumped dynamics may reveal which perspective cues are used by the human, as was shown in piloting tasks [Swe99]. Additional measurements (e.g., eye-tracking) can provide supporting evidence for the actual inputs and control organization adopted by the driver.

In the second step of our research project, we will only investigate the effects of linear perspective on human use of preview information. To do so, we will perform the same preview tracking task as in Step 1, but with a perspective transformed previewed trajectory (see Fig. 2, Step 2). In our research project we will thus not pinpoint which perspective cues (like splay angle) are actually used by the human; instead, we will consider the lumped human and perspective transformation dynamics together, essentially assuming that humans have direct knowledge of the vehicle states.

Step 3: Multiple Feedback Cues

The tasks discussed in Steps 1 and 2 involved only visual lateral position feedback. Indeed, lateral position in the lane is a likely cue that guides steering during curve driving [Wei70, Lan95]. However, most road vehicles have dynamics — from steering input to lateral position — that consist of more than two integrators [Raj11], such that continuous stabilizing control is required from the human, through lead

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Multiloop System Identification

The introduction of elements from curve driving tasks allows humans to respond to multiple cues, or signals, instead of the single error signal in compensatory tracking tasks. To separately estimate the dynamics of multiple, simultaneously active human response blocks, the single-loop system identification technique, used by McRuer et al. [McR67] to derive the crossover model, has been extended to multiloop applications [Sta67, Paa98]. The maximum number of human response blocks that can be estimated is equal to the number of uncorrelated external forcing functions. For example, to estimate both the human’s $H_{o}$ and $H_{o}$, pursuit, two forcing functions are needed. Realistic forcing functions can be a desired trajectory $f_t$ (e.g., a winding road) and disturbances $f_d$ (e.g., wind gusts). The correlation between the driver’s steering output and each uncorrelated forcing function then allows for disentangling the two driver response blocks. Two forcing functions can be constructed to be uncorrelated by using multisinus (see Eq. 3) with mutually exclusive frequencies components $\omega_i$ [Sta67, Paa98].

Consider the scheme in Fig. 1, but without the driver’s possibly active $H_{o}$ response (at the end of this section we explain why this simplification poses no assumption on the actual driver’s behavior). The resulting control diagram is given in Fig. 5. Neglecting the human remnant at the multisine forcing function input frequencies, we can write:

$$U(j\omega_i) = H_{o_i}(j\omega_i)F_i(j\omega_i) - H_{o_o}(j\omega_i)X(j\omega_i),$$

(5)

with capitals indicating the Fourier transform of the respective signals. A second equation is needed to solve Eq. 5. In the block, two forcing functions $H_{o_i}(j\omega_i)$ and $H_{o_o}(j\omega_i)$. First, evaluate Eq. 5 only at the desired trajectory’s input frequencies, $\omega_2$. Then, interpolate the signals $U(j\omega_2)$, $F_i(j\omega_2)$, and $X(j\omega_2)$ in the frequency domain from the neighboring disturbance signal input frequencies $\omega_d$ to $\omega_2$, yielding $U(j\omega_2)$, $F_i(j\omega_2)$, and $X(j\omega_2)$, to obtain the following set of equations:

$$[U(j\omega_i)] = [F_i(j\omega_i) - X(j\omega_i)] [H_{o_i}(j\omega_i)] [H_{o_o}(j\omega_i)],$$

(6)

which can be solved for $H_{o_i}(j\omega_i)$ and $H_{o_o}(j\omega_i)$. Similarly, after interpolating all signals from $\omega_2$ to $\omega_d$, Eq. 6 can also be evaluated at the disturbance signal input frequencies to obtain $H_{o_i}(j\omega_d)$ and $H_{o_o}(j\omega_d)$. Example multiloop system identification results are shown in Fig. 5 and will be discussed in the next section.

There are three situations in which not all driver response pathways can be disentangled with multiloop system identification. First, because the number of meaningful forcing functions that can be defined is limited, the number of driver response blocks that can be separated is also limited. Second, blocks that have the same input can never be disentangled; for example, a simultaneous visual and vestibular response to (derivatives of) the vehicle’s lateral position can only be estimated together, as a lumped response. Finally, due to the interdependency between $e, f_t$, and $x (e = f_t - x)$, it is never possible to simultaneously estimate all three response blocks, $H_{o_i}, H_{o_o}$, and $H_{o_o}$. In more driver situations, these more driver pathways are active than can be disentangled, and the estimated driver dynamics will be lumped combinations of all the actually active driver response blocks. The active pathways that are not present in the identified model structure are not assumed to be absent, but instead appear as “contamination” in the estimated control dynamics. As we will see in the next section, this limitation is not always problematic, because the lumped estimate of the driver’s response dynamics may reveal which modality, or pathway, was active or dominant. Moreover, by our stepwise introduction of driving-task elements into a compensatory task, additional driver responses occur only gradually, which facilitates the study of many separate driver responses in isolation.

Results

In this section, we demonstrate the usefulness of multiloop system identification for studying driver steering behavior. First, we review results of a pursuit and preview tracking experiment (Step 1), which were recently published in [El16b]. Second, we present our first data from a simulator-based curve driving experiment (Step 4).

Preview Tracking (Step 1)

Only recently, multiloop system identification was applied for the very first time to measure the human’s $H_{o_i}(j\omega)$ and $H_{o_o}(j\omega)$ control dynamics in pursuit and preview tracking tasks [El16b]. Subjects were presented with the display in Fig. 2 Step 1 (10 cm outer radius), on a screen directly in front of them, while control inputs were given with a side stick. Tasks involved 0 s (pursuit) and 1 s of preview, both of
which were repeated with gain, single- and double-integrator vehicle dynamics. The desired trajectory and disturbance signals had a bandwidth of 1.5 rad/s and a highest frequency components of 16 rad/s. Multiloop identification results for a single subject are reproduced in Fig. 5. The observed dynamics in each response block were first modeled separately [El16b], after which common elements were regrouped and the block diagram was rearranged to obtain a novel model that reflects human controllers’ most likely control organization (see Fig. 6).

This new model for preview tracking tasks extends McRuer et al.’s model for compensatory tracking tasks with two responses to the previewed trajectory ahead. A far viewpoint, located \( \tau_f \) s ahead (typically 0.6-2 s), provides a preprocessed, smooth shaped trajectory input to a “compensatory” error response. The “error” \( e^* \) responded to by the human is thus not the true error, but a time advanced, cognitively determined internal error signal. Humans use the far-viewpoint response mechanism only to track the low frequencies (i.e., slow changes) in the desired trajectory, so the model includes a low-pass smoothing filter, characterized by time constant \( T_{l,f} \) (typically 0-1 s). Gain \( K_f \) (typically 0.5-1.2) reflects the human’s priority to track the previewed trajectory; when \( K_f=0 \) the human completely ignores the desired trajectory and focuses only on stabilizing the vehicle, while high values of \( K_f \) indicate a high priority for trajectory-tracking. The near viewpoint, located \( \tau_n \) s ahead (typically 0.1-0.9 s), is the input to an open-loop feedforward response. Humans can use this near-viewpoint response to better track the higher frequencies (quick changes) in the desired trajectory [El17], which are not followed well with the far-viewpoint response mechanism. However, not all subjects were found to apply a near-viewpoint response, and the near-viewpoint response is less pronounced when less preview is available, or when the order of the vehicle dynamics increases [El17].

Following the development of this new preview model, we performed a second preview tracking experiment to investigate how humans adapt their control behavior to the preview time \( \tau_p \) [El16a]. This experiment was performed only with integrator vehicle dynamics, and with six preview times between 0 and 1 s (of which four are reproduced here, see Tab. 1). Fig. 7 shows the multiloop system identification results for \( H_n(j\omega) \) and \( H_f(j\omega) \), together with the least-squares fit of the model to the measurement data. Higher preview times clearly evoke more phase lead in the human’s response to the desired trajectory, which is captured in the model mainly by the far-viewpoint look-ahead time \( \tau_f \). Tab. 1 shows that the estimated value of \( \tau_f \) indeed increases when more preview becomes available. The human subject kept the far viewpoint approximately at the end-point of the previewed trajectory, regardless of the amount of preview available. Note that the estimated far viewpoint position is occasionally slightly beyond the available preview limit, because the estimated values are affected by the noise in the system (i.e., human remnant).

### Table 1: Experimental preview times \( \tau_p \) and the human’s estimated far-viewpoint look-ahead times \( \tau_f \).

<table>
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<tr>
<th>preview tracking [El16a]</th>
<th>curve driving [Ste11]</th>
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**Figure 6:** Control diagram for preview tracking tasks, derived using multiloop system identification in [El16b].

As a start to Step 4, we recently performed a first curve driving experiment, also with various preview times [Ste11]. The driving task was performed at a constant forward velocity of 50 km/h, in a fixed-base simulator with a 180 deg field-of-view visual screen. Moreover, opposed to the preview tracking task from Step 1, the task involved perspective viewing, visual yaw rotational cues (i.e., path and heading), “bicycle model” vehicle dynamics, and two lane edges (boundary avoidance); control inputs were given with a steering wheel, and the highest frequency component in the desired trajectory and disturbance signals was 6.5 rad/s. Fig. 2. Step 4 shows the presented visuals.

Because, at this point, we lack understanding of human adaptation to the discussed differences between our curve driving and preview tracking task, we fit exactly the same preview tracking model to the curve driving data. Note that the bicycle model vehicle dynamics used in [Ste11], which approximate a double integrator from steering wheel inputs to lateral position, required substantial lead equalization in...
The estimated $H_o \omega (j\omega)$ and $H_o \omega (j\omega)$ dynamics in the driving task are shown in Fig. 7, together with the model fits. Longer preview times evoke a highly similar adaptation of the $H_o \omega (\omega)$ response dynamics as seen in preview tracking tasks; namely, more phase lead and a lower response magnitude at the higher input frequencies. More phase lead shows that the subject better anticipates the desired trajectory, while a lower response magnitude indicates that more of the trajectory’s high frequencies are ignored (i.e., trajectory smoothing or corner cutting).

Tab. 1 shows that the estimated value of $\tau_f$ increases with increasing preview time (similar as for preview tracking), and stabilizes around 1.5 s when abundant preview is available. This suggests that drivers do not use preview information beyond 1.5 s ahead (about 20 m at 50 km/h), which is consistent with the control theoretical optimum [Mil76], empirical findings that use occlusion [Mcl73, Lan95] and eye-tracking data [Kon68, Lan94].

Fig. 7 also shows that the preview model does not perfectly capture the shape of the estimated driver dynamics. The estimated $H_o \omega (j\omega)$ and $H_o \omega (j\omega)$ dynamics in the driving task are likely a lumped combination of multiple driver responses. While the multiloop system identification results do show exactly how curve driving behavior differs from preview tracking behavior, separate experiments are needed to attribute these adaptations to the viewing perspective (Step 2), additional feedback cues (Step 3), the lane width (Step 4), or even other, more subtle differences between the two tasks. Nonetheless, the effect of preview time on driver behavior is already captured quite well by the preview tracking model. The model’s $\tau_f$ parameter, which reflects the human’s look-ahead time, allows for unique quantitative insight into driver adaptation, as well as a direct comparison to tracking data. We expect that extending the preview model to curve driving tasks will further add to this insight.

**Conclusions**

In this paper, we presented an approach to bring the applicability of the crossover model for human compensatory tracking behavior to curve driving tasks. Differences between compensatory tracking and curve driving were divided into four main categories: 1) pursuit and preview, 2) viewing perspective, 3) multiple feedback cues, and 4) boundary avoidance. Multiloop system identification was shown to be a valid method to separately measure multiple, simultaneously present human responses, which recently led to the extension of the crossover model to pursuit and preview tracking tasks. The preview tracking model provides new insight into driver adaptation to the preview time in curve driving tasks, but, in its current form, does not fully capture driver steering dynamics. We aim to extend the preview model to curve driving tasks.
driving in future work, by studying human adaption to the viewing perspective, multiple feedback cues, and boundary avoidance. This new model’s physically interpretable parameters can yield unmatched insights into between-driver steering variations, and facilitate the systematic design of novel individualized driver support systems.


